

Advanced 3D segmentation

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Today's lecture

Different ways to work with 3D data:

- Point clouds
- Grids
- Graphs

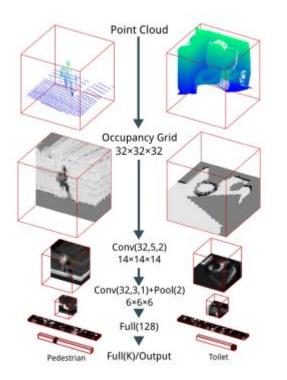
Curriculum:

SEGCloud: Semantic Segmentation of 3D Point Clouds

Multi-view Convolutional Neural Networks for 3D Shape Recognition

Deep Parametric Continuous Convolutional Neural Networks

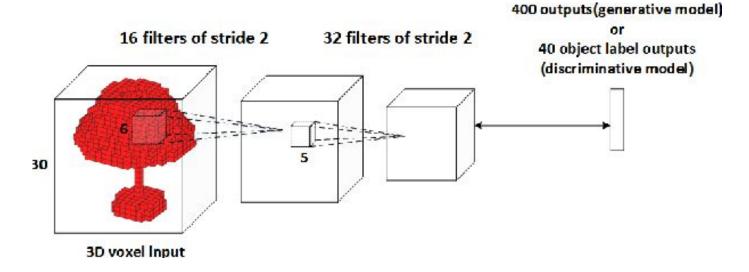
Processing 3D data with deep networks



VoxNet: A 3D Convolutional Neural Network for Real-Time Object Recognition

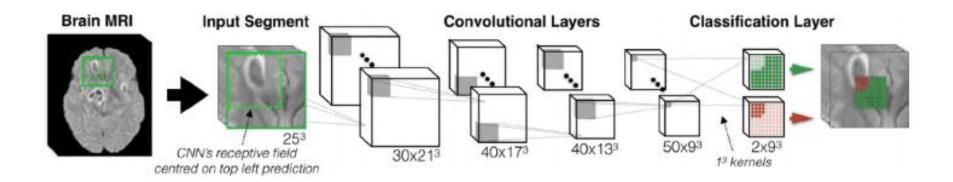
3D convolutions on voxelized data

3D Convolutions



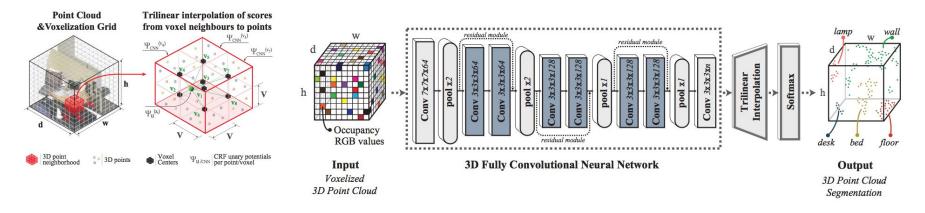
When voxelization works

- Dense images
- Small images



Efficient multi-scale 3D CNN with fully connected CRF for accurate brain lesion segmentation

CloudSeg



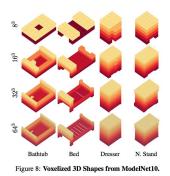
SEGCloud: Semantic Segmentation of 3D Point Clouds

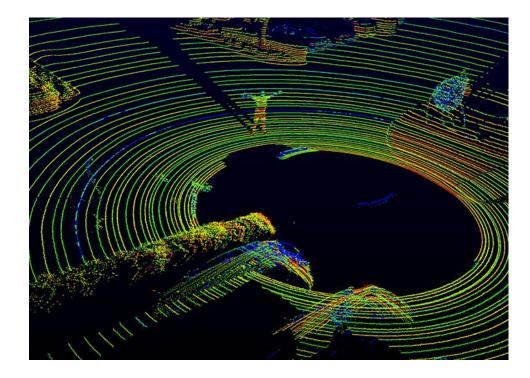
Table 2: Results on the Large-Scale 3D Indoor Spaces Dataset (S3DIS)

Method	ceiling	floor	wall	beam	column	window	door	chair	table	bookcase	sofa	board	clutter	mIOU	mAcc
PointNet [53]	88.80	97.33	69.80	0.05	3.92	46.26	10.76	52.61	58.93	40.28	5.85	26.38	33.22	41.09	48.98
3D-FCNN-TI(Ours)	90.17	96.48	70.16	0.00	11.40	33.36	21.12	76.12	70.07	57.89	37.46	11.16	41.61	47.46	54.91
SEGCloud (Ours)	90.06	96.05	69.86	0.00	18.37	38.35	23.12	75.89	70.40	58.42	40.88	12.96	41.60	48.92	57.35

Problems with voxelization

- Memory (1024x1024x1024x1024)
- Lots of zeros
- Field-of-view
- Resolution

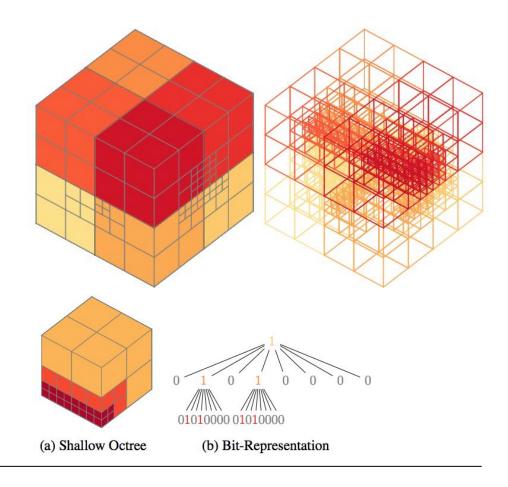




More memory efficient 3D convolutions for sparse data.

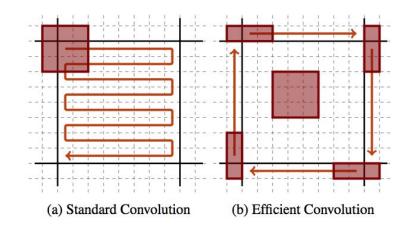
- Irregular grid
- Iteratively split
 - 8 children
 - depth 3

OctNet: Learning Deep 3D Representations at High Resolutions



More memory efficient 3D convolutions for sparse data.

- Irregular grid
- Iteratively split
 - 8 children
 - depth 3
- Implementation of 72 bit tree on GPU can be used
- GPU can index and convolve only important locations



- Memory and runtime efficient for larger inputs
- ModelNet10: Resolution is not that important

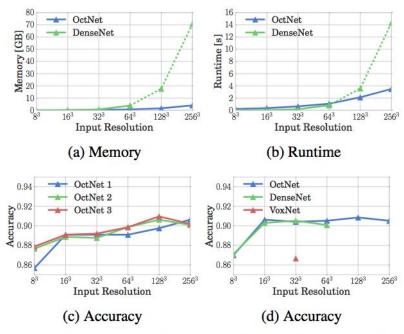
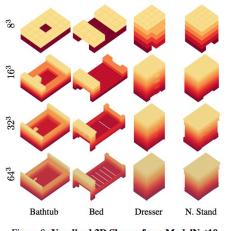


Figure 7: Results on ModelNet10 Classification Task.

- Memory and runtime efficient for larger _ inputs
- ModelNet10: Resolution is not that _ important



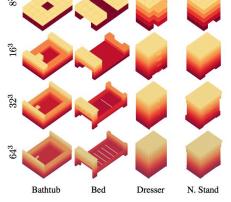


Figure 8: Voxelized 3D Shapes from ModelNet10.

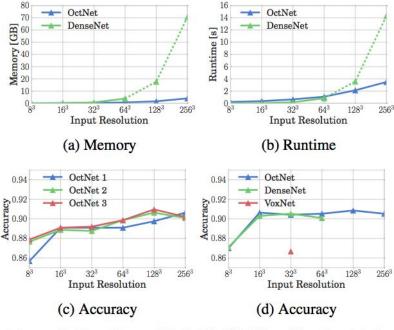


Figure 7: Results on ModelNet10 Classification Task.

OctNet is efficent on larger relatively sparse point clouds

	Average	Overall	IoU
Riemenschneider et al. [38]	-	-	42.3
Martinovic et al. [29]	-	-	52.2
Gadde et al. [13]	68.5	78.6	54.4
OctNet 64 ³	60.0	73.6	45.6
OctNet 128 ³	65.3	76.1	50.4
OctNet 256 ³	73.6	81.5	59.2

Table 1: Semantic Segmentation on RueMonge2014.

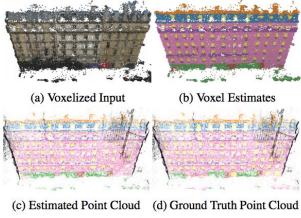
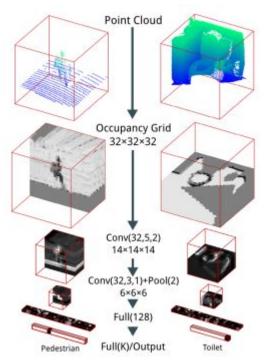


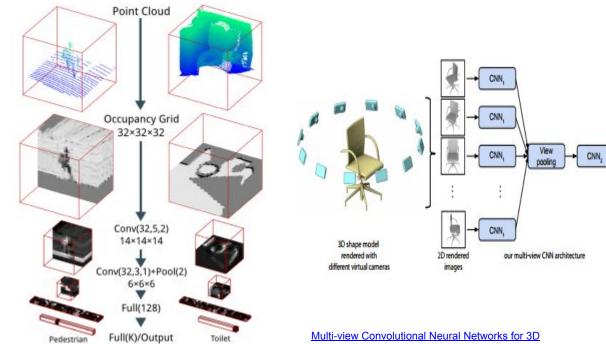
Figure 12: OctNet 256³ Facade Labeling Results.

Processing 3D data with deep networks



VoxNet: A 3D Convolutional Neural Network for Real-Time Object Recognition

Processing 3D data with deep networks



Shape Recognition

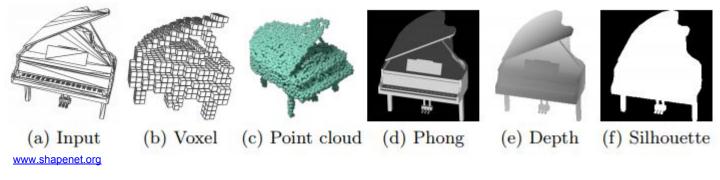
VoxNet: A 3D Convolutional Neural Network for Real-Time Object Recognition



2D convolutions on projections

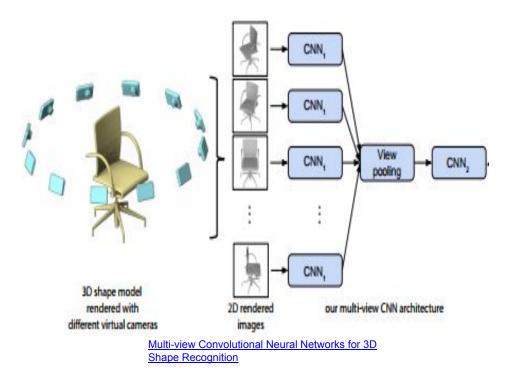
Multi-View - ShapeNet classification

3D models common objects



A Deeper Look at 3D Shape Classifiers

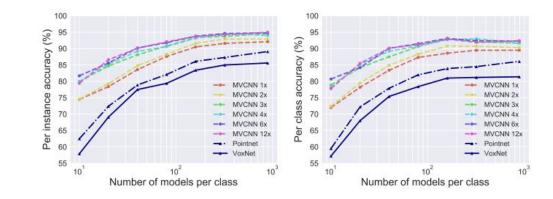
Multi-View

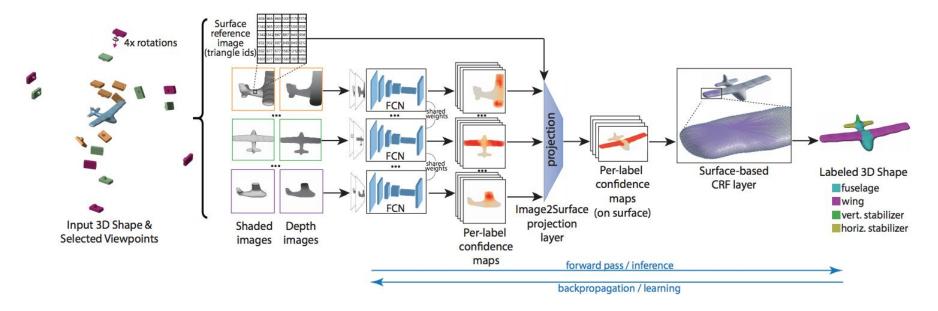


Multi-View

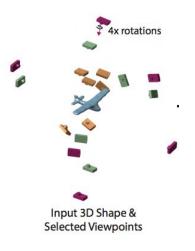
- Simple solution is the best solution
- More views are better, but not by a lot

		Full tra	aining/test	80/20 training/test			
Model	Rendering	Per class Per instance		Per class Per instance			
VGG-M	Shaded from [31]	-	-	89.9	89.9		
VGG-M	Shaded from $[31]$ (80×)	-	-	90.1	90.1		
VGG-11	Shaded from [31]	-	-	89.1	89.1		
VGG-11	Shaded	92.4	95.0	92.4	92.4		
VGG-11	Depth	89.8	91.6				
VGG-11	Shaded + Depth	94.7	96.2				
VGG-11	Silhouettes	90.7	93.6				
AlexNet	Sphere rendering $(20 \times)$	89.7	92.0				
AlexNet-MR	Sphere rendering $(20 \times)$	91.4	93.8				



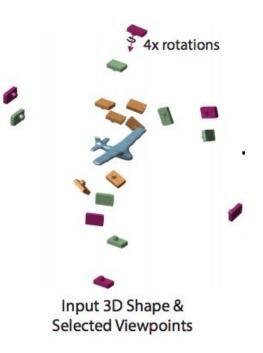


3D Shape Segmentation with Projective Convolutional Networks

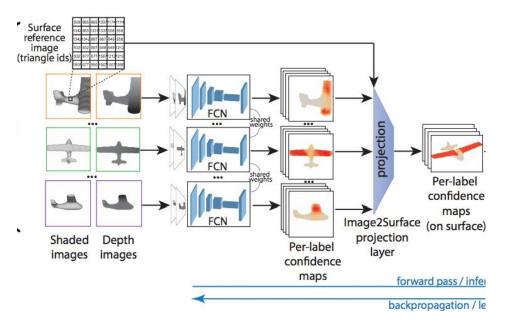


Finding viewpoints, by maximising area covered

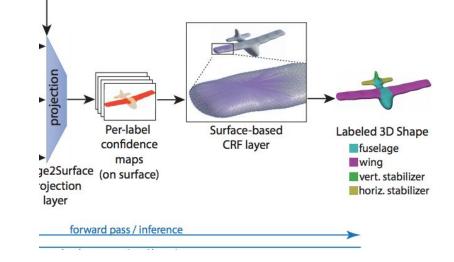
- Sample surface points (1024)
- Place camera at each surface normal For each surface normal
 - Rasterize view, and choose rotation with maximally area covered
 - Ignore already visible points
 - Continue til all surface points are covered



- Run depth images through "standard" segmentation networks
- For each view: project/shoot back the segmented labed onto the model
- Average overlapping regions



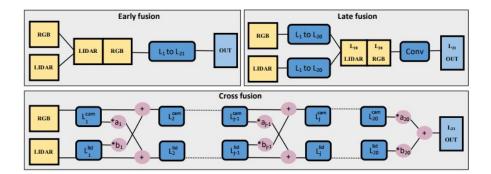
- Run a Conditional Random Field (CRF) over the surface
 - Promotes consistency
 - Makes sure every pixel is labelled
 - Fixes problems due to upsampling
- CRF is **not** in the **curriculum**, but:
 - Loop over neighbouring surfaces
 - Weight angles, distances, and label differences
 - Learns the weights, through backpropagation,



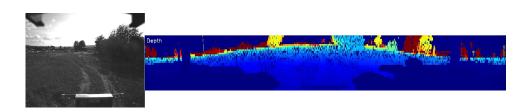
Multi-View / Single-View

Single depth image:

- Depth-rays from one position
- Fusion with image can be a challenge
- Late/cross fusion often best strategy
 - Probably due to alignment issues



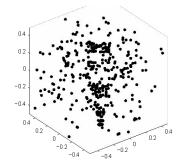
LIDAR-Camera Fusion for Road Detection Using Fully Convolutional Neural Networks

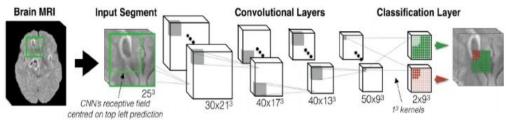


When does multi-view not work?

- Large complex point cloud
 - Hard to choose view-points
- Dense point-cloud
- Noisy/sparse point cloud
 - Convolutions makes, little sense, as the points in your kernel have very different depth.
 - "Randomness" depending on view-point
 - Hard/impossible to train

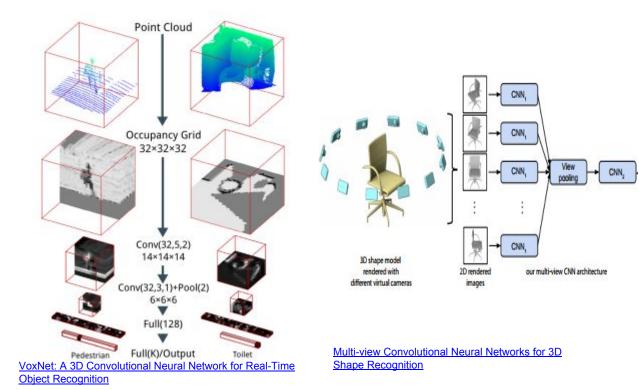




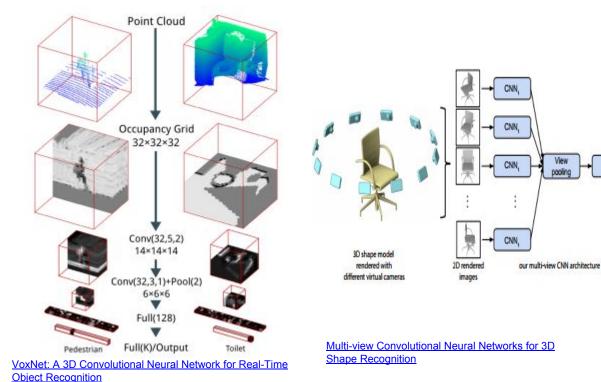


Efficient multi-scale 3D CNN with fully connected CRF for accurate brain lesion segmentation

Processing 3D data with deep networks



Processing 3D data with deep networks





PointNet: Deep Learning on Point Sets for 3D **Classification and Segmentation**

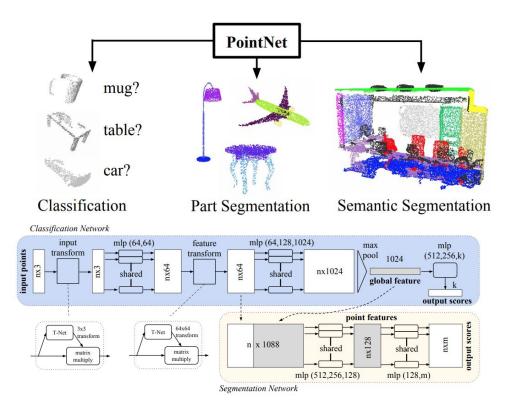
∕iew

pooling

CNN,

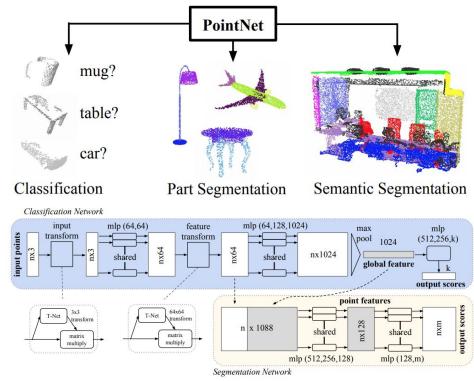
Direct point cloud processing

- Learning directly on point clouds
- No direct local information
 - Perhaps only global?
 - Ignoring similar points



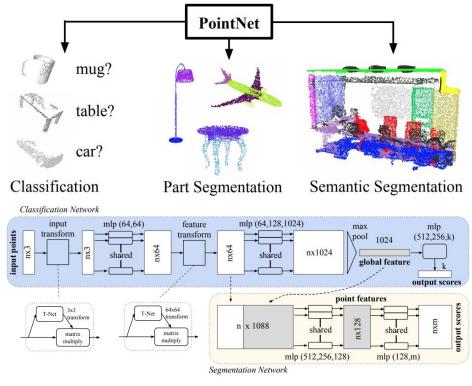
PointNet: Deep Learning on Point Sets for 3D Classification and Segmentation

- Transforms each point into high dimension (1024) with same transform.
- 2. Aggregates with per-channel max-pool
- 3. Uses aggregate to find new transform and and run transform
- 4. Then run per point neural nett
- 5. Repeat for *n* layers
- 6. Finally aggregate again with maxpool
- 7. Run fully-connected layer on aggregated results



Why does this work? (speculations):

- Forced to choose "a few" important points
- Transform based on the kind of points have been seen

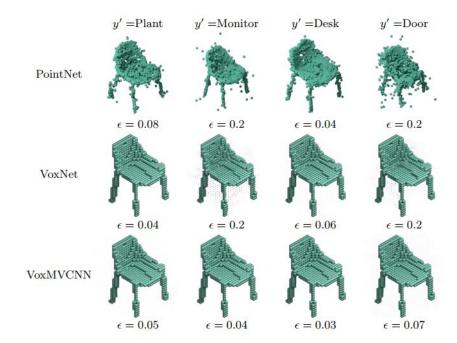


PointNet https://github.com/charlesg34/pointnet/blob/master/models/pointnet_cls.py

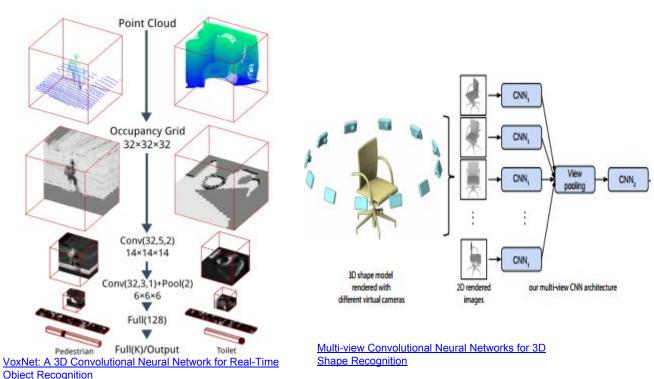
```
net = tf_util.conv2d(input_image, 64, [1,3],
                     padding='VALID', stride=[1,1],
                     bn=True, is training=is training,
                     scope='conv1', bn decay=bn decay)
net = tf util.conv2d(net, 64, [1,1])
                     padding='VALID', stride=[1,1],
                     bn=True, is training=is training,
                     scope='conv2', bn decay=bn decay)
with tf.variable_scope('transform_net2') as sc:
    transform = feature_transform_net(net, is_training, bn_decay, K=64)
end points['transform'] = transform
net_transformed = tf.matmul(tf.squeeze(net, axis=[2]), transform)
net_transformed = tf.expand_dims(net_transformed, [2])
```

Adverserial robustness:

- With aggregation based on max-pool it may not rely on all points (max 1024 for each transform)
- Small changes will not have much effect
- Robust to deformation and noise
- Not good at detecting small details



Processing 3D data with deep networks

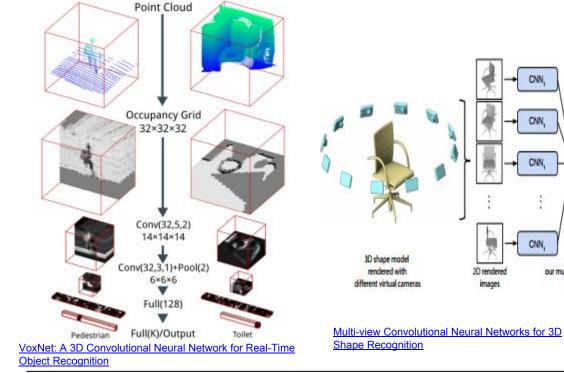


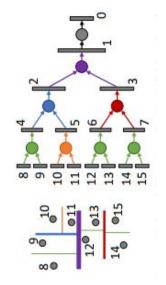
PointNet: Deep Learning on Point Sets for 3D Classification and Segmentation

Processing 3D data with deep networks



PointNet: Deep Learning on Point Sets for 3D Classification and Segmentation





view

pooling

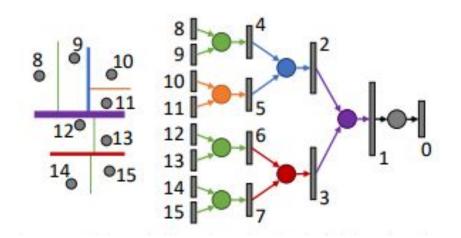
our multi-view CNN architecture

CNN,

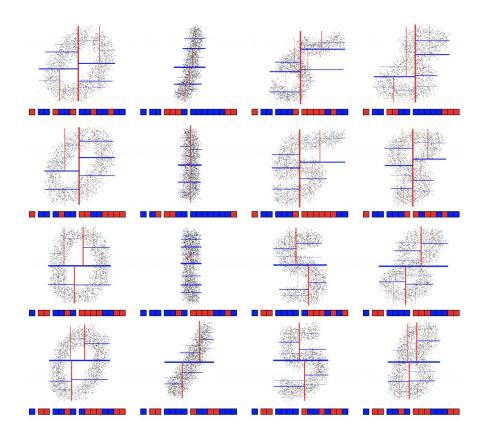
Escape from Cells: Deep Kd-Networks for the Recognition of 3D Point Cloud Models

Abstraction of convolutions

"Convolutions" over sets



- Fixed number of points N = 2^D
- 3D points {x, y, z}
- Split along widest axis
- Choose split to divide data set in two

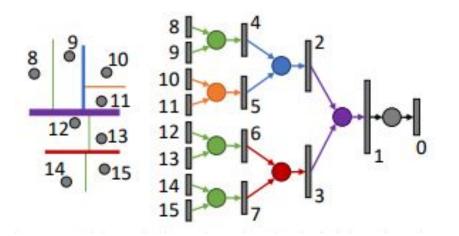


- Each node have a representation vector:

$$\mathbf{v}_{i} = \begin{cases} \phi(W_{\mathbf{x}}^{l_{i}}[\mathbf{v}_{c_{1}(i)};\mathbf{v}_{c_{2}(i)}] + \mathbf{b}_{\mathbf{x}}^{l_{i}}), \text{ if } d_{i} = \mathbf{x} \\ \phi(W_{\mathbf{y}}^{l_{i}}[\mathbf{v}_{c_{1}(i)};\mathbf{v}_{c_{2}(i)}] + \mathbf{b}_{\mathbf{y}}^{l_{i}}), \text{ if } d_{i} = \mathbf{y} \\ \phi(W_{\mathbf{z}}^{l_{i}}[\mathbf{v}_{c_{1}(i)};\mathbf{v}_{c_{2}(i)}] + \mathbf{b}_{\mathbf{z}}^{l_{i}}), \text{ if } d_{i} = \mathbf{z} \end{cases}$$

Final layer is a fully connected layers Shared weights for nodes splitting along same dimension at same level.

Not shared for left and right node.

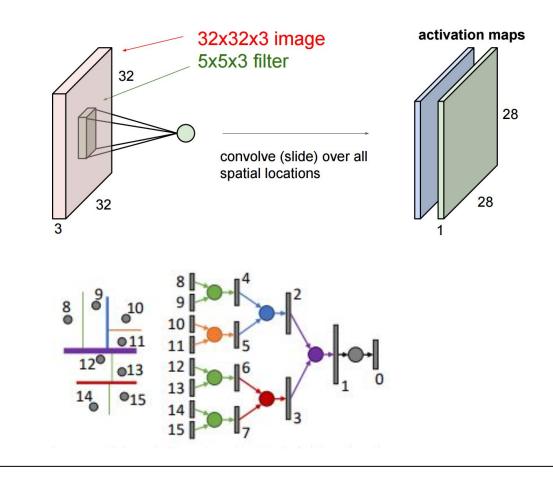


Convolutions over sets

Running kernel over neighbours in group.

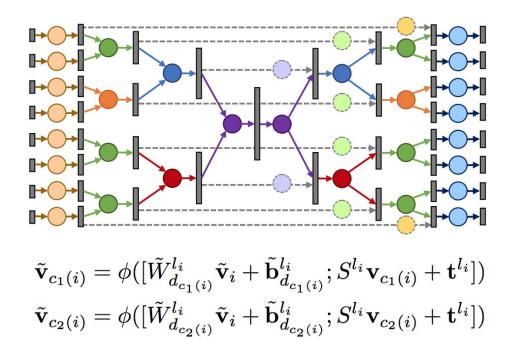
Shared weights for nodes splitting along same dimension at same level.

Not shared for left and right node



Kd-networks - segmentation

- One different weight matrix for each direction
- Shared between nodes, depending on split direction
- Skip-connection matrix shared between all nodes in a layer
- Final result: Use {x, y, z} from corresponding input nodes



Kd-networks - results

- Slightly worse than Multi-View on 3D model classification
- More flexible: can be used on sparse point clouds etc.

ModelNet 10-class 40-class Accuracy averaging class instance class instance 3DShapeNets [36] 83.5 77.3 --MVCNN [31] 90.1 ---FusionNet [12] 93.1 90.8 --VRN Single [4] 93.6 -91.3 -89.7 92.0 MVCNN [21] --PointNet [20] 86.2 89.2 --OctNet [23] 83.8 86.5 90.1 90.9 ECC [29] 90.0 90.8 83.2 87.4 Kd-Net (depth 10) 92.8 93.3 86.3 90.6 Kd-Net (depth 15) 93.5 94.0 88.5 91.8 VRN Ensemble [4] 97.1 95.5 --MVCNN-MultiRes [21] 91.4 93.8 --

Segmentation

Classification

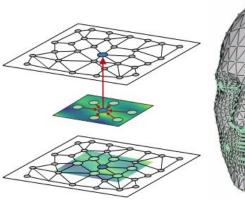
	mean	aero	bag	cap	car	chair	ear	guitar	knife	lamp	laptop	motor	mug	pistol	rocket	skate	table
		plane					phone					bike				board	
Yi [37]	81.4	81.0	78.4	77.7	75.7	87.6	61.9	92.0	85.4	82.5	95.7	70.6	91.9	85.9	53.1	69.8	75.3
3DCNN [20]	79.4	75.1	72.8	73.3	70.0	87.2	63.5	88.4	79.6	74.4	93.9	58.7	91.8	76.4	51.2	65.3	77.1
PointNet [20]	83.7	83.4	78.7	82.5	74.9	89.6	73.0	91.5	85.9	80.8	95.3	65.2	93.0	81.2	57.9	72.8	80.6
Kd-network	82.3	80.1	74.6	74.3	70.3	88.6	73.5	90.2	87.2	81.0	94.9	57.4	86.7	78.1	51.8	69.9	80.3

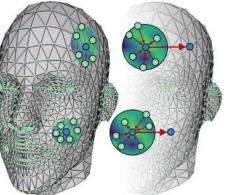


Graph Convolutional operators

Based on <u>Geometric deep learning on graphs</u> and manifolds using mixture model CNNs Generalising convolutions to irregular graphs, with **two base concepts**

- Parametric kernel function
- Pseudo-coordinates



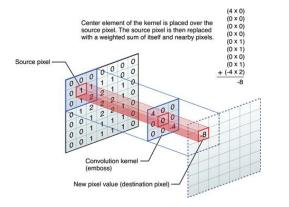


(a) Filtering of graphs

(b) Filtering of meshes

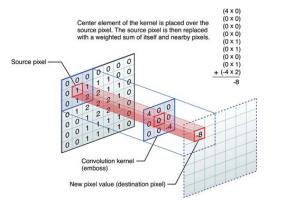
SplineCNN: Fast Geometric Deep Learning with Continuous B-Spline Kernels

Basic CNN weight function w(x, y): Look-up-table for neighbouring directions {dx=1, dy=0}, {dx=0, dy=0}, etc.

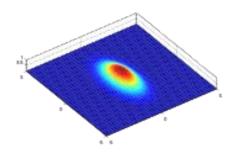


Apple: performing convolution operations

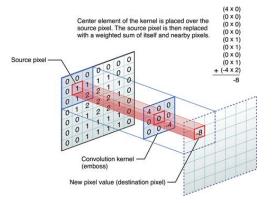
Basic CNN weight function w(x, y): Look-up-table for neighbouring directions {dx=1, dy=0}, {dx=0, dy=0}, etc. Parametric kernel function w(x, y): Continuous function for coordinates in relation to center



Apple: performing convolution operations

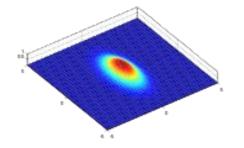


Basic CNN weight function w(x, y): Look-up-table for neighbouring directions {dx=1, dy=0}, {dx=0, dy=0}, etc. Parametric kernel function w(x, y): Continuous function for coordinates in relation to center:

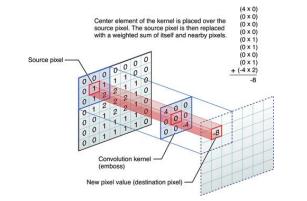


Apple: performing convolution operations

$$w_j(\mathbf{u}) = \exp(-rac{1}{2}(\mathbf{u}-oldsymbol{\mu}_j)^{ op}oldsymbol{\Sigma}_j^{-1}(\mathbf{u}-oldsymbol{\mu}_j)),$$



Instead of learning w(x, y) directly, you learn the parameters of the function, e.g. Σ and μ . Any position is "legal", and give some weight.



Apple: performing convolution operations

$$w_j(\mathbf{u}) = \exp(-rac{1}{2}(\mathbf{u}-oldsymbol{\mu}_j)^ op \mathbf{\Sigma}_j^{-1}(\mathbf{u}-oldsymbol{\mu}_j)),$$

FFI

Graph convolutions - Pseudo-coordinates

"Real" coordinates may be arbitrary and not very meaningful or to high dimensional.

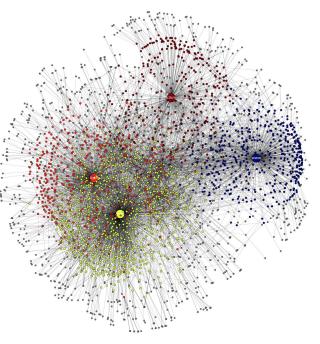


Image from: https://gisellezeno.com/tag/graphs.html

Graph convolutions - Pseudo-coordinates

Method	Pseudo-coordinates	$\mathbf{u}(x,y)$	Weight function $w_j(\mathbf{u}), j=1,\ldots,J$
CNN [23]	Local Euclidean	$\mathbf{x}(x,y) = \mathbf{x}(y) - \mathbf{x}(x)$	$\delta(\mathbf{u}-ar{\mathbf{u}}_j)$
GCNN [26]	Local polar geodesic	ho(x,y), heta(x,y)	$\exp(-rac{1}{2}(\mathbf{u}-ar{\mathbf{u}}_j)^{ op}\left(egin{array}{c}ar{\sigma}_{ ho}^2\ ar{\sigma}_{ ho}^2\end{array} ight)^{-1}(\mathbf{u}-ar{\mathbf{u}}_j))$
ACNN [7]	Local polar geodesic	ho(x,y), heta(x,y)	$\exp(-\frac{1}{2}\mathbf{u}^{\top}\mathbf{R}_{\bar{\theta}_{j}}\left(\begin{smallmatrix}\bar{\alpha}\\1\end{smallmatrix}\right)\mathbf{R}_{\bar{\theta}_{j}}^{\top}\mathbf{u})$
GCN [21]	Vertex degree	$\deg(x), \deg(y)$	$\left(1 - 1 - \frac{1}{\sqrt{u_1}} \right) \left(1 - 1 - \frac{1}{\sqrt{u_2}} \right)$
DCNN [3]	Transition probability in r hops	$p^0(x,y),\ldots,p^{r-1}(x,y)$	$\operatorname{id}(u_j)$

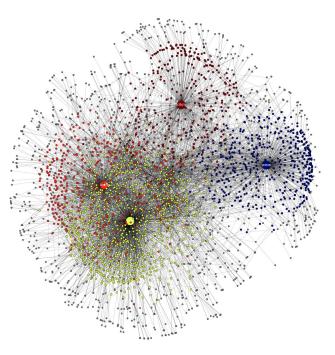
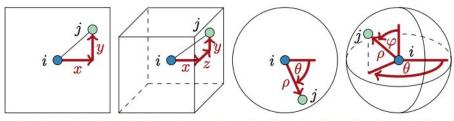


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Method	Pseudo-coordinates	$\mathbf{u}(x,y)$	Weight function $w_j(\mathbf{u}), j = 1, \dots, J$
CNN [23]	Local Euclidean	$\mathbf{x}(x,y) = \mathbf{x}(y) - \mathbf{x}(x)$	$\delta(\mathbf{u}-ar{\mathbf{u}}_j)$
GCNN [26]	Local polar geodesic	ho(x,y), heta(x,y)	$ \begin{array}{l} \exp(-\frac{1}{2}(\mathbf{u}-\bar{\mathbf{u}}_j)^\top \left(\begin{smallmatrix} \bar{\sigma}_\rho^2 \\ \bar{\sigma}_\rho^2 \\ \bar{\sigma}_\rho^2 \end{smallmatrix}\right)^{-1} (\mathbf{u}-\bar{\mathbf{u}}_j)) \\ \exp(-\frac{1}{2}\mathbf{u}^\top \mathbf{R}_{\bar{\theta}_j} \left(\begin{smallmatrix} \bar{\alpha} \\ \bar{\alpha} \\ \end{smallmatrix}\right) \mathbf{R}_{\bar{\theta}_j}^\top \mathbf{u}) \end{array} $
ACNN [7]	Local polar geodesic	ho(x,y), heta(x,y)	$\exp(-\tfrac{1}{2}\mathbf{u}^{\top}\mathbf{R}_{\bar{\theta}_{j}}\left(\bar{\alpha}_{1}\right)\mathbf{R}_{\bar{\theta}_{j}}^{\top p}\mathbf{u})$
GCN [21]	Vertex degree	$\deg(x), \deg(y)$	$\left(1- 1-rac{1}{\sqrt{u_1}} ight)\left(1- 1-rac{1}{\sqrt{u_2}} ight)$
DCNN [3]	Transition probability in r hops	$p^0(x,y),\ldots,p^{r-1}(x,y)$	$\operatorname{id}(u_j)$

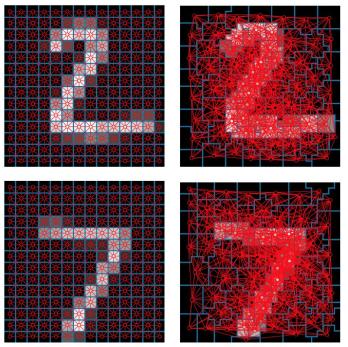


 $\mathbf{u}(i,j)=(x,y) \ \mathbf{u}(i,j)=(x,y,z) \ \mathbf{u}(i,j)=(\rho,\theta) \ \mathbf{u}(i,j)=(\rho,\theta,\varphi)$

Image from: https://gisellezeno.com/tag/graphs.html

- In the first example pixels are on a regular grid, same for all images
- Polar representations of the coordinates are used

 $\mathbf{u} = (
ho, heta)$



Regular grid

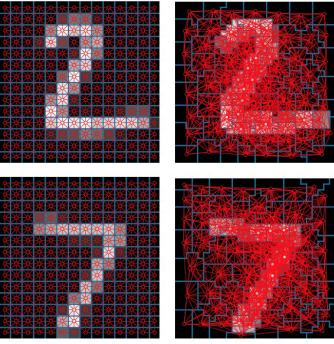
Superpixels

Figure 2. Representation of images as graphs. Left: regular grid (the graph is fixed for all images). Right: graph of superpixel adjacency (different for each image). Vertices are shown as red circles, edges as red lines.

- In the first example pixels are on a regular grid, same for all images
- Polar representations of the coordinates are used

 $\mathbf{u} = (\rho, \theta)$

- Second example use an superpixel algorithm
- Different superpixels for each image
- Still polar representations are used



Regular grid

Superpixels

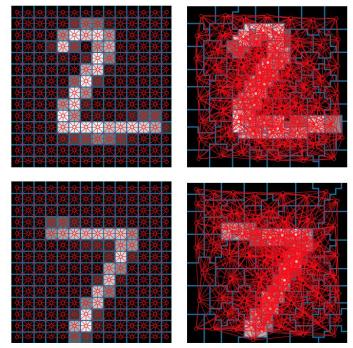
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Dataset	LeNet5 [23]	ChebNet [13]	MoNet
*Full grid	99.33%	99.14%	99.19%
$*\frac{1}{4}$ grid	98.59%	97.70%	98.16%
300 Superpixels	-	88.05%	97.30%
150 Superpixels	-	80.94%	96.75%
75 Superpixels	-	75.62%	91.11%

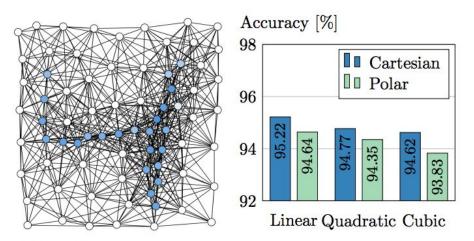


Regular grid

Superpixels

Figure 2. Representation of images as graphs. Left: regular grid (the graph is fixed for all images). Right: graph of superpixel adjacency (different for each image). Vertices are shown as red circles, edges as red lines.

- A later study suggest that the pseudo-coordinates are less important, at least for 2D and 3D applications
- The difference is that they used B-Spline kernels, instead of gaussian



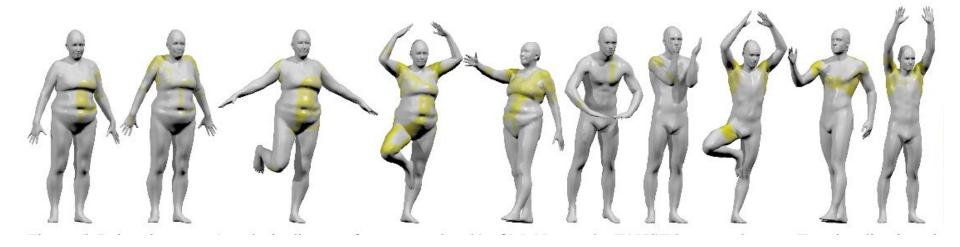
(a) MNIST superpixels example

(b) Classification accuracy

Dataset	LeNet5 [14]	MoNet [18]	SplineCNN
Grid	99.33%	99.19%	99.22%
Superpixels	-	91.11%	95.22%

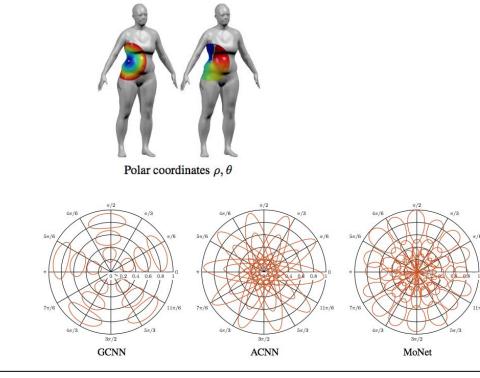
SplineCNN: Fast Geometric Deep Learning with Continuous B-Spline Kernels

Graph convolutions - Surface/manifold correspondances

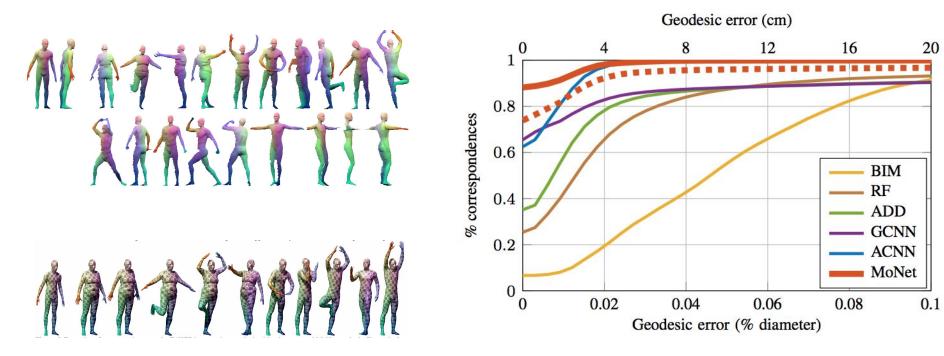


Graph convolutions - Surface/manifold

- Using spherical coordinates
- Weighting the neighbourhood with gaussian kernels
- Use histogram of local normal vectors as input (SHOT)
- Correspond to moving kernel along surface of the model
- Multiple layers work similar to regular CNN. Only swap out representation and keep position (coordinates)

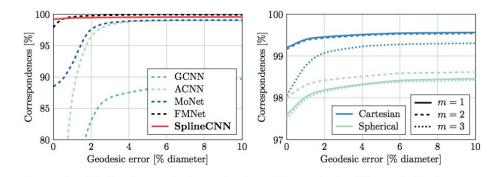


Graph convolutions - Surface/manifold



Graph convolutions - Surface/manifold

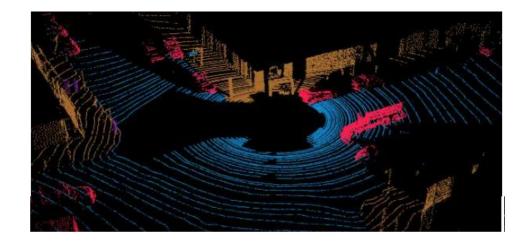
Spline kernel function and cartesian coordinates seems to work better here as well. In this example they did not use the SHOT descriptors.



(a) Results of SplineCNN and other methods

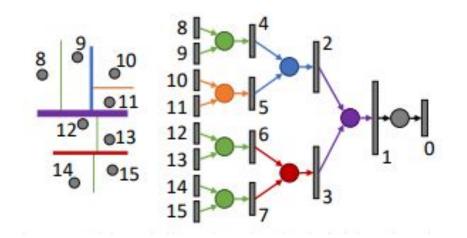
(b) Results for different SplineCNNs

- The graph convolutional methods all have a defined neighbourhood
- How can we use graph convolutional methods without one.



Deep Parametric Continuous Convolutional Neural Networks

A recent article from Uber <u>Deep Parametric</u> <u>Continuous Convolutional Neural Networks</u>. Used a combination of Kd-network and graph convolutions.



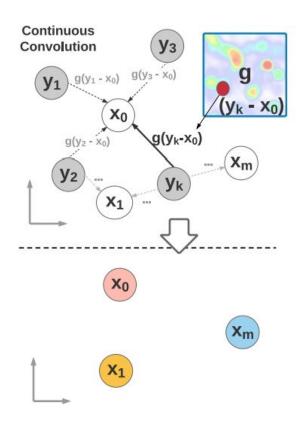
They used continuous kernels.

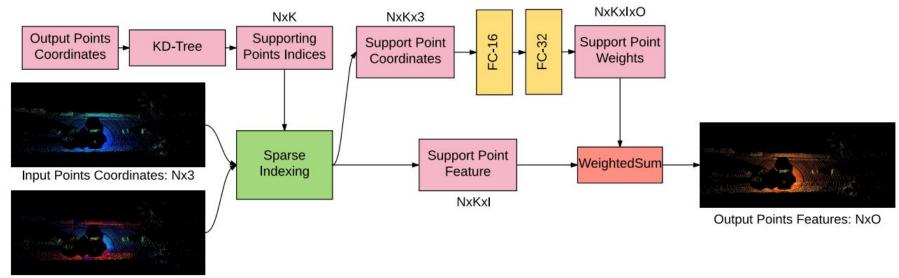
$$h_{k,i} = \sum_{d}^{F} \sum_{j}^{N} g_{d,k} (\mathbf{y}_i - \mathbf{x}_j) f_{d,j}$$

Over the nearest neighbours in a Kd-tree.

As kernels they used neural networks, that took distance in input point, as input, and outputs a weight value for that position.

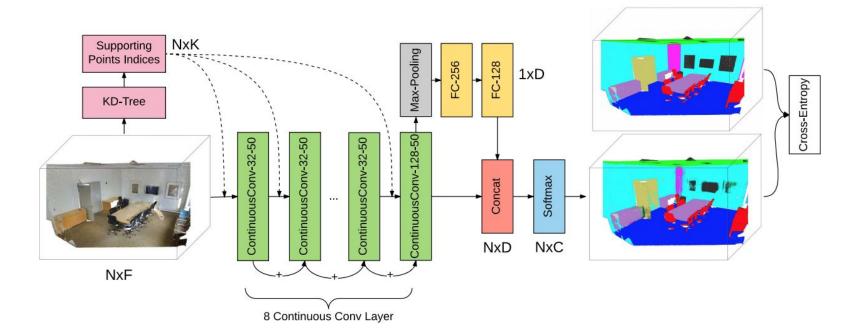
$$g(\mathbf{z}; \theta) = MLP(\mathbf{z}; \theta)$$

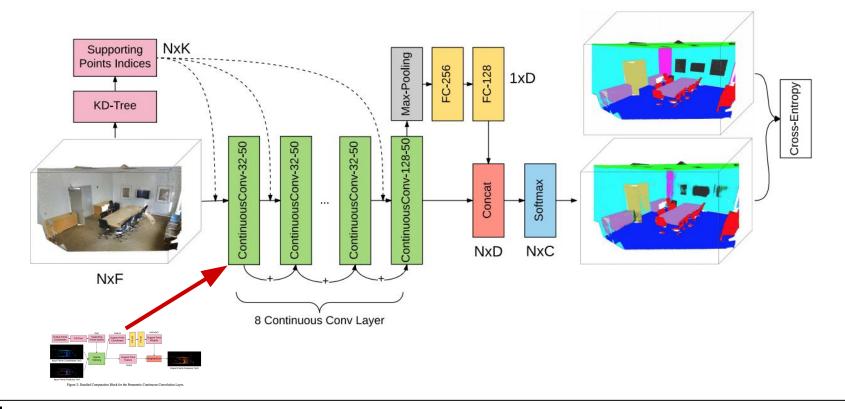




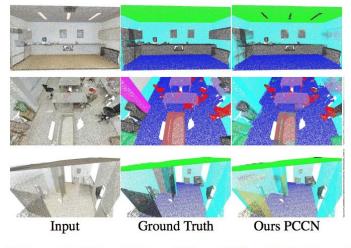
Input Points Features: NxI

Figure 2: Detailed Computation Block for the Parametric Continuous Convolution Layer.





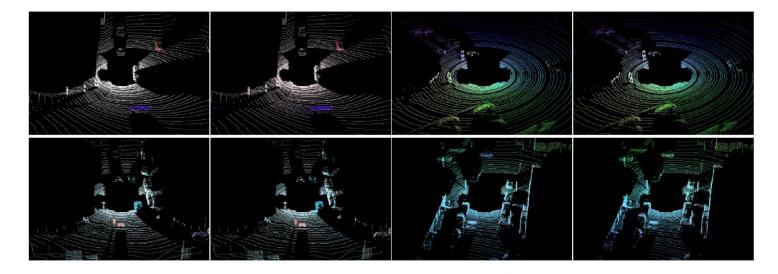
State-of-art as far as I know on 3DISD Deep nets take 33ms and KD-Tree takes 28ms on Xeon E5 and GTX 1080 Ti. OBS! Point cloud size not clear



Method	mIOU	mAcc	ceiling	floor	wall	beam	column	window	door	chair	table	bookcase	sofa	board	clutter
PointNet [20]	41.09	48.98	88.80	97.33	69.80	0.05	3.92	46.26	10.76	52.61	58.93	40.28	5.85	26.38	33.22
3D-FCN-TI [28]	47.46	54.91	90.17	96.48	70.16	0.00	11.40	33.36	21.12	76.12	70.07	57.89	37.46	11.16	41.61
SEGCloud [28]	48.92	57.35	90.06	96.05	69.86	0.00	18.37	38.35	23.12	75.89	70.40	58.42	40.88	12.96	41.60
Ours PCCN	58.27	67.01	92.26	96.20	75.89	0.27	5.98	69.49	63.45	66.87	65.63	47.28	68.91	59.10	46.22

Table 1: Semantic Segmentation Results on Stanford Large-Scale 3D Indoor Scene Dataset

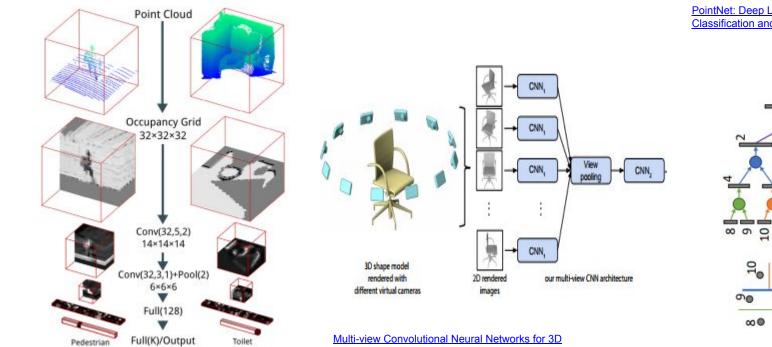
Also good results on ego-motion and movement of other objects.



Method	EPE (cm)	Outlier%10	Outlier%20
3D-FCN	8.161	25.92%	7.12 %
Ours 3D-FCN+PCCN	7.810	19.84%	5.97%
Table 3: Lidar Flow	Results on	Driving Sco	enes Dataset

Summary

Summary



Shape Recognition

- Colored Barrison

PointNet: Deep Learning on Point Sets for 3D Classification and Segmentation

Escape from Cells: Deep Kd-Networks for the Recognition of 3D Point Cloud Models

11 12 13 13 14 15

VoxNet: A 3D Convolutional Neural Network for Real-Time

Object Recognition

Summary

3D Segmentation:

- For dense data
- Small grids
- Resolution not important

Multi-view:

- Single objects
- Clear surfaces
- Obvious view angles

Direct point-cloud:

- Global patterns
- Noisy data

Convolution abstractions:

- Surface segmentation
- Sparse data
- Defined graph with logical edges