## Geometry and Analysis, Fall 2018

Problem sheet 2, to be discussed Friday the 14th September.

Problem 1. Let $\nabla$ be a connection in a vector bundle $E \rightarrow M$. Show that if a section $s$ of $E$ vanishes along a submanifold $N \subset M$ then $\nabla_{v} s=0$ for every tangent vector $v$ to $N$.

Problem 2. Let $\nabla$ be the connection in the product bundle $\mathbb{R}^{2} \times \mathbb{C}$ over $\mathbb{R}^{2}$ with connection form $w(y d x-x d y)$, where $w$ is a complex number. Compute the holonomy of $\nabla$ around the unit circle counterclockwise.

