

Oblig 1 suggested solution with some comments

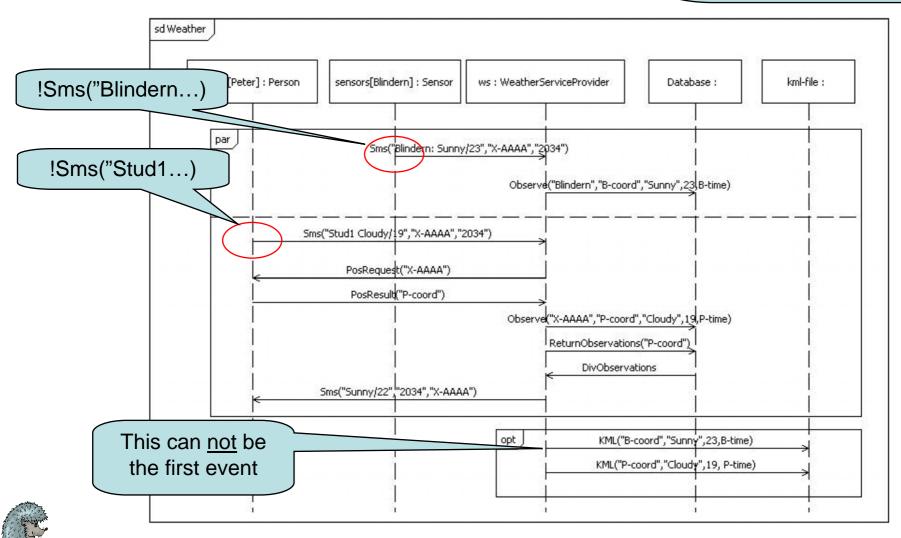
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a) I First events

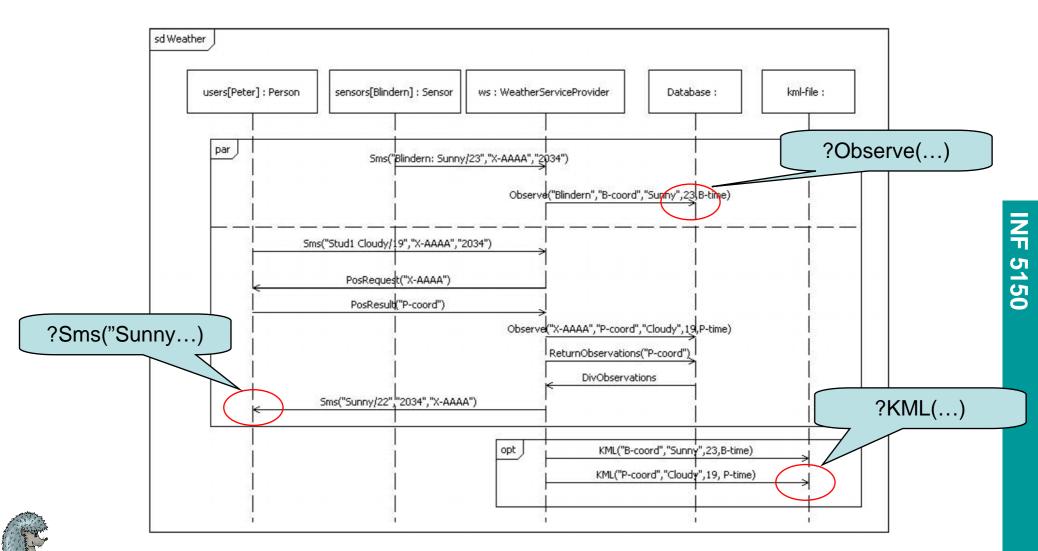
Remember to distinguish between send- and receiveevents. Use ! and ?



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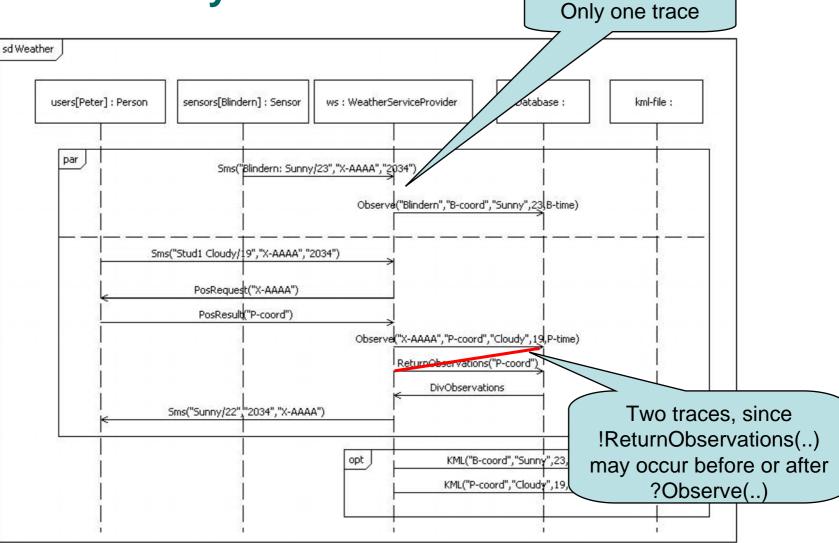


a) II Last events









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b) III+IV

- III: How many negative traces?
 - None, since we have not used any of the operands that define negative behavior: neg/veto, refuse, assert, guard
- IV: How many inconclusive traces?
 - Infinitely many, because
 - Inconclusive = $\mathcal{H} \setminus (p \cup n)$
 - The number of traces in $\mathcal H \text{is infinite}$
 - This would in fact hold even if we had only one event e, since we would then have ={<>,<e>,<ee>,...}
 - $p \cup n$ contains only a finite number of traces (n is in fact empty)





c) Refinement

- "Pure" supplementing: Do supplementing without doing anything else
- "Pure" narrowing: Do narrowing without doing anything else
- The original specification contains only one interaction obligation (there is no xalt)
- The task is best solved by doing supplementing/narrowing of this single interaction obligation
 - Do not introduce xalt in order to do supplementing!
 - (If you do this, you need to ensure that <u>all</u> the new interaction obligations are pure supplementings of the original)

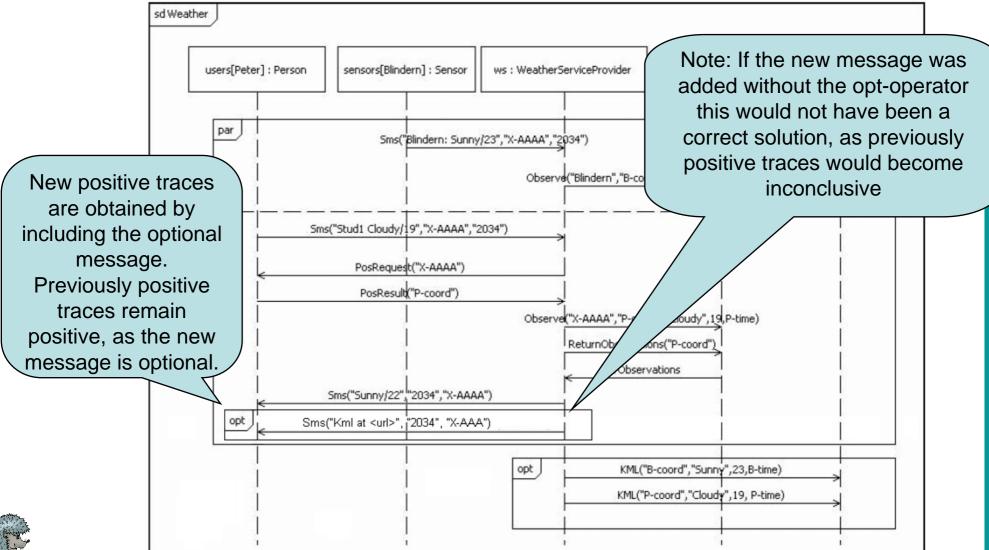




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c) I Pure supplementing (the solution of a student)

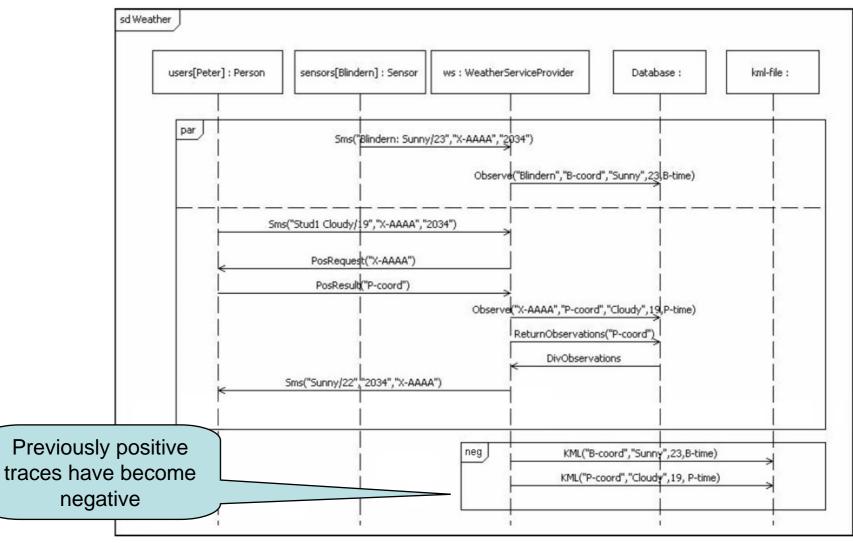


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c) II Pure narrowing





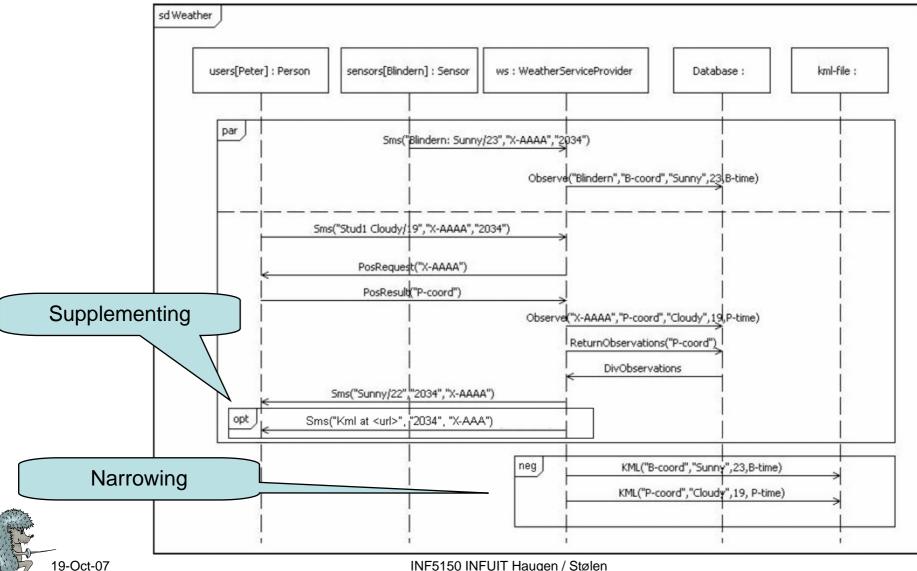
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Some comments on opt and neg

- There is no point in enclosing (neg ...) directly in opt, since [[opt (neg d)]]=[[neg d]]
 - Example: Let [[d]]={ (p,n) }
 - [[opt (neg d)]] = [[skip alt (neg d)]] = [[skip]] ⊎ [[neg d]] = { ({<>},∅) } ⊎ { ({<>},p∪n) } = { ({<>},p∪n) } = [[neg d]]
- Enclosing (opt ...) directly in neg means that the empty trace becomes both positive and negative
 - <> is positive in the interaction obligation(s) of [[opt d]]. It is therefore
 made negative (as well as positive) by the neg operator
 - [[opt d]] = [[skip alt d]] = { ($\{ <> \} \cup p, n$) }
 - [[neg (opt d)]] = { ({<>}, {<>} $\cup p \cup n$) }



c) III Supplementing and narrowing





d) I General refinement

General refinement holds for certain, as we know that the only interaction obligation in [[*d*]] is refined by at least one interaction obligation in [[*d'*]]

(which in this case is identical to the abstract interaction obligation)

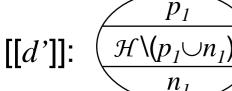
 p_3

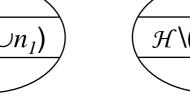
 $\mathcal{H}(p_3 \cup n_3)$

 n_{3}



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 p_1

 $\mathcal{H}(p_1 \cup n_1)$

 n_{1}

