## N-5820/NFO820 <br> LANGUAGE TECHNOLOGICAL APPLICATIONS

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## Machine Translation Evaluation 2

1. Automatic MT-evaluation:
2. BLEU
3. Alternatives
4. Evaluation evaluation
5. Criticism
6. Starting STMT
7. The noisy channel model
8. Language models (n-grams)

## Last week

$\square$ Human evaluation
$\square$ Machine evaluation

- Recall and precision
- Word error rate
- BLEU
$\square$ A Bilingual Evaluation Understudy Score
$\square$ Main ideas:
- Use several reference translations
- Count precision of $n$-grams:
$\square$ For each n-gram in output: does it occur in at least one reference?
- Don't count recall but use a penalty for brevity

$$
\left.p_{n}=\frac{\sum_{C \in\{\text { Candidates }\}} \sum_{n-\text { gram } \in C} \operatorname{Count}_{\text {clip }}(n-\text { gram, } C, \text { C.refs })}{\sum_{C \in\{\text { Candidates }\}}} \sum_{n-\text { gram } \in C} \operatorname{Count}(n-\text { gram }, C)\right)
$$

- Candidates:
- the set of sentences output by trans. system
- Count(n-gram, C):
- the number of times $n$-gram occurs in $C$
$\square$ Count clip $^{\text {( }}$ - gram, $\mathrm{C}, \mathrm{C}$. refs) :
- the number of times the n.gram occurs in both
- C and
- the reference translation for the same sentence
- where n.gram occurs most frequent
$\square$ Technicality:
- If the same $n$-gram has several occurrences in a candidate translation sentence, it should not be counted more times than the number of occurrences in the reference sentence with the largest number of occurrences of the same n-gram.


## Example, $\mathrm{p}_{1}$ and $\mathrm{p}_{2}$

$\square$ Hyp, C:

- One of the girls gave one of the boys one of the boys.
$\square$ C-Refs:
- A girl gave a boy one of the toy cars
- One of the girls gave a boy one of the cars.
$\square$ Count_clip('one', C, C-refs)=2

| one | of | the | girls | gave | boys |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $2(3)$ | $2(3)$ | $2(3)$ | 1 | 1 | $0(2)$ |  |  |  |  |  |

$\square P_{1}=8 / 13$

| one of | of the | the girls | girls gave | gave one | the boys | boys one |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $2(3)$ | $2(3)$ | 1 | 1 | $0(1)$ | $O(2)$ | $0(1)$ |

$\square \mathrm{P}_{2}=6 / 12$

## Example, $p_{3}$

$\square$ Hyp, C:

- One of the girls gave one of the boys one of the boys.
$\square$ C-Refs:
- A girl gave a boy one of the toy cars
- One of the girls gave a boy one of the cars.
$\square$ Count_clip('one of the', C, C-refs)=2

| one of the | of the girls | the girls gave | girls gave one |
| :--- | :--- | :--- | :--- |
| $2(3)$ | 1 | 1 | $0(1)$ |
| gave one of | of the boys | the boys one | boys one of |
| $0(1)$ | $O(2)$ | $O(1)$ | $0(1)$ |

$\square P_{3}=4 / 11$

## Example continued

$$
\prod_{i=1}^{4} p_{i}=p_{1} \cdot p_{2} \cdot p_{3} \cdot p_{4}=\frac{8}{13} \cdot \frac{6}{12} \cdot \frac{4}{11} \cdot \frac{2}{10} \approx 0.02238
$$

$$
\left(\prod_{i=1}^{4} p_{i}\right)^{\frac{1}{4}} \approx 0.02238^{\frac{1}{4}} \approx 0.39
$$

## BLEU

$\square$ How to combine the $n$-gram precisions?

$$
p_{1} \times p_{2} \times \cdots \times p_{n}=\prod_{i=1}^{n} p_{i}
$$

$\square$ Remember

$$
\ln \left(\prod_{i=1}^{n} p_{i}\right)=\ln \left(p_{1} \times p_{2} \times \cdots \times p_{n}\right)=\ln \left(p_{1}\right)+\ln \left(p_{2}\right)+\cdots+\ln \left(p_{n}\right)=\sum_{i=1}^{n} \ln p_{i}
$$

$\square$ One can add weights, typically ai $=1 / n$
$\ln \left(p_{1}^{a 1} \times p_{2}^{a 2} \times \cdots \times p_{n}^{a n}\right)=a 1 \ln \left(p_{1}\right)+a 2 \ln \left(p_{2}\right)+\cdots+a n \ln \left(p_{n}\right)$
$\square$ How long n-grams?

- Max 4-grams seems to work best


## Brevity penalty

$\square \mathrm{c}$ is the length of the candidates
$\square r$ is the length of the reference translations:

- for each $C$ choose the $R$ most similar in length
$\square$ Penalty applies if $c<r$ :
$\square B P=1 \quad$ if $c \geq r$
$\square B P=e^{(1-r / c)} \quad$ otherwise
$\square \quad B L E U=B P \cdot \exp \sum_{i=1}^{n} w_{n} \ln p_{i}$
$\square \ln B L E U=\min \left(1-\frac{r}{c}, 0\right)+\sum_{i=1}^{n} w_{n} \ln p_{i}$

$$
c=\sum_{C \in C \text { andidates }} \text { length }(C)
$$

$$
r=\sum_{C \in \text { Candidates }} \text { length(R.sim.C) }
$$

## This is correct <br> Error in K:SMT

## Use logarithms to avoid underflow!

## BLEU-4

$$
\begin{aligned}
& \operatorname{BLEU}-4=\exp \left(\min \left(1-\frac{r}{c}, 0\right) \sum_{i=1}^{4} \frac{1}{4} \ln p_{i}\right) \\
& \operatorname{BLEU}-4=\min \left(e^{\left(1-\frac{r}{c}\right)}, 1\right)\left(\prod_{i=1}^{4} p_{i}\right)^{\frac{1}{4}}
\end{aligned}
$$

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$\square$ National Institute of Standards and Technology
$\square$ Evaluated BLEU score further
$\square$ Proposed an alternative formula:
$\square \mathrm{N}$-grams are weighed by their inverse frequency
$\square$ Sums (instead of products) of counts over n-grams

- Modified Brevity Penalty
$\square$ Freely available software


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## Evaluating the automatic evaluation

$\square$ Is the automatic evaluation correct?
$\square$ Yes, if it gives the same results as human evaluators.

- Best measured as ranking of MT systems:

Does BLEU rank a set of MT systems in the same order as human evaluators?


## BLEU - original paper

Figure 2: Machine and Human Translations

$\square \mathrm{H} 2 \square \mathrm{Hl} \square \mathrm{S} 3 \square \mathrm{~S} 2 \square \mathrm{~S} 1$

H1, H2 - 2 different human translations S1, S2, S3 - different MT systems

Figure 6: Bleu predicts Bilingual Judgments
 $\rightarrow$ Predicted $\bullet$ Bilingual Group

## Pearson's Correlation Coefficient

- Two variables: automatic score $x$, human judgment $y$
- Multiple systems $\left(x_{1}, y_{1}\right),\left(x_{2}, y_{2}\right), \ldots$
- Pearson's correlation coefficient $r_{x y}$ :

$$
r_{x y}=\frac{\sum_{i}\left(x_{i}-\bar{x}\right)\left(y_{i}-\bar{y}\right)}{(n-1) s_{x} s_{y}}
$$

- Note:

$$
\begin{aligned}
\text { mean } \bar{x} & =\frac{1}{n} \sum_{i=1}^{n} x_{i} \\
\text { variance } s_{x}^{2} & =\frac{1}{n-1} \sum_{i=1}^{n}\left(x_{i}-\bar{x}\right)^{2}
\end{aligned}
$$

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## Shortcomings of automatic MT

$\square$ Re-evaluating the Role of BLEU in Machine Translation Research, 2006

- Chris Callison-Burch, Miles Osborne, Philipp Koehn
$\square$ Theoretically:
- From a reference translation one may
- Construct a string of words, which:
- Gets a high BLEU score
- Is gibberish
- Empirically: (next slides)



## Evidence of Shortcomings of Automatic Metrics

Post-edited output vs. statistical systems (NIST 2005)


## Automatic evaluation

© Cheap
© Reusable in development phase
(-) A touch of objectivity
© Useful tool for machine learning, e.g. reranking
(8) Does not measure MT quality, only (more or less) correlated with MT quality

* Favors statistical approaches, disfavors humans
* The numbers don't say anything across different evaluations
(8) Depends on number and type of reference translations
* Danger of system tuning towards BLEU on the cost of quality
* In particular in machine learning


## Hypothesis testing

$\square$ You may skip sec. 8.3
$\square$ Though:

- 8.3.1 for they who have INF5830
- 8.3.2, when you have 2 different systems

■ You might evaluate first one system, then the other on the whole material and compare the results

- Often better: Compare item by item which system is the better and do statistics on the results


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## SMT example

| En | kokk | lagde | en | reth | med | bygg |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| a 0.9 | chef 0.6 | made 0.3 | a 0.9 | right 0.19 | with 0.4 | building 0.45 |  |
| $\ldots$ | cook 0.3 | created 0.25 | $\ldots$ | straight 0.17 | by 0.3 | construction 0.33 |  |
|  | $\ldots$ | prepared 0.15 |  | court 0.12 | of 0.2 | barley 0.11 |  |
|  | constructed 0.12 |  | dish 0.11 | $\ldots$ | $\ldots$ |  |  |
|  |  | cooked 0.05 |  | course 0.07 |  |  |  |
|  |  | $\ldots$ |  | $\ldots$ |  |  |  |
|  |  |  |  |  |  |  |  |

```
Similarly for:
    - pos 0-2 (2x3)
    - pos 1-3
    - pos 2-4
    - pos 3-5 (4\times5)
    - pos 6-8
```

| Pos4 - pos $6(1 \times 3 \times 3$ many $)$ |  | Pos5 - pos $7(5 \times 3 \times 3$ many $)$ |  |
| :--- | :--- | :--- | :--- |
| a right with | $2.7 \times 10^{-12}$ | right with building | $1.7 \times 10^{-18}$ |
| a right of | $1.5 \times 10^{-10}$ | right with construction | $5.4 \times 10^{-18}$ |
| a right by | $9.7 \times 10^{-12}$ | right with barley | $8.7 \times 10^{-19}$ |
| $\ldots$ |  | $\ldots$ |  |
| a course of | $1.5 \times 10^{-14}$ | course of barley | $1.5 \times 10^{-16}$ |

## Noisy Channel Model



- Applying Bayes rule also called noisy channel model
- we observe a distorted message $R$ (here: a foreign string f)
- we have a model on how the message is distorted (here: translation model)
- we have a model on what messages are probably (here: language model)
- we want to recover the original message $S$ (here: an English string e)

