## Geometry and Analysis, Fall 2018

Problem sheet 2, to be discussed Friday the 14th September.

**Problem 1.** Let  $\nabla$  be a connection in a vector bundle  $E \to M$ . Show that if a section s of E vanishes along a submanifold  $N \subset M$  then  $\nabla_v s = 0$  for every tangent vector v to N.

**Problem 2.** Let  $\nabla$  be the connection in the product bundle  $\mathbb{R}^2 \times \mathbb{C}$  over  $\mathbb{R}^2$  with connection form w(ydx - xdy), where w is a complex number. Compute the holonomy of  $\nabla$  around the unit circle counterclockwise.