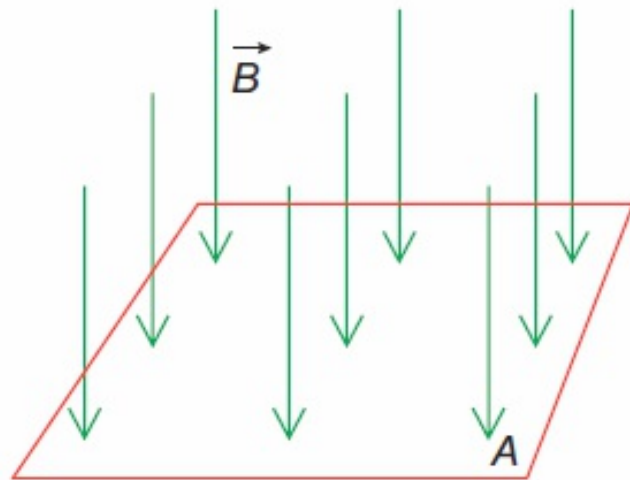
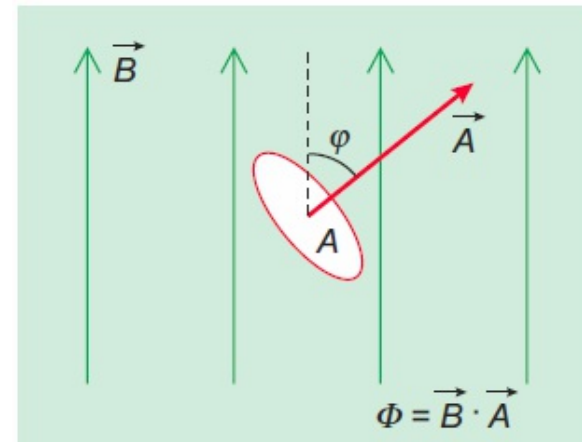
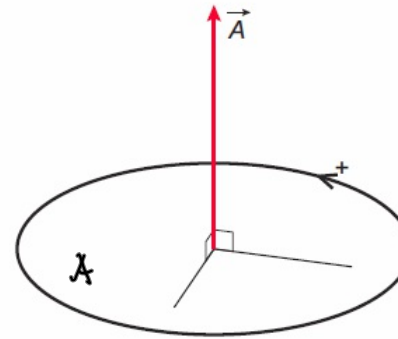


Kapittel 24: Induksjon

Magnetisk fluks



$$\Phi = B \cdot A$$

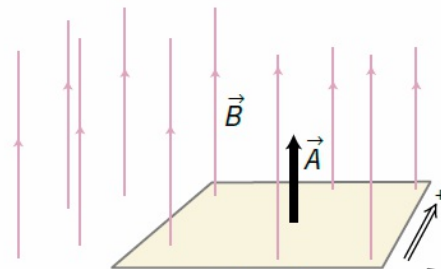


$$\Phi = \vec{B} \cdot \vec{A}$$

$$= BA \cdot \cos \phi$$

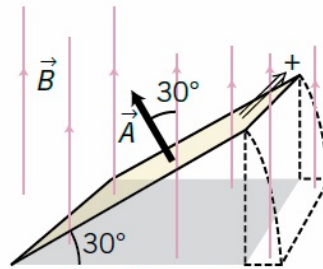
$$A=50 \text{ cm}^2$$

$$B=3,5 \text{ mT}$$

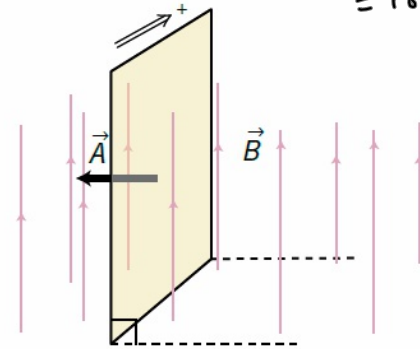


$$\Phi = BA = 3,5 \text{ mT} \cdot 50 \cdot 10^{-4} \text{ m}^2$$
$$= 18 \cdot 10^{-6} \cdot \text{Tm}^2 = 18 \mu \text{ Wb}$$

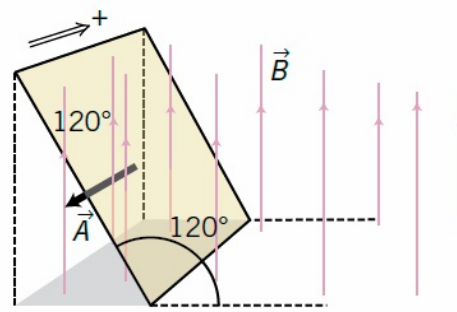
μb
weber



$$\Phi = BA \cos 30^\circ = 15 \mu \text{ Wb}$$

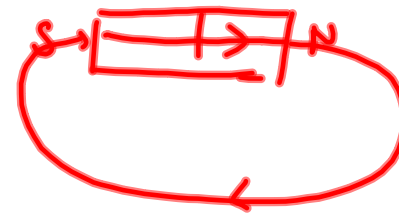
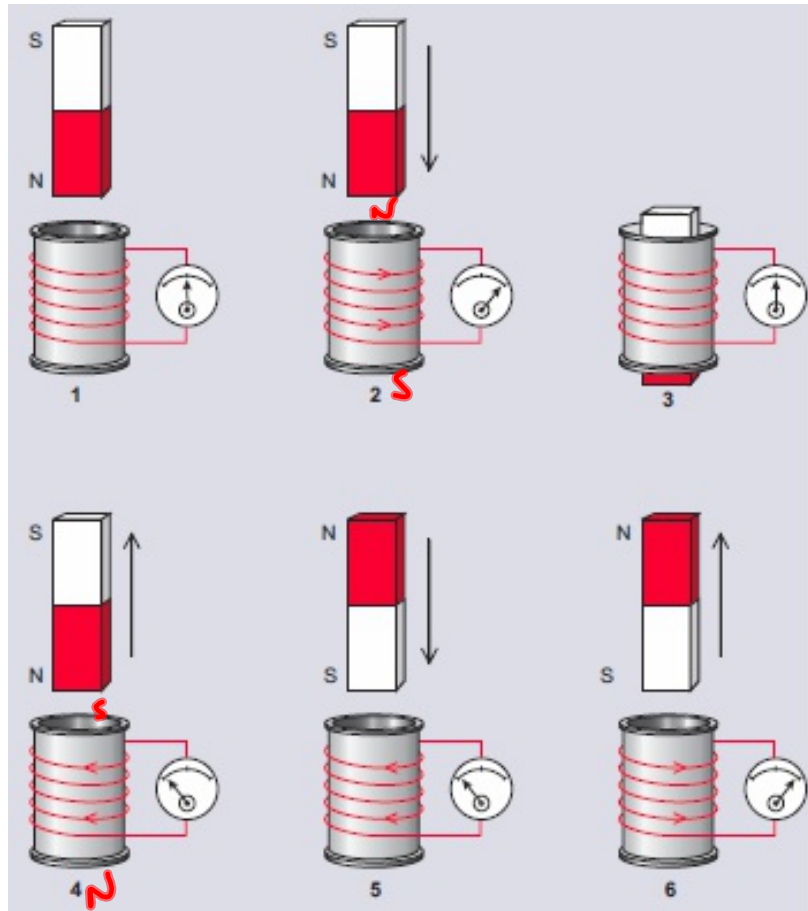


$$\Phi = 0$$



$$\Phi = BA \cos 120^\circ$$

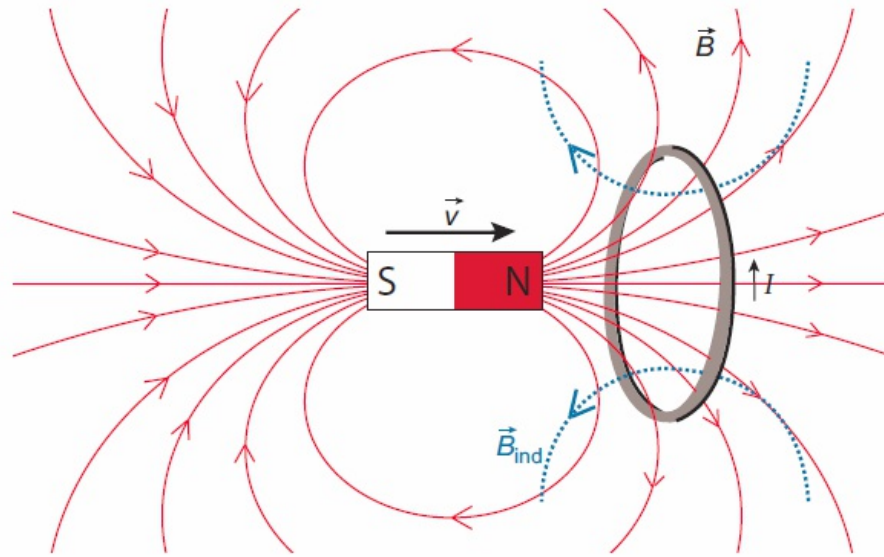
$$= -8,8 \mu \text{ Wb}$$



Lenz' regel

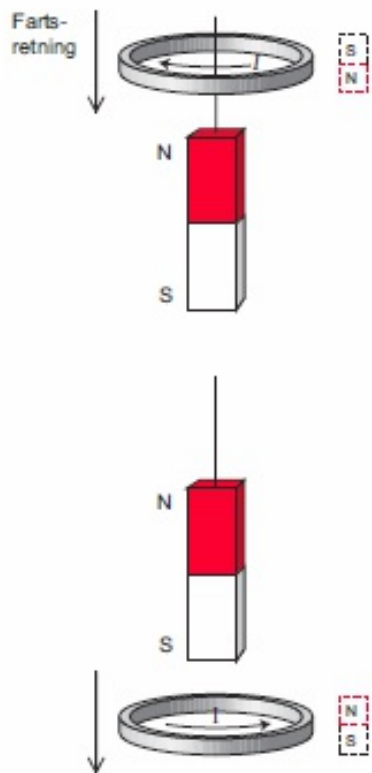
>>>

En induisert elektrisk strøm motvirker årsaken sin.



<http://micro.magnet.fsu.edu/electromag/java/lenzlaw/index.html>

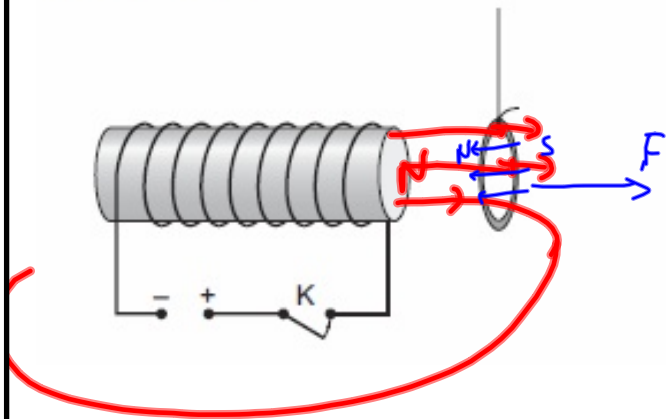
Ringen faller over en stavmagnet
som henger i ro:



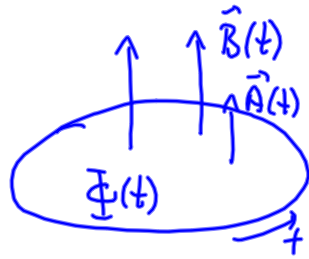
Samsnakk:

Forklar strømretningen i ringen

Figuren viser en kobbering som henger i en tråd nær den ene enden av en jernfylt spole. Når vi slår på strømmen med bryteren K, vil ringen bevege seg uten å dreie. Hvilken vei beveger den seg? Forklar fenomenet.



Faradays induksjonslov



$$\mathcal{E} = - \frac{\Delta \Phi}{\Delta t} \xrightarrow{\Delta t \rightarrow 0} - \dot{\Phi}(t)$$

Elektromotorisk spennings (e.m.s)

Enhets:

$$\frac{\Delta \Phi}{\Delta t} :$$

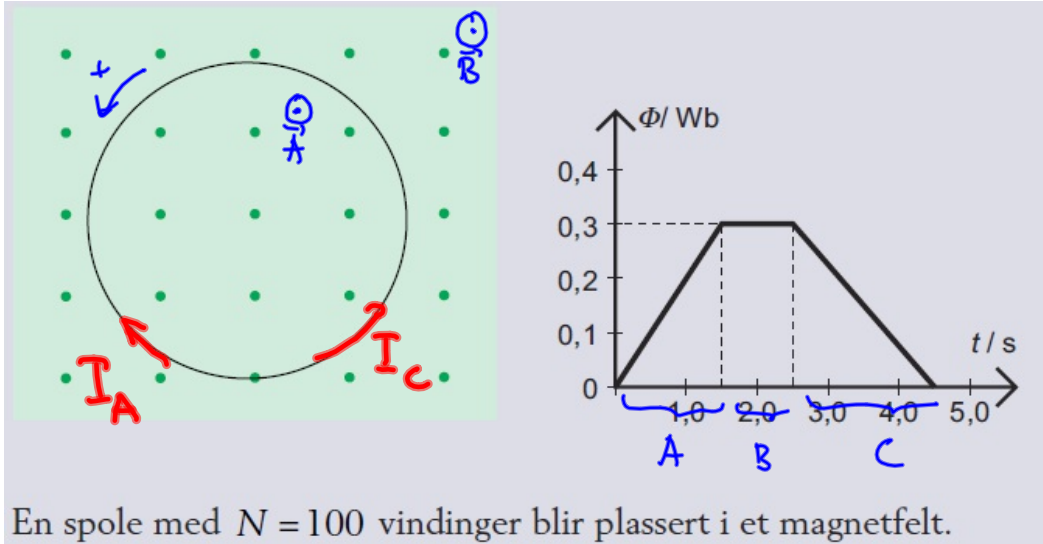
$$\begin{aligned} \frac{\text{Wb}}{\text{s}} &= \frac{\text{T m}^2}{\text{s}} \\ &= \frac{\text{N A m}^2}{\text{C A s}} \\ &= \frac{\text{J}}{\text{C}} = \text{V} \end{aligned}$$

$$\begin{aligned} \vec{F} &= q \cdot \vec{v} \cdot \vec{B} \\ N &= \text{C} \cdot \frac{\text{m}}{\text{s}} \cdot \text{T} \end{aligned}$$

$$\text{T} = \frac{\text{N s}}{\text{C m}}$$

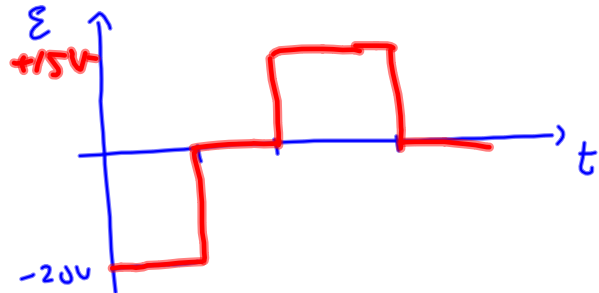
Eksempel

$$\mathcal{E} = - \frac{\Delta \Phi}{\Delta t} = - \Phi'(t)$$



En spole med $N = 100$ vindinger blir plassert i et magnetfelt.

Lag en graf som viser ems som funksjon av tid



$$A: \Delta \Phi = 0,3 \text{ Wb}$$

$$\Delta t = 1,5 \text{ s}$$

$$\mathcal{E} = -N \frac{\Delta \Phi}{\Delta t} = -20 \text{ V}$$

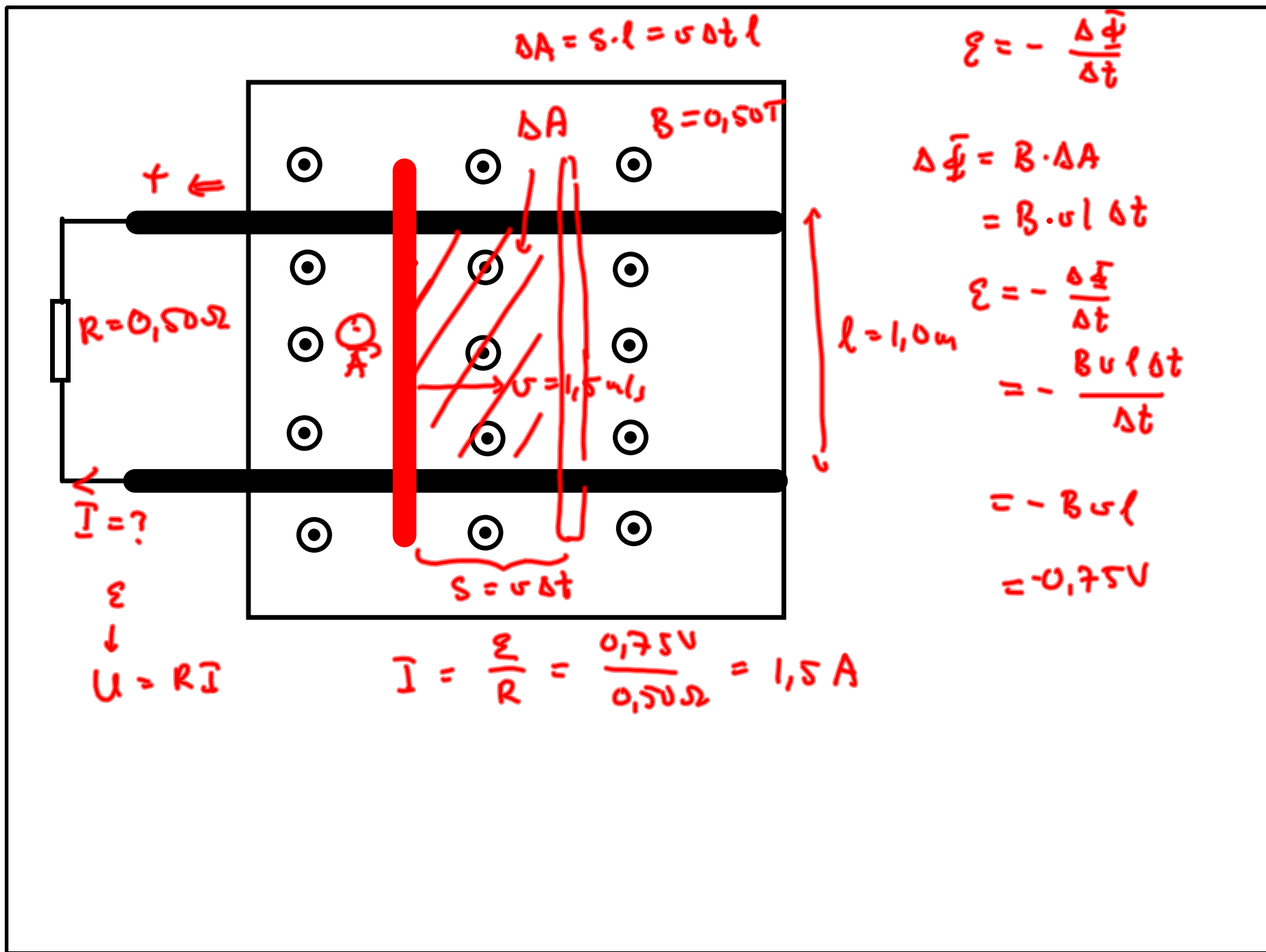
$$B: \Delta \Phi = 0$$

$$\mathcal{E} = 0$$

$$C: \Delta \Phi = -0,3 \text{ Wb}$$

$$\Delta t = 2,0 \text{ s}$$

$$\mathcal{E} = -100 \frac{-0,3 \text{ Wb}}{2,0 \text{ s}} = 15 \text{ V}$$

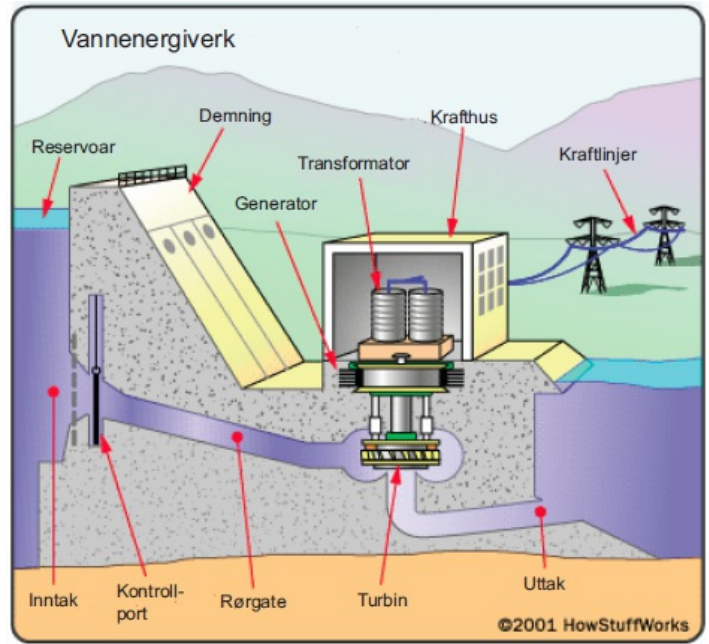
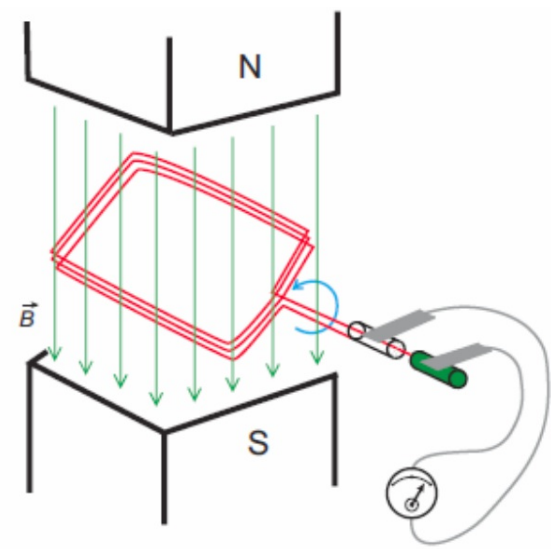
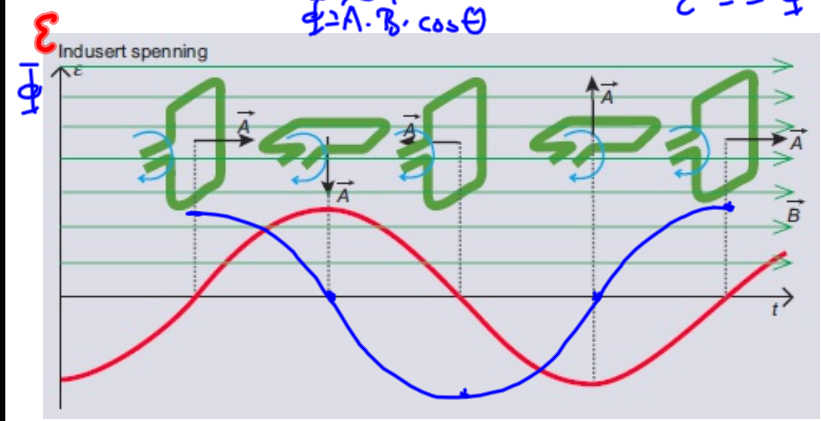


Generator Φ_0 ωt
 $\Phi = A \cdot B \cdot \cos \theta$

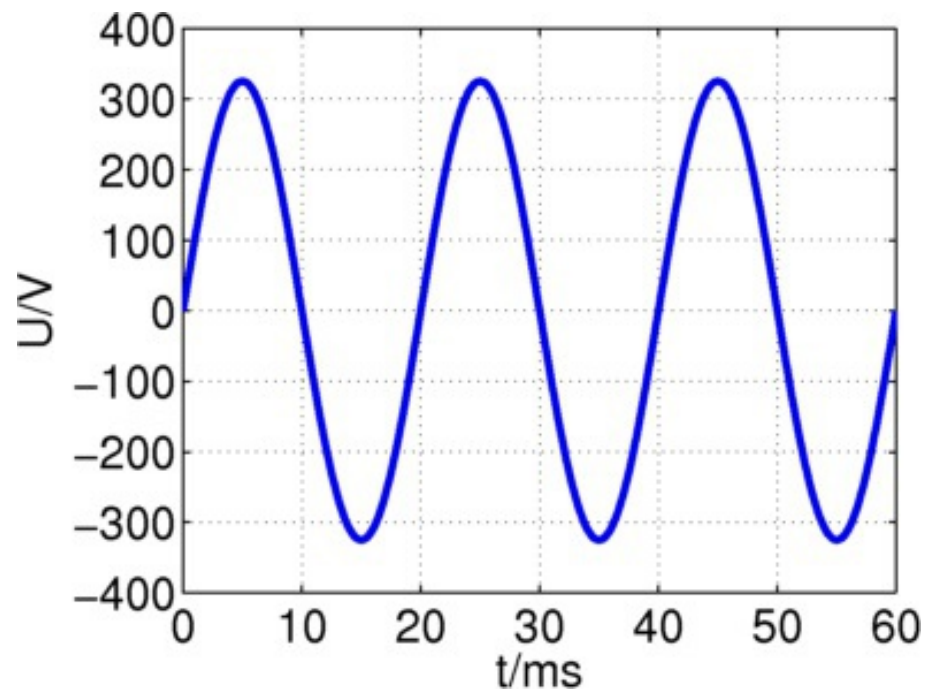
$$\mathcal{E} = -\Phi'(t) = -(\Phi_0 \omega \sin \omega t)$$

$$= \Phi_0 \omega \sin \omega t$$

$$= \mathcal{E}_m \sin \omega t$$



Vekselstrøm



Grafisk framstilling av spenningen i stikkontakten.

Hva er frekvensen?

Hva blir funksjonsuttrykket?

Er spenningen 230 V?

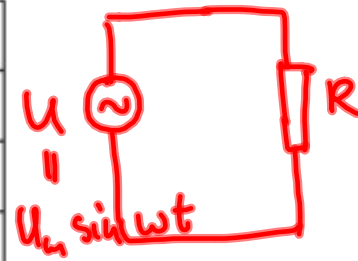
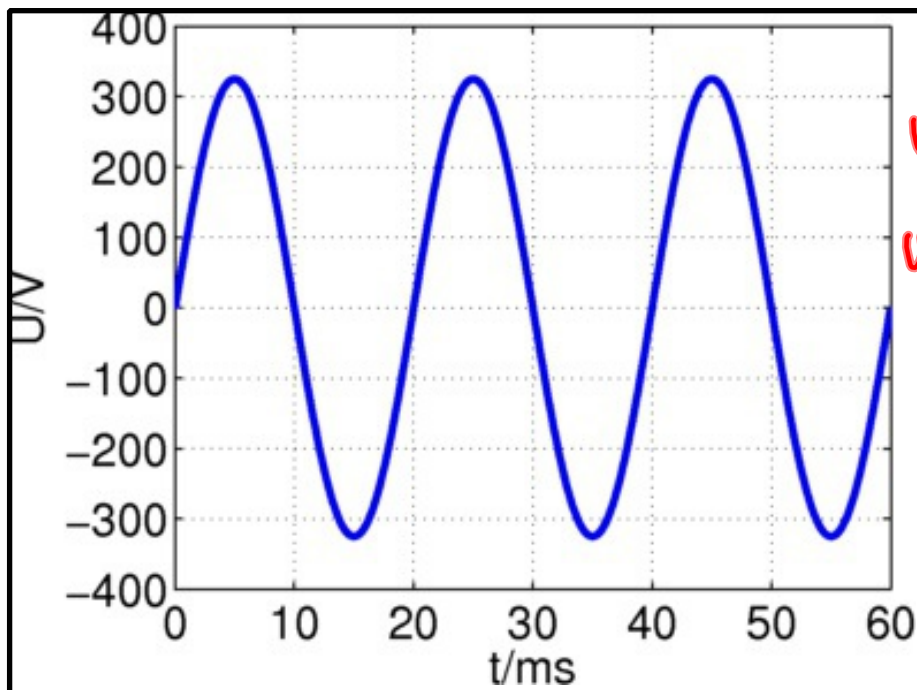
$$T = 20 \text{ ms} = 20 \cdot 10^{-3} \text{ s}$$

$$f = \frac{1}{T} = \frac{1}{20 \cdot 10^{-3} \text{ s}} = 50 \frac{1}{\text{s}} = 50 \text{ Hz}$$

$$U = U_m \sin \omega t$$

? ↑

325 V $2\pi f = 314 \text{ rad/s}$



$$\begin{aligned}
 P &= U \cdot I \\
 &= \frac{U^2}{R} \\
 &= \frac{U_m^2}{R} \cdot \sin^2 \omega t
 \end{aligned}$$

$$I = \frac{U}{R}$$

$$\begin{aligned}
 \overline{P} &= \frac{U_m^2}{R} \underbrace{\overline{\sin^2 \omega t}}_{\frac{1}{2}} = \frac{1}{2} \cdot \frac{U_m^2}{R}
 \end{aligned}$$

$$\begin{aligned}
 &= \frac{(U_m/\sqrt{2})^2}{R} = \frac{U_e^2}{R}
 \end{aligned}$$

$$U_e = \frac{U_m}{\sqrt{2}} = \frac{325\text{V}}{\sqrt{2}} = 230\text{V}$$

