– IN5550 –

Neural Methods in Natural Language Processing

CNNs, Part 4: Additional comments and advanced options

Erik Velldal

Language Technology Group (LTG) University of Oslo

- CNNs improve on CBOW in also capturing ordered context.
- \blacktriangleright But still rather limited; only relationships local to windows of size k .
- \triangleright Due to long-range compositional effects in natural language semantics, we'll often want to model as much context as feasible.
- \triangleright One option is to just increase the filter size k .
- \blacktriangleright More powerful: a stack of convolution layers applied one after the other:
- **Hierarchical convolutions**

Hierarchical convolutions

- \blacktriangleright Let $p_{1:m} = \text{CONV}_{U,b}^k(w_{1:n})$ be the result of applying a convolution (with parameters U and b) across $w_{1:n}$ with window-size k.
- \triangleright Can have a succession of r layers that feed into each other:

$$
p_{1:m_1}^1 = \text{CONV}_{U^1, b^1}^{k_1} (w_{1:n})
$$

$$
p_{1:m_2}^2 = \text{CONV}_{U^2, b^2}^{k_2} (p_{1:m_1}^1)
$$

...

$$
p_{1:m_r}^r = \text{CONV}_{U^r, b^r}^{k^r} (p_{1:m_{r-1}}^{r-1})
$$

 \blacktriangleright The vectors $p^{r}_{1:m_{r}}$ capture increasingly larger effective windows.

Two-layer hierarchical convolution with $k = 2$

- \blacktriangleright Two different but related effects of adding layers:
- ▶ Larger receptive field wrt the input at each step: convolutions of successive layers see more of the input.
- \triangleright Can learn more abstract feature combinations.

- \blacktriangleright The stride size specifies by how much we shift a filter at each step.
- \triangleright So far we've considered convolutions with a stride size of 1: we slide the window by increments of 1 across the word sequence.
- \blacktriangleright But using larger strides is possible.
- \triangleright Can slide the window with increments of e.g. 2 or 3 words at the time.
- \triangleright A larger stride size leads to fewer applications of the filter and a shorter output sequence *p***1:***m*.

 $k = 3$ and stride sizes 1, 2, 3

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- \triangleright Skip-connections can be useful for deep CNNs:
- \blacktriangleright The output from one layer is passed to not only the next but also subsequent layers (ResNets, Highway nets, DenseNets, . . .)

- \triangleright While hugely successful in image processing, CNNs have had less impact in NLP (typically also much more shallow networks).
- ▶ Main use; document and sentence classification (e.g. for topic or polarity classification).
- \blacktriangleright Although they have also been applied to more 'structured' tasks like aspect-based SA and relation extraction.
- \triangleright As of today, CNNs often applied at the character-level, to generate more robust word representations (typically concatenated with word embeddings before being passed to an RNN).

- ▶ Convolutional networks can learn to represent large *n*-grams efficiently...
- \blacktriangleright ...without blowing up the parameter space and without having to represent the whole vocabulary.
- \triangleright Parameter sharing (shared weights in all applications of a given filter)
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- \blacktriangleright Multiple filters; act as specialized feature extractors.
- \blacktriangleright But not designed for modeling sequential language data:
- \triangleright do not offer a very natural way of modeling long-range and structured dependencies.

- \blacktriangleright Lends itself well to GPU computations; optimized for matrix convolutions.
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