

FYS3500

Relativistic Heavy Ion Collisions and Quark Gluon Plasma

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Larissa.bravina@fys.uio.no

- Forces of Strong Interactions
- Quantum Chromodynamics
- Phase transitions from Deconfined Matter to Hadrons
- Signatures of Quark Gluon Plasma
- Discoveries and Opened Questions

FOR READING:

- Yagi, Hatsuda, Miake, Quark-Gluon Plasma, Cambridge University Press, 2005 Ch. 1, 14 (15,16) in http://folk.uio.no/larissa/nuclphys/QGP_book/QGP_Yagi.pdf

What is the world made of?
What holds the world together?
Where did we come from?

Primitive Thinker



Courtesy: Y.K. Kim

Content

- *QCD, asymptotic freedom and quark – hadron phase transition*
- *Super-colliders – tools to study Big Bang in the laboratory?*
- *Lattice QCD – another tool to study partonic matter at extreme conditions*
- *Semi-phenomenological models for heavy ion collisions*
- *Modern interpretation of the experimental data*
- *Summary and perspectives*

2004 Nobel Prize in Physics for asymptotic freedom theory



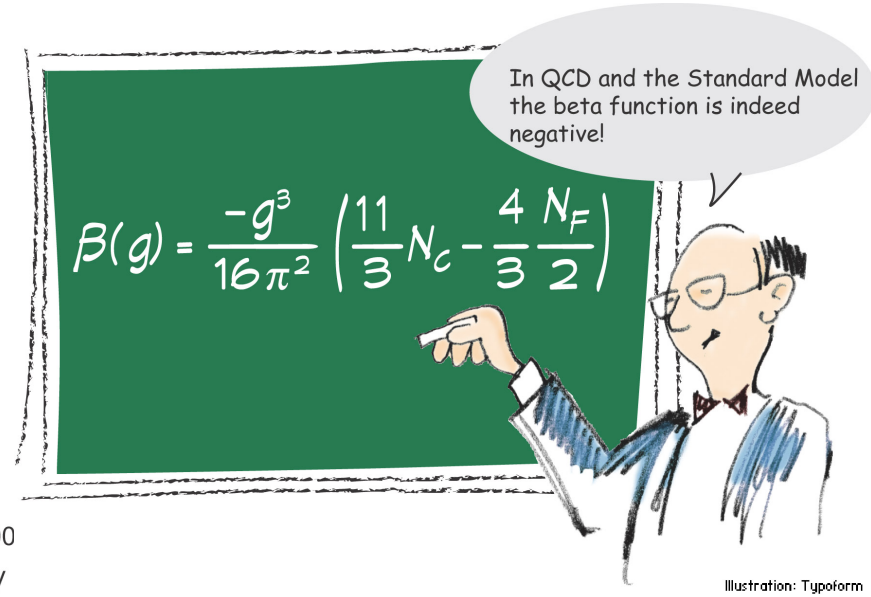
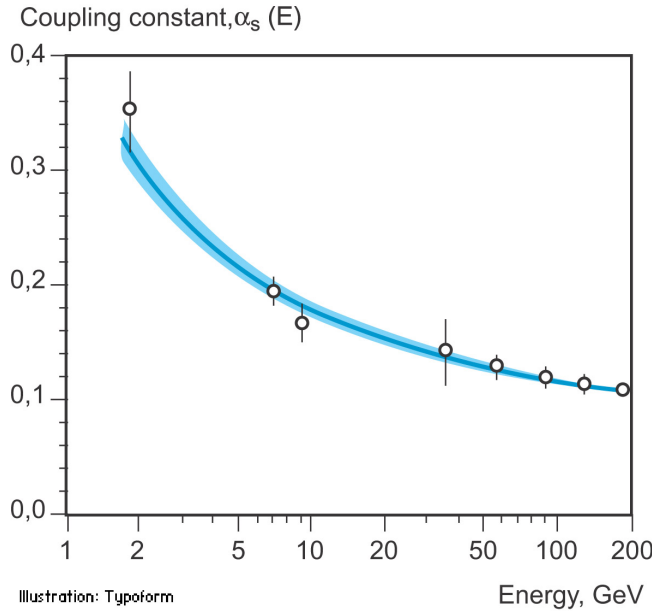
• David Gross



• David Politzer



• Frank Wilczek



Reliable Perturbative Results for Strong Interactions?*

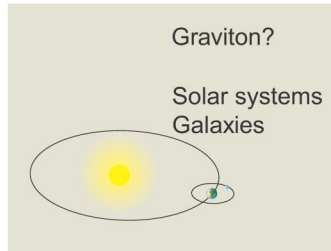
H. David Politzer

Jefferson Physical Laboratories, Harvard University, Cambridge, Massachusetts 02138
(Received 3 May 1973)

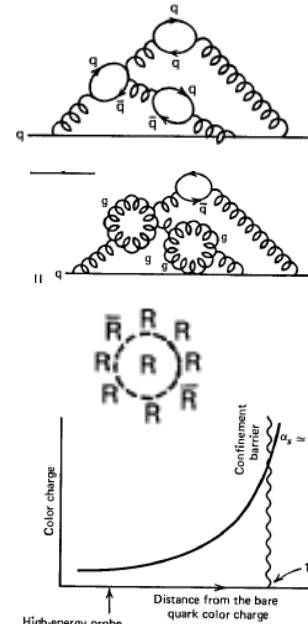
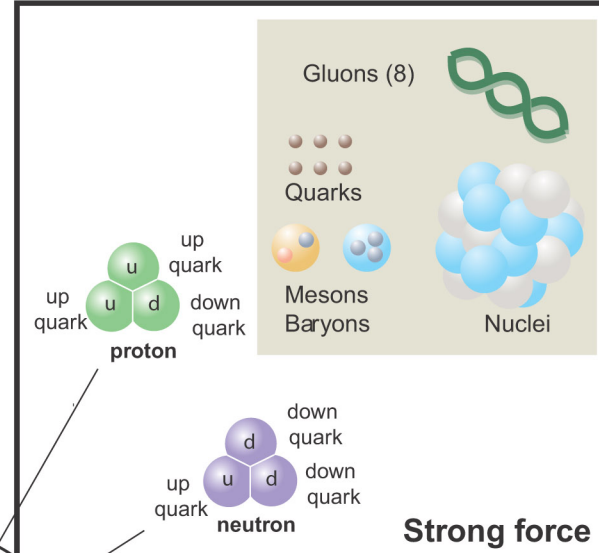
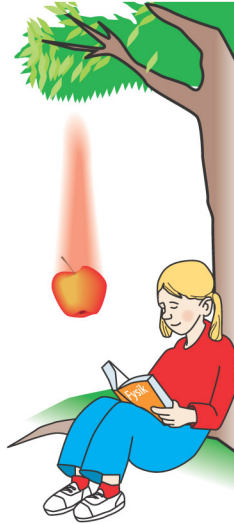
An explicit calculation shows perturbation theory to be arbitrarily good for the deep Euclidean Green's functions of any Yang-Mills theory and of many Yang-Mills theories with fermions. Under the hypothesis that spontaneous symmetry breakdown is of dynamical origin, these symmetric Green's functions are the asymptotic forms of the physical significant spontaneously broken solution, whose coupling could be strong.

Standard Model and the four forces of nature

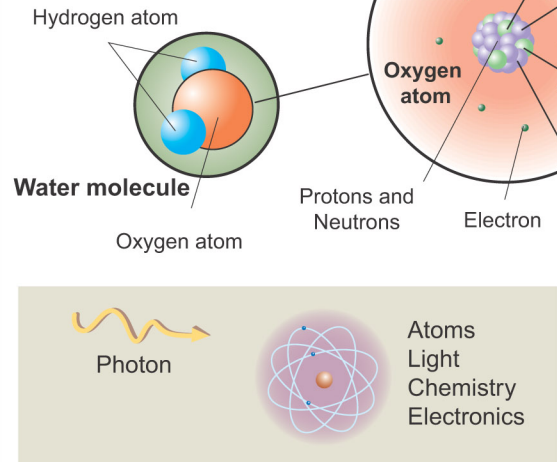
Illustration: Typoform



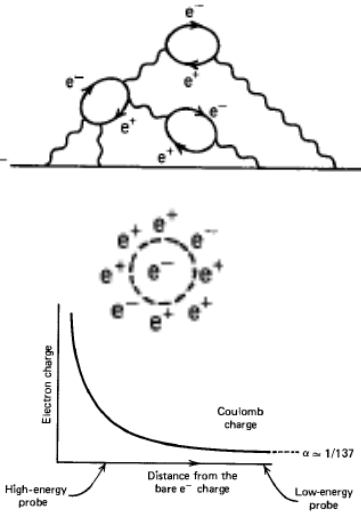
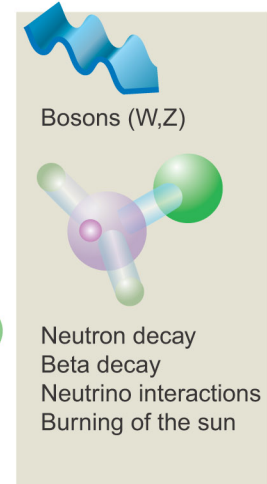
Gravity Force



Electromagnetic force



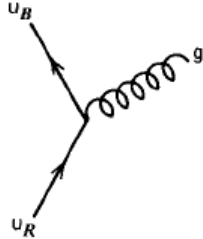
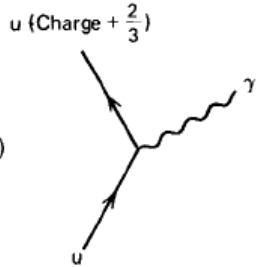

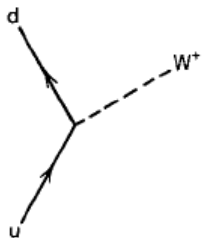
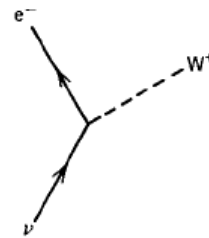
Weak force



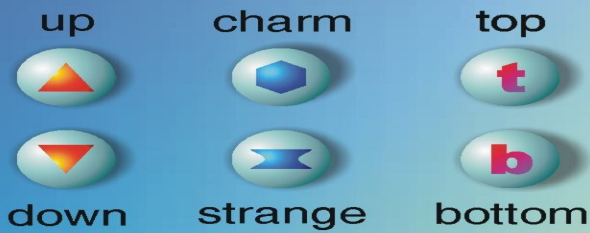
Typical Range of Interactions

Interaction	Range	Typical Lifetime (sec)	Typical Cross Section (mb)	Typical Coupling α_i
Strong	$1 F \approx \frac{1}{m_\pi}$ Color confinement range ^a	10^{-23} e.g., $\Delta \rightarrow p\pi$	10 e.g., $\pi p \rightarrow \pi p$	1
Electromagnetic	∞	$10^{-20} \sim 10^{-16}$ e.g., $\pi^0 \rightarrow \gamma\gamma$ $\Sigma \rightarrow \Lambda\gamma$	10^{-3} e.g., $\gamma p \rightarrow p\pi^0$	10^{-2}
Weak	$\frac{1}{M_W}$ with $M_W \approx 100 m_p$	10^{-12} or longer e.g., $\Sigma^- \rightarrow n\pi^-$ $\pi^- \rightarrow \mu^- \bar{\nu}$	10^{-11} e.g., $\nu p \rightarrow \nu p$ $\nu p \rightarrow \mu^- p \pi^+$	10^{-6}

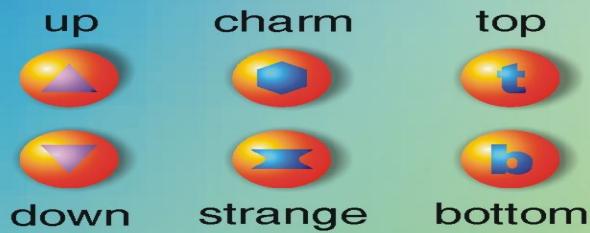
Typical Diagrams of Interactions

Interaction	Charge	Quarks	Leptons
Strong	Color		-
Electromagnetic	Electric charge (e)		
Weak	Weak charge (g), giving $u \rightarrow d$ or $\nu \rightarrow e^-$ flavor- changing transitions		

Quarks



Antiquarks



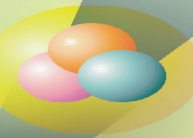
Future ?

Time

2000

Quarks

10^{-18}



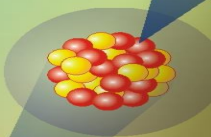
Nucleon

10^{-15}



Nucleus

10^{-14}



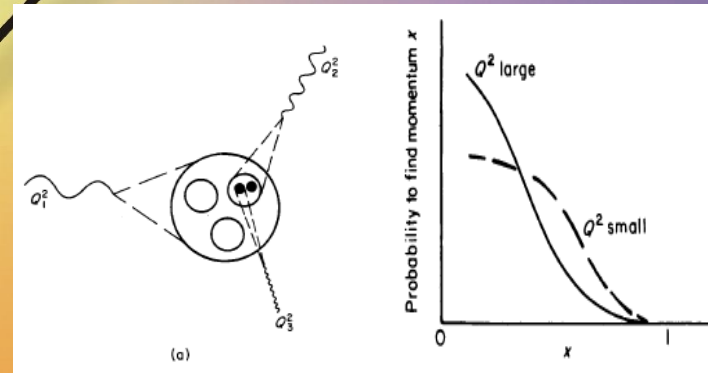
Atom

1910

10^{-10}
Metres



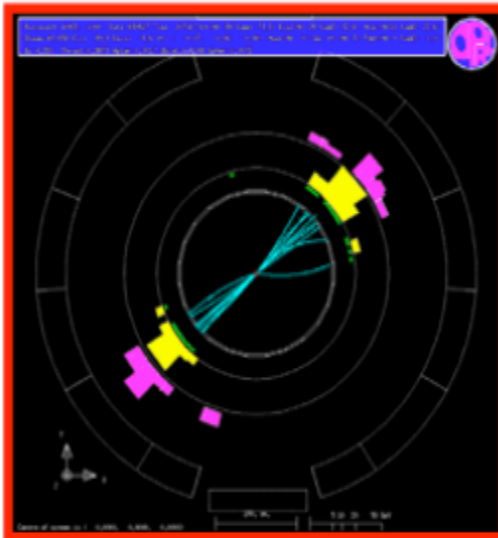
e + A scattering:



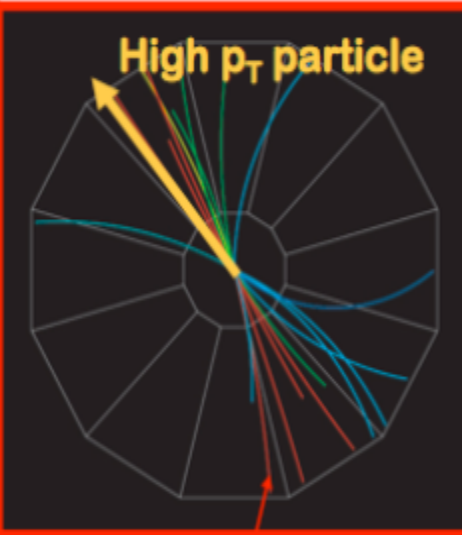
$$\lambda_B = h/p$$

High Energy Experiments classification

$e^+ + e^-$	most elementary/clean e.g. LEP luminosity issues, QED
$e^- + p, A$	Deep Inelastic Scattering (DIS), virtual γ^*+q , PDF, FF, e.g. HERA
$p + p, \bar{p}$	QCD, α_{QCD} , easier to get luminosity, “color transparency” or stopping, only a fraction of \sqrt{s} available to the coll. dynamics.
$A+A, p$	HI, cold and hot, more efficient than $p+p$, less clean/more challenging, unique physics

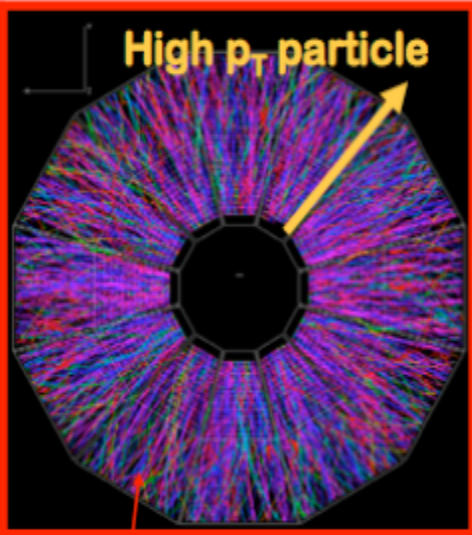


$e^+ + e^- \rightarrow \text{jet} + \text{jet}$



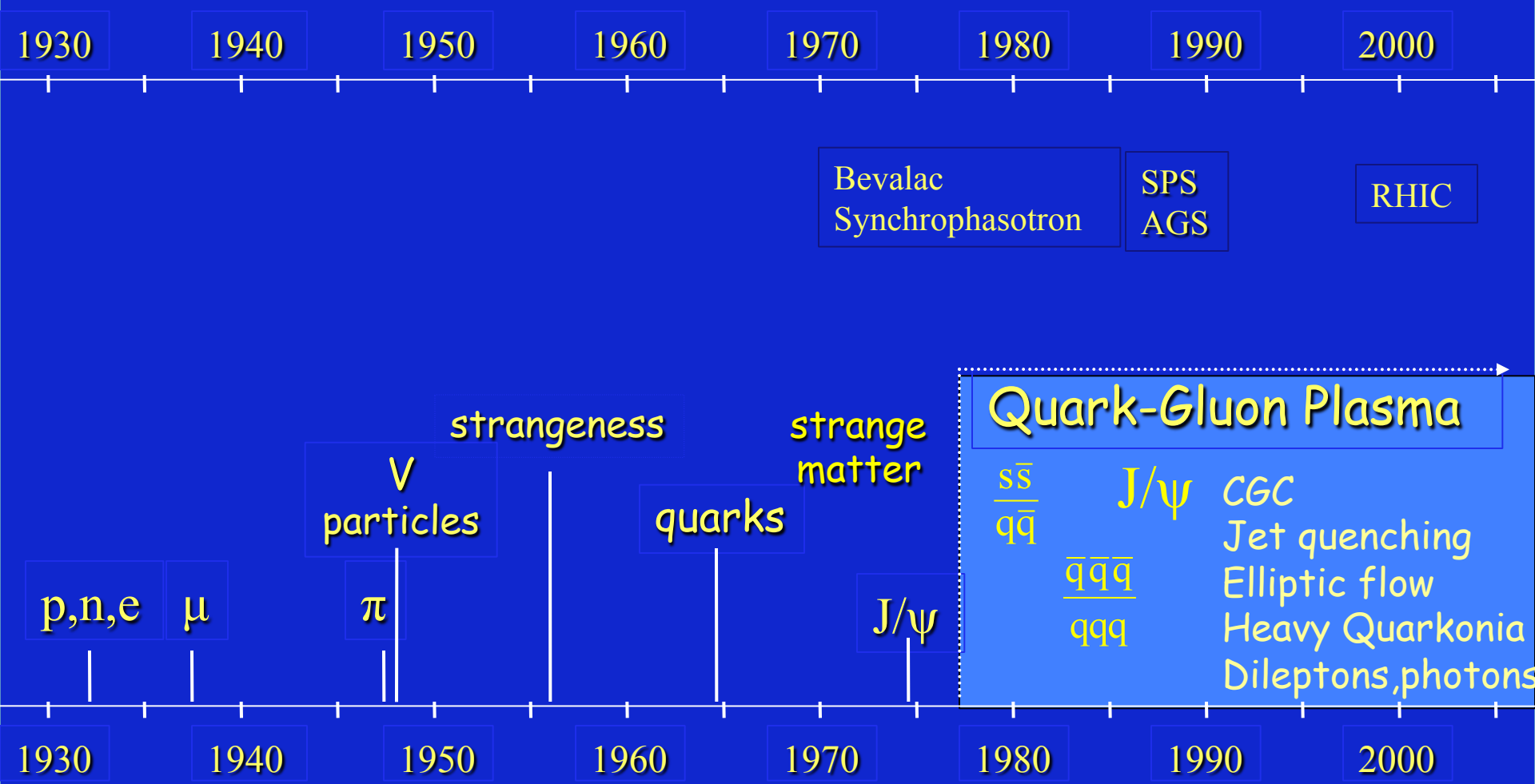
$p + p \rightarrow \text{jet} + \text{jet}$

measure these...



$\text{Au} + \text{Au} \rightarrow \text{stuff} + \text{jet} + \text{jet}$

here?!

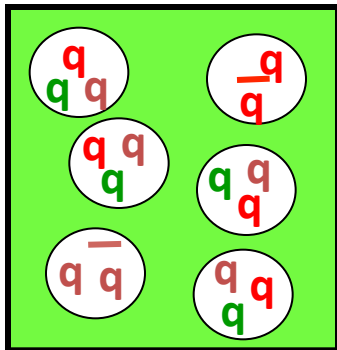
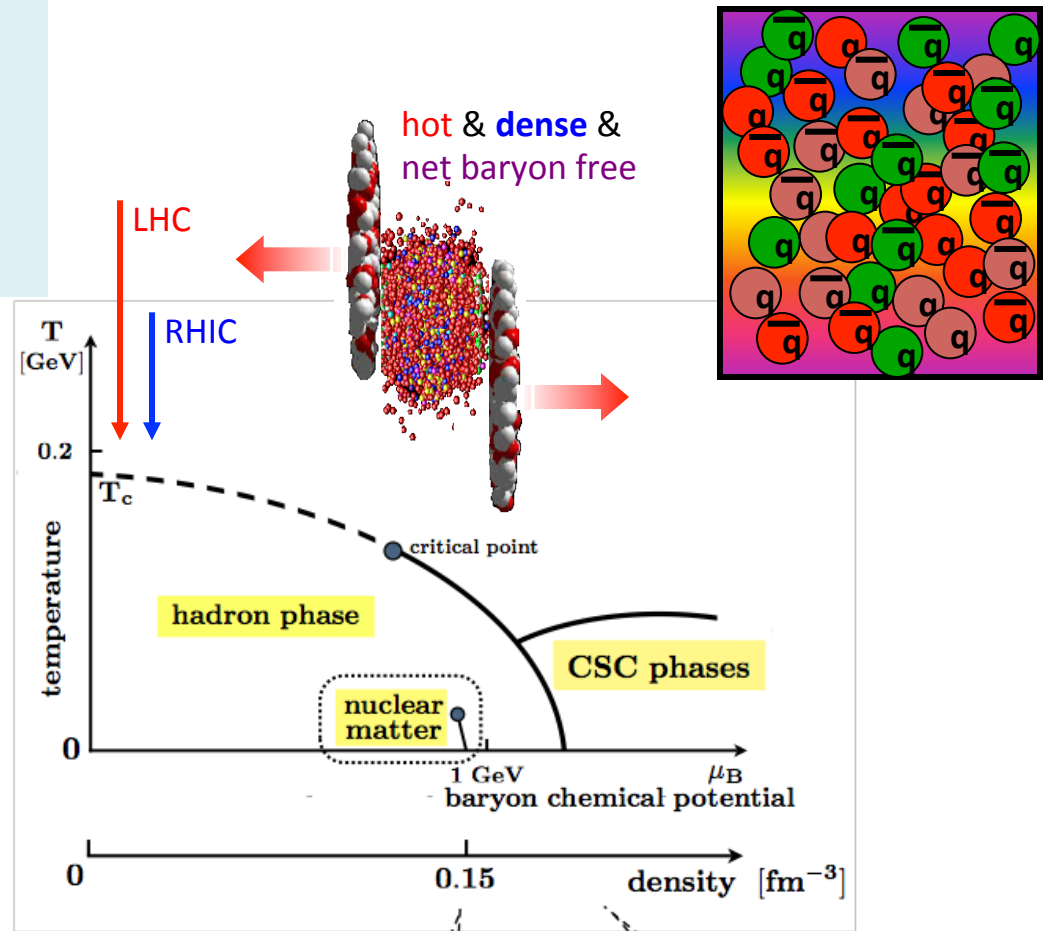


Heavy Ion Physics

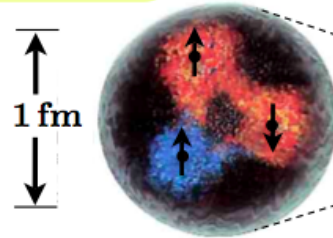
1980-2004 old paradigm

Exploring Phases and Structures of QCD phase diagram

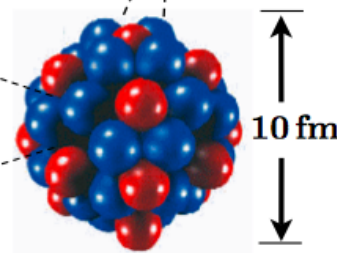
- High temperature T
- High density ϵ
- Many-body aspects QCD
- Vacuum properties



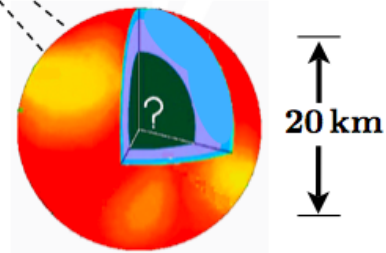
nucleon



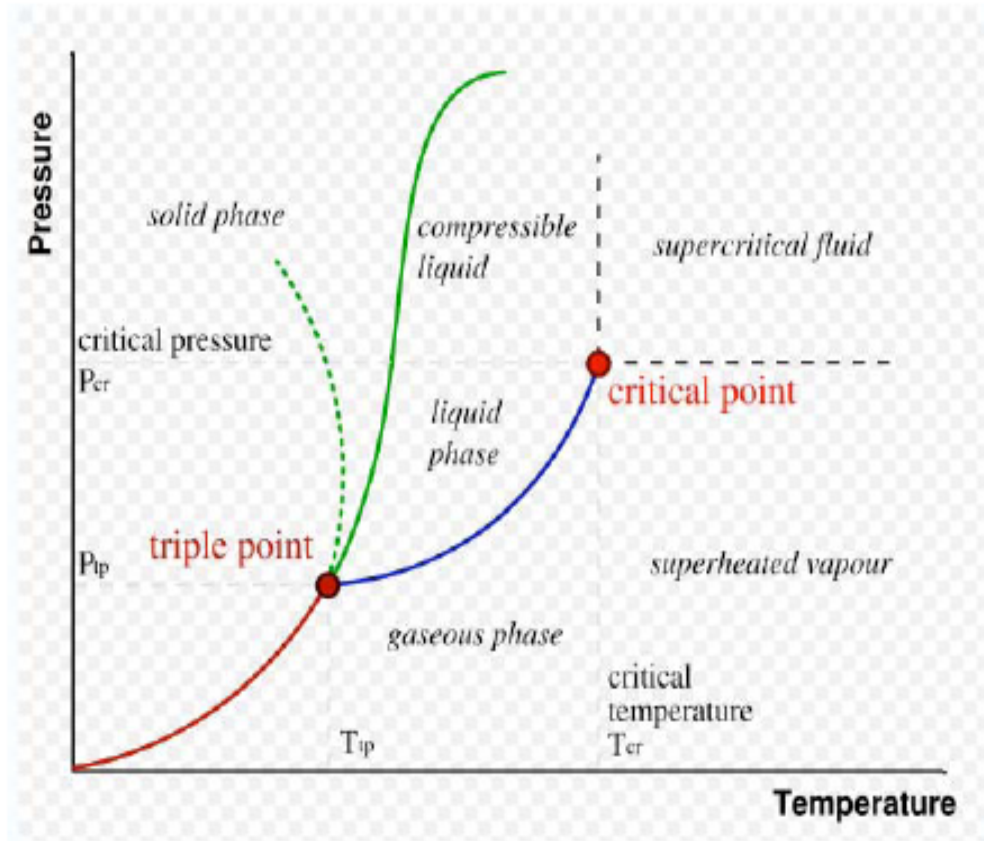
nuclei



neutron stars



Critical temperature CEP etc.

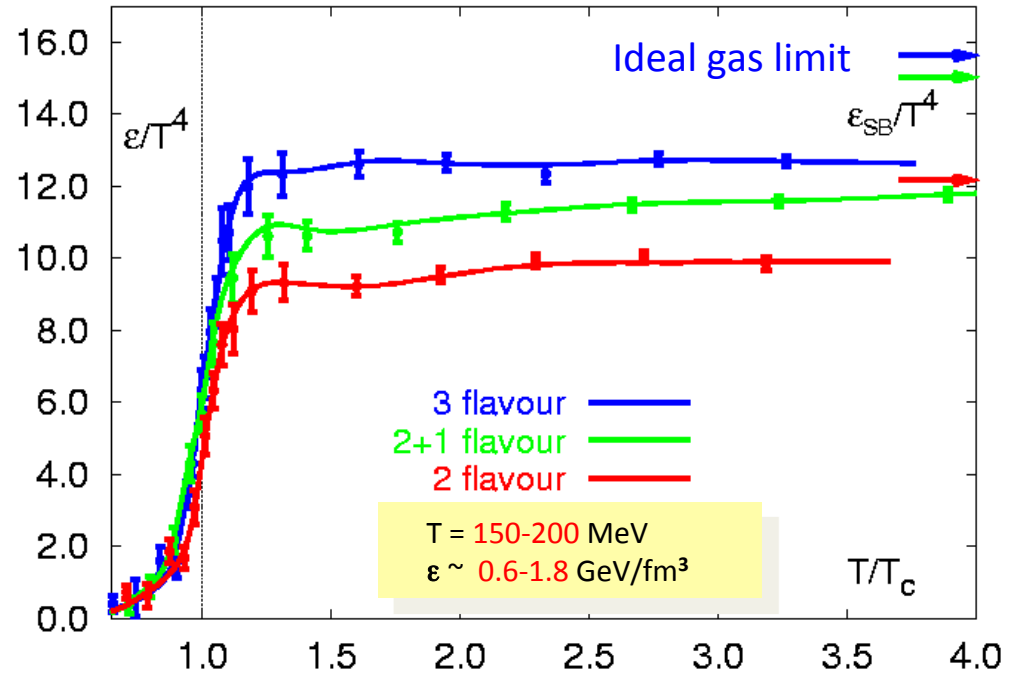
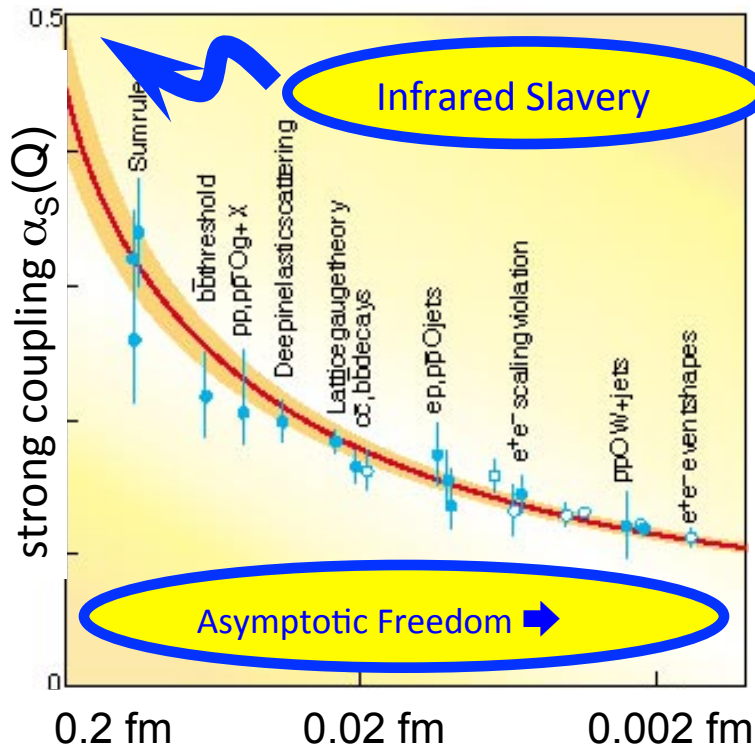


The **critical temperature**, T_c , of a material is the [temperature](#) above which distinct [liquid](#) and [gas phases](#) do not exist. As the critical temperature is approached, the properties of the gas and liquid phases become the same resulting in only one phase: the [supercritical fluid](#). Above the critical temperature a liquid cannot be formed by an increase in [pressure](#), but with enough pressure a solid may be formed. The **critical pressure** is the [vapor pressure](#) at the critical temperature. On the diagram showing the [thermodynamic](#) properties for a given substance, the point at critical temperature and critical pressure is called the [critical point](#) of the substance. The critical [molar volume](#) is the volume of one mole of material at the critical temperature and pressure.

For pure substances, there is an [inflection point](#) in the critical [isotherm](#) on a PV diagram. This means that at the critical point:

$$\left(\frac{\partial P}{\partial V}\right)_T = \left(\frac{\partial^2 P}{\partial V^2}\right)_T = 0$$

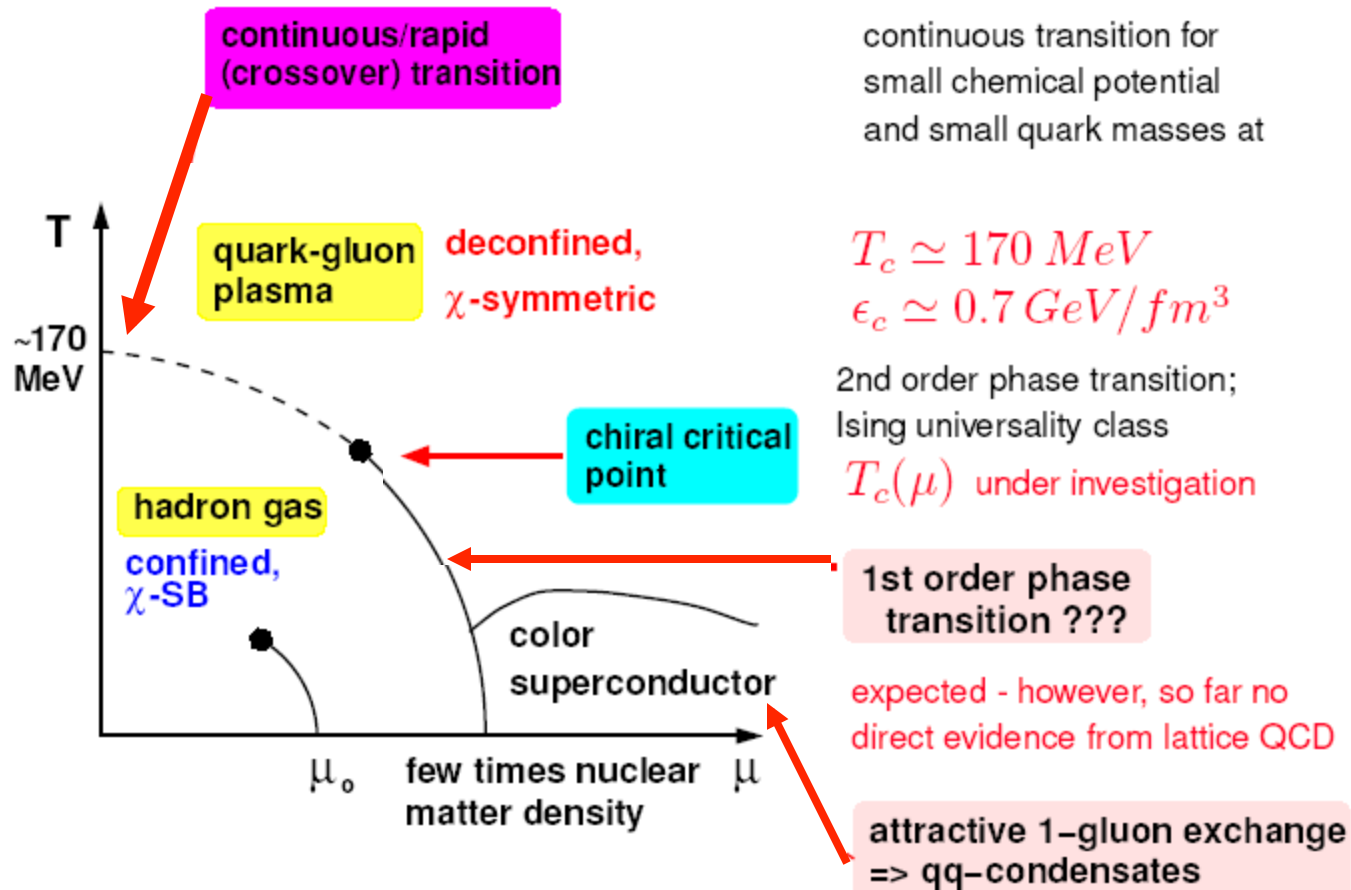
Phase transition in Heavy Ion collisions



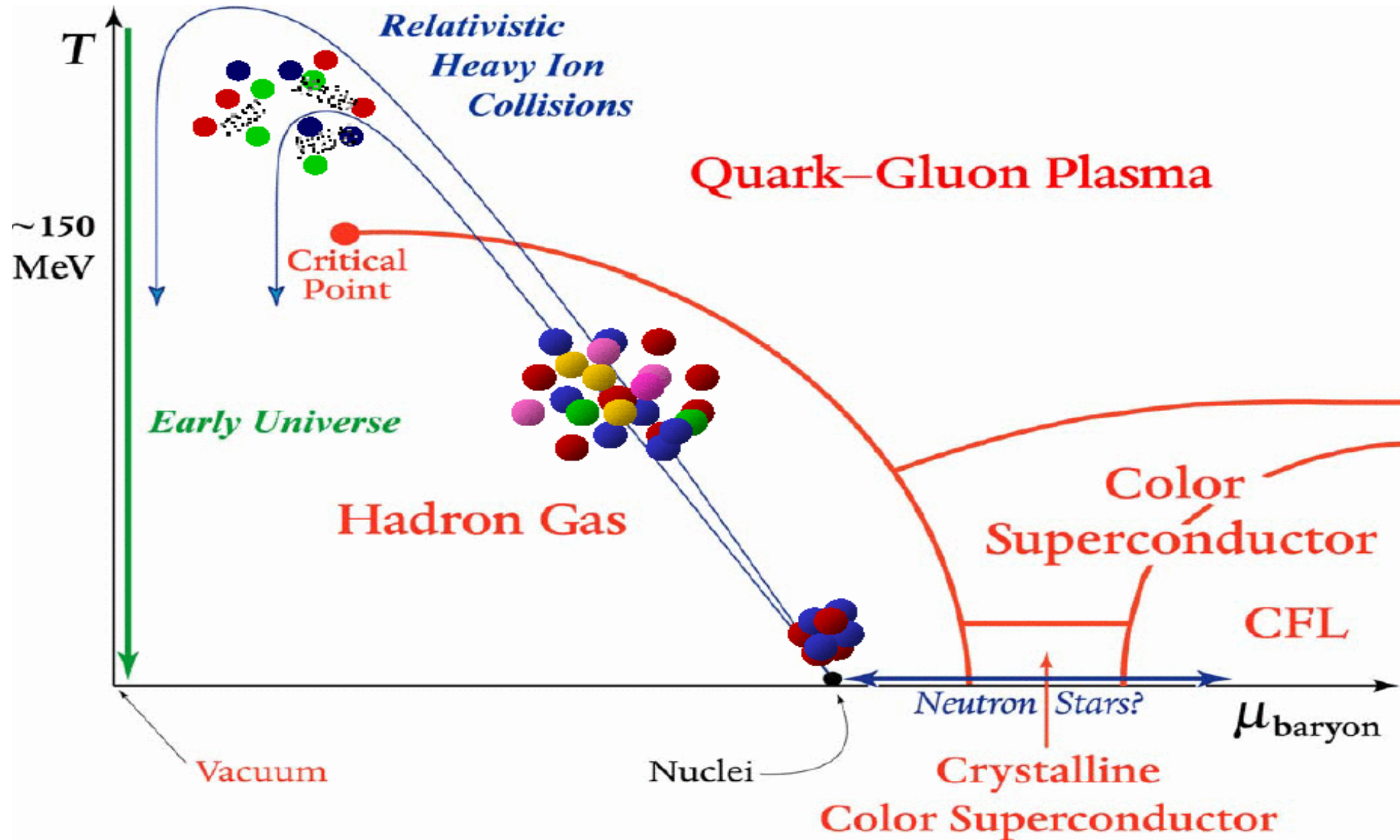
Lattice QCD, *Lect. Notes Phys* **583**, 209 (2002)

- T.D.Lee** (1974) Temporarily restored broken symmetries of the **physical vacuum**
- Collins, Perry** (1975) Asymptotic freedom in QCD → deconfined quarks/gluons matter
- E.V. Shuryak** (1978) Invented **Q**uark **G**luon **P**lasma → target of HI community

Critical behavior in hot and dense matter: QCD phase diagram



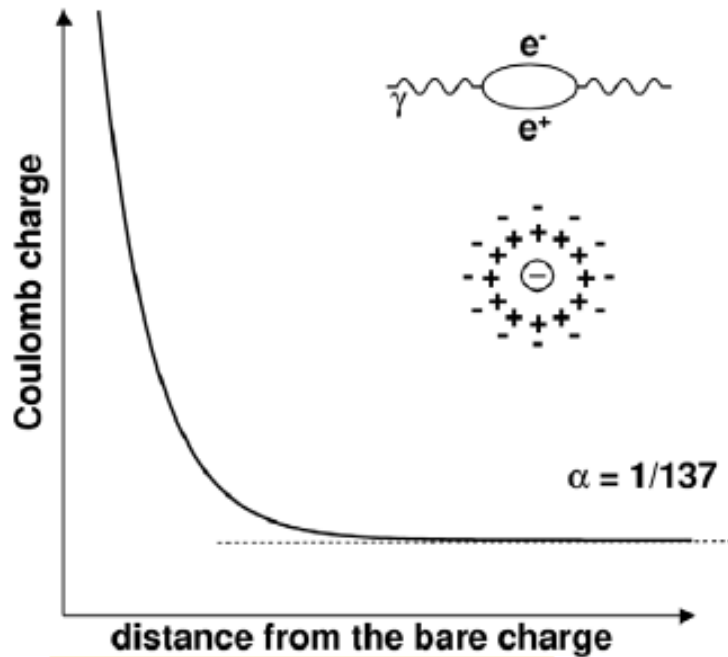
Present status of the Equation of State



Collider era – quantum field theory

Local gage invariance → two “identical” theories

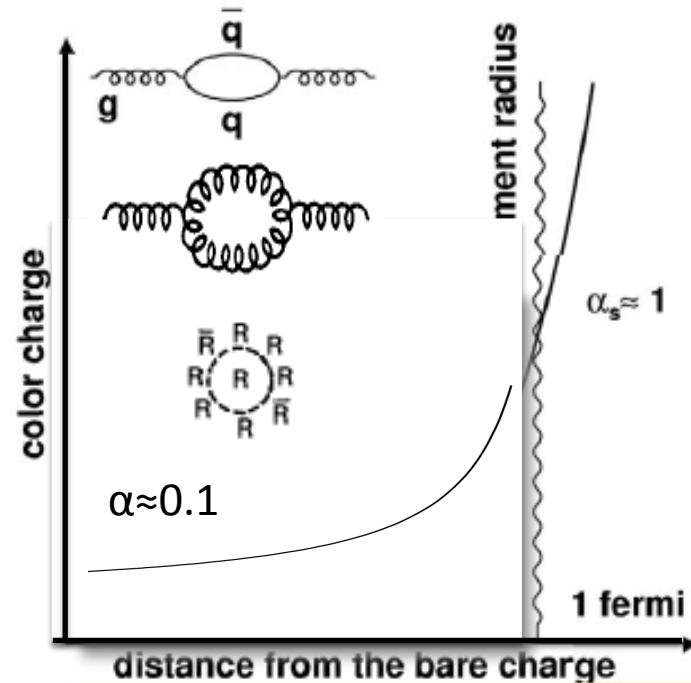
Electroweak interaction **QED**



$$\alpha(Q^2) = \frac{\alpha(\mu^2)}{1 - \frac{\alpha(\mu^2)}{3\pi} \log\left(\frac{Q^2}{\mu^2}\right)}$$

Landau's **zero charge problem**
–vacuum rearrangement ?

Strong interaction **QCD**



$$\alpha_s(Q^2) = \frac{\alpha_s(\mu^2)}{1 + \frac{\alpha_s(\mu^2)}{12\pi} (33 - 2n_f) \log\left(\frac{Q^2}{\mu^2}\right)}$$

Heavy ion coll. - **QGP problem**
–vacuum rearrangement ?

Quantum Chromodynamics (QCD)

Fields:

$\psi_i^f(x)$ Quark fields, Dirac fermions (like e^-)
 Color triplet: $i = 1, 2, 3 = N_C$
 Flavor: $f = u, d, s, c, b, t$

$A_{\mu,a}(x)$ Gluon fields, spin-1 vector field (like γ)
 Color octet: $a = 1, 2, \dots, 8 = N_C^2 - 1$

Lagrangian density:

$$L_{QCD}(\psi, A) = \sum_f \bar{\psi}_i^f \left[(i\partial_\mu - gA_{\mu,a}(t_a))_{ij} \gamma^\mu - m_f \right] \psi_i^f$$

$$- \frac{1}{4} \left[\partial_\mu A_{\nu,a} - \partial_\nu A_{\mu,a} - gC_{abc} A_{\mu,b} A_{\nu,c} \right]^2$$

+ gauge fixing + ghost terms

$$[t_a, t_b] = iC_{abc} t_c$$

Color matrix:

Gauge invariance:

$$\psi_i \rightarrow \psi'_j = U_{ji}(x) \psi_i$$

$$A_\mu \rightarrow A'_\mu = U(x) A_\mu U^{-1}(x) + \frac{i}{g} [\partial_\mu U(x)] U^{-1}(x)$$

where $A_\mu = A_{\mu,a} t_a$

Perturbative QCD

- Physical quantities can't depend on the renormalization scale - μ :

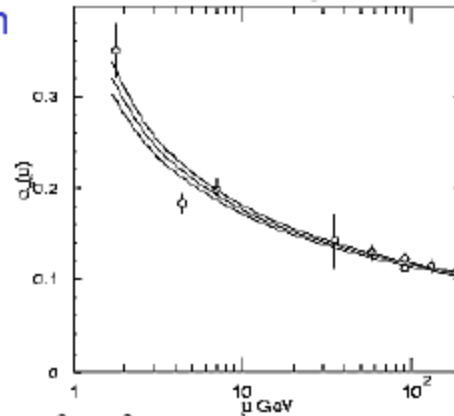
$$\mu^2 \frac{d}{d\mu^2} \sigma_{\text{phy}} \left(\frac{Q^2}{\mu^2}, g(\mu), \mu \right) = 0$$

$$\implies \sigma_{\text{phy}}(Q^2) = \sum_n \sigma^{(n)}(Q^2, \mu^2) \left(\frac{\alpha_s(\mu)}{2\pi} \right)^n$$

- Asymptotic freedom

$$\alpha_s(\mu) = \frac{g^2(\mu)}{4\pi} \propto \frac{1}{\ln(\mu^2 / \Lambda_{\text{QCD}}^2)}$$

Can we choose μ^2 as large as we want?



No!

$$\sigma^{(n)}(Q^2, \mu^2) \propto \ln(Q^2 / \mu^2) + \dots$$

$$\implies \mu^2 \sim Q^2$$

Larger Q^2 , larger effective μ^2 , smaller $\alpha_s(\mu)$



Perturbative QCD works better for physical quantities with a large momentum exchange

Levels of the nuclear world

- Nuclei

a large variety ($Z=1-118$, $A=2-294$), sizes: $\sim 10^{-14}$ m

nucleons are bound by about 1% of their mass ($m_p \approx m_n = 1.7 \times 10^{-27}$ kg)

- Hadrons

baryons (p,n,...), mesons (π , K, ...), sizes: 10^{-15} m

- Quarks

6 flavours (light: u,d; “intermediate”: s; heavy: c,b; “super-heavy”: t)

each in 3 “colours” (to build colourless hadrons: qqq , \overline{qqq} , $q\bar{q}$, ...)

sizes: point-like ($< 10^{-19}$ m)

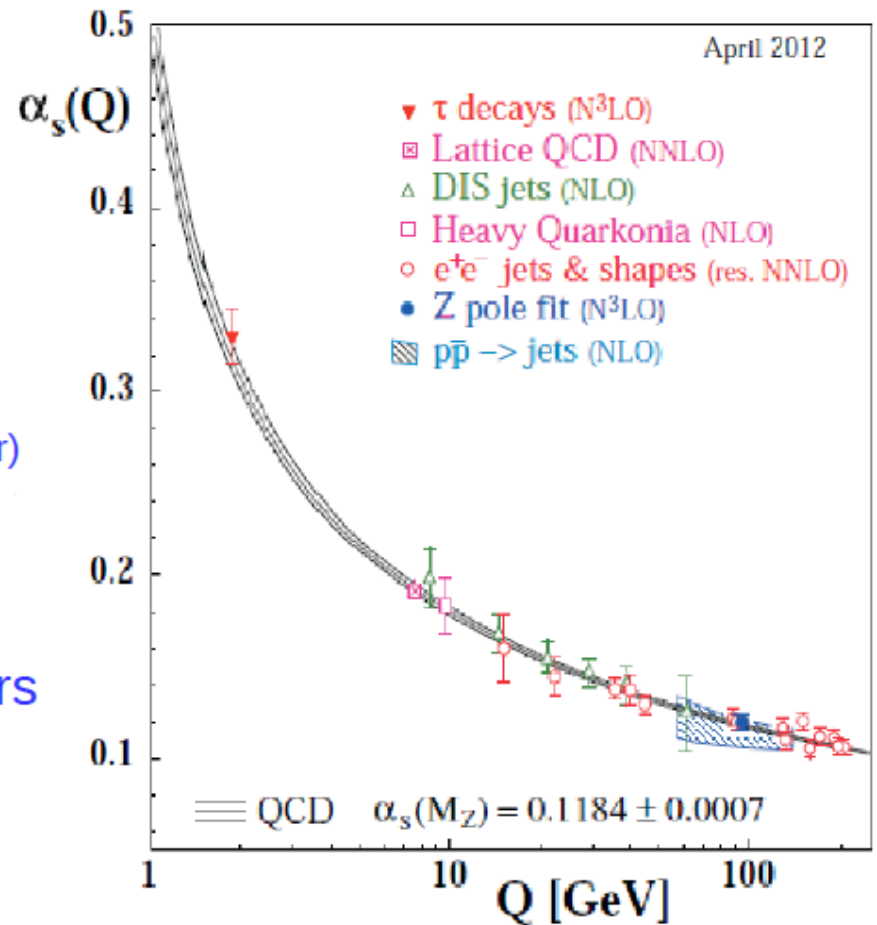
- ... all governed by the strong interaction

- Gravitation is negligible

- (electro)weak interactions act only indirectly (decays, final state interactions)

Quantum Chromo-Dynamics (QCD)

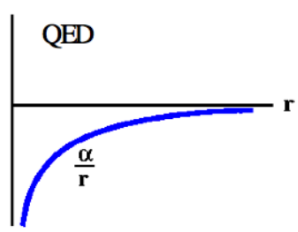
- 6 quarks, 3 colours (RGB) and 8 gluons (coloured!)
- ...difficult to calculate
 - No analytical solutions (except 1+1)
- **High Q**: asymptotic freedom
Physics Nobel prize 2004 (Wilczek, Gross, Politzer)
- Typically solvable using perturbative theory
- Tested extensively at modern colliders



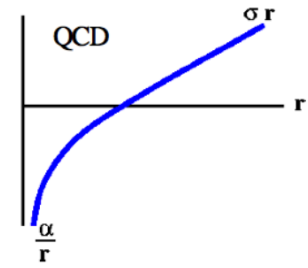
S.Bethke, arXiv:1210.0325

Quantum Chromo-Dynamics (QCD)

- 6 quarks, 3 colours (RGB) and 8 gluons (coloured!)
 - ...difficult to calculate
 - No analytical solutions (except 1+1)
 - **Low Q:** confinement / chiral symmetry breaking
- Physics Nobel Prize 2008 (Y.Nambu)
- Non-perturbative, largely unknown
 - One of the millenium problems
 - Most of the visible matter in the Universe

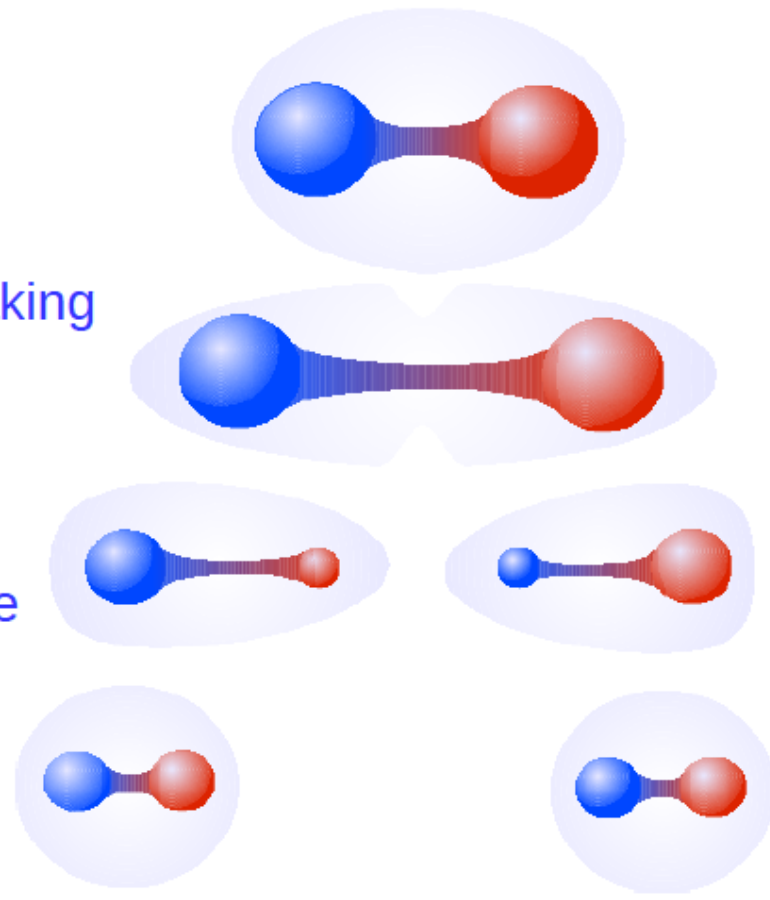


$$V(r) \propto \frac{\alpha}{r}$$

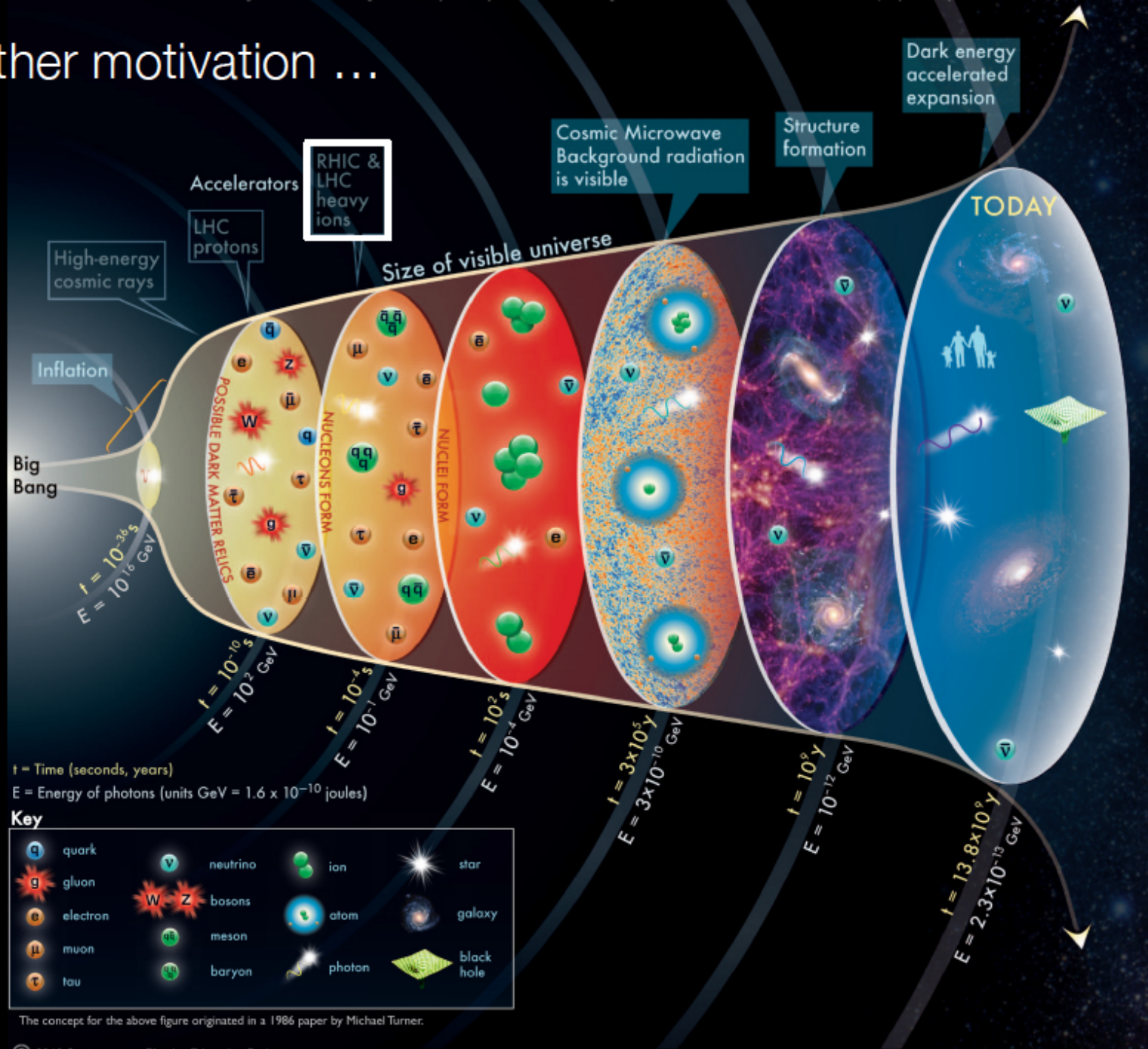


$$V(r) = -\frac{4\alpha_s(r)}{3r} + kr$$

Linear term associated with confinement, expected to disappear in the QGP

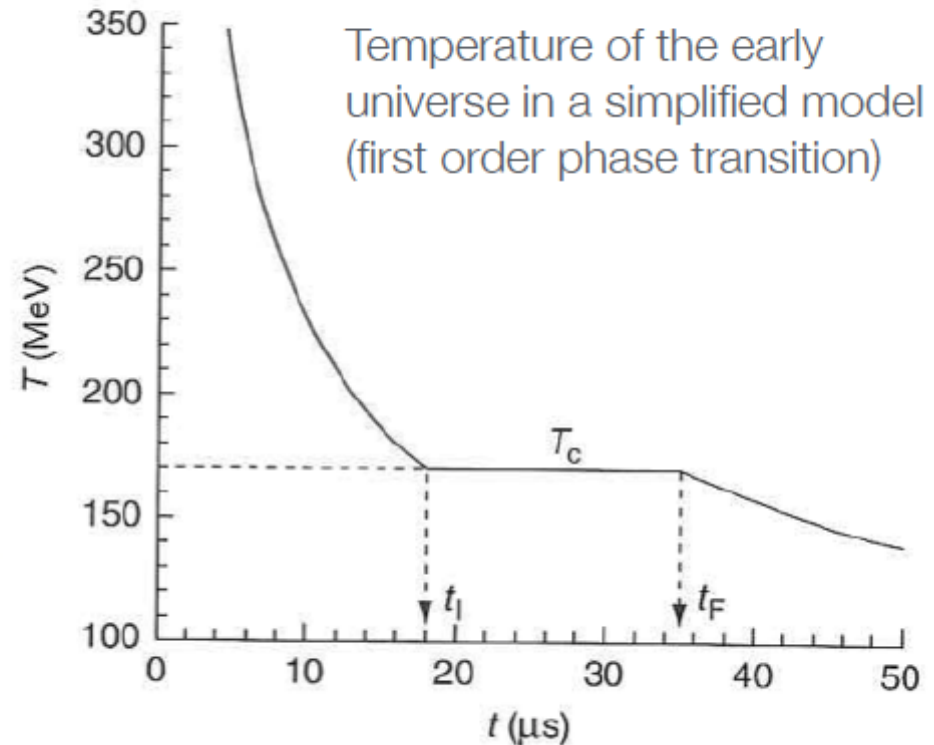
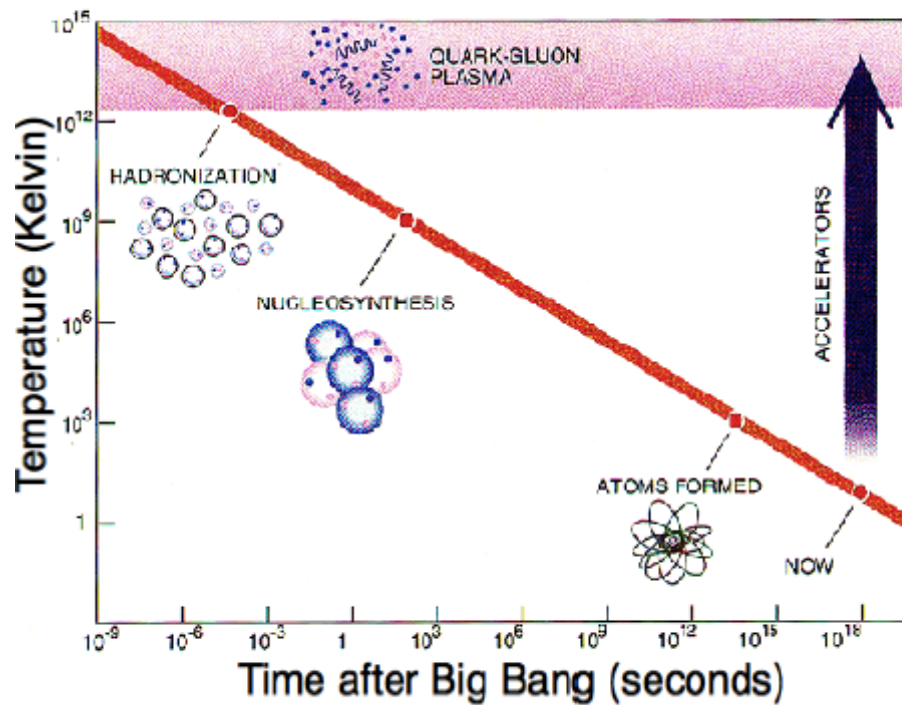


A further motivation ...



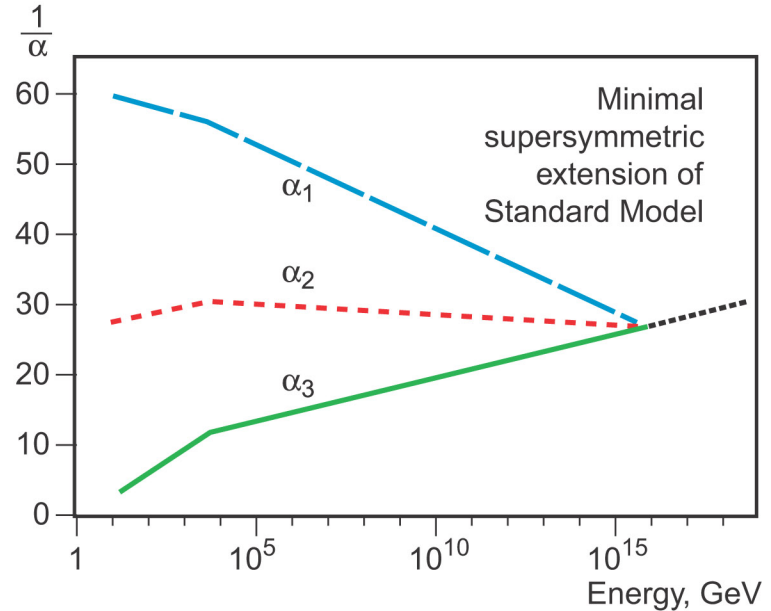
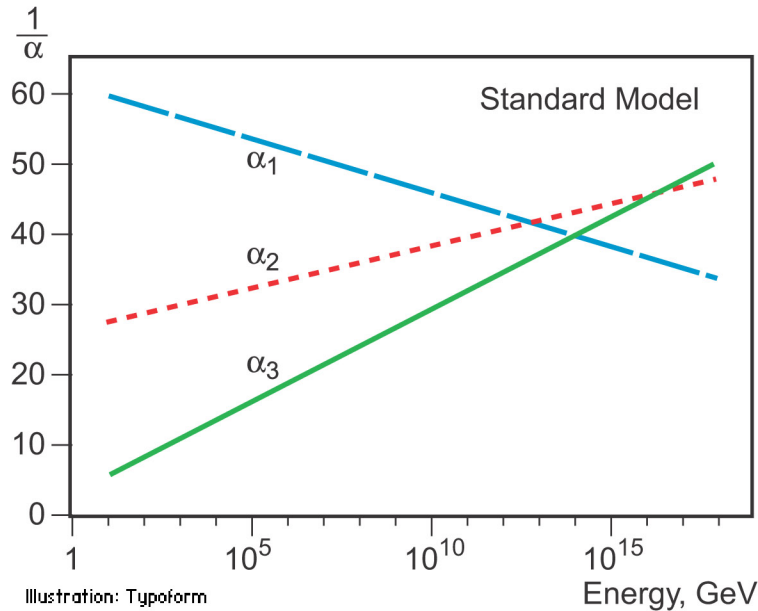
The concept for the above figure originated in a 1986 paper by Michael Turner.

QGP in the early universe



- Transition from the quark-gluon plasma to a gas of hadrons at a temperature of $T_c \approx 1.8 \times 10^{12}$ K
- 100 000 hotter than the core of the sun
- Early universe: QGP \rightarrow hadron gas a few microseconds after the Big Bang

Can the forces of nature be unified?



One possibility for Grand Unification is
introduction of new set of supersymmetric particles

Relativistic heavy-ion collisions

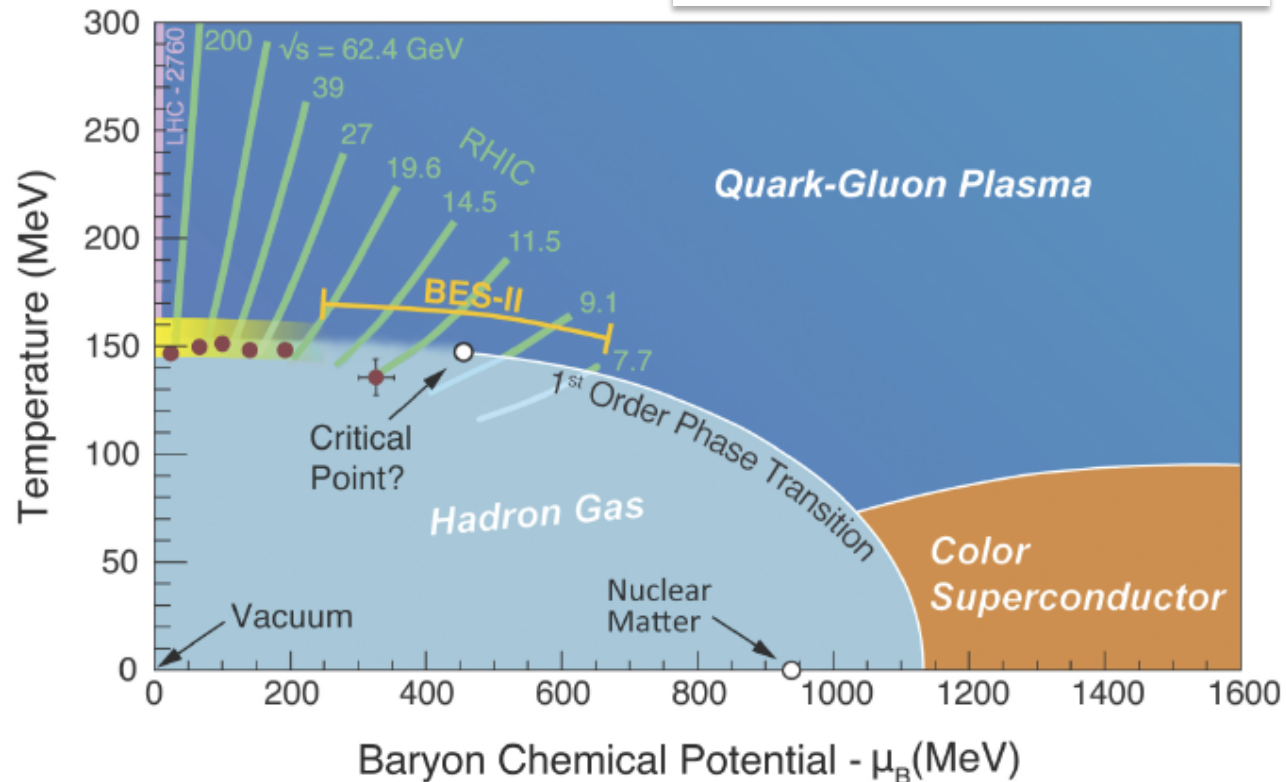
- Creates in lab conditions a chunk of **deconfined nuclear matter** with a lifetime long enough to allow the study of its properties

Relativistic heavy-ion collisions

- Relevance for:
 - QCD studies (low-Q, finite T and μ)

Phase diagram of nuclear matter:

- deconfinement phase transition



Relativistic heavy-ion collisions

➤ Relevance for:

- QCD studies (low- Q , finite T and μ)

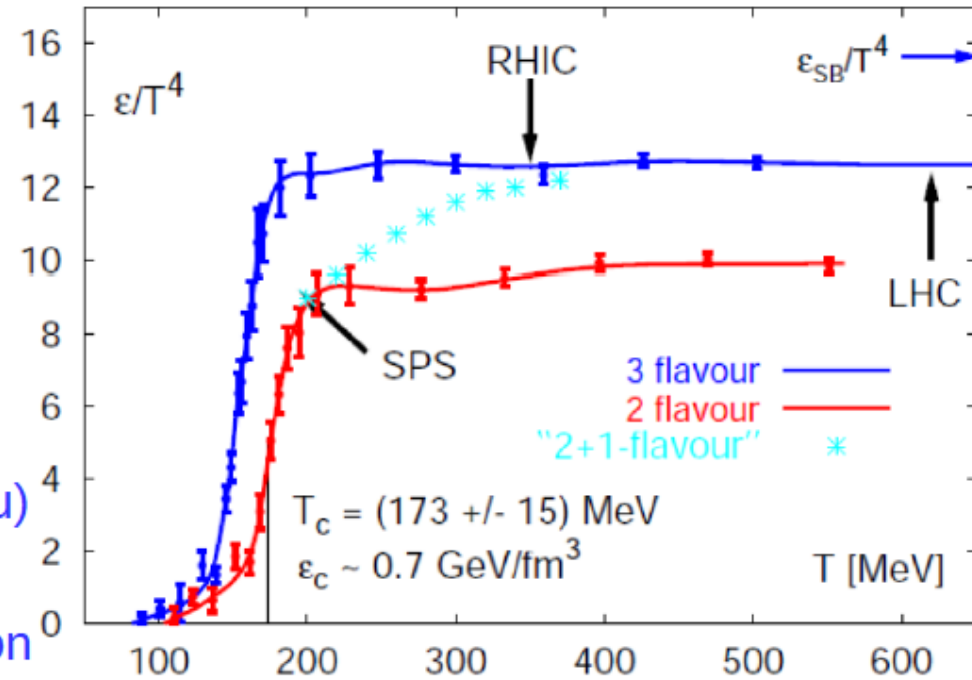
Phase diagram of nuclear matter:

- deconfinement phase transition
- Lattice QCD calculations conclude transition is cross-over type

(Y.Aoki et al., Nature 443 (2006) 675)

- “Critical” temperature: $T_c \approx 155-160$ MeV

(A.Bazavov et al., arXiv:1111.1710, S.Borsanyi et al., arXiv:1005.3508)



F. Karsch, hep-lat/0106019

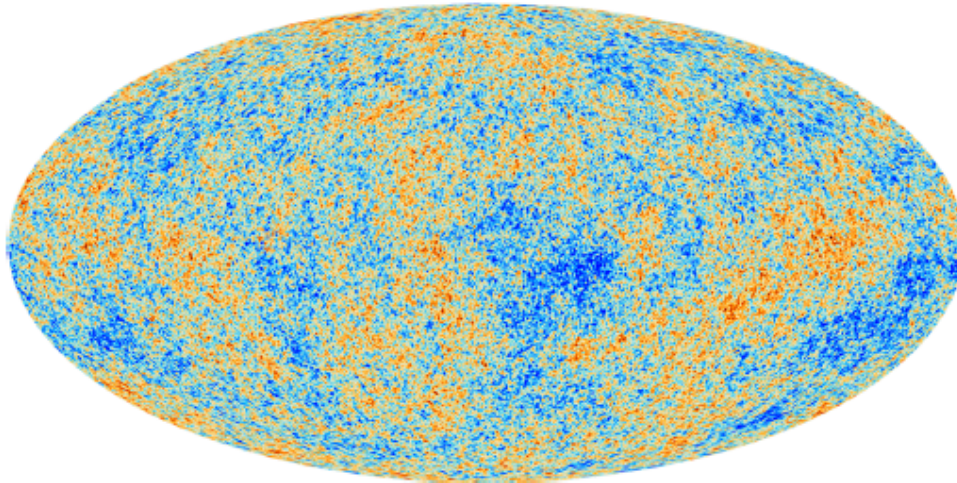
Problem: see http://folk.uio.no/larissa/nuclphys/Wong_book/Wong_Ch.9_q,g_and_QGP.pdf

- 1) For the first order phase transition between pion gas and quark gluon equilibrated ideal gas (number of flavours is 2: u,d quarks only) find Critical temperature T_c for equal number of quarks and antiquarks
- 2) Find critical baryon chemical potential for quarks at zero temperature (in neutron stars)

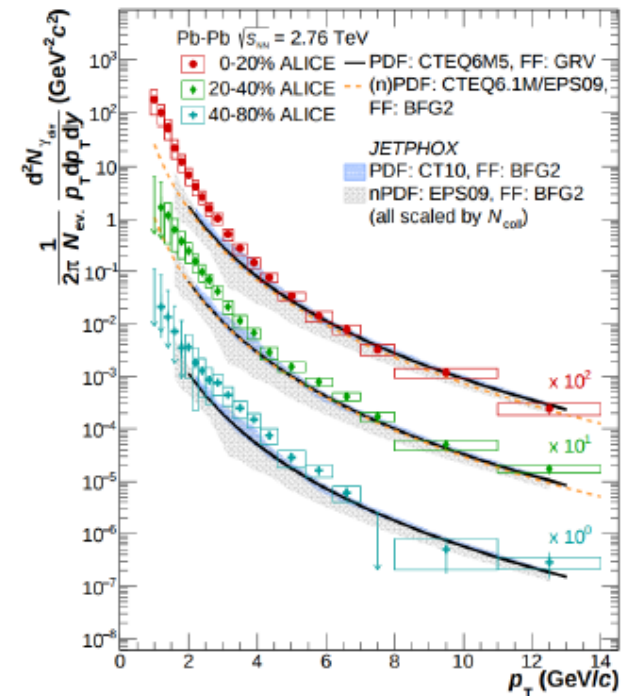
Relativistic heavy-ion collisions

- Creates in lab conditions a chunk of **deconfined nuclear matter** with a lifetime long enough to allow the study of its properties
- Relevance for:
 - QCD studies
 - **Cosmology: access early Universe conditions (10^{-5} s)**

Cosmic microwave background seen by Planck



Direct photon production in Pb-Pb collisions at the LHC
 $T \sim 300$ MeV

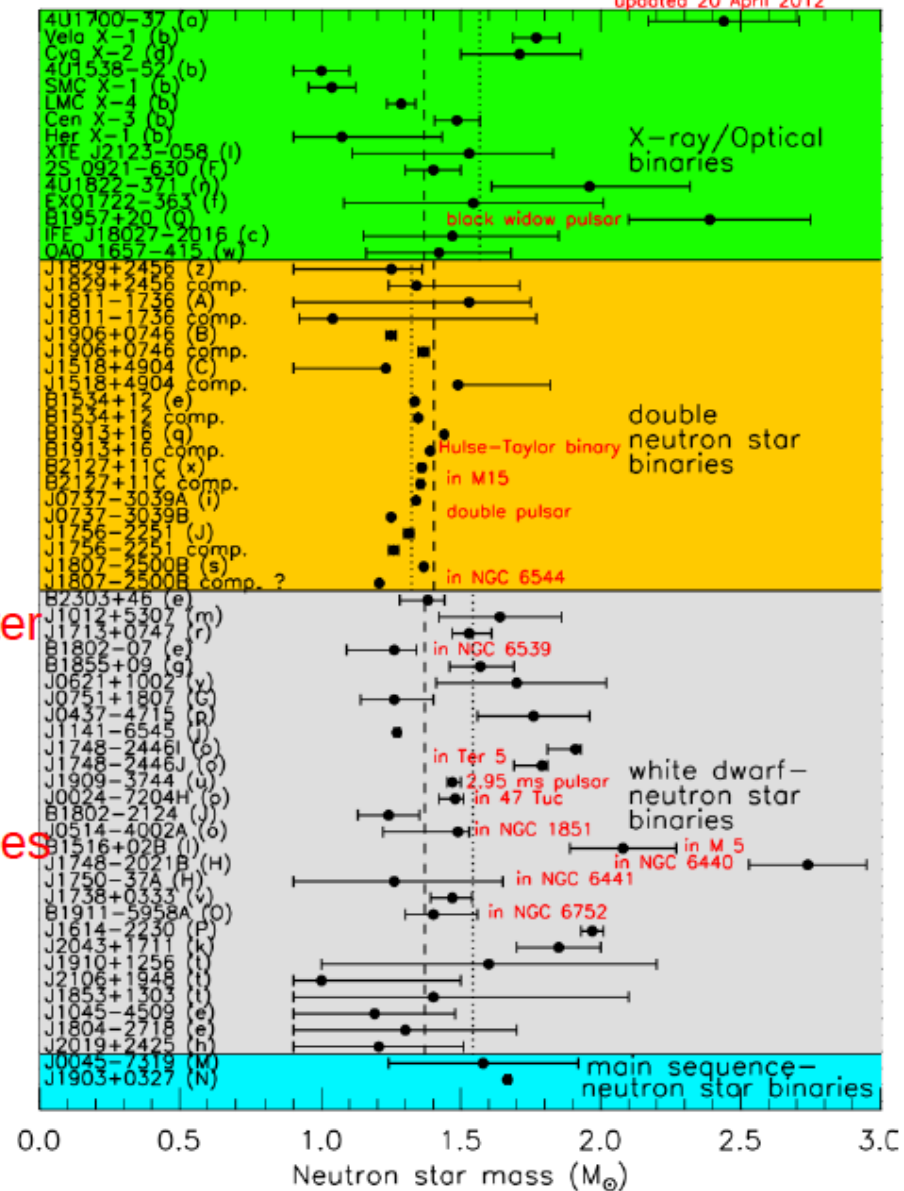


ALICE Collaboration, PLB754 (2016) 235

Relativistic heavy-ion collisions

updated 20 April 2012

- Relevance for:
 - QCD studies
 - Cosmology
 - Astrophysics: neutron stars
mass controlled by the
equation of state (EoS) of nuclear matter
 - “Canonical” mass: $1.4 M_{\text{sun}}$
 - How can the outliers exist?
 - Stiffer EoS at larger nuclear densities



Relativistic heavy-ion collisions

- Relevance for:

- QCD studies
- Cosmology
- Astrophysics

- Solid state physics:

Chiral magnetic effect first studied in HIC, now discovered in condensed matter experiments

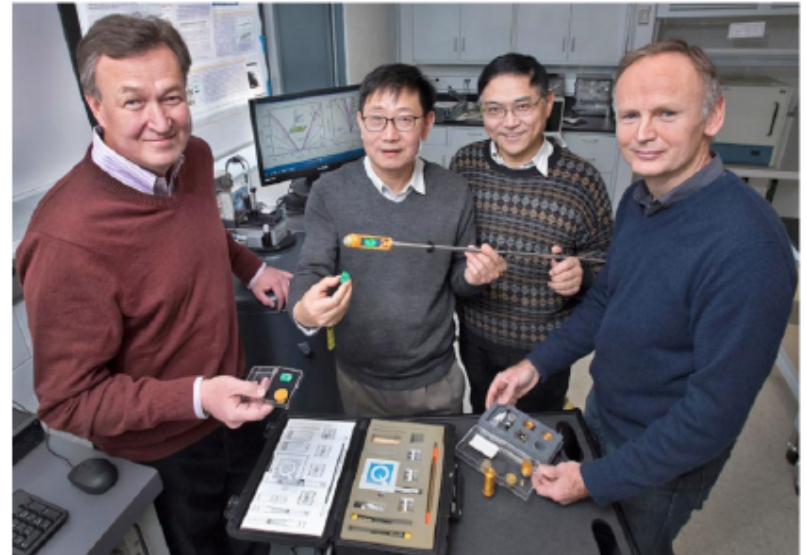
- Potential applications in quantum computing, “quantum electricity generators”, high temperature superconductivity

Q.Li, D.Kharzeev et al., Nature Physics Letters 2016

Chiral Magnetic Effect Generates Quantum Current

Separating left- and right-handed particles in a semi-metallic material produces anomalously high conductivity

February 8, 2016



Nuclear theorist Dmitri Kharzeev of Stony Brook University and Brookhaven Lab with Brookhaven Lab materials scientists Qiang Li, Genda Gu, and Tonica Yala in a lab where the team measured the unusual high conductivity of zirconium pentabelluride.

ENLARGE

Heavy ion accelerators

➤ Past:

- Bevalac @ LBL, Berkeley (1954): $\sqrt{s_{NN}}=2.4$ GeV
- Synchrophasotron @ JINR, Dubna (1957): $\sqrt{s_{NN}}=4$ GeV
- AGS @ BNL, Brookhaven (1960): $\sqrt{s_{NN}}=4.8$ GeV
- SPS @ CERN, Geneva (1976): $\sqrt{s_{NN}}=17.3$ GeV

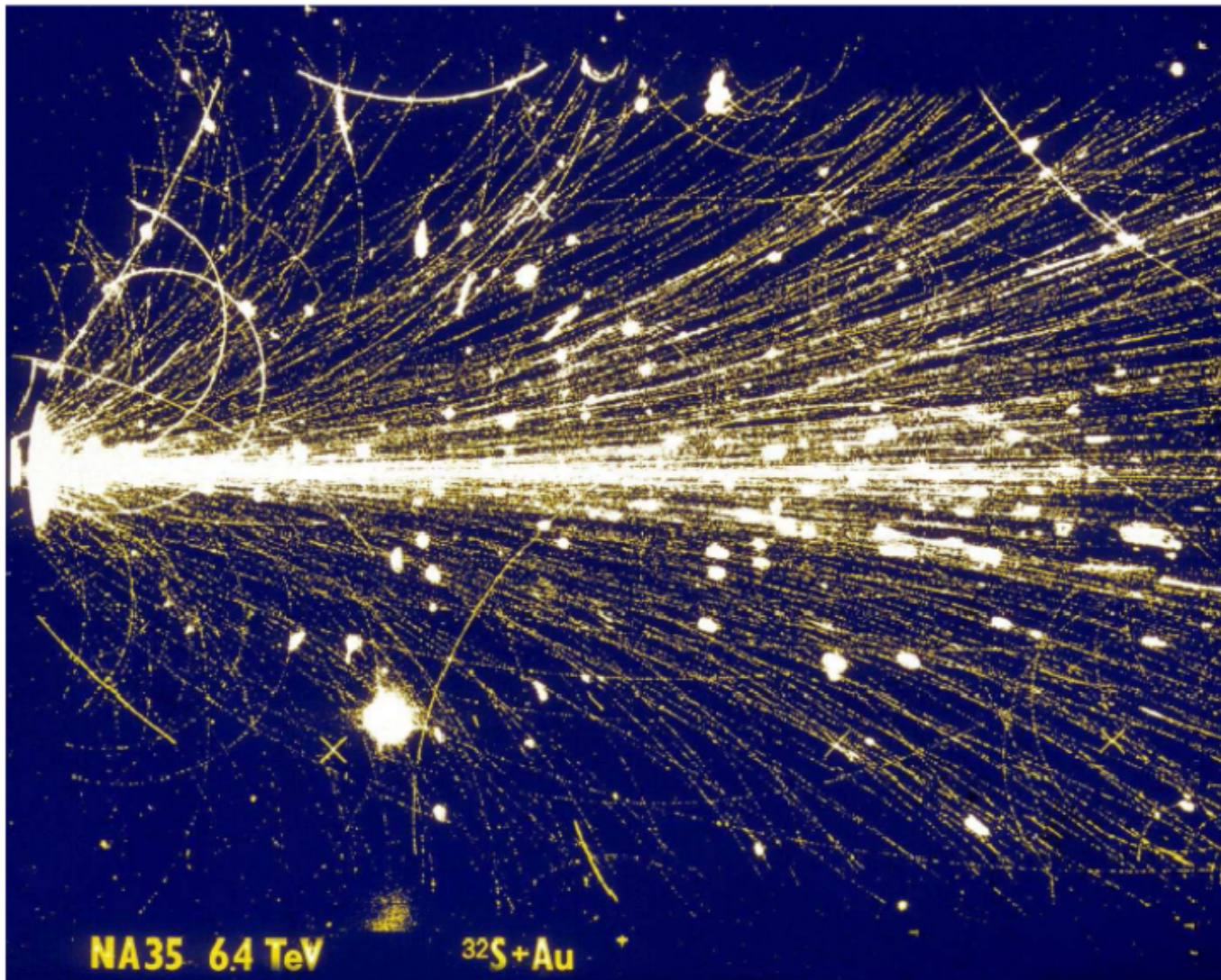
➤ Present:

- SIS @ GSI, Darmstadt: $\sqrt{s_{NN}}=2.5$ GeV
- SPS @ CERN, Geneva: $\sqrt{s_{NN}}=17.3$ GeV
- RHIC @ BNL, Brookhaven: $\sqrt{s_{NN}}=200$ GeV
- LHC @ CERN, Geneva: $\sqrt{s_{NN}}=2760, 5020$ GeV

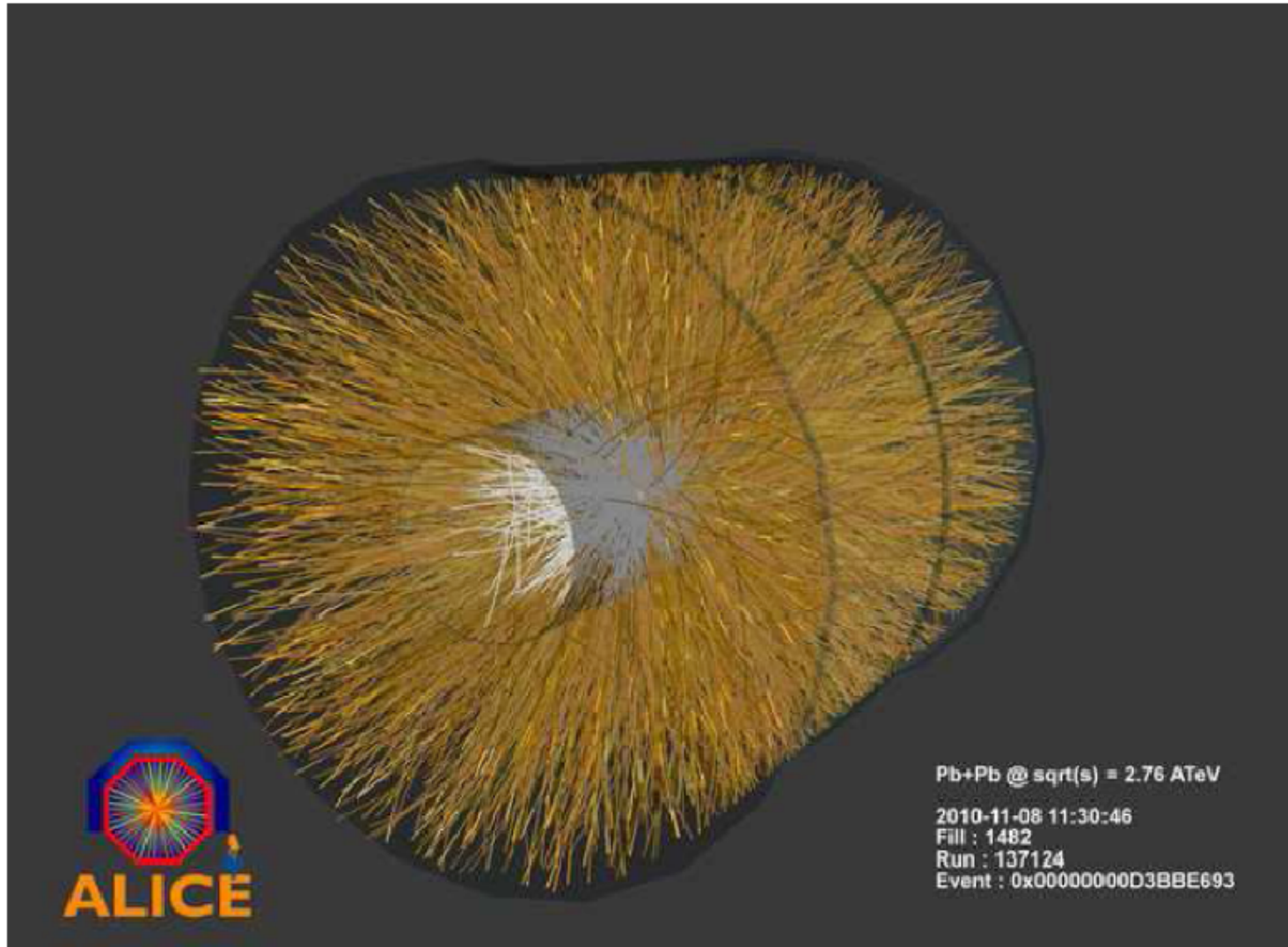
➤ Future:

- FAIR @ GSI, Darmstadt (~2020): $\sqrt{s_{NN}}=5$ GeV
- NICA @ JINR, Dubna (~2020): $\sqrt{s_{NN}}=5$ GeV
- FCC @ CERN (?): $\sqrt{s_{NN}} \sim 40$ TeV

An early picture of a heavy-ion collision (CERN)



A Pb-Pb collision measured by ALICE



- A 3D picture (with 500 million voxels) of a central collision (about 3000 primary tracks)

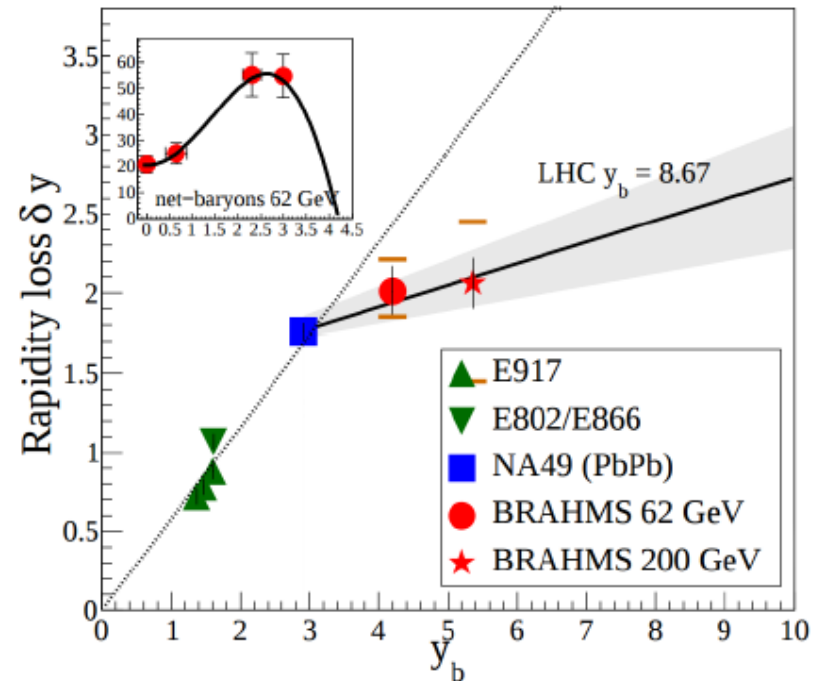
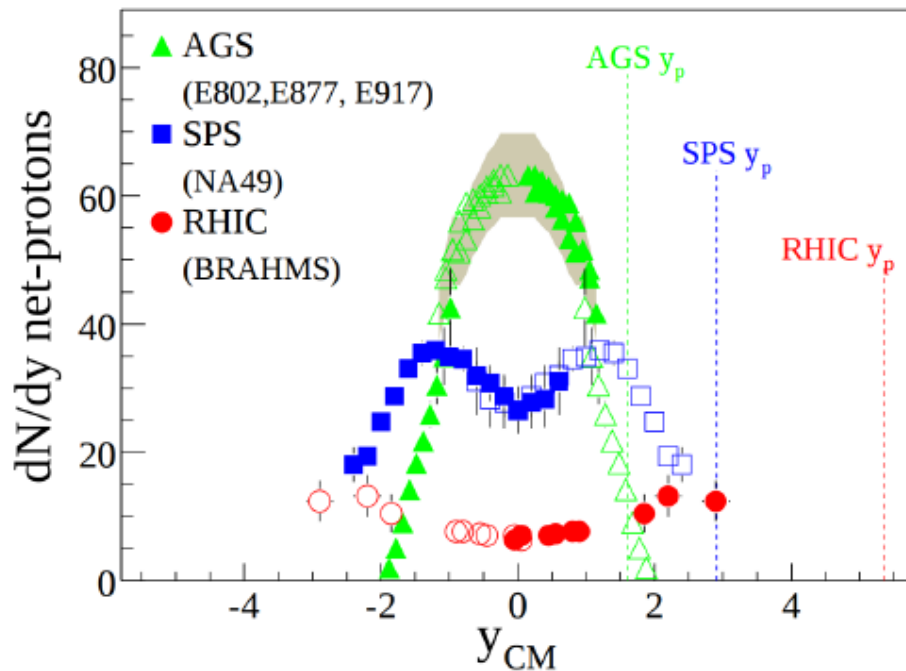
Physics results

Collision energy ($\sqrt{s_{NN}}$)

- For relativistic heavy ion collisions, typically $\sqrt{s_{NN}} > 1$ GeV
 - Bevalac, JINR-Dubna, AGS, SIS-GSI: few GeV
 - SPS: ~20 GeV
 - RHIC: 200 GeV
 - LHC: 5 TeV
- Defines the allowed processes and the phase space

Collision energy (\sqrt{s}_{NN})

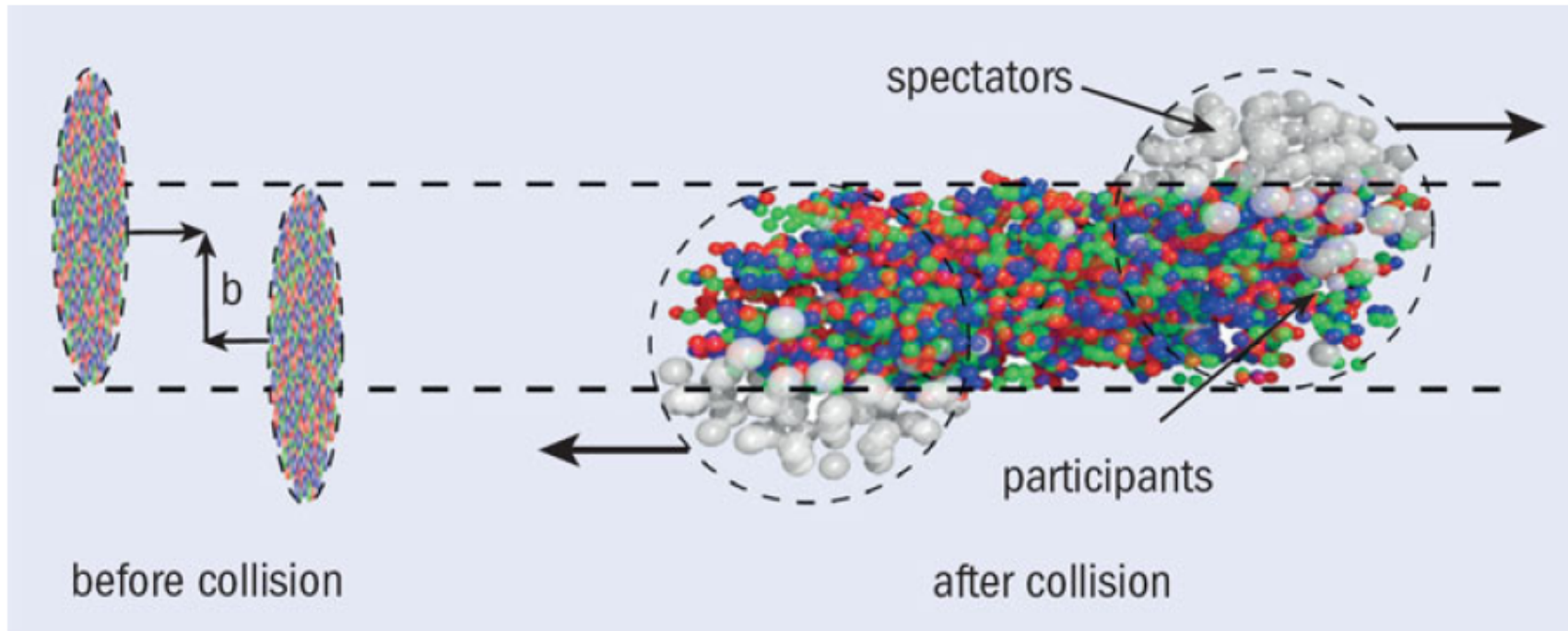
- › *Nota bene:* Not all energy is spent in the collision !
 - › BRAHMS: ~70% of beam energy available for excitations



BRAHMS Collaboration, PRL93 (2004) 102301
 BRAHMS Collaboration, PLB677 (2009) 267

Net-baryon density ($\rho_p - \rho_{pbar}$) : From baryon stopping to transparency at high energies!

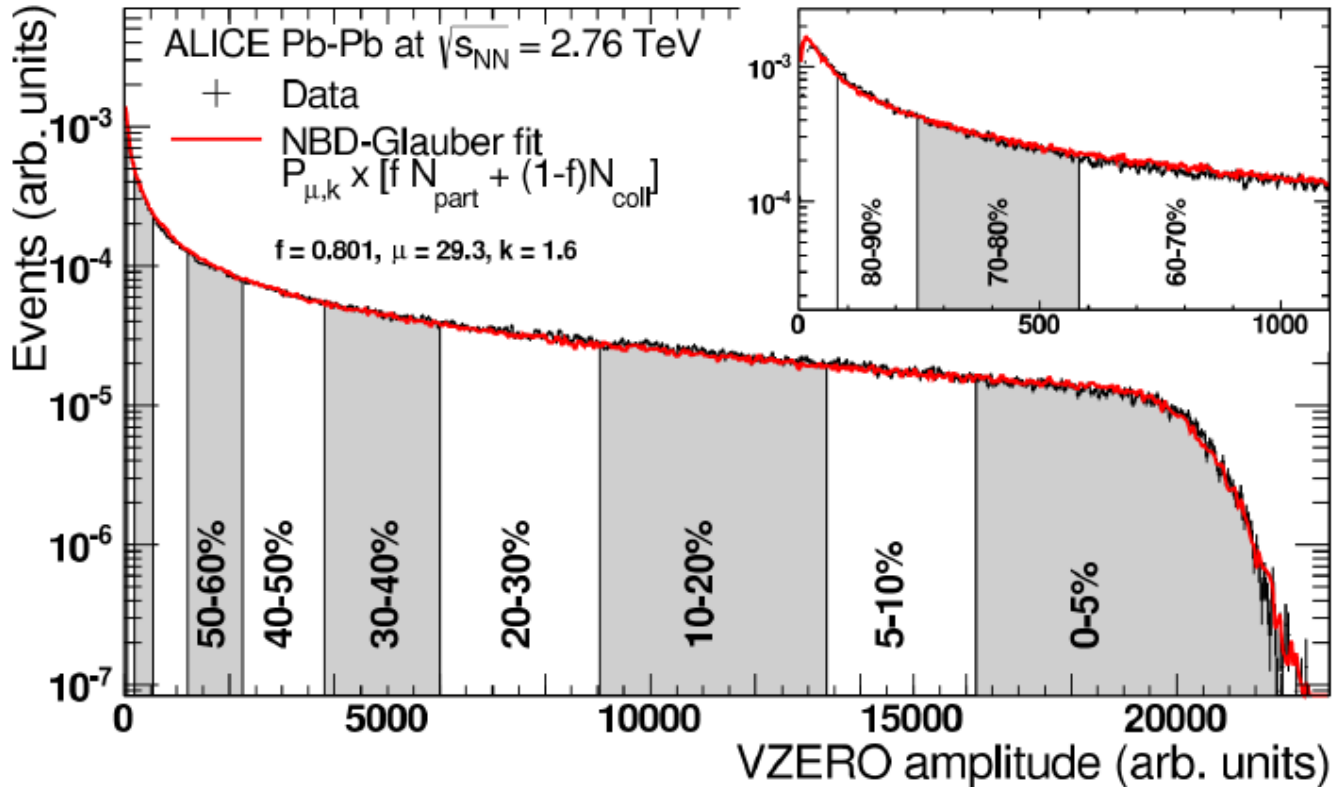
Collision centrality



- Impact parameter b , not measurable directly
- Assumption: strong correlation between b and event produced multiplicity
- Centrality typically measured in percentage of the geometric cross-section
 - e.g. 0-10% → most central 10% collisions
- Number of participant pairs (n_{part})
- Number of binary collisions (n_{coll})

Collision centrality

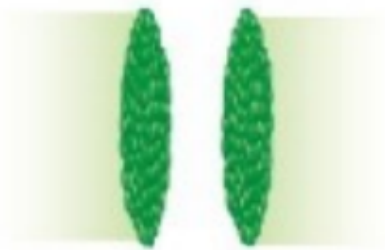
ALICE Collaboration, PRC88 (2013) 4, 044909



- Centrality determination in ALICE, using the charged particle measurement at forward rapidity (VZERO)
- Multiplicity distribution fitted well by an optical Glauber model which allows the determination of $\langle n_{part} \rangle$ and $\langle n_{coll} \rangle$ for each centrality interval

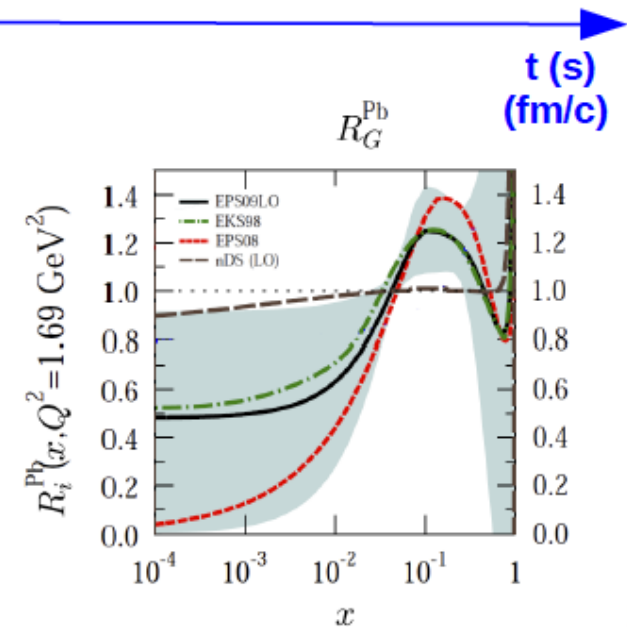
Stages of a high-energy nucleus-nucleus collision

Initial state

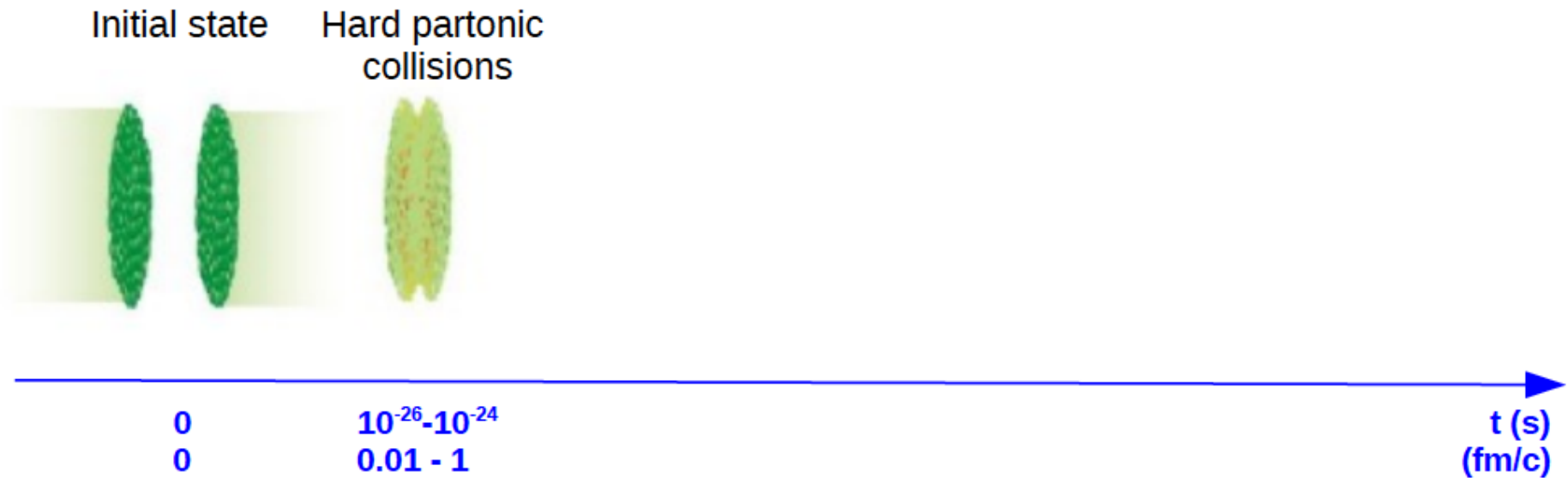


0
0

- Highly Lorentz contracted nuclei
- Initial state extremely important, interesting in itself
 - Gluon shadowing (modification of the gluon PDF in nuclei)
 - Crucial for disentangling the so called “cold nuclear matter”(CNM) effects from genuine hot medium effects

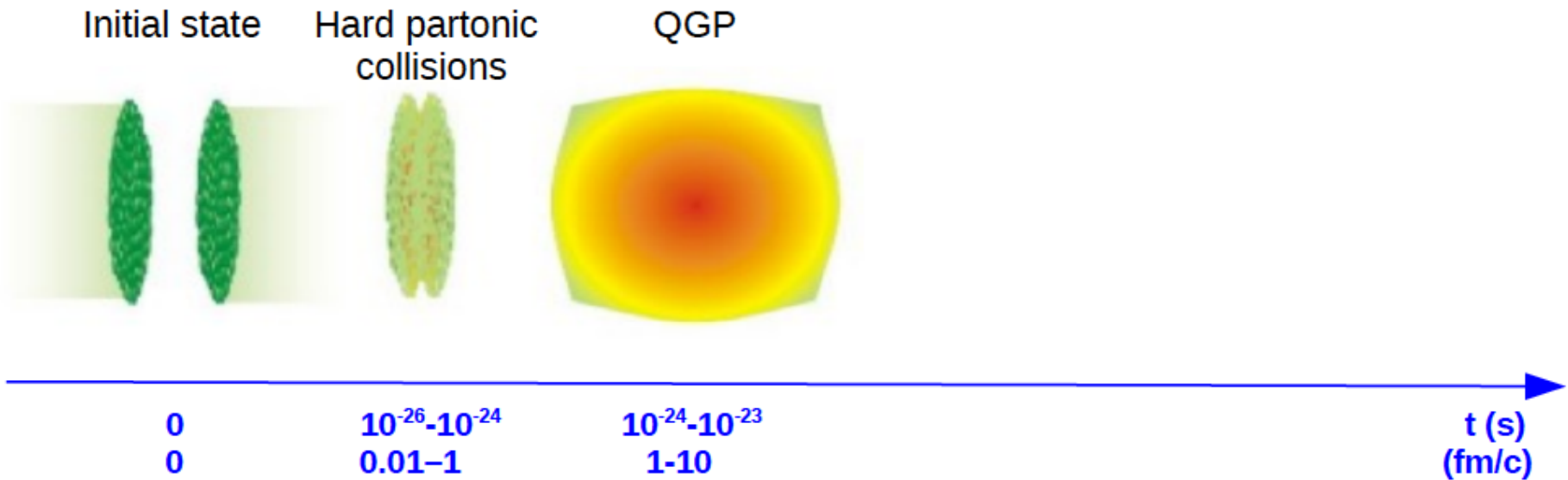


Stages of a high-energy nucleus-nucleus collision



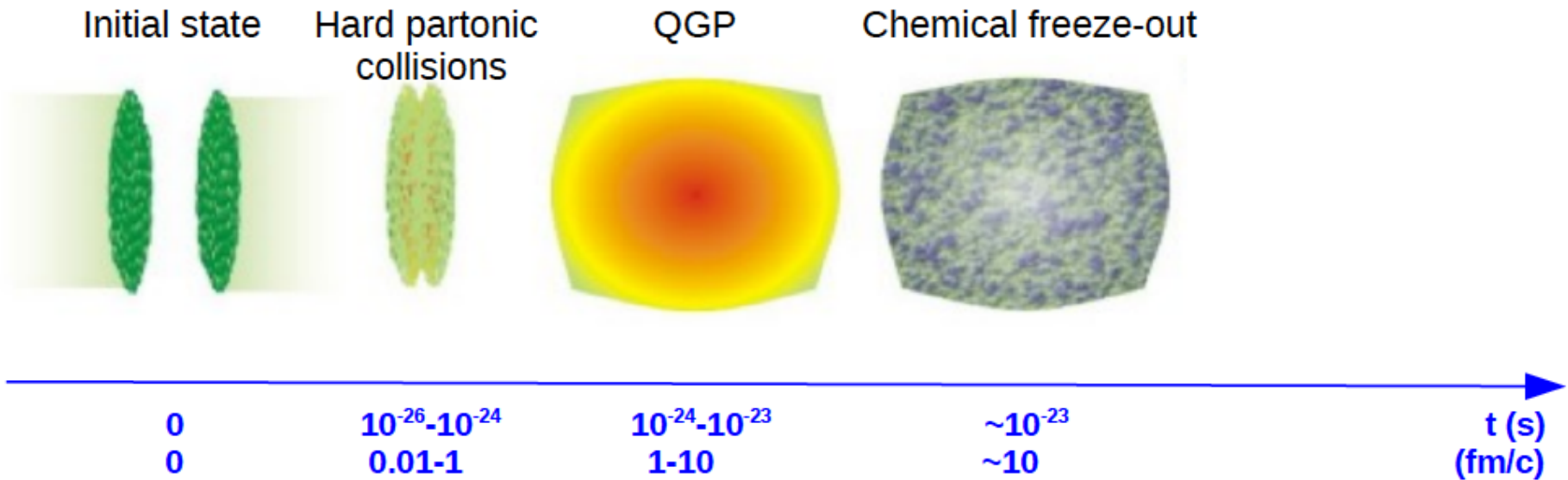
- Initial hard collisions take place
- Most of the entropy is created now → gluons and quark pairs
- Equilibrium (thermalization) takes place rapidly

Stages of a high-energy nucleus-nucleus collision



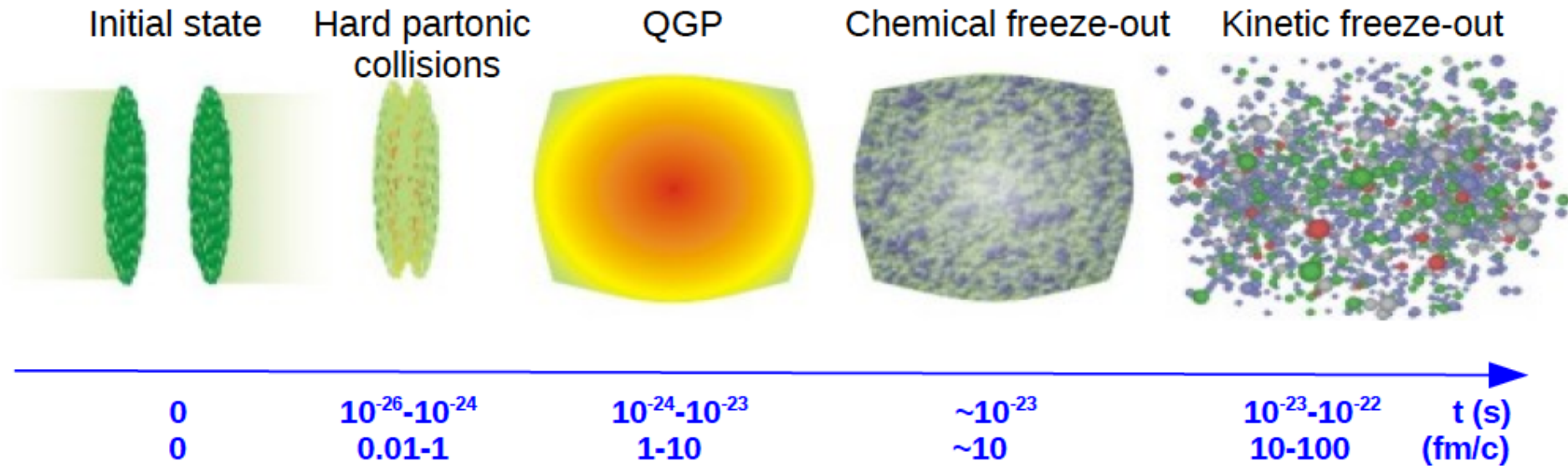
- Deconfined Quark-Gluon Plasma phase
- System expands and cools hydrodynamically

Stages of a high-energy nucleus-nucleus collision



- Hadronization: quarks and gluons form hadrons
- Non-perturbative process
- Chemical freeze-out: inelastic collisions cease; yields of various particle species are frozen

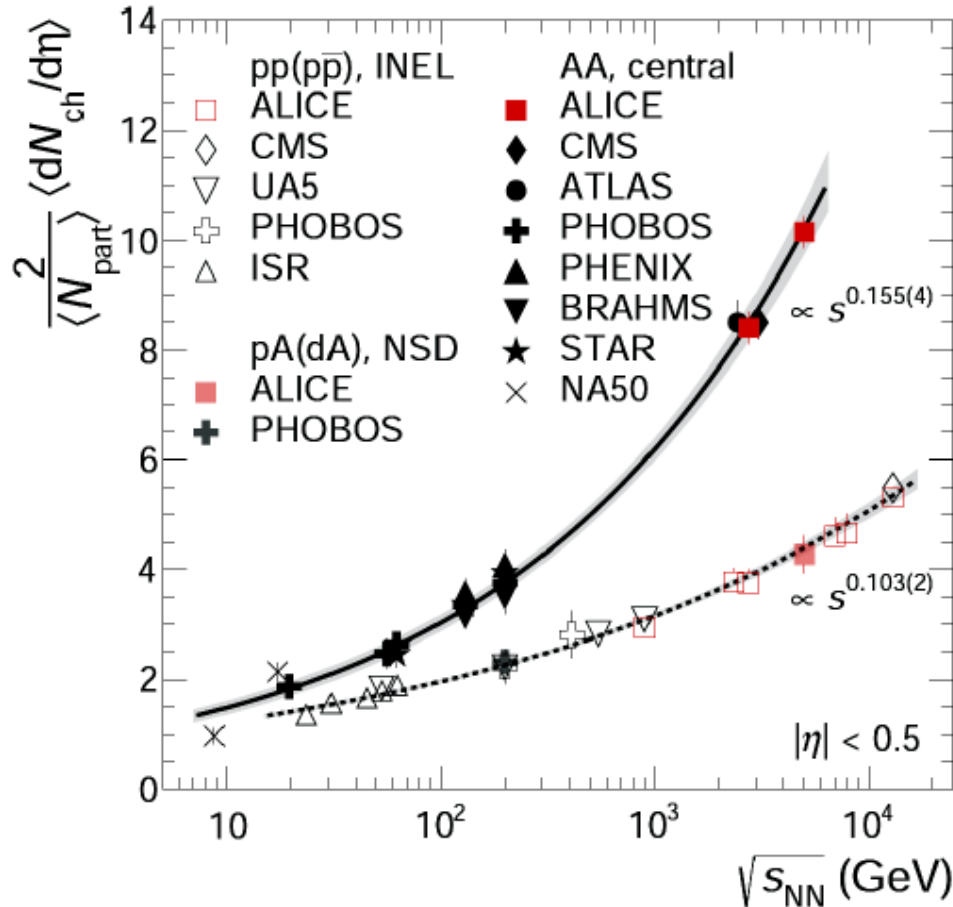
Stages of a high-energy nucleus-nucleus collision



- Kinetic freeze-out:
 - Elastic collisions cease
 - Kinetic distributions are frozen
- We measure only at the latest stages but we want to understand the hard partonic and the QGP stages... extremely challenging!

Particle production

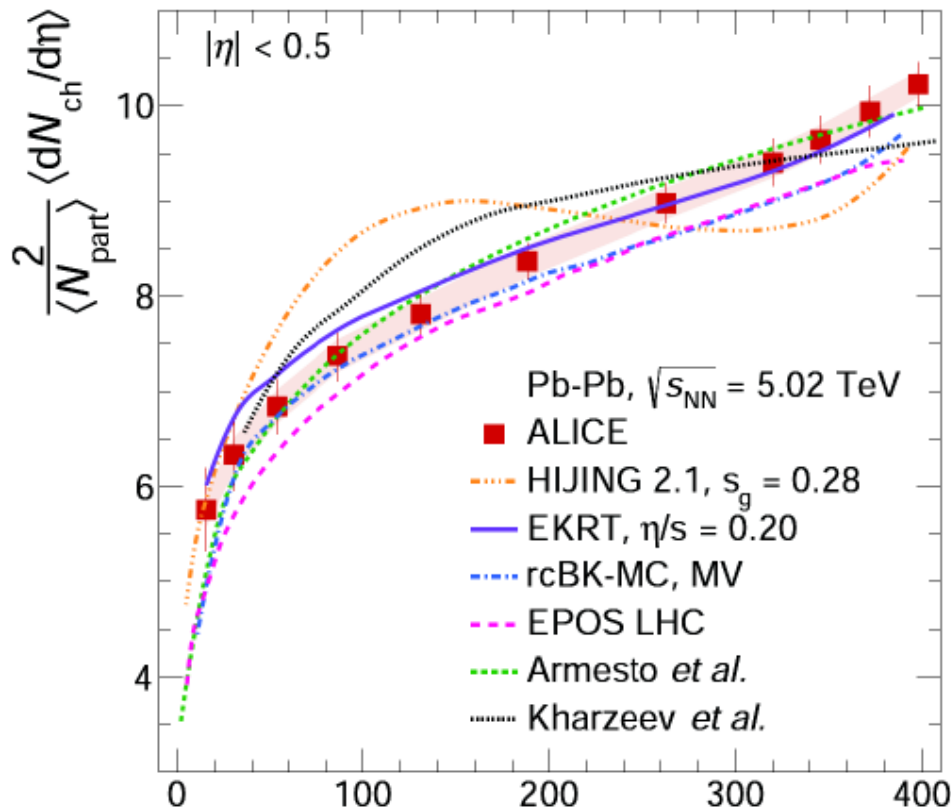
ALICE Collaboration, PRL116 (2016) 222302



- Yield per participant pair is larger in nuclear collisions than in proton-proton collisions:
 - larger entropy production
- The difference between nuclear and pp collisions also grows rapidly with energy

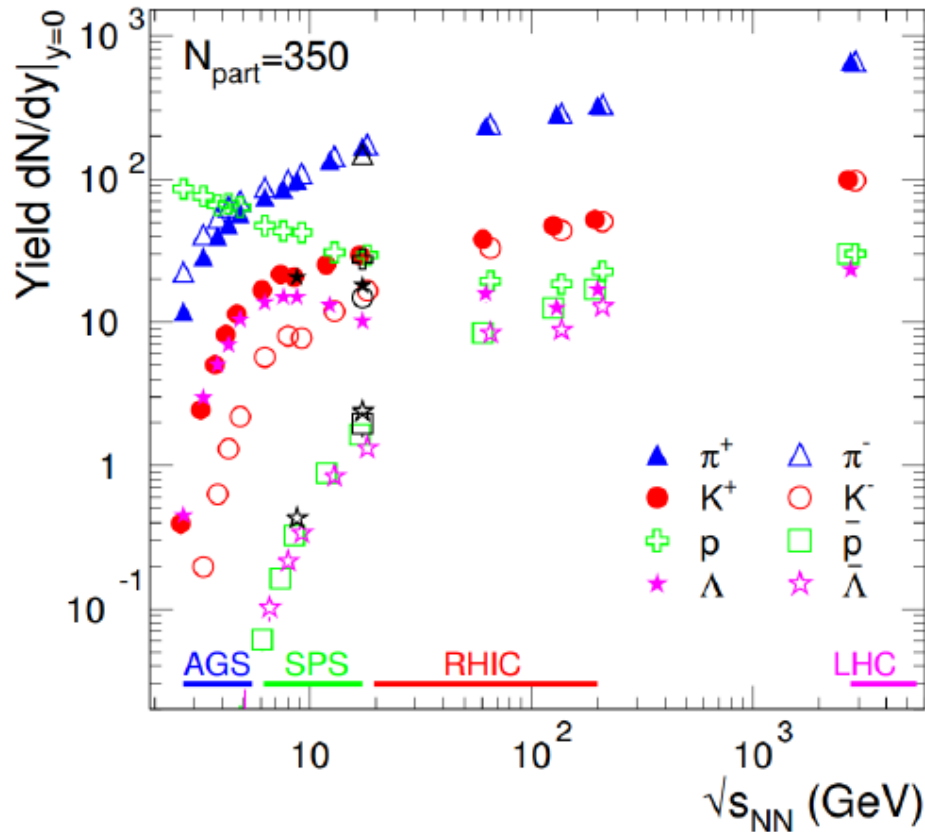
Particle production

ALICE Collaboration, PRL116 (2016) 222302



- Yield per participant pair is larger in nuclear collisions than in proton-proton collisions:
 - large entropy production
- The difference between nuclear and pp collisions also grows rapidly with energy
- Yield per participant pair also grows towards more central collisions
- These results allow to quantify the initial energy density and set constraints on initial state models

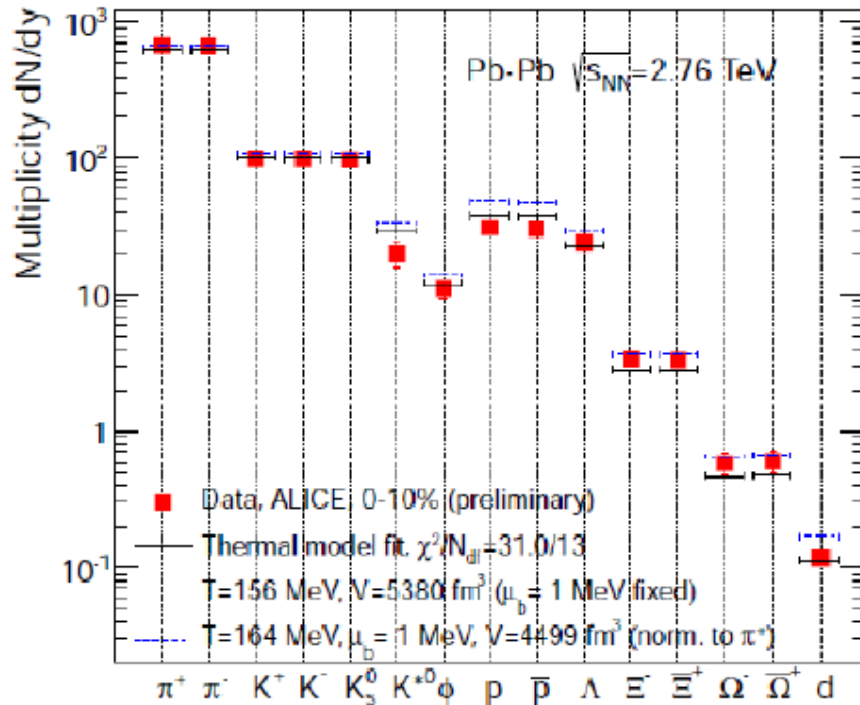
Identified hadron yields



- Lots of particles, most newly created from the excited gluon fields ($E=mc^2$)
- Large variety of species:
 $\pi^\pm(u\bar{d},d\bar{u})$, $m=140$ MeV
 $K^\pm(u\bar{s},s\bar{u})$, $m=494$ MeV
 $p(uud)$, $m=938$ MeV
 $\Lambda(uds)$, $m=1116$ MeV
 also: $\Xi(dss)$, $\Omega(sss)$, ...
- Abundancies follow mass hierarchy, except at low energies where remnants from the incoming nuclei are significant
- **What do we learn?**

Strangeness enhancement

Chemical freeze-out



- Thermal fits of hadron abundancies:

$$n_i = N_i/V = -\frac{T}{V} \frac{\partial \ln Z_i}{\partial \mu} = \frac{g_i}{2\pi^2} \int_0^\infty \frac{p^2 dp}{\exp[(E_i - \mu_i)/T] \pm 1}$$

- Quantum numbers conservation

$$\mu = \mu_B B + \mu_{I3} I_3 + \mu_S S + \mu_C C$$

- Hadron yields N_i can be obtained using only 3 parameters: (T_{chem}, μ_B, V)

- The hadron abundancies are in agreement with a thermally equilibrated system

$$T_{chem} = 155-165 \text{ MeV}$$

$$\mu_B \sim 0$$

Statistical thermal model

Grand Canonical Ensemble

$$\ln Z_i = \frac{V g_i}{2\pi^2} \int_0^\infty p^2 dp \ln(1 \pm \exp(-(E_i - \mu_i)/T))$$

$$n_i = N/V = -\frac{T}{V} \frac{\partial \ln Z_i}{\partial \mu} = \frac{g_i}{2\pi^2} \int_0^\infty \frac{p^2 dp}{\exp((E_i - \mu_i)/T) \pm 1}$$

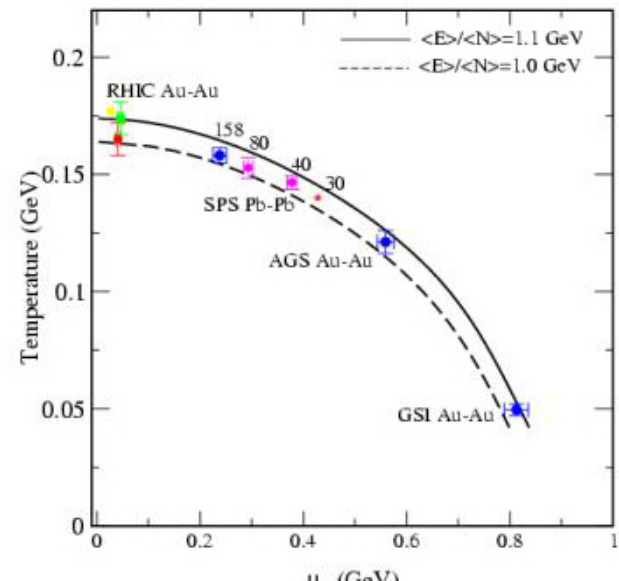
$$\mu_i = \mu_B B_i + \mu_S S_i + \mu_{I_3} I_i^3$$

Fit at each energy provides values for

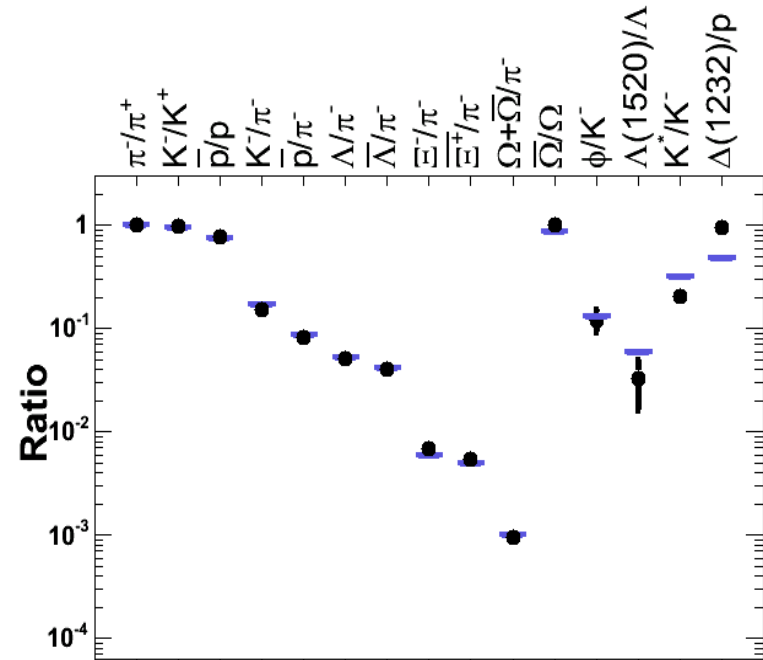
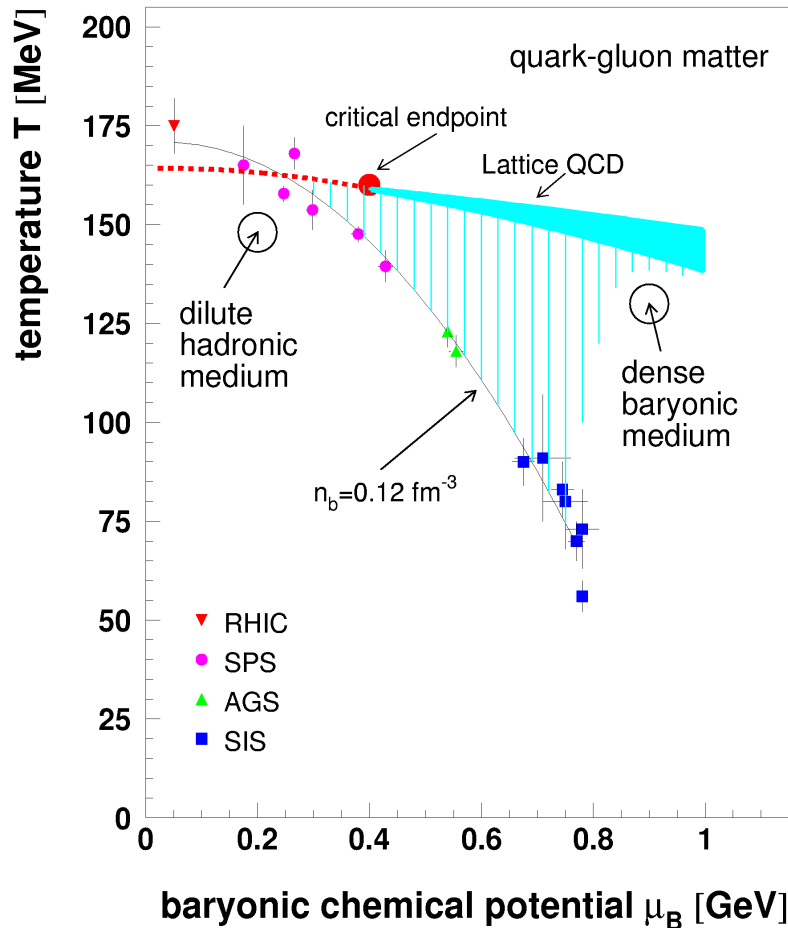
for every conserved quantum number there is a chemical potential μ but can use conservation laws to constrain:

- **Baryon number:** $V \sum_i n_i B_i = Z + N \rightarrow \mu_B$
- **Strangeness:** $V \sum_i n_i S_i = 0 \rightarrow \mu_S$
- **Charge:** $V \sum_i n_i I_i^3 = \frac{Z - N}{2} \rightarrow \mu_{I_3}$

This leaves only μ_B and T as free parameter when 4π consi for rapidity slice fix volume e.g. by dN_{ch}/dy



Exploring Freeze-out



Chemical freezeout describes many hadrons

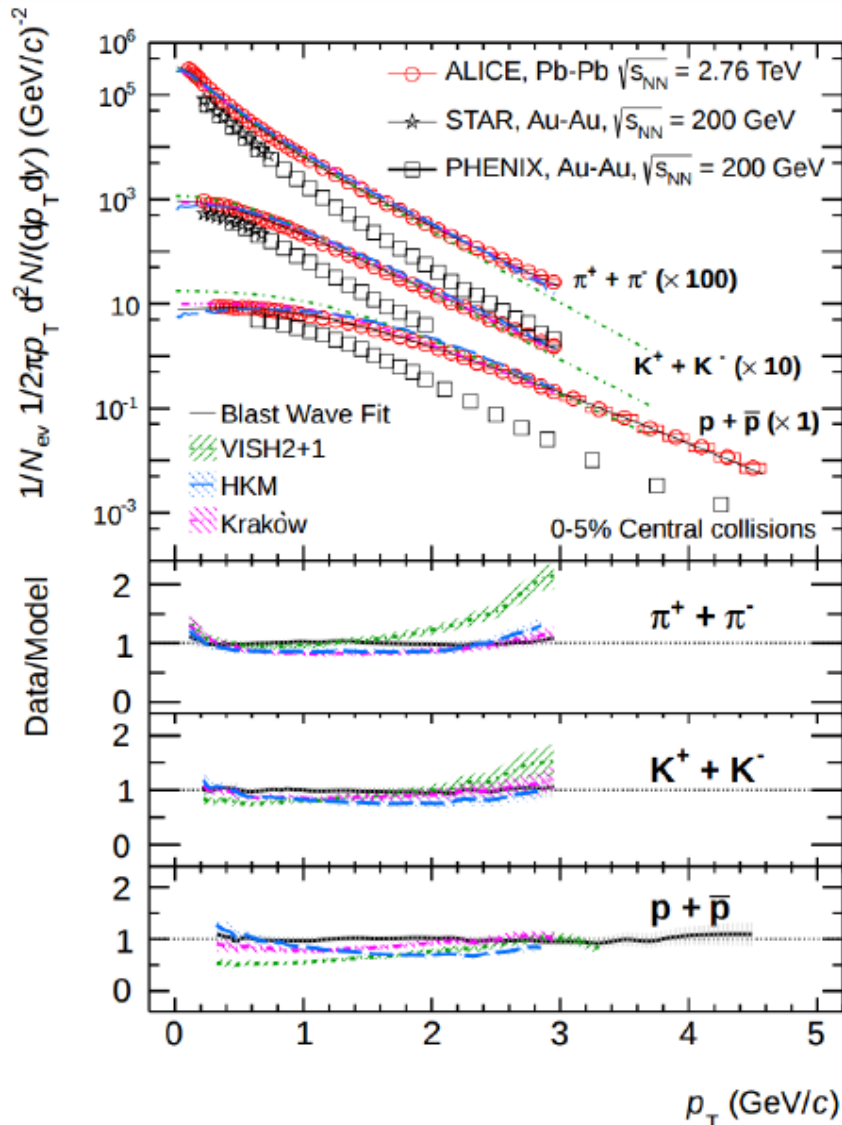
Many new strange ones soon on the market
(van Buren, Witt, Estienne)

But possible discrepancies on the horizon (Markert)!

Becattini, Florkowski, PBM, Keranen, Manninen, Tawfik, Redlich...

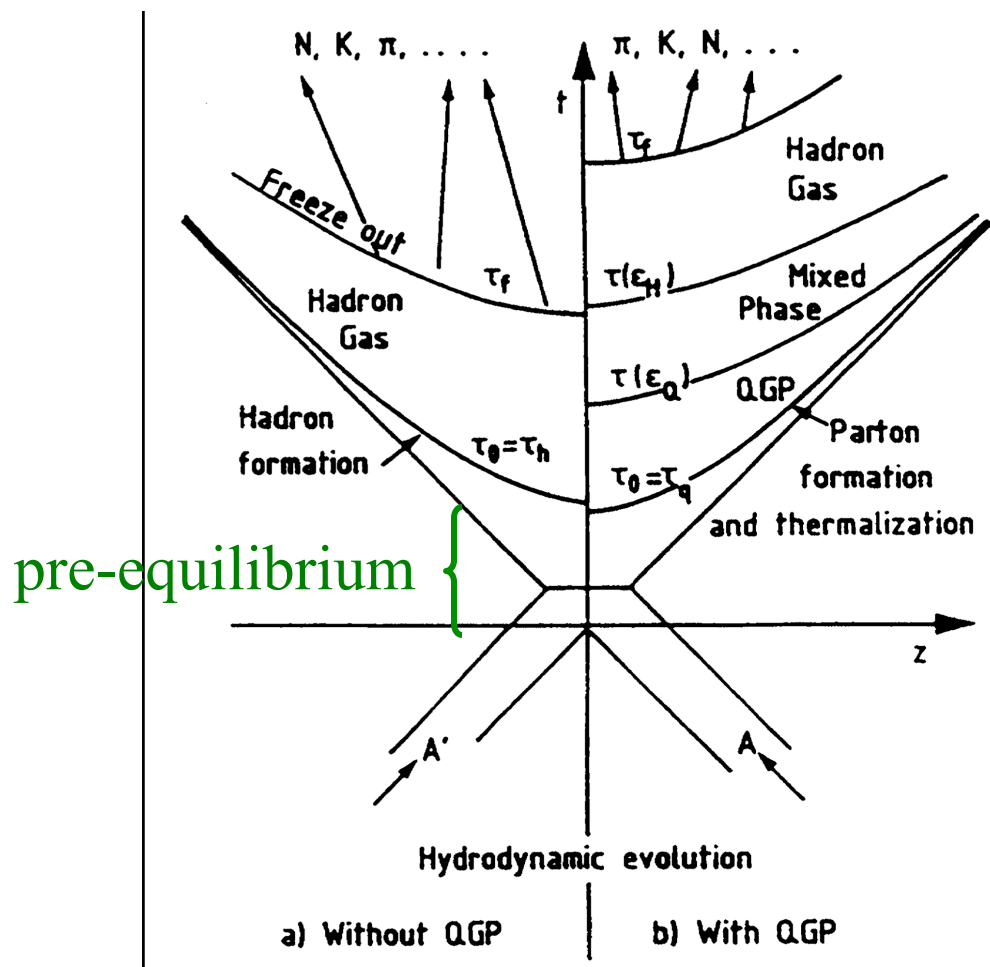
Transverse momentum spectra

ALICE, PRL 109 (2012) 252301



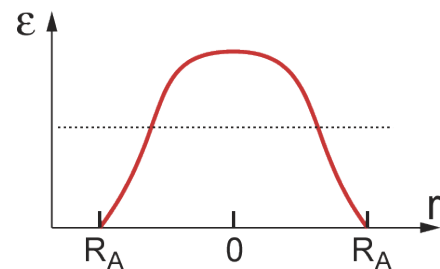
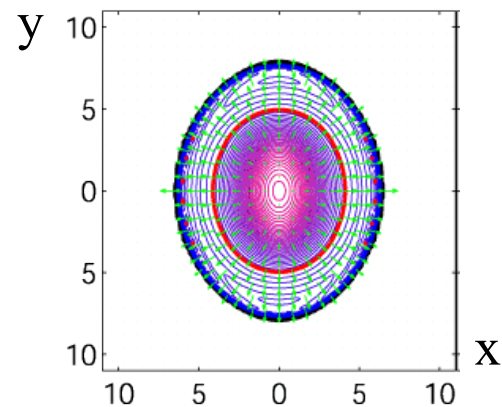
- Provides information on the fireball properties at the thermal freeze-out
- Hardness of the spectra depends on the collision energy, centrality and particle specie
- The mass dependence of the spectra “hardness” indicates collective motion / flow
- Hydrodynamical models reproduce the data → the fireball expands hydrodynamically nearly as a perfect fluid (very low viscosity)

Are the conditions at SPS/RHIC met to form a QGP?



QCD on Lattice (2-flavor):
 Phase transition at
 $T_C \approx 173 \pm 8 \text{ MeV}$, $\epsilon_C \approx (6 \pm 2) T^4$
 hence $\epsilon_C \approx 0.70 \pm 0.27 \text{ GeV/fm}^3$

Remember: cold nuclear matter
 $\epsilon_{cold} \approx u / \frac{4}{3} \pi r_0^3 \approx 0.13 \text{ GeV/fm}^3$



At a minimum we need to create ϵ_C in order to create a QGP.

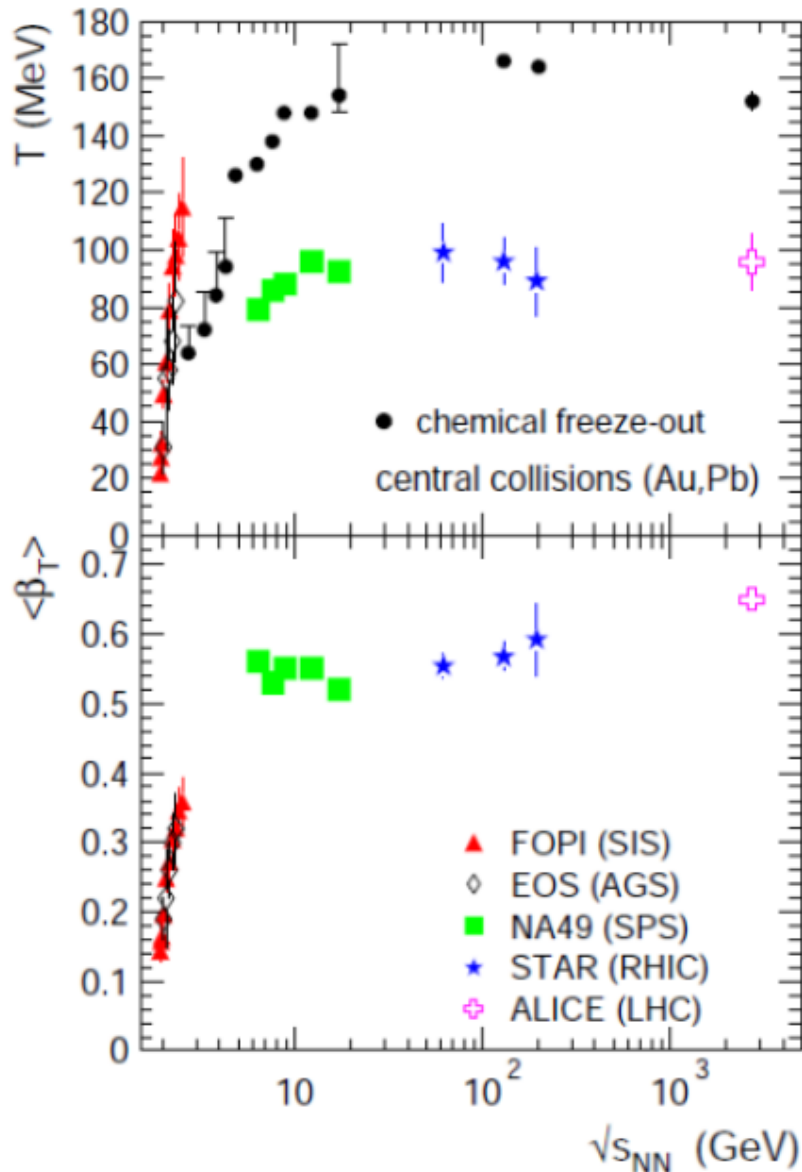
Note: this is a necessary but not sufficient condition

Tevatron (Fermilab) $\epsilon(\sqrt{s} = 1.8 \text{ TeV } [W] \text{ pp}) \gg \epsilon(\text{Au+Au RHIC})$

Thermal Equilibrium \Rightarrow many constituents \Rightarrow **Size matters !!!**

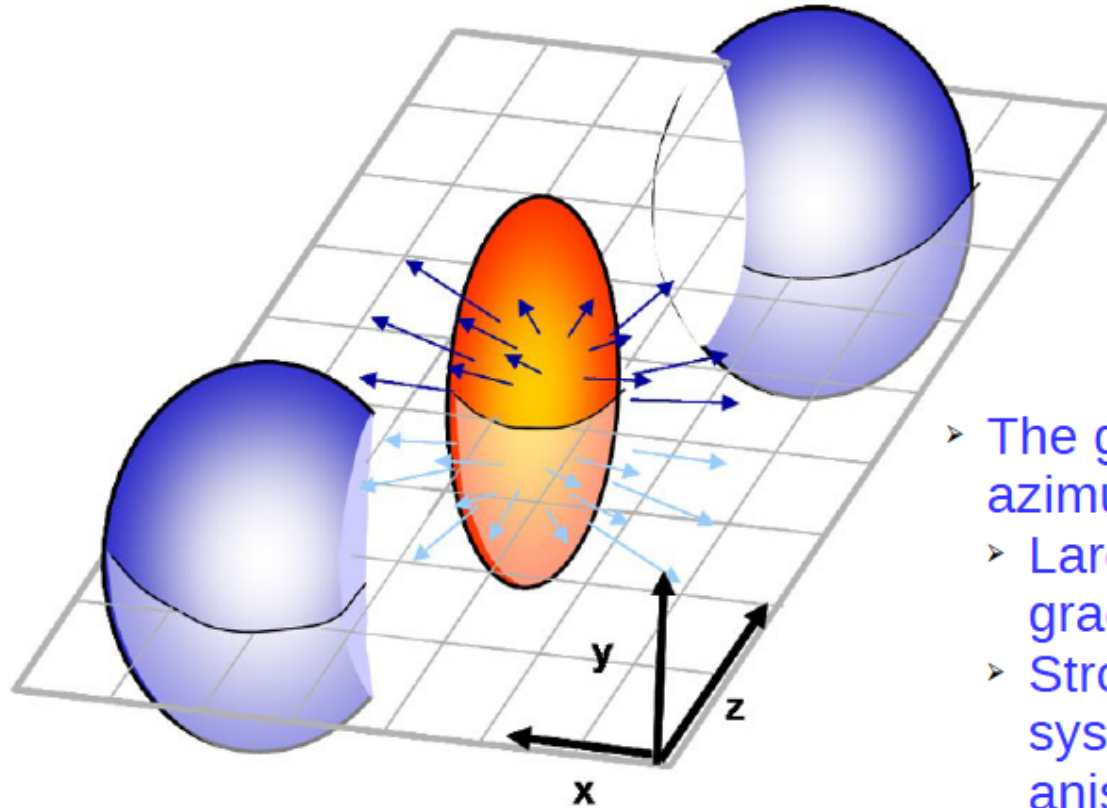
The kinetic freeze-out

A.Andronic, arXiv: 1210.8126



- Hydro-like “Blast-wave” fits allow to extract parameters like :
 T_{kine} = kinetic freeze-out temperature
 $\langle\beta\rangle$ = collective average velocity
- Light quark hadrons “flow” with a collective velocity of $2/3 c$ additional to their own individual movement

Anisotropic flow

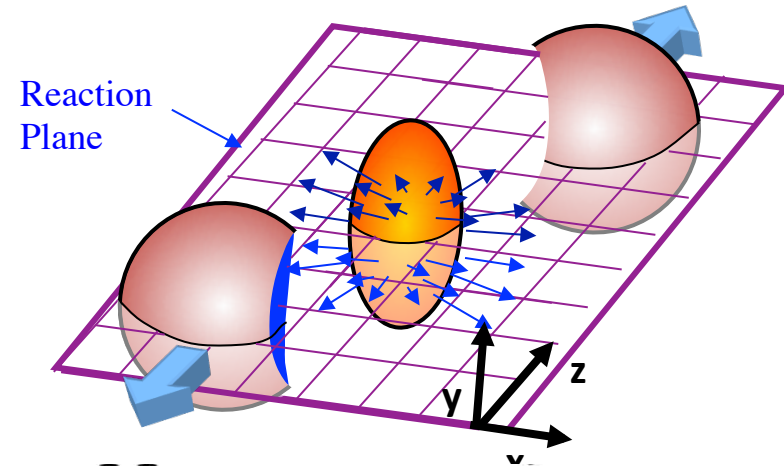
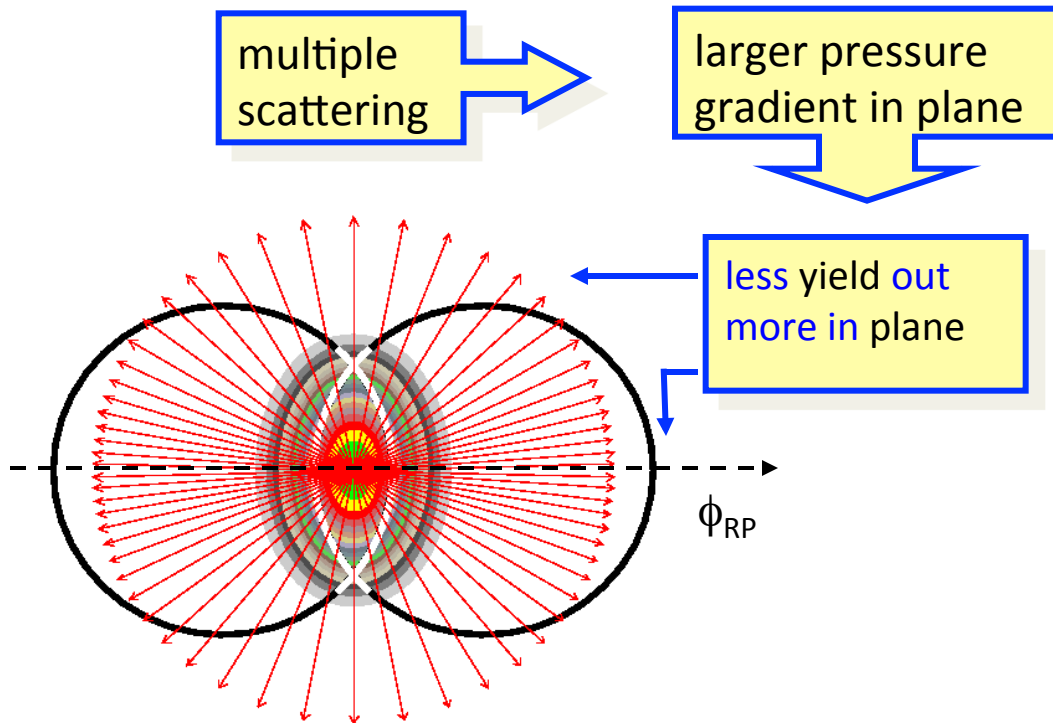


- The geometry of the collision is azimuthally non-uniform
- Large initial energy density gradients
- Strong multiple rescatterings in the system transform the geometrical anisotropy into a momentum anisotropy

$$\frac{dN}{d\varphi} \simeq [1 + 2v_1 \cos(\varphi - \Psi) + 2v_2 \cos 2(\varphi - \Psi) + 2v_3 \cos 3(\varphi - \Psi) + \dots]$$

(Lorentz) invariant cross section: $Ed^3N/dp^3 = d^3N/(dy p_T dp_T d\varphi)$, depends on rapidity $y = 0.5 \ln((E+p_z)/(E-p_z))$, transverse momentum $p_T = \sqrt{p_x^2 + p_y^2}$ and angle φ between p_x and p_T of the produced particle. $dN/d\varphi$ is expanded into Fourier series. First term (=1) is radial flow, second term $v_1 = \langle \cos(\varphi - \Psi) \rangle$, is directed flow, third term $v_2 = \langle \cos 2(\varphi - \Psi) \rangle$ - elliptic flow, $v_3 = \langle \cos 3(\varphi - \Psi) \rangle$ - triangular flow

Nuclear Geometry and Hydrodynamic

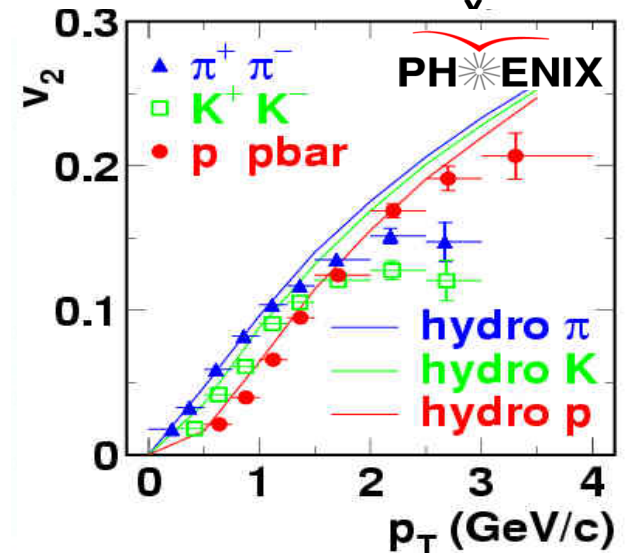


Spatial asymmetry
eccentricity

$$\varepsilon = \frac{\langle y^2 \rangle - \langle x^2 \rangle}{\langle y^2 \rangle + \langle x^2 \rangle}$$

Mom. Asymmetry
elliptic flow

$$v_2 = \frac{\langle p_x^2 \rangle - \langle p_y^2 \rangle}{\langle p_x^2 \rangle + \langle p_y^2 \rangle}$$



$$\frac{d^3N}{p_T dp_T dy d\varphi} \propto [1 + 2v_2(p_T) \cos 2(\varphi - \phi_{RP}) + \dots]$$

What are the relevant DOF's in "Flow" ?

"Fine structure" of $v_2(p_T)$ for different mass particles.

In Ideal "hydro" picture:

$$\partial_\nu T^{\mu\nu} = 0 \rightarrow \text{Work-energy theorem}$$

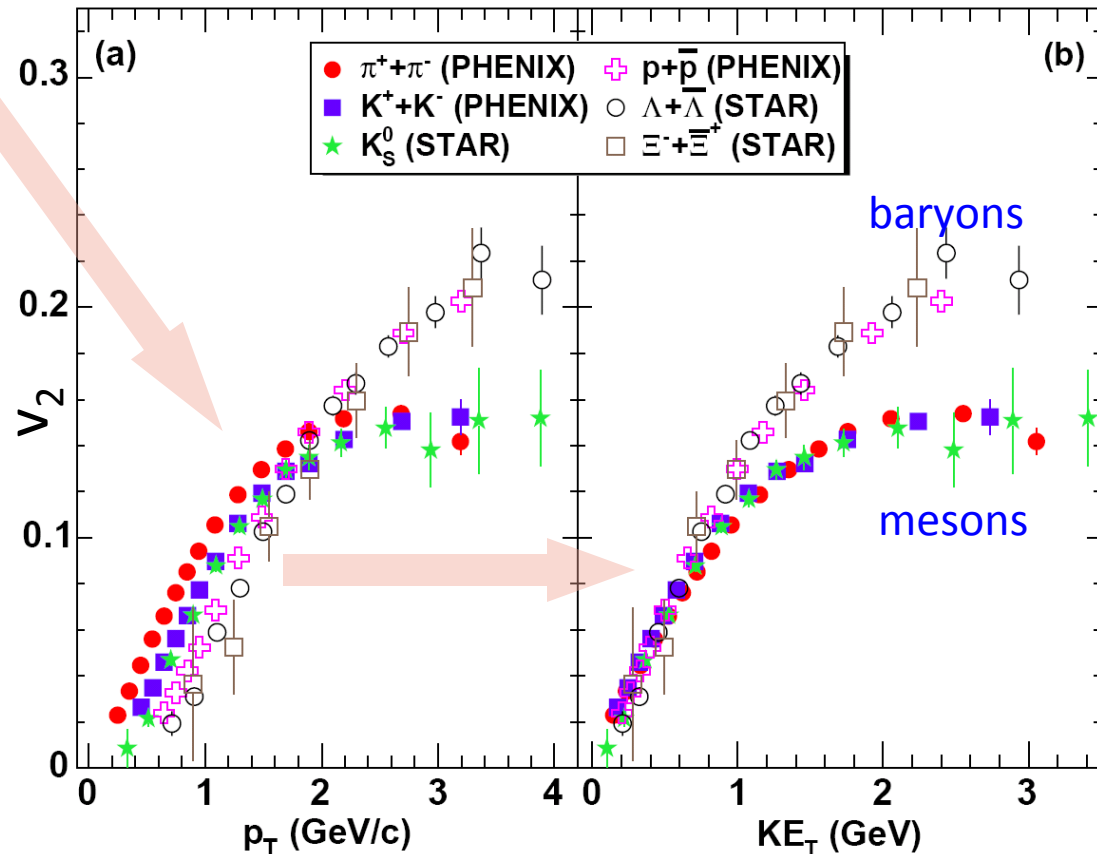
$$\begin{aligned} \rightarrow \int_{vol} \nabla P dV &= \Delta E_K = \\ &= m_T - m_0 \equiv \Delta KE_T \end{aligned}$$

$$v_2(p_T) \rightarrow v_2(KE_T)$$

$v_2(KE_T)$ universal for baryons

$v_2(KE_T)$ universal for mesons

Phys. Rev. Lett., 2007, 98, 162301

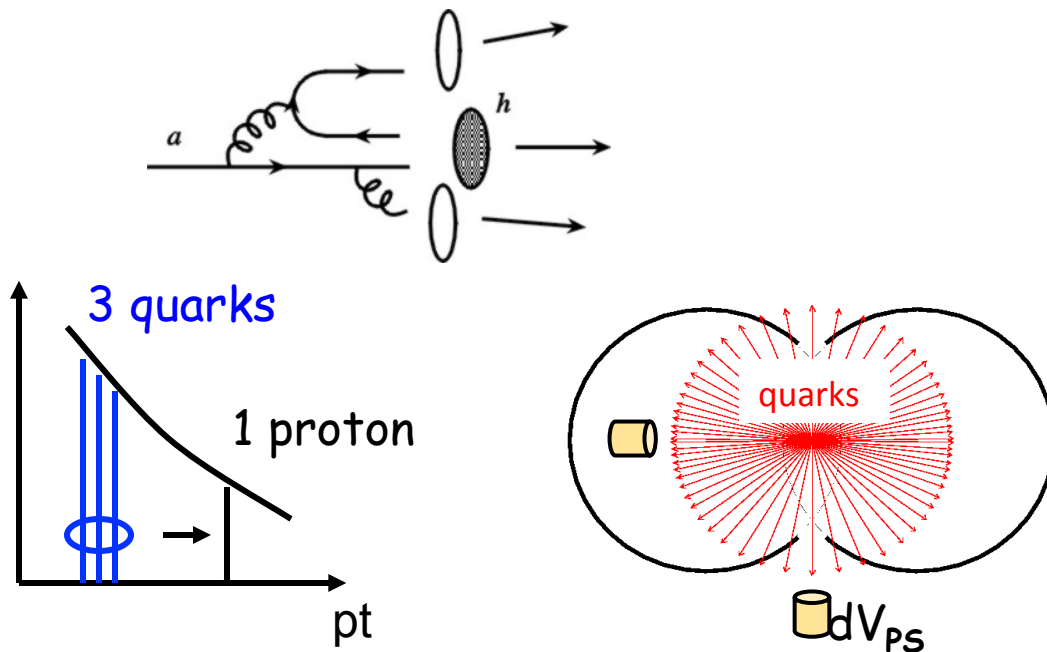


Do we have an even more universal scaling?

QG medium fragmentation-quark recombination

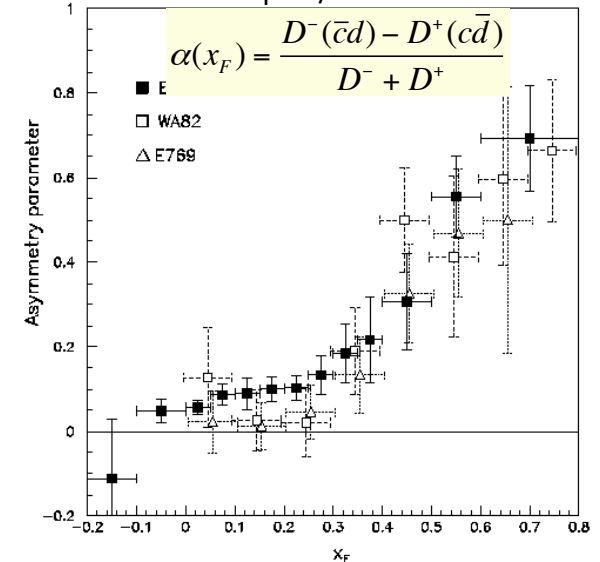
Why is the universal $v_2(K_{E_T})$ different for meson and baryons?

Exited quark-gluon medium \rightarrow huge phase-space densities \rightarrow constituent Quark Recombination / Coalescence



Phys. Lett., 1996, B371, 157-162

FERMILAB hep-ex/9601001



Phys.Rev.Lett.91:092301,2003

$$v_2^{meson}(p_T) \approx 2 \cdot v_2^{quark} \left(\frac{p_{T,quark}}{2} \right) \quad v_2^{baryon}(p_T) \approx 3 \cdot v_3^{quark} \left(\frac{p_{T,quark}}{3} \right)$$

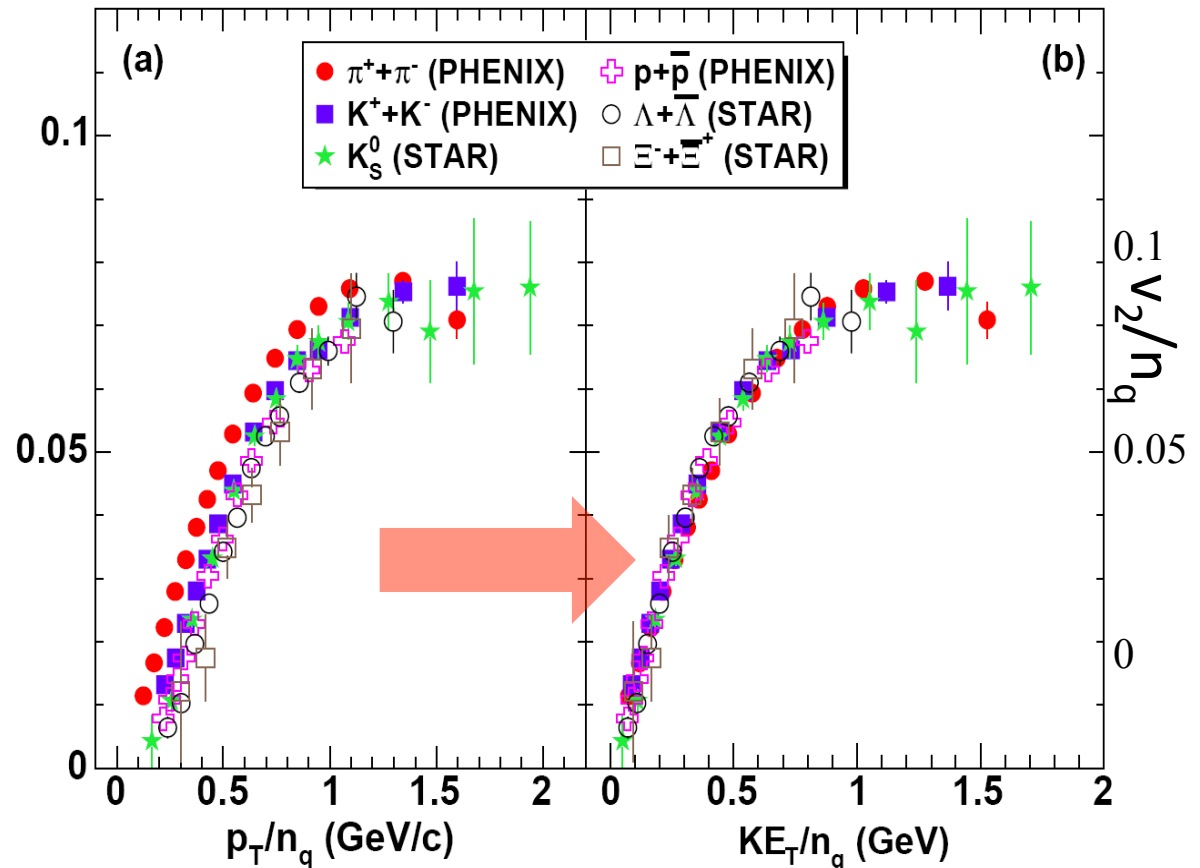
The “Flow” Knows Quarks

Assumption:

all bulk particles are coming from **recombination of flowing partons**

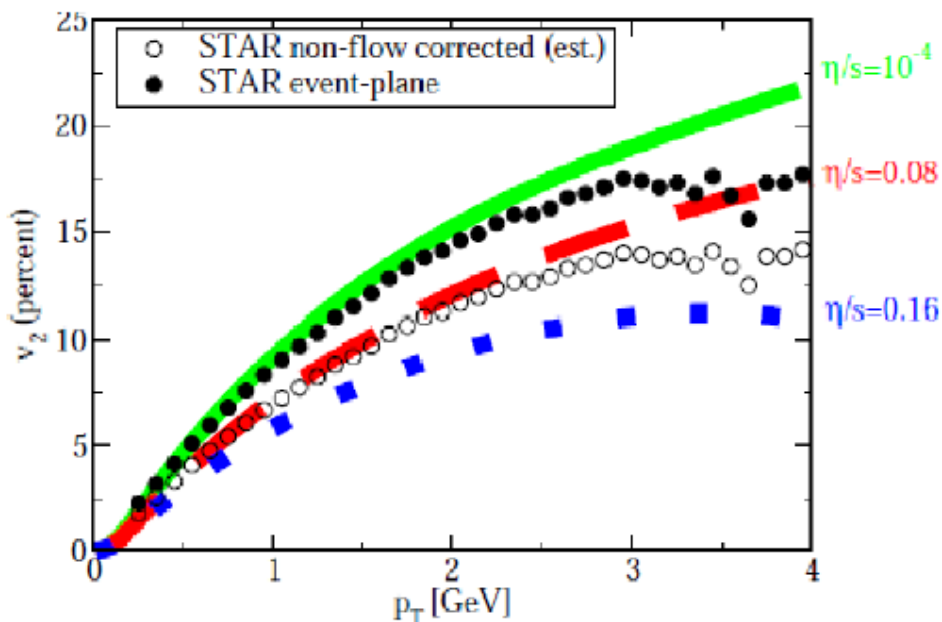
$$v_2(p_T) \rightarrow n_q \cdot v_2\left(\frac{KE_T}{n_q}\right)$$

Discovery of universal scaling:



- flow parameters scaled by quark content n_q resolves meson-baryon separation of final state hadrons. Works for **strange** and even **charm** quarks.
- strongly suggests the **early thermalization** and **quark degree of freedom**.

Elliptic flow in high energy HIC



Luzum & Romatschke, arXiv:0804.4015

- Why is elliptic flow important?
- Quantifies the medium response to the initial state geometry, which is sensitive to:
 - Initial state properties
 - QGP properties like equation of state, transport coefficients, viscosity
 - hadronization
- Shear viscosity much smaller than for any known substance
- Lower bound conjectured from AdS/CFT: $\eta/s = 1/4\pi \approx 0.08$
Kovtun, Son, Starinets hep-th/0405231

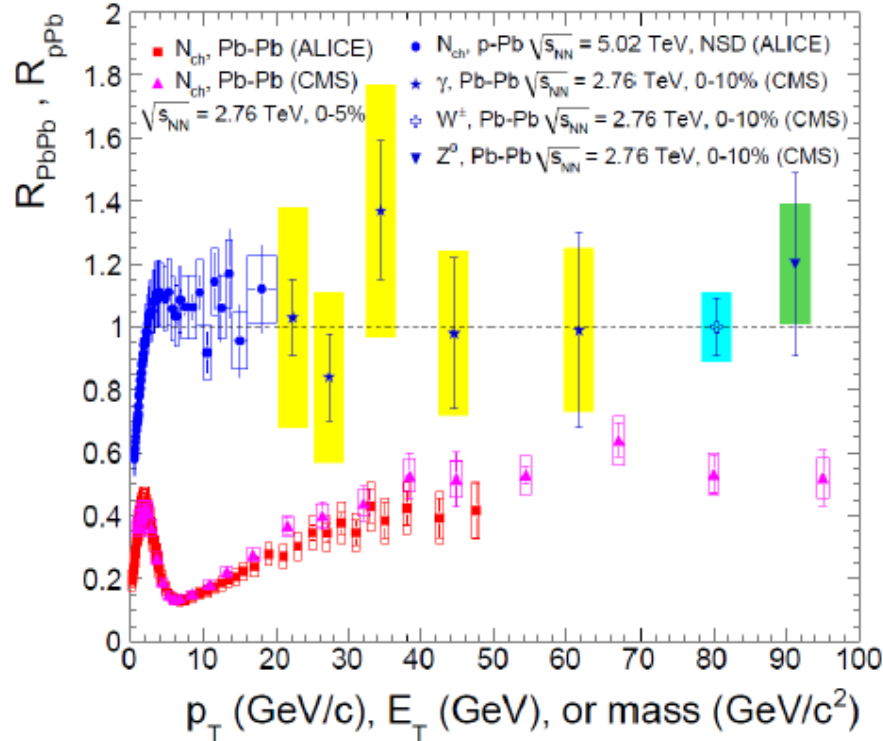
Hard probes

High- p_T suppression

p-Pb, ALICE PRL110(2013)082302
 Pb-Pb, ALICE, Phys.Lett.B720 (2013)52
 Pb-Pb, CMS, EPJC (2012) 72

γ , CMS, PLB 710 (2012) 256
 W^\pm , CMS, PLB715 (2012) 66
 Z^0 , CMS, PRL106 (2011) 212301

$$R_{AA} = \frac{1}{N_{coll}} \times \frac{Y_{AA}}{Y_{pp}}$$

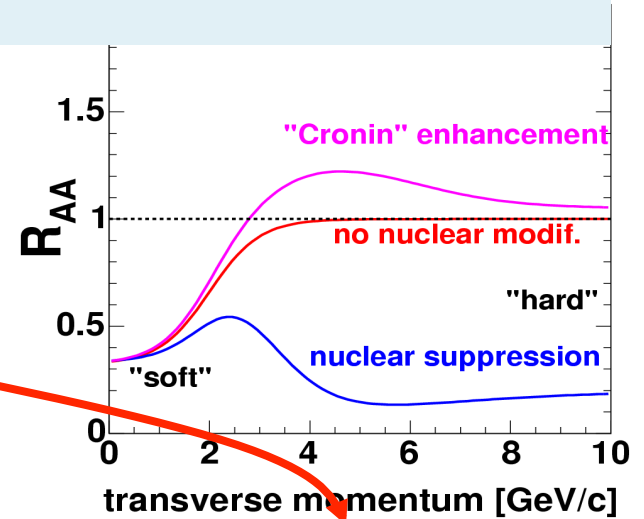
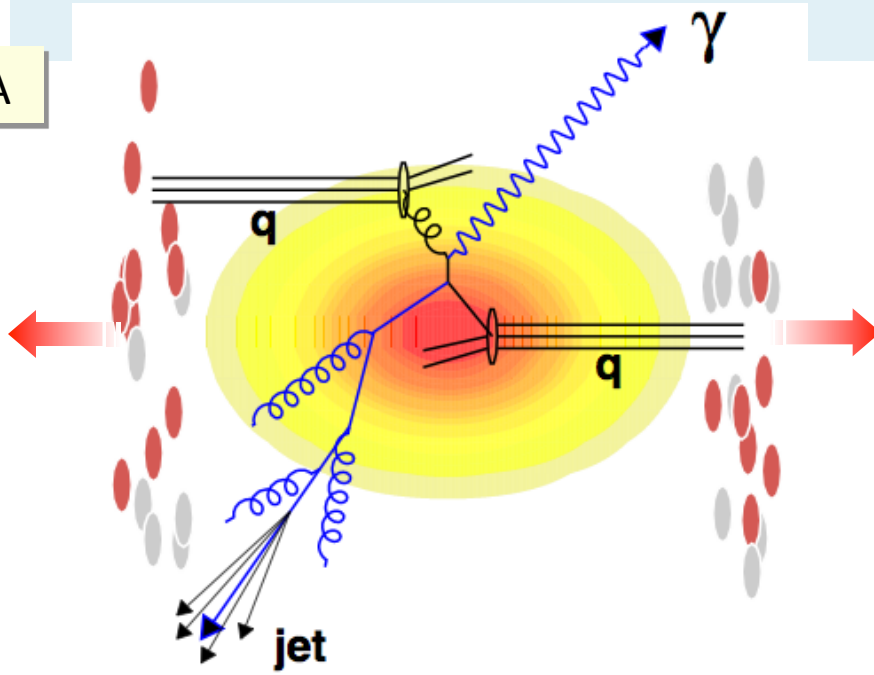


Superposition of NN collisions $\rightarrow R_{AA} = 1$
 Suppression $\rightarrow R_{AA} < 1$
 Enhancement $\rightarrow R_{AA} > 1$

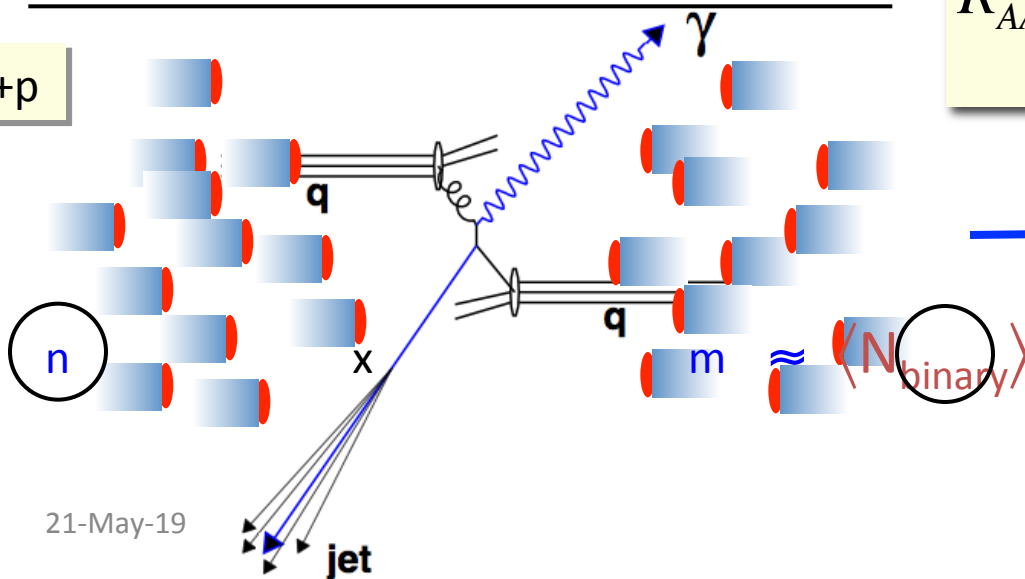
- \rightarrow High- p_T hadrons strongly suppressed in central heavy-ion collisions
- \rightarrow Suppression persists even at 100 GeV/c
- \rightarrow No hadron high- p_T suppression in p-Pb collisions
- \rightarrow Photons and electroweak bosons production is compatible with binary collision scaling

HI collision - Nuclear Modification Factor R_{AA}

A+A



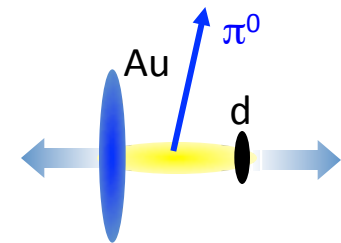
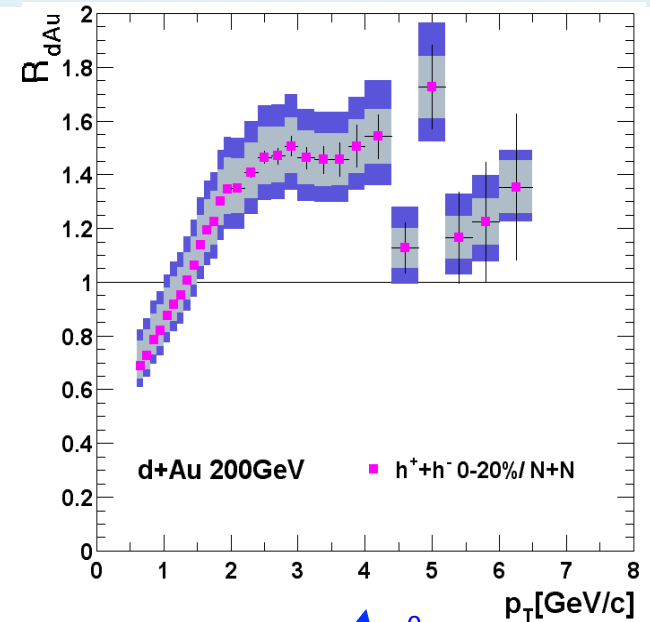
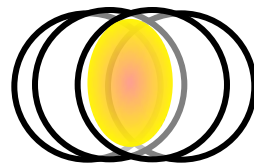
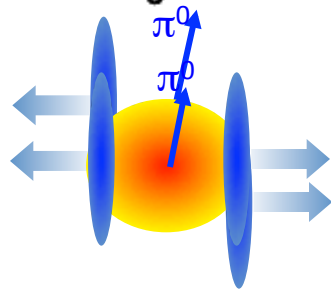
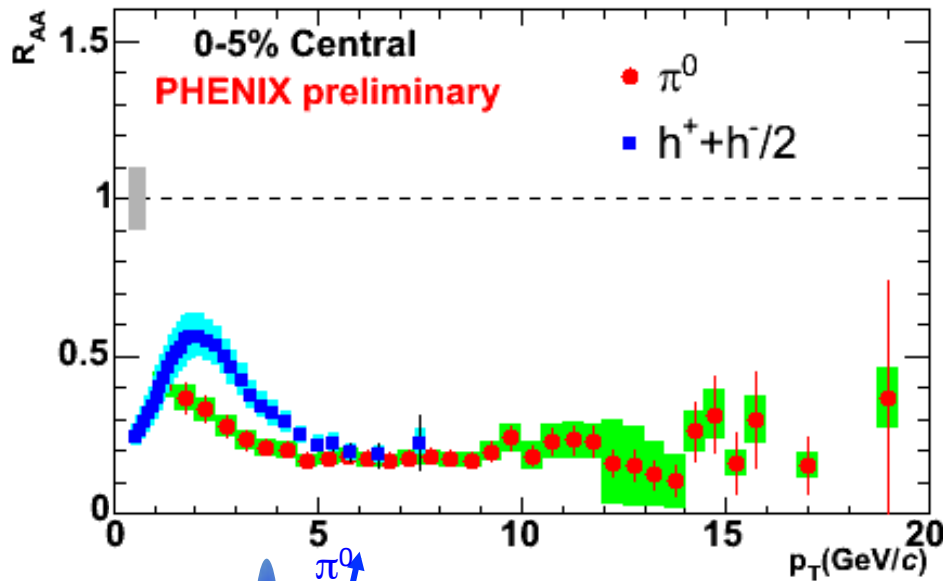
p+p



$$R_{AA}(p_T) = \frac{d^2 N^{AA} / dp_T d\eta}{\langle N_{binary} \rangle d^2 N^{pp} / dp_T d\eta}$$

varies with
impact
parameter b

RHIC $\sqrt{s} = 200 \text{ GeV}$ and h^+h^- data

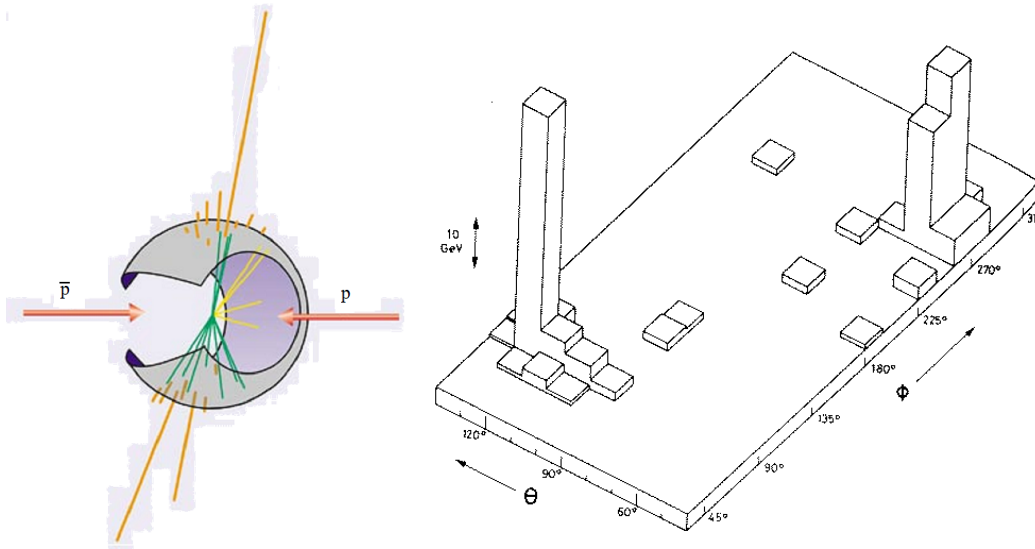


- Strong suppression (x5) in central Au+Au coll.
- No suppression in peripheral Au+Au coll.
- No suppression (Cronin enhancement) in control d+Au exp.

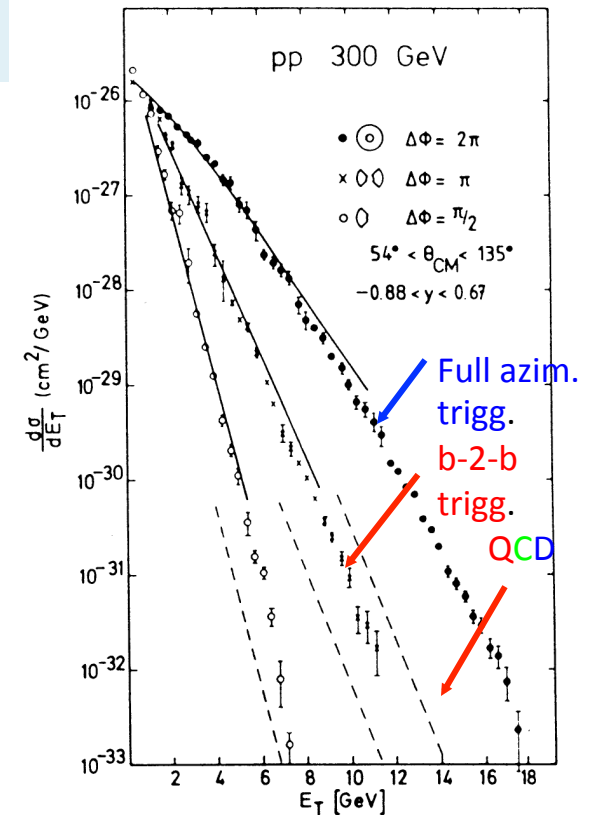
Convincing evidence for the **final state partonic** interaction - emergence of **sQGP**

QCD and Jets

- At the famous **Snowmass** conf. (July 1982) almost **nobody believed** that **jets** seen in $e+e$ collisions **exist** also in $p+p$. NA5 data - no jet structure.
- The International **HEP** conference in Paris, **three weeks later**, changed everything.

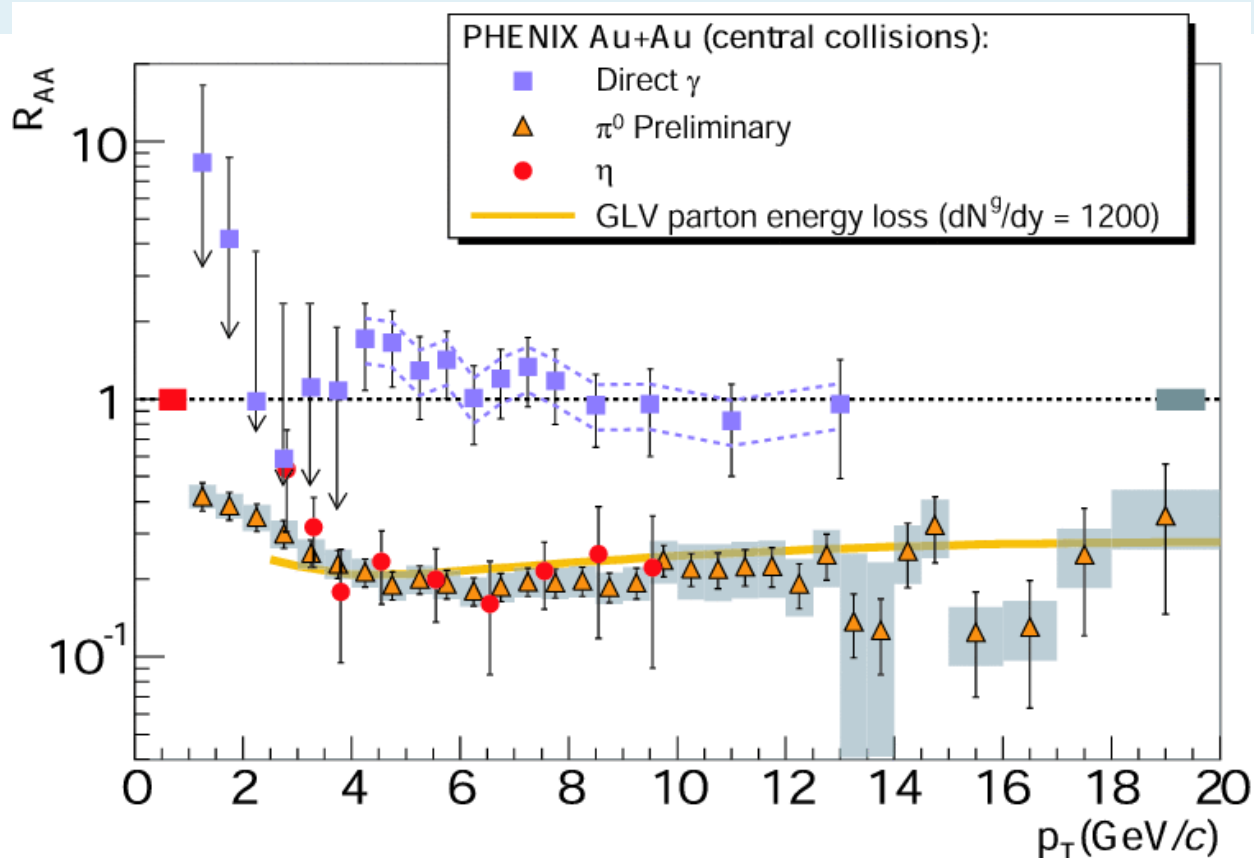


This one event from UA2 in 1982 changed everybody's opinion.



C. DeMarzo et al NA5,
PLB112(1982)173

Status of R_{AA} in AuAu at $\sqrt{s_{NN}}=200$ GeV



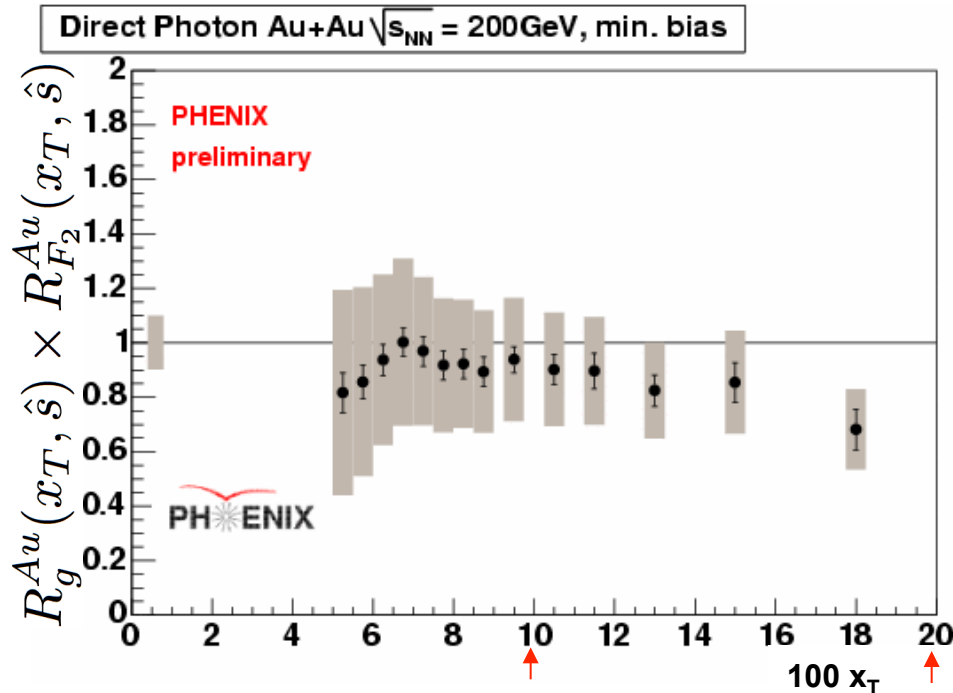
Direct γ are not suppressed. π^0 and η suppressed even at high p_T
Implies a **strong medium effect** (energy loss) since γ not affected.
Suppression is flat at high p_T .

For Au+Au min bias direct γ R_{AA} is simple

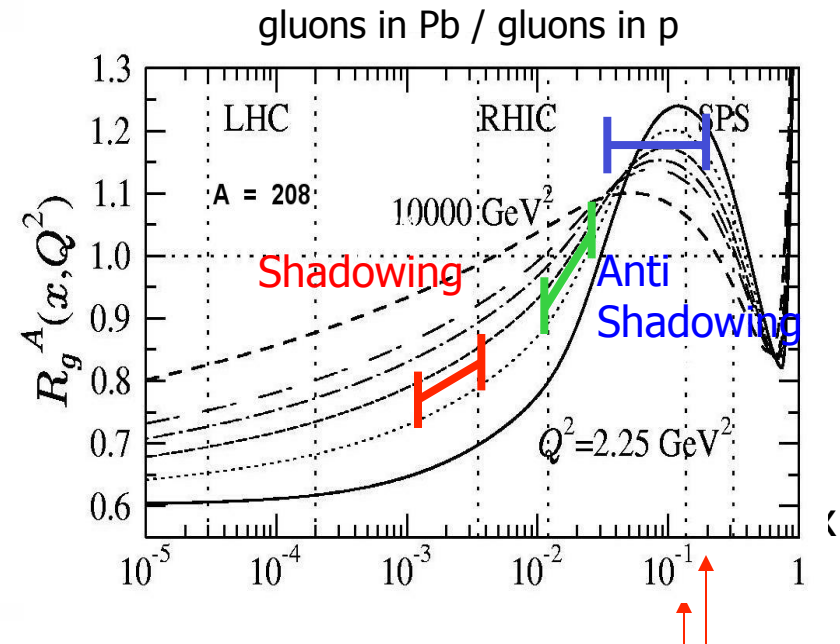
Au+Au minimum bias at mid-rapidity

Eskola, Kolhinen, Ruuskanen Nucl. Phys. B535(1998)351

$$R_{AA} = \frac{d^2\sigma_\gamma^{AA}/dp_T^2 dy_\gamma}{AA d^2\sigma_\gamma^{pp}/dp_T^2 dy_\gamma} \approx \left(\frac{F_{2A}(x_T)}{AF_{2p}(x_T)} \times \frac{g_A(x_T)}{Ag_p(x_T)} \right)$$

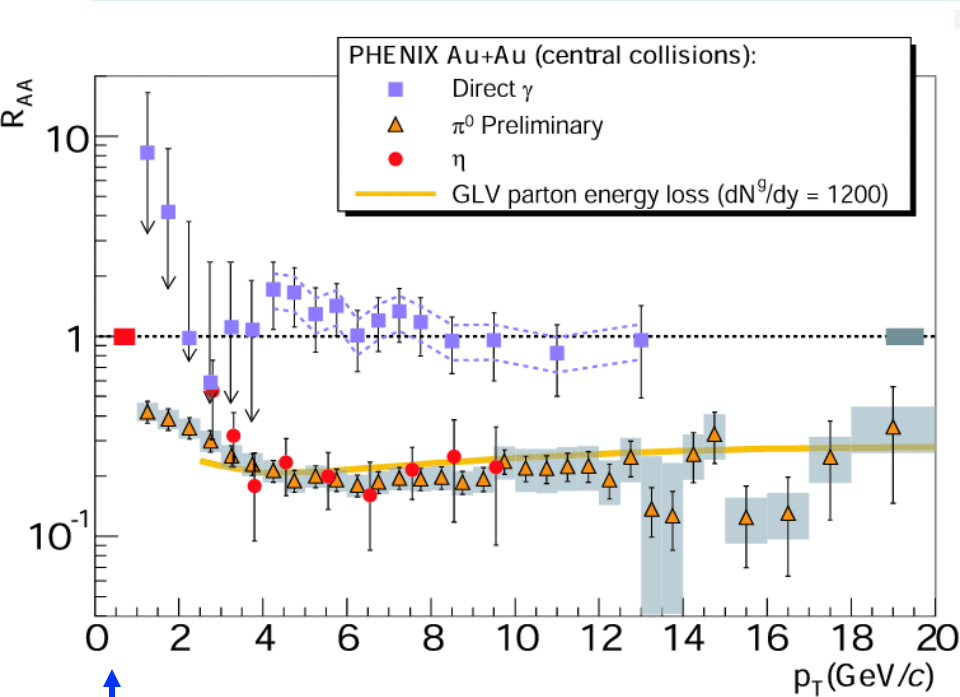


Eskola et al. NPA696 (2001) 729



Do the structure function ratios actually drop by $\sim 20\%$ from $x=0.1$ to $x=0.2$?

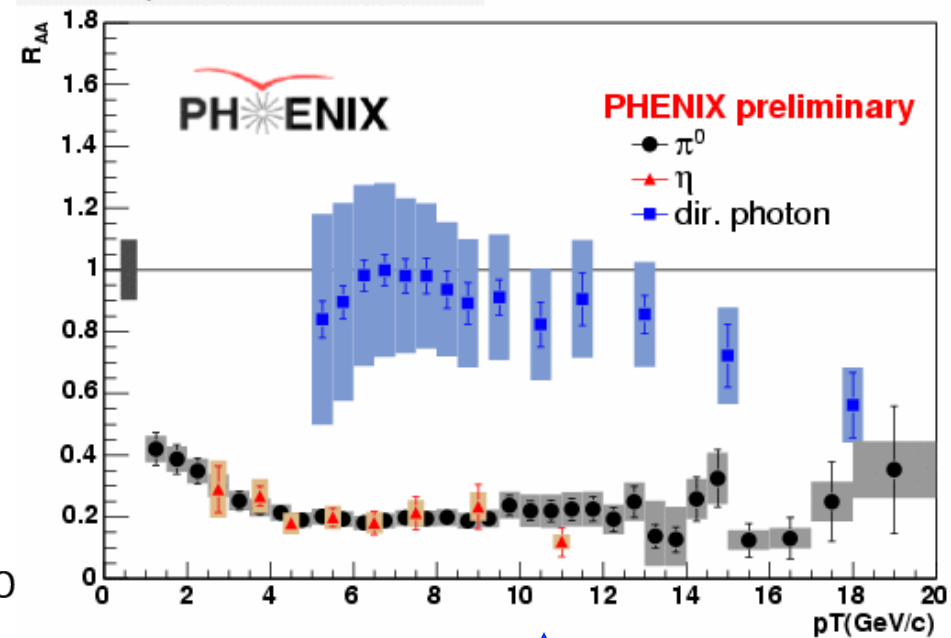
The biggest result at QM2006?



$p+p \rightarrow \gamma+X$ reference

From FNAL, SPS, ISR extrapolation

Au+Au $\sqrt{s_{NN}} = 200\text{GeV}$, 0-10%

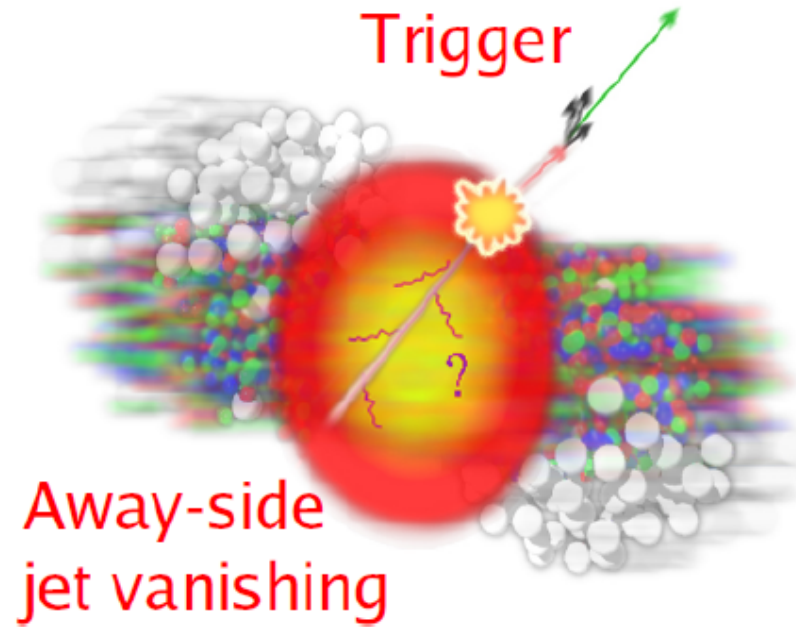


our own measurement

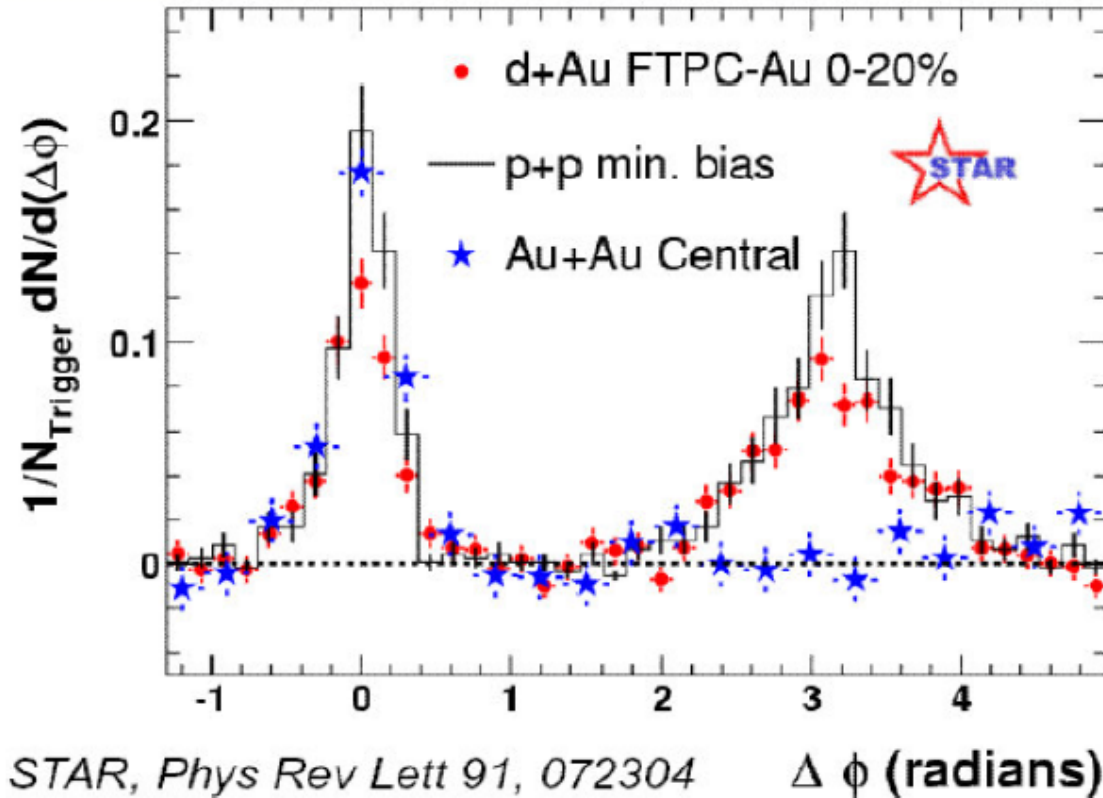
If $R_{AA}^{\pi} = R_{AA}^{\gamma}$ the whole concept of energy loss changes:
perhaps no effect for $p_T > 20$ GeV.

New physics on the horizon?

Two-particle azimuthal correlations

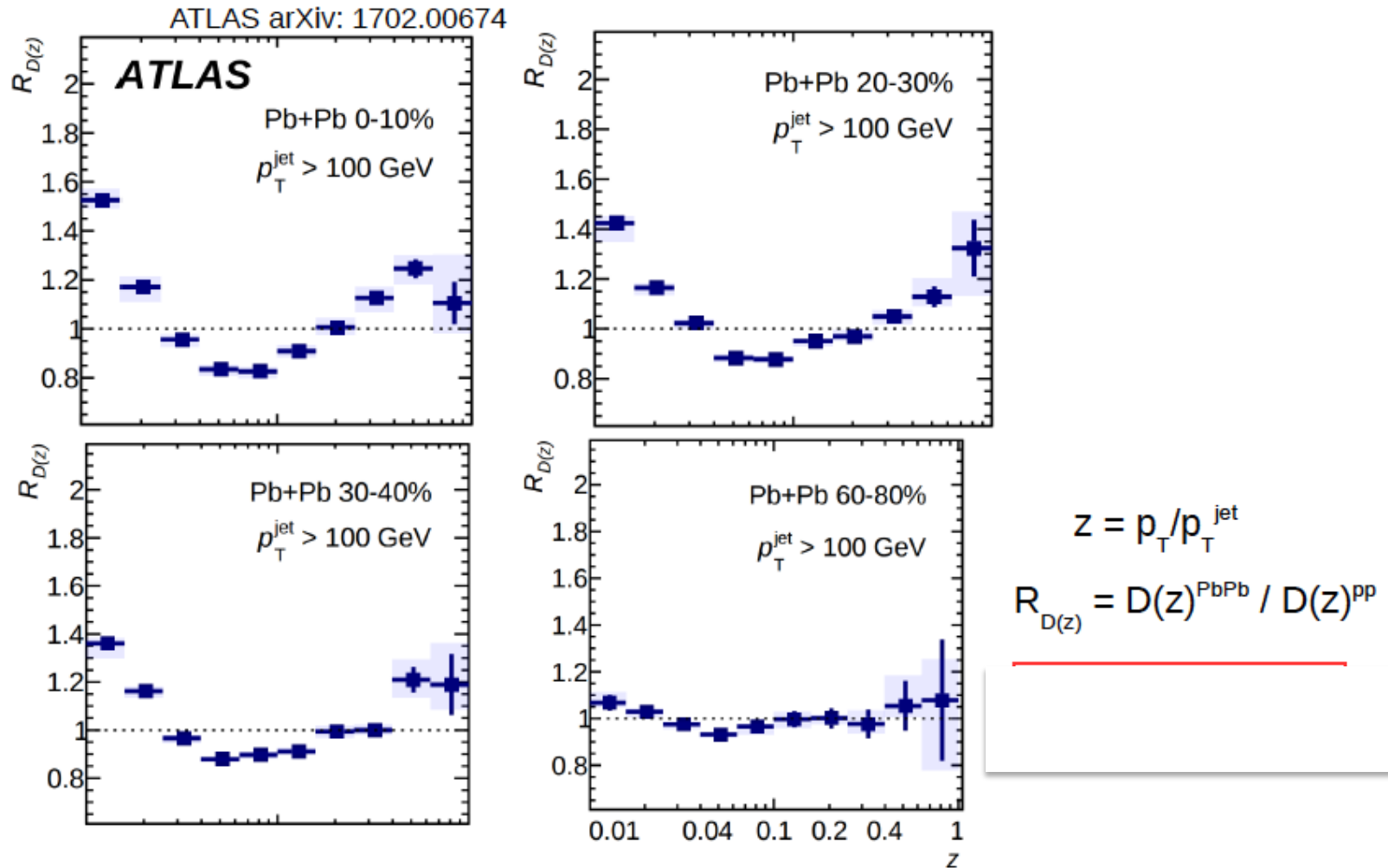


Two-particle azimuthal correlations



- Dissapearance of the associated particle is observed in nuclear collisions, while no effect is observed in pp and d-Au collisions.

Jets

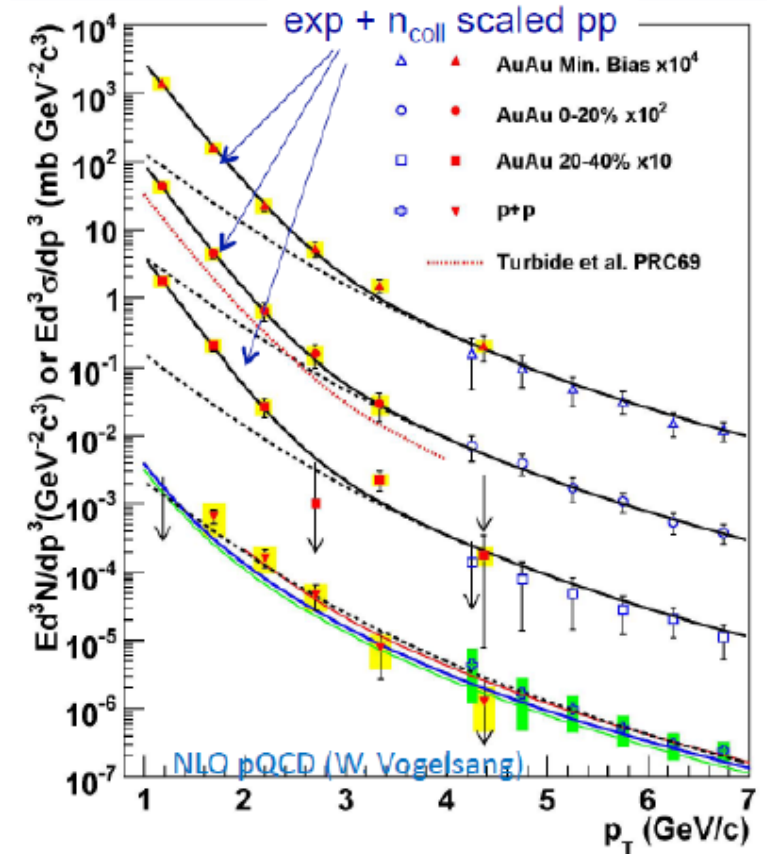
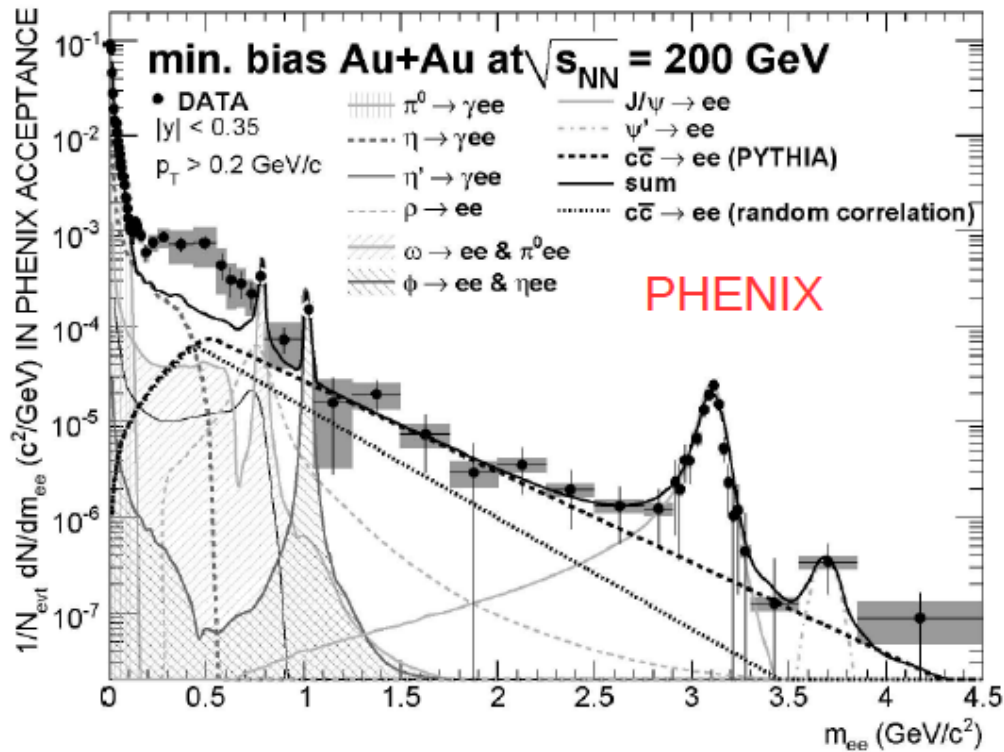


- Full jet reconstruction provides detailed insight into medium modification of the jet fragmentation

Electromagnetic probes

- Direct photons and low mass di-leptons
 - Clean information because of no re-interactions with the QCD medium
 - Emitted through the entire history of the collision
- Hard photons
 - from initial N+N collisions and jet fragmentation
- Soft photons
 - Hadronic sources
 - Thermal photons (both real and virtual) from $q\bar{q}$ annihilations and Compton scattering
- Chiral symmetry restoration
 - ρ -meson broadening and mass shift

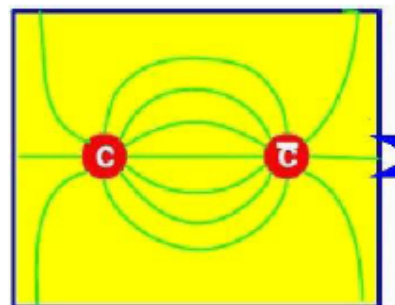
EM probes: low mass dielectrons



- Excess observed in the low mass dielectron spectrum in the region 0.3-0.7 GeV/c associated with thermal radion
- Strong direct photon excess at $p_T < 3$ GeV/c

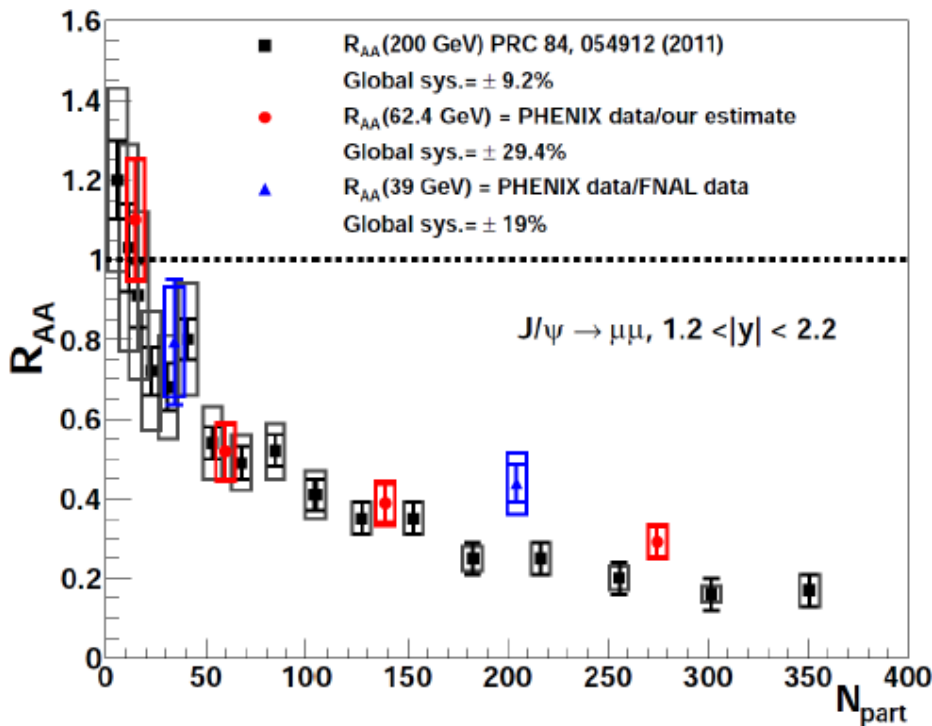
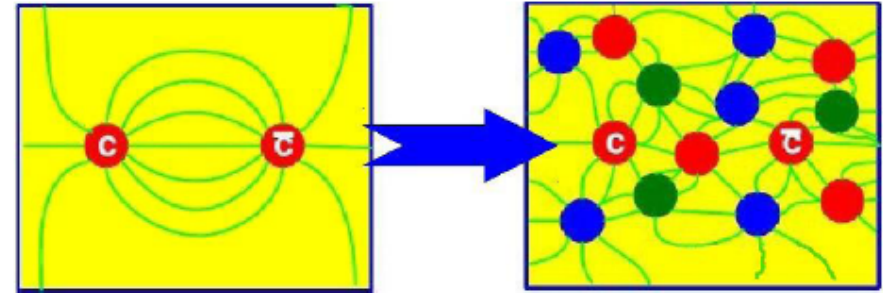
Heavy quarkonium and the QGP

- What are heavy quarkonia ?
 - Bound states of heavy quark anti-quark pairs, e.g. ψ ($c\bar{c}$) and Y ($b\bar{b}$) families
 - Relatively large binding energy, e.g. for J/ψ is ~ 600 MeV
- Due to their large mass, heavy quarks can be produced only in initial hard partonic collisions and their number is conserved during the collision history
 - Ideal probe for QGP



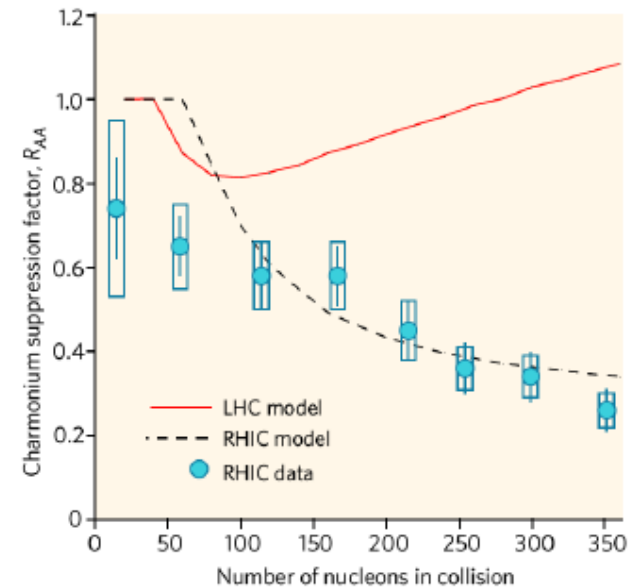
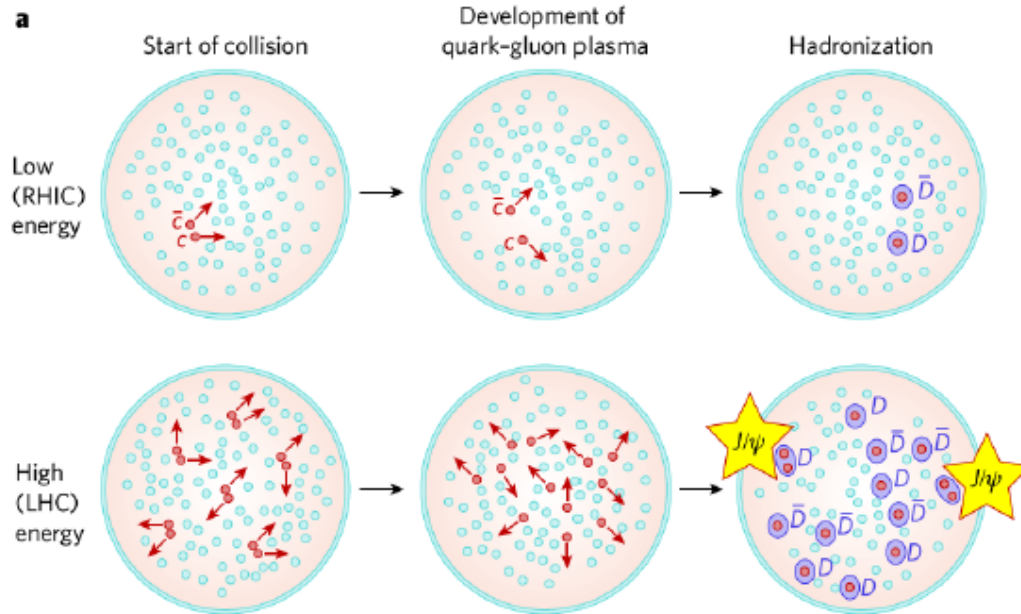
Heavy quarkonium and the QGP

- The original idea (Matsui and Satz, PLB 178 (1986) 416):
 - In a deconfined medium with high density of color charges, the QCD analogue of the Debye screening can lead to heavy quarkonium suppression
 - No J/ψ if $\lambda_D < r_{J/\psi}$



- Evidence of color screening?
- Not completely clear yet: we still need to take into account feed-down from higher mass states (e.g., χ_c , $\psi(2S)$) and CNM effects

Heavy quarkonium at the LHC (re-generation)



Nature 448 (2007) 302-309

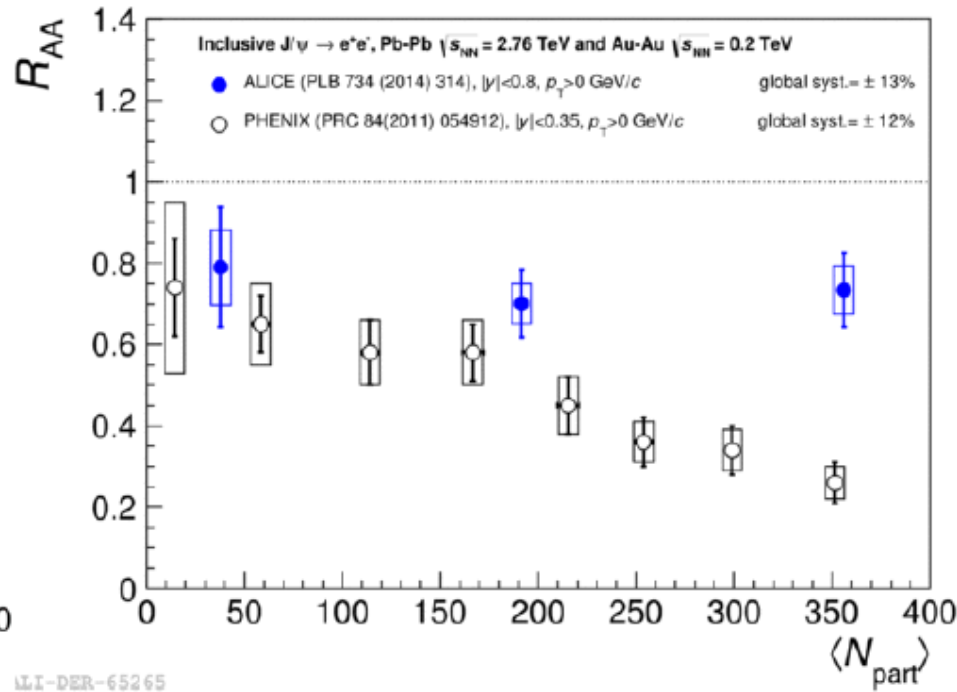
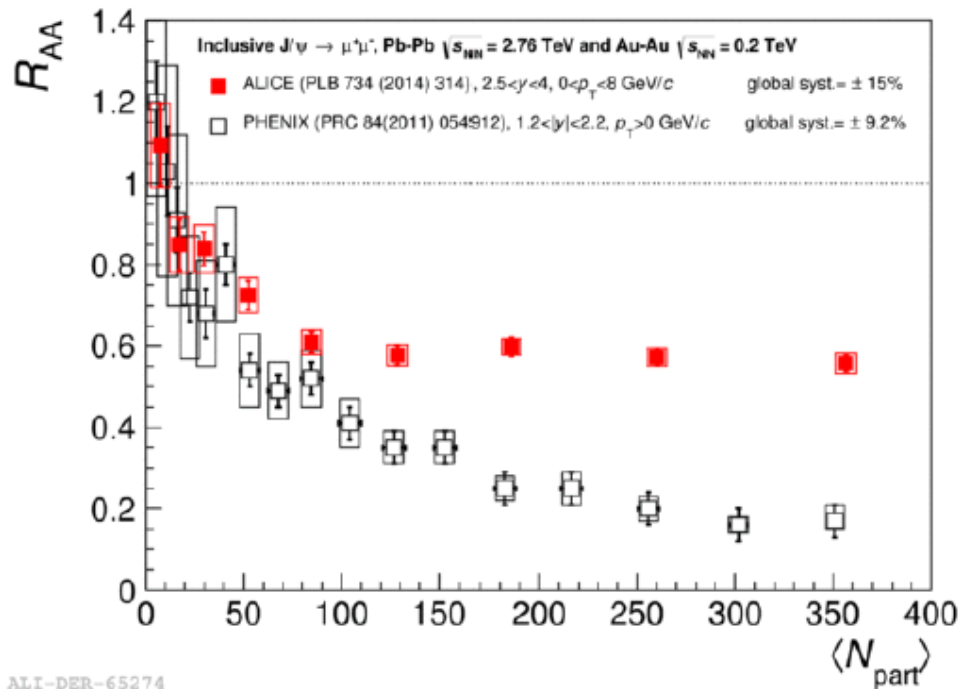
- At the LHC, there are many charm quark-pairs created in one single collision (~100)
- Possible to create charmonium states on a statistical basis → enhancement of charmonium states at LHC
- Open charm and quarkonia abundancies calculated assuming statistical hadronization.

Braun-Munzinger and Stachel, PLB 490 (2000) 196

Thews et al., PRC 63 (2001) 054905

J/ψ at the LHC

Ionut Arsene, monday 22



ALI-DER-65274

ALI-DER-65265

- ALICE results show smaller suppression compared to lower energies (PHENIX) in central collisions
- Indication that regeneration plays an important role in the production of charmonium

Conclusions

- The aim of studying the high energy heavy ion collisions is to better understand QCD in conditions not possible in particle physics: confinement, phase diagram of nuclear matter, chiral symmetry restoration
- Conditions reachable are similar to the ones during the early Universe (few microseconds) and in the core of neutron stars
- This field incorporates knowledge from many other areas of physics:
 - Thermodynamics, hydrodynamics, string theory, ...
- ... and technology
 - Detectors, Electronics, Scientific Computing
- and provides input for fields like:
 - cosmology, astrophysics, solid-state physics, etc.
- A relatively young and very challenging field of study with a rich phenomenology, the manifestation of many-body QCD

Signatures of Quark Gluon Plasma - Summary

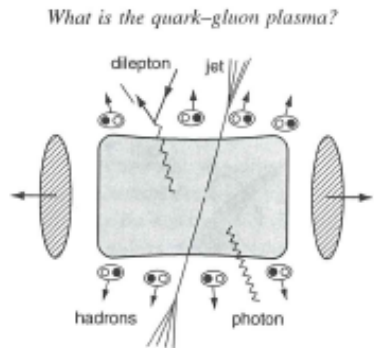


Fig. 1.10. Particles/radiations from the hot quark-hadron matter formed in a central collision between ultra-relativistic heavy nuclei.

dE_T/dy , to be measured in an electromagnetic calorimeter (Chapter 17) is closely connected to the energy density, ϵ .

In the following, (1)–(10) refer to Fig. 1.11.

- (1) A second rise in the average transverse momentum of hadrons due to a jump in entropy density at the phase transition.
- (2) Measurement of the size of the fireball by particle interferometry with identical hadrons (Hanbury-Brown and Twiss effect).
- (3) Enhanced production of strangeness and charm from QGP.
- (4) Enhanced production of anti-particles in QGP.
- (5) An increase of an elliptic flow (v_2) of hadrons from early thermalization of an anisotropic initial configuration.
- (6) Suppression of the event-by-event fluctuations of conserved charges.
- (7) Suppression of high- p_T hadrons due to the energy loss of a parton in QGP.
- (8) Modification of the properties of heavy mesons (J/ψ , ψ' , T , T') due to the color Debye screening in QGP.
- (9) Modifications of the mass and width of the light vector mesons due to chiral symmetry restoration.
- (10) Enhancement of thermal photons and dileptons due to the emission from deconfined QCD plasma.

Obviously, the real situation is not as straightforward as that illustrated in Fig. 1.11 due to various backgrounds which tend to hide the possible signals. Also, there are theoretical indications that QGP is not a simple gas of free quarks and gluons, but rather is a strongly interacting system which may modify some of the basic ideas behind the signatures in Fig. 1.11. Nevertheless, as discussed in Chapters 15 and 16, the vast number of data from SPS and RHIC already provide quite promising clues which may help in pinning down the nature of QGP.

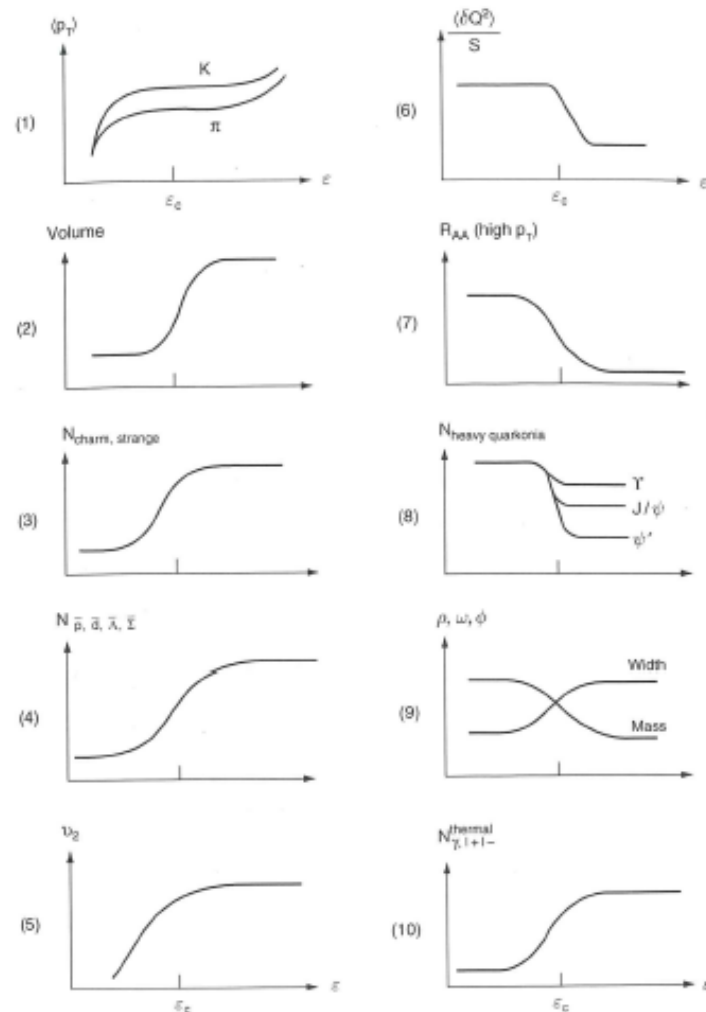


Fig. 1.11. Selected observables as a function of the central energy density ϵ in the relativistic heavy ion collisions. They are the possible signatures of QCD phase transitions; ϵ is related to the transverse energy per unit rapidity, dE_T/dy ; ϵ_c is the critical energy above which the QGP is expected. This figure has been adapted from an original by S. Nagamiya. For an explanation of parts (1)–(10), please see the text.

Summary and outlook:

- *Experiments:* *BRAHMS, PHENIX,*
PHOBOS, STAR (pp, dAu Au+Au collisions at 19.4, 62, 130 and 200 GeV) : “There is compelling experimental evidence that the matter created at RHIC differs from anything that has been seen before. Still there is no direct indication of QGP formation”
- *Accelerator facilities will be upgraded by order of magnitude Super processors for Lattice QCD will be upgraded at least order of magnitude Microscopic and hydrodynamic models need urgently manpower for describing physics at LHC*

Potential of the Field

