INF 4300 – Digital Image Analysis	Practical information - Lecturers
 INTRODUCTION Practical information What will you learn in this course? Examples of applications of digital image analysis Repetition of key material from INF2310 	 Fritz Albregtsen IFI/UiO (Fourth floor, OJD building) Telephone: 22852463 Email: <i>fritz@ifi.uio.no</i> Anne Schistad Solberg IFI/UiO (Fourth floor, OJD building) Telephone: 22852435 Email: <i>anne@ifi.uio.no</i> Sigmund Rolfsiord
Fritz Albregtsen 28.08.2013 FI 28.08.13 INF 4300 1	 IFI/UiO Email: sigmund.rolfsjord@gmail.com F1 28.08.13 INF 4300 2
Practical information - Schedule	Web page
 Lectures Fritz Albregtsen and Anne Schistad Solberg When: Wednesday 12:15-14:00. Where: "Postscript", OJD 2458 (IFI2) Exercises Sigmund Rolfsjord Group 1: When: Thursday 12:15-14:00. First time 05.09.2013 Where: "Limbo" (3418), OJD (IFI2) 	 http://www.uio.no/studier/emner/matnat/ifi/INF4300/ Information about the course Lecture plan Lecture notes Exercise material Course requisite description Exam information Messages

Course material

Exercises

 All foils will be m The foils define t Exercises will be No books definin Gonzalez & Woo additional mate 	nade available on the course the course requisites. introduced as we go along. ng all course requisites ods: Digital Image Processing, 3 rd e rial	web site. ed., 2008.	 The ordinary weekly exercises are NOT obligatory. Probably a good idea to do them anyway © The ordinary exercises can be solved in any programming language, solutions will be provided in Matlab. Mandatory exercises Two parts (October & November) Individual work 				
F1 28.08.13	INF 4300	5	F1 28.08.13	INF 4300	6		
	F actoria			T			
	Exam			Term project			
 Written exam (4 No written sourc Follow the web p 	EXAM 4 hours), December 16, 14:3 ces of information available a page for updates on exam.	0-18:30 t exam	 Sadly, plagiaris but the reactio Therefore you http://www.i Please notice http://www.admin.ui Using available OK and will be The term proje result should compared 	sm and cheating on term page may be severe. should read the following do mn.uio.no/ifi/studier/admin/oblige the routines on cheating and io.no/admb/regelhb/studier/andre-regelv e source code and application e credited as long as the ori ect is individual work, and the learly be your own work	pers is common, ocument: er/ (in Norwegian) d plagiarism! rerk/fuskesakereng.xml ns is perfectly igin is cited the handed in		

Lecture plan

August	26	27	28	29	30	31	01	Introduction and preliminaries	Fritz
September	02	03	04	05	06	07	08	Features from images, Texture	Fritz
	09	10	11	12	13	14	15	Local to global: Hough Transform	Fritz
	16	17	18	19	20	21	22	Region and edge based segmentation	Fritz
	23	24	25	26	27	28	29	Object representation	Anne
October	30	01	02	03	04	05	06		
	07	08	09	10	11	12	13	Object description	Fritz
	14	15	16	17	18	19	20	Classification I	Anne
	21	22	23	24	25	26	27	Classification II	Anne
	28	29	30	31	01	02	03	Classification III	Anne
November	04	05	06	07	08	09	10	Mathemathical morphology	Anne
	11								
	25	26	27	28	29	30	01	Course summary	Fritz/Anne
F1 28.08.13								INF 4300	9

What is image analysis?



From pixels to features to class

 Objects often correspond to regions. We need the spatial relationship between the pixels.



- For text recognition: the information is in the shape, not in the gray levels.
- Classification: learn features that are common for one type of objects.



Applications of image analysis ...

- Medical applications, e.g., ultrasound, MR, cell images
- Industrial inspection
- Traffic surveillance
- Text recognition, document handling
- Coding and compression
- Biometry
 - identification by face recognition, fingerprint or iris
- Earth resource mapping by satellite images
- Sea-bed mapping (sonar)
- Mapping of oil reservoirs (seismic)

EXAMPLE: OIL-SPILL DETECTION



EXAMPLE: TISSUE CLASSIFICATION IN MR IMAGES



MR images of brain



Classification into tissue types. Tumor marked in red.

F1 28.08.13

INF 4300

14

Weed recognition in precision farming

- Detect and recognize invasive weed species in cereal fields
- Classify weeds in real time to enable on-line control of herbicide spray
- Largely unsolved problem, potential huge savings in weed control costs (commercial potential!)



Smart video surveillance

- Detect and classify events in real-time in surveillance video
- Track objects and alert if humans enter no-go-zones
- Outdoor imagery is challenging, wind, weather and sun causes large changes in scene





15

F1 28.08.13

Tracking and classification of objects

Challenges:

- Objects may be poorly segmented or occluded, so shape or appearance models may be useless
- One blob may contain several objects
- Solution:
 - Analyze motion patterns within blobs (decide object class)
 - Detect heads, arms and other human parts (decide number of objects within blob)





F1 28.08.13

INF 4300

Automatic fish segmentation

- Pick single fish from underwater video of a fish farm
- Estimation of fish statistics
 - Size (for weight estimates)
 - Motion
- Challenges:
 - Illumination varies
 - Seawater murky, food / particles
 - No contrast
 - Fish overlap
 - Fish may swim in any direction
- Solution:
 - Active contours, initialized with a fish-shape
- Use information from two cameras

F1 28.08.13

INF 4300

18

INF2310 – a brief repetition

- See http://www.uio.no/studier/emner/matnat/ifi/INF2310/v13/undervisningsplan.xml
- Topics covered in the course:
 - Image representation, sampling and quantization.
 - Compression and coding
 - Color imaging
 - Grey-level mapping
 - Geometrical operations
 - Filtering and convolution in the image domain
 - Fourier transform
 - Segmentation by thresholding
 - Edge detection

Assumed known

17

2-D convolution

• The resulting image g(x, y) is given by

$$g(x, y) = \sum_{j=-w_1}^{w_1} \sum_{k=-w_2}^{w_2} h(j,k) f(x-j, y-k)$$
$$= \sum_{j=x-w_1}^{x+w_1} \sum_{k=y-w_2}^{y+w_2} h(x-j, y-k) f(j,k)$$

- *h* is a $m \times n$ filter with size $m = 2w_1 + 1$, $n = 2w_2 + 1$
- The result is a weighed sum of the input pixels surrounding pixel (*x*, *y*). The weights are given by *h*(*j*,*k*).
- The pixel value of the next pixel in the out image is found by moving the filter one position and computing again.

Good understanding needed

Separable filters

- Geometrical shapes: rectanglar and square
- Rectangular mean filters are separable.

Advantage: fast filtering

F1 28.08.13

Non-uniform low pass filters

- 2D Gauss-filter: $h(x, y) = \exp\left(-\frac{\left(x^2 + y^2\right)}{2\sigma^2}\right)$ – Parameter σ is standard deviation (width) Filter size must be set relative to σ 21 22 F1 28.08.13 INF 4300 Gradient operators Prewitt-operator $H_{x}(i,j) = \begin{bmatrix} 1 & 0 & -1 \\ 1 & 0 & -1 \\ 1 & 0 & -1 \end{bmatrix} H_{y}(i,j) = \begin{bmatrix} -1 & -1 & -1 \\ 0 & 0 & 0 \\ 1 & 1 & 1 \end{bmatrix}$ Sobel-operator $H_{x}(i,j) = \begin{bmatrix} 1 & 0 & -1 \\ 2 & 0 & -2 \\ 1 & 0 & -1 \end{bmatrix} H_{y}(i,j) = \begin{bmatrix} -1 & -2 & -1 \\ 0 & 0 & 0 \\ 1 & 2 & 1 \end{bmatrix}$ • Frei-Chen-operator $H_{x}(i,j) = \begin{bmatrix} 1 & 0 & -1 \\ \sqrt{2} & 0 & -\sqrt{2} \\ 1 & 0 & -1 \end{bmatrix} H_{y}(i,j) = \begin{bmatrix} -1 & -\sqrt{2} & -1 \\ 0 & 0 & 0 \\ 1 & \sqrt{2} & 1 \end{bmatrix}$ 23 F1 28.08.13

Digital gradient operators

INF 4300

- The gradient of f(x) is $\lim_{h \to 0} \frac{f(x+h) f(x)}{h}$
- The gradient of an image:

$$\nabla f = \left[\frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}\right]$$

The gradient points in the direction of most rapid intensity change

Gradient direction and magnitude

- Horisontal edge component:
 - Compute $g_x(x,y) = H_x * f(x,y)$
 - => Convolve with the horisontal filter kernel H_x
- Vertical edge component:
 - Compute $g_y(x,y) = H_y^*f(x,y)$
 - => Convolve with the vertical filter kernel H_y

The gradient direction is given by:

$$\theta = \tan^{-1} \left(\frac{\partial f}{\partial y} / \frac{\partial f}{\partial x} \right)$$

The edge strength is given by the gradient magnitude

$$\|\nabla f\| = \sqrt{\left(\frac{\partial f}{\partial x}\right)^2 + \left(\frac{\partial f}{\partial y}\right)^2}$$

F1 28.08.13

INF 4300

Edge extraction

- The standard operator is the so called Sobel operator.
- In order to apply Sobel on an image you convolve the two x- and y-direction masks with the image:



Edge extraction

- Several basic edge extraction techniques were taught in INF2310
- In this context edges are both edges in intensity, color and texture
- Edges are important for many reasons:
 - Much of the information in an image is contained in the edges. In many cases semantic objects are delineated by edges
 - We know that biological visual systems are highly dependent on edges

F1 28.08.13

F1 28.08.13

INF 4300

26

• This will give you two images, one representing the horizontal components of the gradient, one representing the vertical component of the gradient.

Edge extraction - Sobel

• Thus using Sobel you can derive both the local gradient magnitude and the gradient direction.



Grayscale image



Horizontal edges 28

27

Edge extraction - Laplace

- Another frequently used technique for edge detection is based on the use of discrete approximations to the *second derivative*.
- The Laplace operator is given by

 $\nabla^2(f(x,y)) = \frac{\partial^2 f}{\partial x^2} + \frac{\partial^2 f}{\partial y^2}$

• This operator changes sign where f(x,y) has an inflection point, it is equal to zero at the exact edge position

 This gives rise to the so called Laplacian-of-Gaussian (LoG) operator.

F1 28.08.13

INF 4300

31

Edge extraction - Laplace

 Approximating second derivatives on images as finite differences gives the following mask







F1 28.08.13

INF 4300

Sinusoids in images

-1

4

-1

-1

0

30

$f(x, y) = 128 + A\cos(\frac{2\pi(ux + vy)}{N} + \phi)$ A - amplitude u - horisontal frequency v - vertical frequency ϕ - phase



A=20, u=0, v=10





A=50, u=10, v=10 A=100

A=100, u=5, v=10 A=100, u=15, v=5

Note: u and v are the number of cycles (horisontally and vertically) in the image

2-D Discrete Fourier transform (DFT)

f(x, y) is a pixel in a *N*×*M* image Definition: $F(u, v) = \frac{1}{MN} \sum_{x=0}^{M-1} \sum_{y=0}^{N-1} f(x, y) e^{-j2\pi(ux/M + vy/N)}$ $e^{j\theta} = \cos\theta + j\sin\theta$

This can also be written:

$$F(u,v) = \frac{1}{MN} \sum_{x=0}^{M-1} \sum_{y=0}^{N-1} f(x,y) \left[\cos(2\pi(ux/M + vy/N)) - j\sin(2\pi(ux/M + vy/N)) \right]$$

Inverse transform:

$$f(x, y) = \sum_{u=0}^{M-1} \sum_{v=0}^{N-1} F(u, v) e^{j2\pi(ux/M + vy/N)}$$

F1 28.08.13

Example – oriented structure



The convolution theorem

 $f(x, y) * h(x, y) \Leftrightarrow F(u, v) \cdot H(u, v)$

Convolution in the image domain \Leftrightarrow

Multiplication in the frequency domain

 $f(x, y) \cdot h(x, y) \Leftrightarrow F(u, v) * H(u, v)$

Multiplication in the image domain ⇔ Convolution in the frequency domain

How do we filter out this effect?



The "ideal" low pass filter



a b c

FIGURE 4.40 (a) Perspective plot of an ideal lowpass-filter transfer function. (b) Filter displayed as an image. (c) Filter radial cross section.

Example - ideal low pass





 $D_0 = 0.3$ $D_0 = 0.2$

Look at these image in high resolution. You should see ringing effects in the two rightmost images.

F1 28.08.13	INF 4300	37	F1 28.08.13	INF 4300	38

What causes the ringing effect?

Ideal lowpass in the image domain



fft of H(u,v) for ideal lowpass for ideal lowpass

has negative coefficients · It has similar profile to a Mexican-hat filter

(Laplace-of-Gaussian)

Note that the filter profile

- The radius of the circle and the number of circles per unit is inversely proportional to the cutoff frequency
 - Low cutoff gives large radius in image domain

Butterworth low pass filter

- Window-functions are used to reduce the ringing effect.
- Butterworth low pass filter of order *n* :

$$H(u, v) = \frac{1}{1 + [D(u, v) / D_0]^{2r}}$$

- D_0 describes the point where H(u, v) has decreased to half of its maximum
 - Low filter order (*n* small): H(u, v) decreases slowly: Little ringing
 - High filter order (*n* large): H(u, v) decreases fast: More ringing
- Other filters can also be used, ٠ e.g.: Gaussian, Bartlett, Blackman, Hamming, Hanning

1D profile

F1 28.08.13

Gaussian lowpass filter High pass filtering $H(u,v)=e^{-D^2(u,v)/2\sigma^2}$ • Simple ("Ideal") high pass filter: $(0, D(u, v) \le D_0,$ $H_{hv}(u,v) =$ H(u, v)H(u, v) $1, D(u, v) > D_0$ 1.0 or0.667 $H_{hn}(u,v)=1-H_{ln}(u,v)$ 20 $D_0 = 40$ • Butterworth high pass filter: $D_0 = 100$ D(u, v) $H_{hpB}(u,v) = \frac{1}{1 + \left[D_0 / D(u,v)\right]^{2n}}$ abc FIGURE 4.47 (a) Perspective plot of a GLPF transfer function. (b) Filter displayed as an image. (c) Filter radial cross sections for various values of Do-• Gaussian high pass filter: $H_{hpG}(u,v) = 1 - e^{-D^2(u,v)/2D_0^2}$ F1 28.08.13 INF 4300 42 INF 4300 41 F1 28.08.13 Ideal, Butterworth and Gaussian Example – Butterworth highpass highpass H(u, v)••••• $D(n, \pi)$ H(u, v)D(u, v)a b c **FIGURE 4.55** Results of highpass filtering the image in Fig. 4.41(a) using a BHPF of order 2 with $D_0 = 30, 60$, and 160, corresponding to the circles in Fig. 4.41(b). These results are much smoother than those obtained with an IHPE. abc def ghi D(u, v)FIGURE 4.52 Top row: Per ection of a typical ideal highpa rdat imane and cross filter, Middl ce for typical Butterworth and Ga a: Th F1 28.08.13 43 INF 4300 44 INF 4300 F1 28.08.13

Bandpass and bandstop filters

- Bandpass filter: Keeps only the energy in a given frequency band <D_{low}, D_{high}> (or <D₀-W/2, D₀+ W/2>)
- W is the width of the band
- D₀ is its radial center.
- Bandstop filter: Removes all energy in a given frequency band < D_{low}, D_{high}>

Bandstop/bandreject filters



An example of bandstop filtering

INF 4300



FIGURE 5.16

(a) Image corrupted by sinusoidal noise.
(b) Spectrum of (a).
(c) Butterworth bandreject filter (white represents 1).
(d) Result of filtering.
(Original image courtesy of NASA.)

F1 28.08.13



Bandpass filters

• Are defined by $H_{bp}(u,v) = 1 - H_{bs}(u,v)$



Original

Result after bandpass filtering

Segmentation and thresholding

31415926 Segmentation - Function that labels each pixel in input 95028841 image with a group label 15923078- Usually "foreground" and "background" Each group shares some common properties Similar color · Similar texture 31415926• Surrounded by the same edge Thresholding 950288419 - One way of segmentation is by defining 459230781a threshold on pixel intensity 53421170cF1 28.08.13 INF 4300

65 19 81





Remember, regions that have semantic importance do not always have any particular visual distinction.

F1 28.08.13

INF 4300

50

Segmentation and thresholding

- The only segmentation method taught in INF2310 was thresholding.
- Thresholding is a transformation of the input image *f* to an output (segmented) image *g* as follows:

 $g(i,j) = \begin{cases} 1, & f(i,j) \ge T \\ 0, & f(i,j) < T \end{cases}$

• Many variants of the basic definition ...

Segmentation and thresholding

- This seemingly simple method must be used with care:
 - How do you select the threshold, manually or automatically?
 - Do you set a threshold that is global or local (on a sliding window or blockwise)?
 - Purely local method, no contextual considerations are taken
- · Automatic threshold selection will be covered later
 - Otsu's method
 - Ridler-Calvard's method
- · Local thresholding methods will also be covered
 - Local applications of Otsu and Ridler-Calvard
 - Niblack's method

Segmentation and thresholding

• Remember that you normally make an error performing a segmentation using thresholding:



Segmentation and thresholding

- Assume that the histogram is the sum of two distributions *b(z)* and *f(z)*, *b* and *f* are the normalized background and foreground distributions respectively, and *z* is the gray level.
- Let *B* and *F* be the prior probabilities for the background and foreground (*B*+*F*=1).
- In this case the histogram can be written p(z)=Bb(z)+Ff(z).



Segmentation and thresholding

• The total thresholding error will be:

$$E(t) = F \int_{-\infty}^{t} f(z)dz + B \int_{t}^{\infty} b(z)dz$$

• Using Leibnitz's rule for derivation of integrals and by setting the derivative equal to zero you can find the optimal value for *t* :

$$\frac{E(t)}{dt} = 0 \Rightarrow Ff(T) = Bb(T)$$

Segmentation and thresholding

$$\frac{E(t)}{dt} = 0 \Rightarrow Ff(T) = Bb(T)$$

- This is a general solution.
- Does not depend on the type of distribution.
- In the case of *f* and *b* being Gaussian distributions, it is possible to solve the above equation explicitly.

Segmer	ntation and thresh	olding		Exercise & next lecture				
 In INF2310 we be (Ridler-Calvard a for determining second region). Region- and edge in detail in the II 	 In INF2310 we briefly introduced two methods (Ridler-Calvard and Otsu) for determining segmentation thresholds automatically. Region- and edge-based methods will be covered in detail in the INF4300 lectures. 				ical use of Matlab, see web p eatures from images – Textu	bage. Jre.		
F1 28.08.13	INF 4300	57		F1 28.08.13	INF 4300	58		