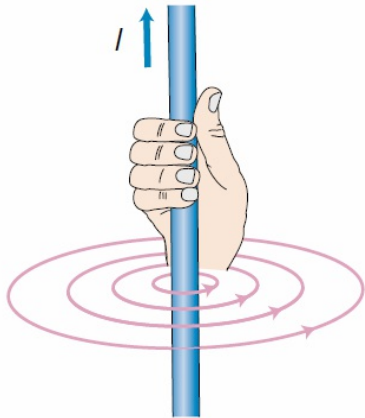
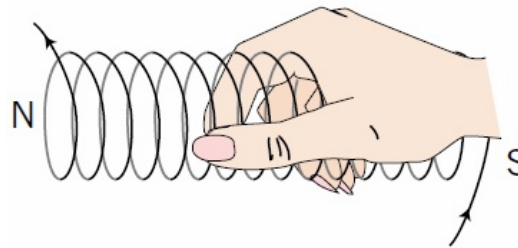


# Kort repetisjon

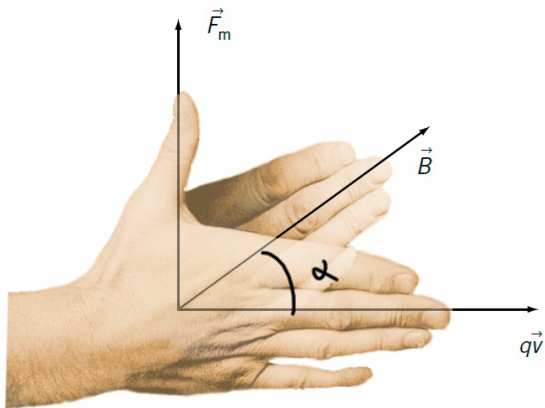
## Høyrehåndsregel 1



## Høyrehåndsregel 2



## Høyrehåndsregel 3



$$\vec{F}_m = q \vec{v} \times \vec{B}$$
$$F_m = q v B \sin \alpha$$

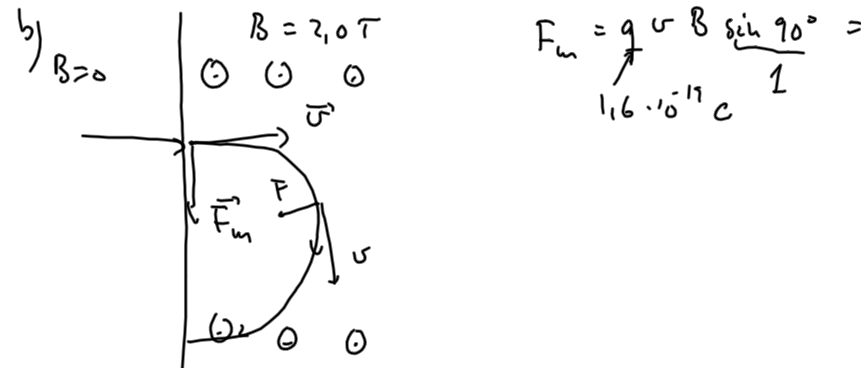
### Oppgave 4

Et proton går inn i et homogent magnetisk felt med feltstyrken  $B = 2,0 \text{ T}$ . Feltet står vinkelrett på protonets bane. Farten til protonet er  $4,0 \cdot 10^6 \text{ m/s}$ .

- Hva er den kinetiske energien til protonet? Forandrer denne energien seg når protonet beveger seg inn i feltet? Grunngi svaret.
- Bestem verdien og retningen for kraften på protonet når det går inn i feltet. Tegn en figur der du markerer retningen til farten, kraften og magnetfeltet.
- Hvor stor blir radien i den sirkelbanen protonet følger?
- Hvor lang tid bruker protonet på å gå halve sirkelbanen?

a)  $E_k = \frac{1}{2} m v^2 =$

*Handwritten note:  $m_{\text{proton}} = 1,6 \cdot 10^{-27} \text{ kg}$*

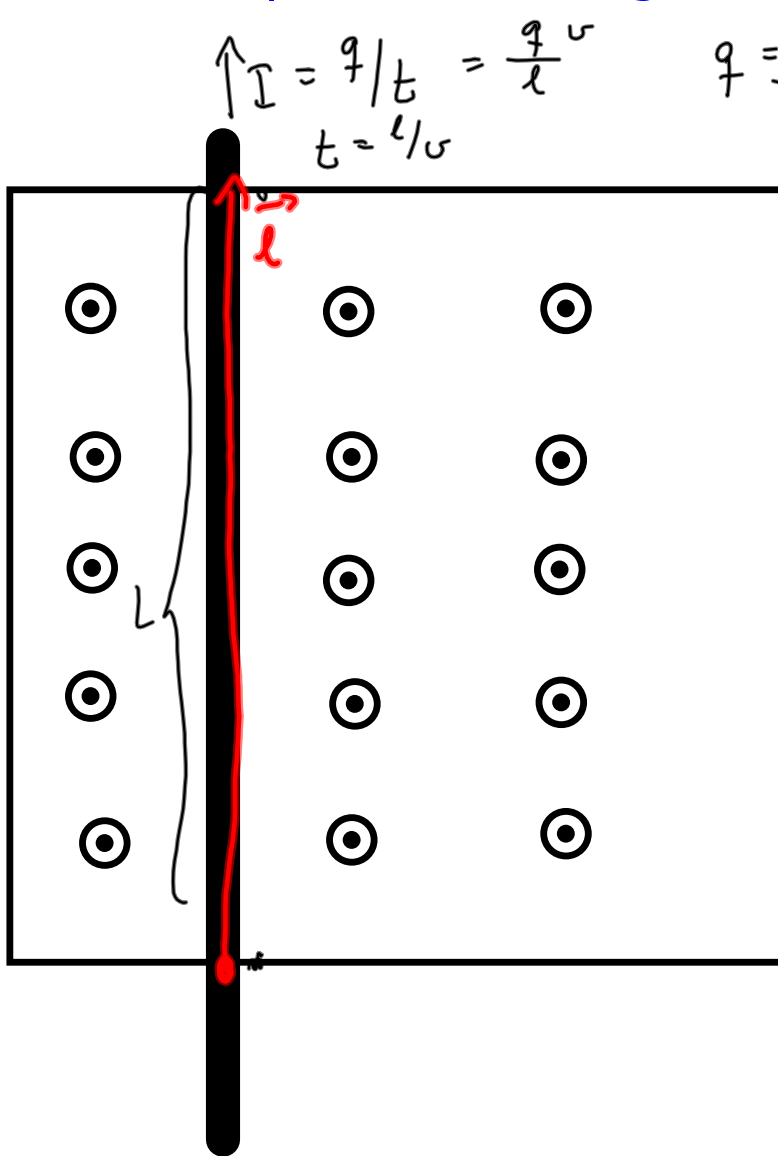


c)  $q v B = m \frac{v^2}{r}$

$r = \frac{m v}{q B} = \dots$

d)  $t = \frac{s}{v} = \frac{\pi r}{v} = \frac{\pi m v}{v q B} = \frac{\pi m}{q B}$

# Kraft på leder i magnetfelt



$$I = q/t = \frac{q}{l} v$$

$$t = l/v$$

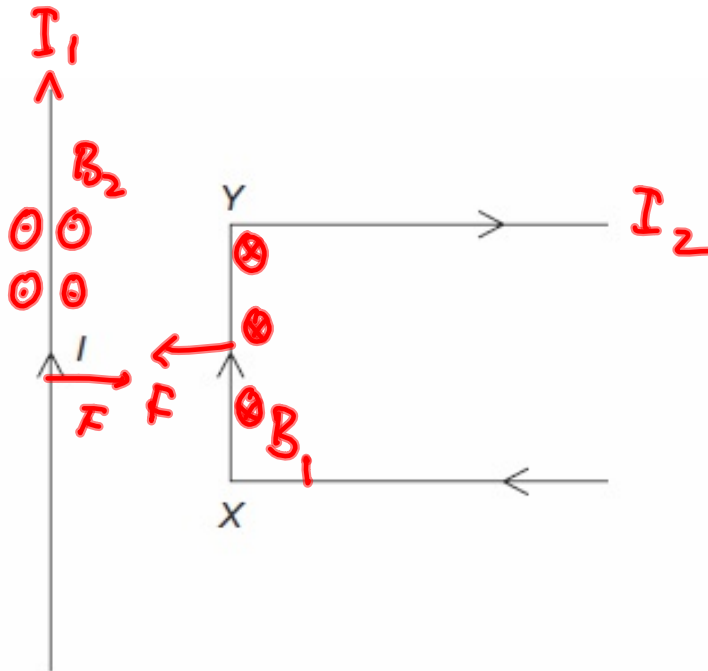
$$q = \frac{I l}{v} \quad v \perp B$$

$$F = q v B = \frac{I l}{v} \cdot v B = I l B$$

$$\vec{F} = I \vec{l} \times \vec{B}$$

## Samsnakk

Her ser du to ledere. Lederstykket XY blir påvirket av en magnetisk kraft. Hvilken retning har denne kraften?



## Eksempel

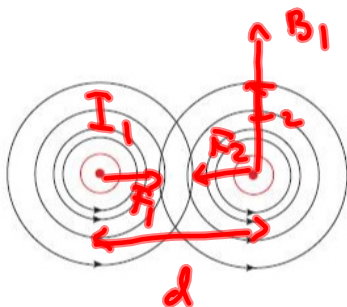
Vi har to lange, rette og parallelle ledere.

Det virker tiltrekkende krefter mellom dem,  $\vec{F}$

og på et 10 cm langt lederstykke er kraften  $3,6 \cdot 10^{-6}$  N.

Strømmen gjennom lederne er 1,5 A og 3,0 A.

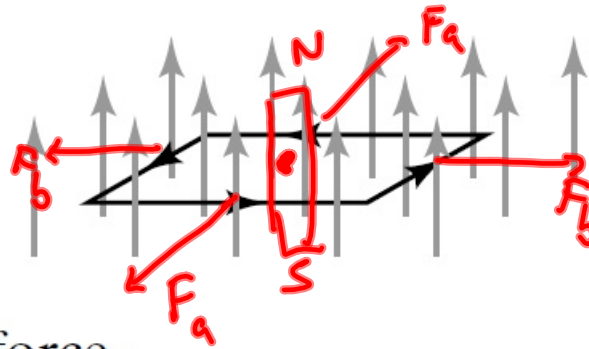
Avstanden mellom lederne er...



$$\vec{F}_2 = \vec{I}_2 \cdot l \cdot B_1 = I_2 \cdot l \cdot k_m \frac{I_1}{d} = k_m \cdot \frac{I_1 I_2}{d} \cdot l$$
$$B_1 = k_m \cdot \frac{I_1}{d}$$

$$F = k_m \frac{I_1 I_2}{d} l \Rightarrow d = k_m \frac{I_1 I_2}{F} \cdot l$$
$$= 2,5 \text{ cm}$$

A rectangular loop is placed in a uniform magnetic field with the plane of the loop perpendicular to the direction of the field. If a current is made to flow through the loop in the sense shown by the arrows, the field exerts on the loop:



$$\sum \vec{F} = 0$$

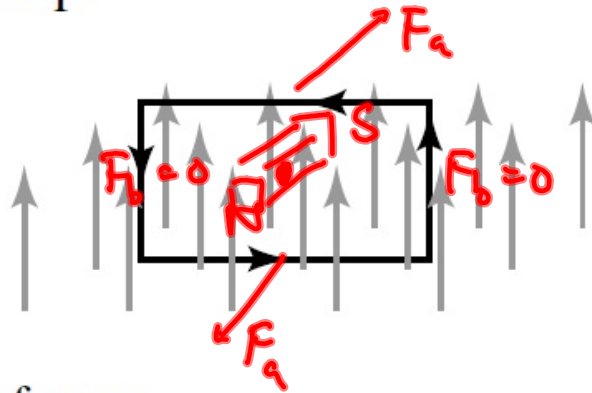
$$M = 0$$

$$\sum \tau = 0$$

1. a net force.
2. a net torque.
3. a net force and a net torque.
4. neither a net force nor a net torque.

Samsnakk

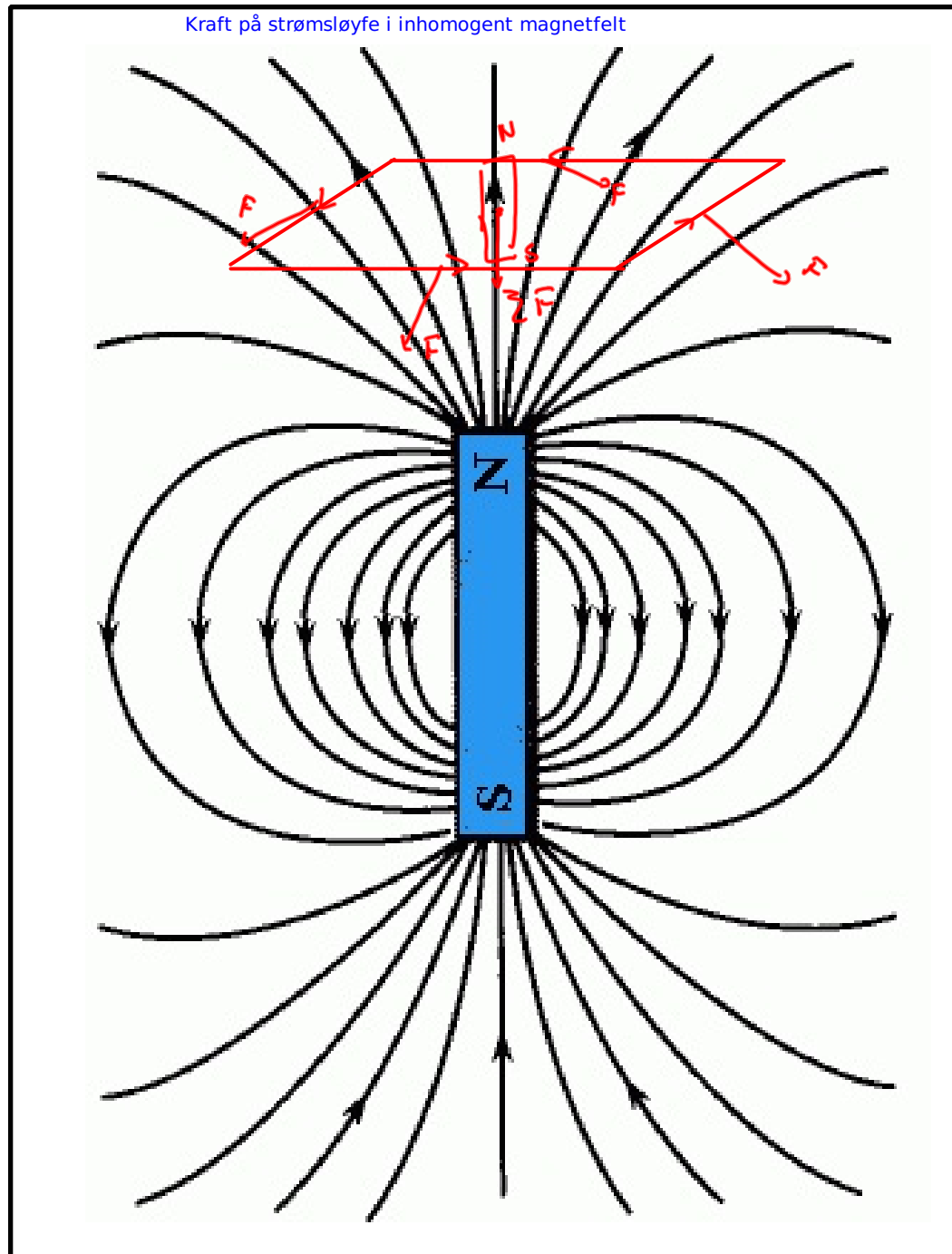
A rectangular loop is placed in a uniform magnetic field with the plane of the loop parallel to the direction of the field. If a current is made to flow through the loop in the sense shown by the arrows, the field exerts on the loop:



$$\sum F = 0$$

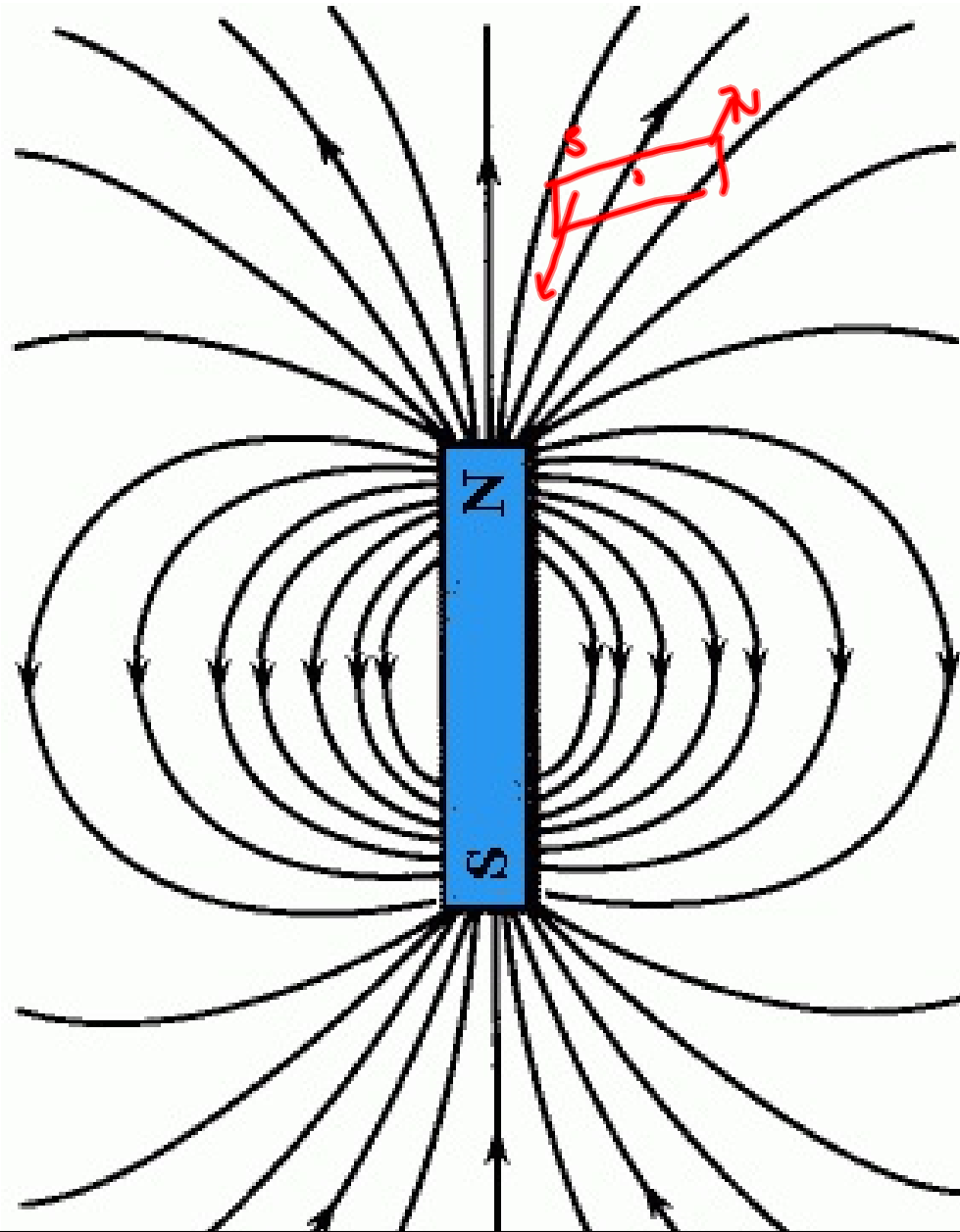
$$\sum M \neq 0$$

1. a net force.
2. a net torque.
3. a net force and a net torque.
4. neither a net force nor a net torque.

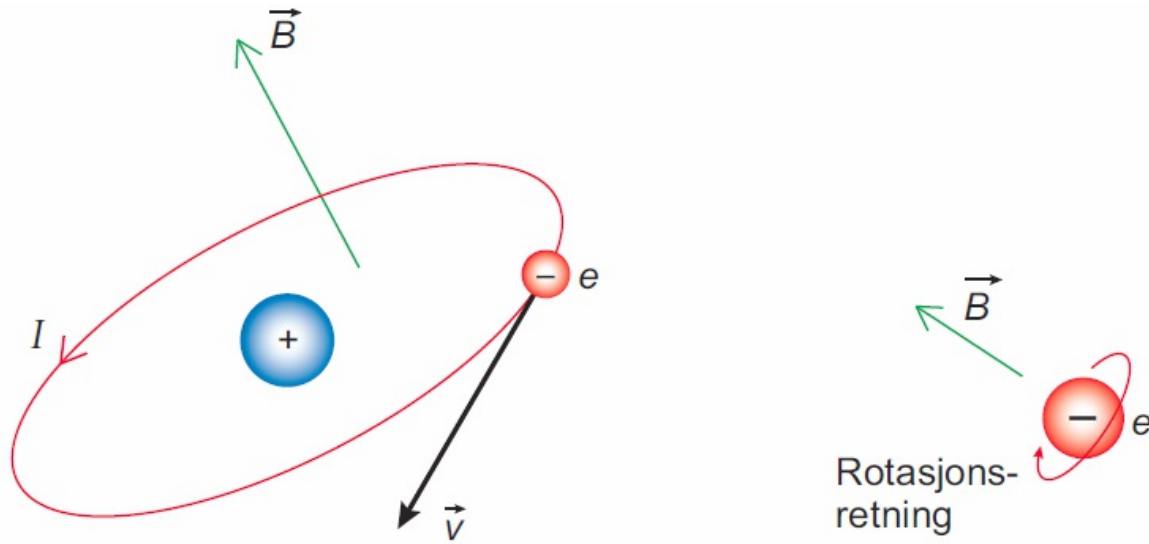




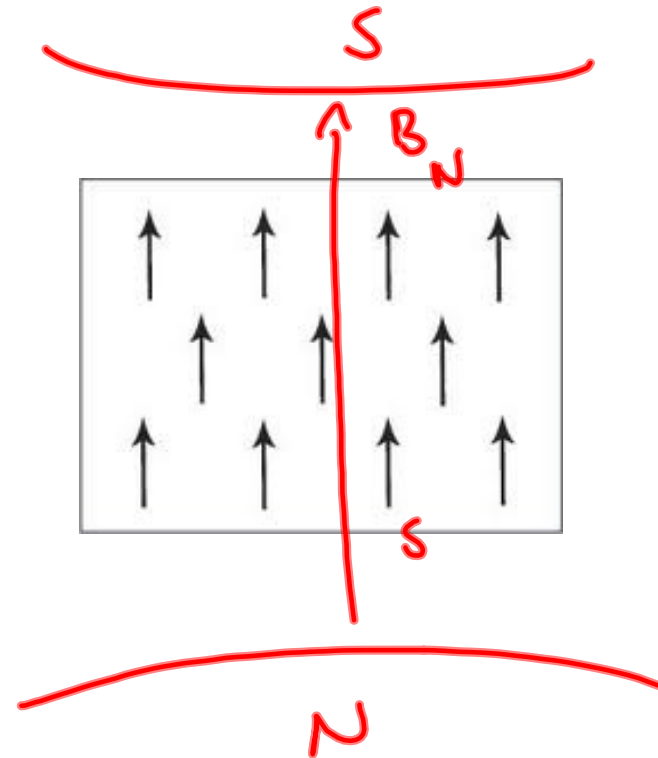
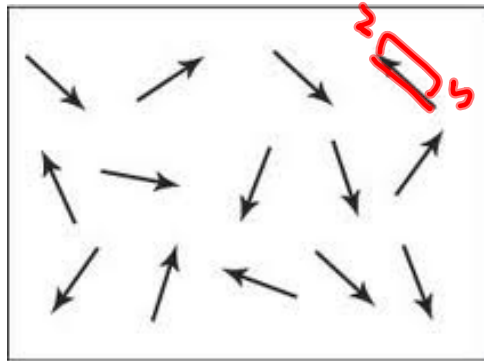
Kraft på magnet i inhomogent magnetfelt



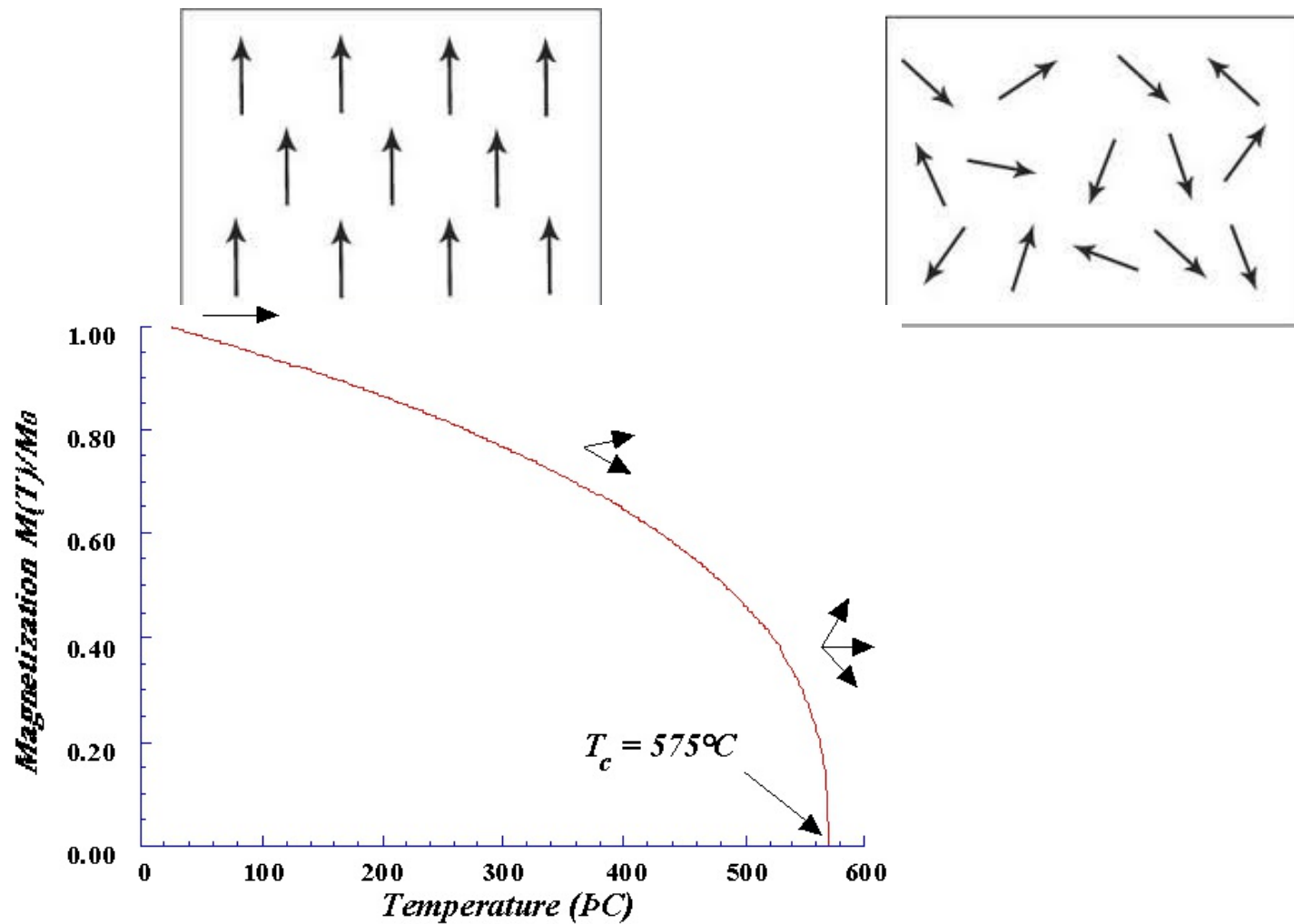
# Atomer som magneter

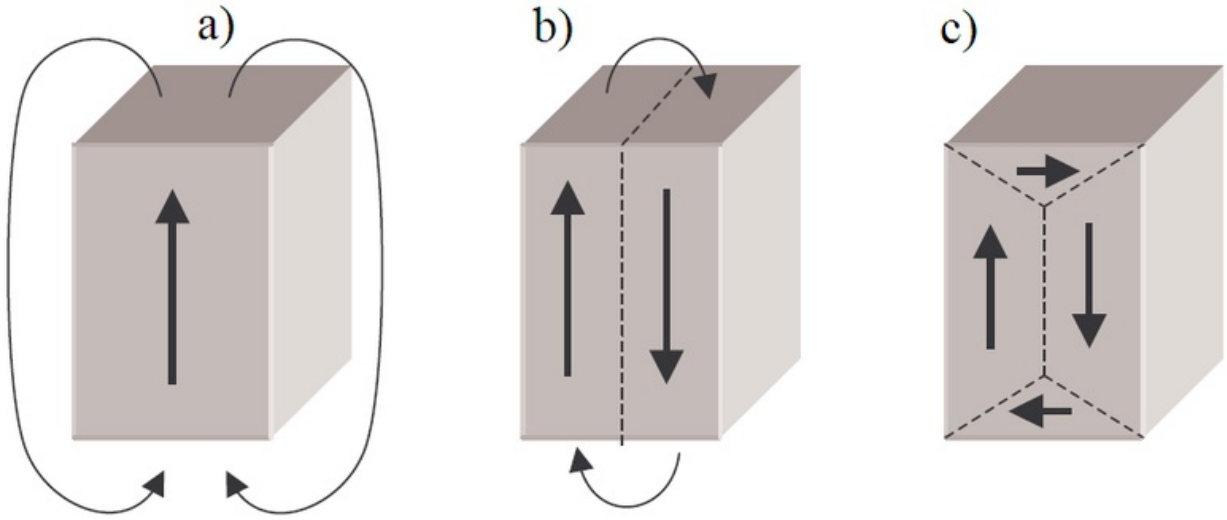
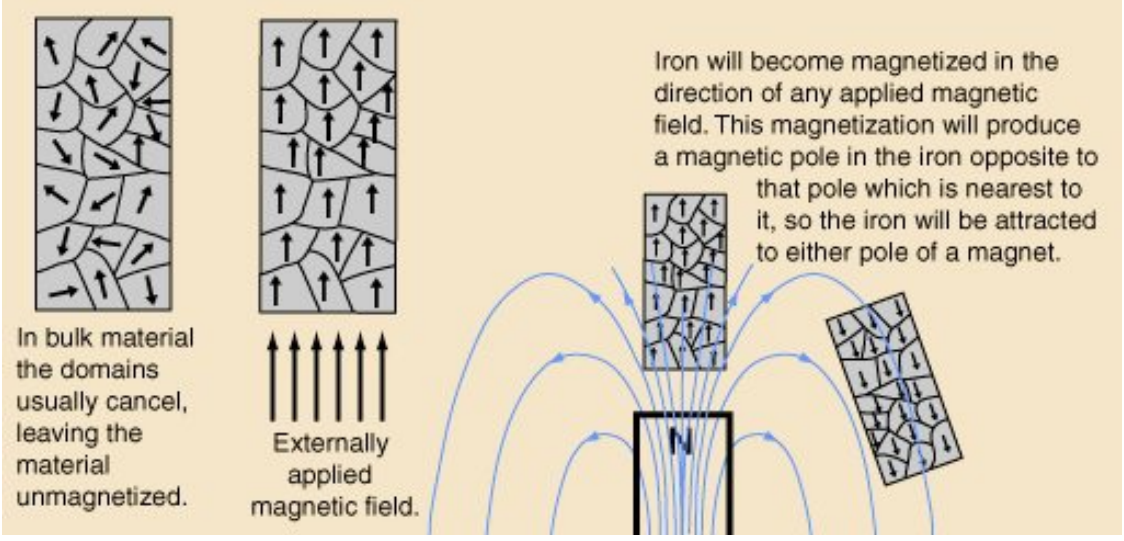


Paramagnetisme: Atomære magneter kan ordnes av et ytre felt

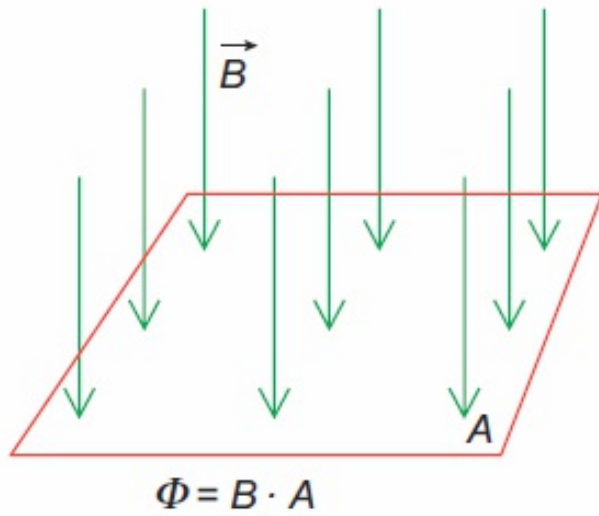


# Ferromagnetisme: Atomære magneter kan ordnes av seg selv





## Magnetisk fluks



7-13 Fluksen er produktet av feltstyrken og arealet.

a Ulik fluks fordi feltstyrken er ulik.

b Ulik fluks fordi arealet er ulikt.



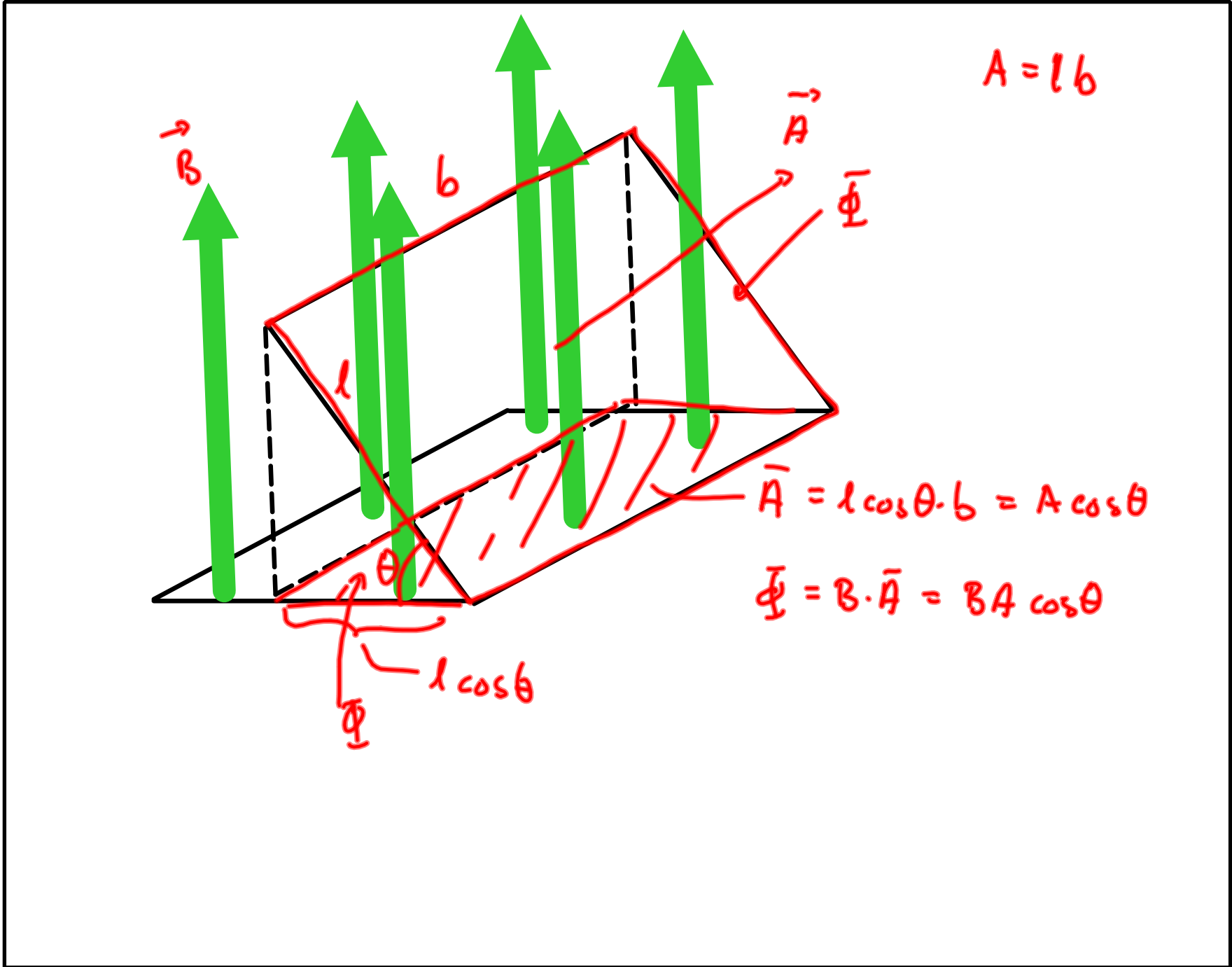
a



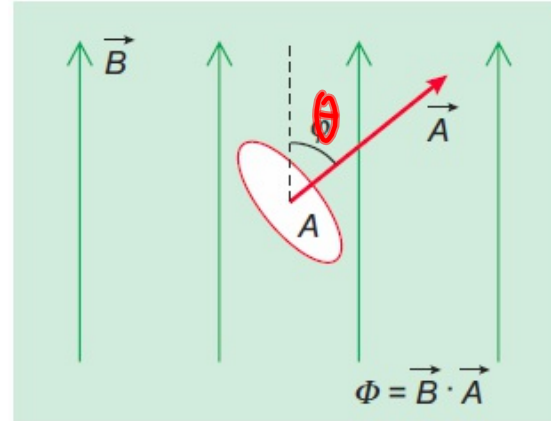
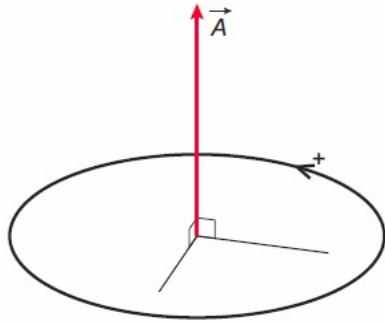
b

Enheten for magnetisk fluks er *weber* med symbolet Wb. Fra definisjonen av magnetisk fluks ser du at weber er lik tesla ganger kvadratmeter,

$$\text{Wb} = \text{Tm}^2$$







$$\begin{aligned}\Phi &= B \cdot A \cos \theta \\ &= \vec{B} \cdot \vec{A}\end{aligned}$$