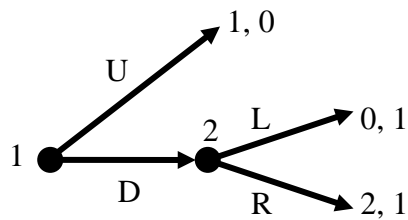


Problem 1

- a) FALSE. E.g., consider matching pennies.
- b) TRUE. For any belief, the dominating strategy is a better reply.
- c) TRUE. A subgame perfect Nash equilibrium can be constructed by means of backward induction.
- d) FALSE, unless, for each player, the payoffs assigned to terminal nodes are all different. E.g., the following game has two subgame perfect Nash equilibrium.



Problem 2

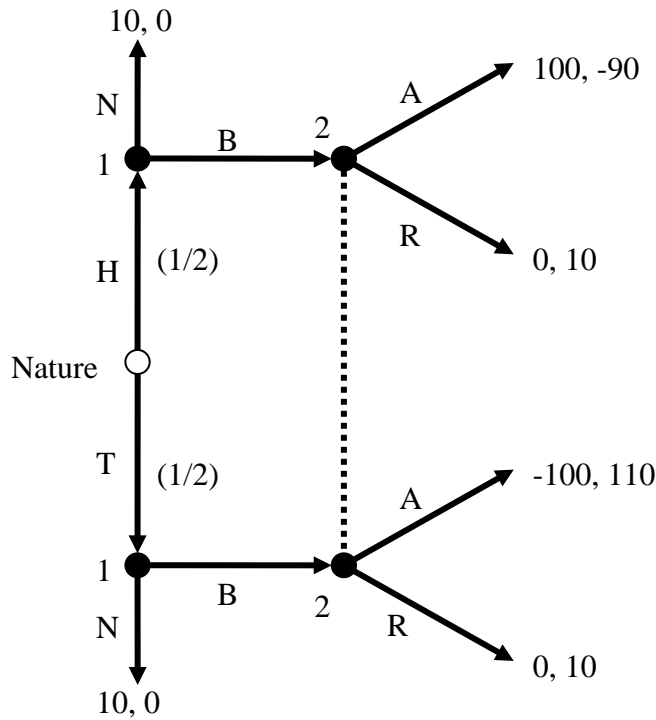
- a) Rationalizability has no bite in any of the variants. Variant (i): In addition to the two pure-strategy Nash equilibria, (O, O) og (M, M), there is also a mixed-strategy Nash equilibrium, $((3/4, 1/4), (1/4, 3/4))$. Variant (ii): There is only a mixed-strategy Nash equilibrium, $((3/4, 1/4), (3/4, 1/4))$.
- b) The Bayesian normal form looks like this:

	O	M
OO	3/2, 1	3/2, 0
OM	2, 1/2	0, 3/2
MO	0, 1/2	2, 3/2
MM	1/2, 0	1/2, 3

- c) OO, OM, and MO are rationalizable for player 1, and both O and M are rationalizable for player 2. (MO, M) is a pure-strategy Nash equilibrium. To find mixed-strategy Nash equilibria, note that OO must be played with positive probability, implying that 1's equilibrium payoff equals 3/2. This in turn implies that either 2 must play O with probability 3/4 so that OM is equally good as OO, or 2 must play M with probability 3/4 so that MO is equally good as OO. This determines two mixed-strategy Nash equilibria: $((3/4, 1/4, 0, 0), (3/4, 1/4))$ and $((3/4, 0, 1/4, 0), (1/4, 3/4))$.

Problem 3

a)



- b) In any pure-strategy perfect Bayesian equilibrium, both types of player 1 choose N and 2 chooses R. 2 assigns at least 0.5 probability on H if 1 chooses B. (There is also a set of mixed-strategy perfect Bayesian equilibria where both types of player 1 choose N, 2 chooses R with at least 0.55 probability, and 2 assigns exactly 0.5 probability on H if 1 chooses B.) Credit should be given to students who observe that player 1 of type T can only lose by choosing B.

Problem 4

- Low-probability consumers pay a deductible to avoid that high-probability consumers choose their contract with a lower premium.
- On the one, high-probability consumers are indifferent between the two contracts. On the other hand, the contract for low-probability consumers with a deductible is better for the low-probability consumers than for the high-probability consumers. It follows that one would choose to be a low-probability consumer, if faced with such a hypothetical choice.
- A "rebel" firm could earn positive expected profits by offering a pooling contract that attracts all consumers.