

# Macroeconomic Theory

## Econ 4310 Lecture 15

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# Announcements

1. Course evaluation. Please fill in form after exam
2. Stephen Nickell lectures on "The European Unemployment Challenge" November 1 in Aud 3, Eilert Sundt building, at 15:15-16

## Ricardian equivalence. The main assumptions

- 1 Present value of taxes equals present value of government expenditure plus initial government debt.
- 2 Consumers have rational expectations of future taxes and expenditures.
- 3 Taxes and transfers are lump-sum
- 4 Dynastic consumers, no migration

# Ricardian equivalence. Implications

- 1 Government borrowing and the timing of taxes (and transfers) do not matter for aggregate demand
- 2 Government debt creates its own demand

## Ricardian equivalence. Cases where it may fail

- Taxpayers who come and go
- Inoperative bequest motives
- Borrowing constraints?
- Precautionary saving?
- Income taxes, income dependent transfers
- Involuntary unemployment
- Myopic behavior
- Fear of government default

## Ricardian equivalence. Summary view

- Ricardian equivalence does not hold exactly
- Expectations of future tax increases or benefits cuts do depress present consumption demand, but to a varying degree
- Expectations of future increases in distortionary taxes may also depress investment demand today
- Government borrowing do raise real interest rates, but to what extent is not clear
- Some examples where it seems that cutting deficits had expansionary effects on economy

## Debt dynamics

$$b_{t+1}(1 + \gamma) = b_t(1 + r) + g - \tau$$

$b$  = debt/GDP,  $g$  = government consumption / GDP,  $\tau$  = net taxes/GDP,  
 $r$  = real interest rate,  $\gamma$  = growth rate of GDP

Primary surplus required to keep  $b_{t+1} = b_t = b$ :

$$\tau - g = (r - \gamma)b$$

Primary surplus required to stop growth in nominal debt:

$$\tau - g = ib$$

$i$  = nominal interest rate

## Primary surplus required to stop debt ratio from growing

| Debt ratio | $r - \gamma$ |     |     |     |
|------------|--------------|-----|-----|-----|
|            | 0            | 1   | 2   | 4   |
| 60         | 0.0          | 0.6 | 1.2 | 2.4 |
| 100        | 0.0          | 1.0 | 2.0 | 4.0 |
| 120        | 0.0          | 1.2 | 2.4 | 4.8 |
| 150        | 0.0          | 1.5 | 3.0 | 6.0 |

$$\tau - g = (r - \gamma)b, \text{ figures in per cent}$$



## Debts and deficits 2009

|                 | Greece | Italy | UK   |
|-----------------|--------|-------|------|
| Gross debt      | 115.1  | 115.9 | 68.1 |
| Net debt        | 87.0   | 101.0 | 43.5 |
| Budget deficit  | 13.5   | 5.2   | 11.3 |
| Primary deficit | 8.8    | 0.8   | 9.6  |
| Current account | 11.2   | 3.1   | 1.3  |

# Debt crisis

- Interest rate increases in probability of default
- Probability of default increases in interest rate
- Multiple equilibriums possible
- Small shocks can lead to big increases in interest rates
- Rolling over debt may become impossible

# Default or not?

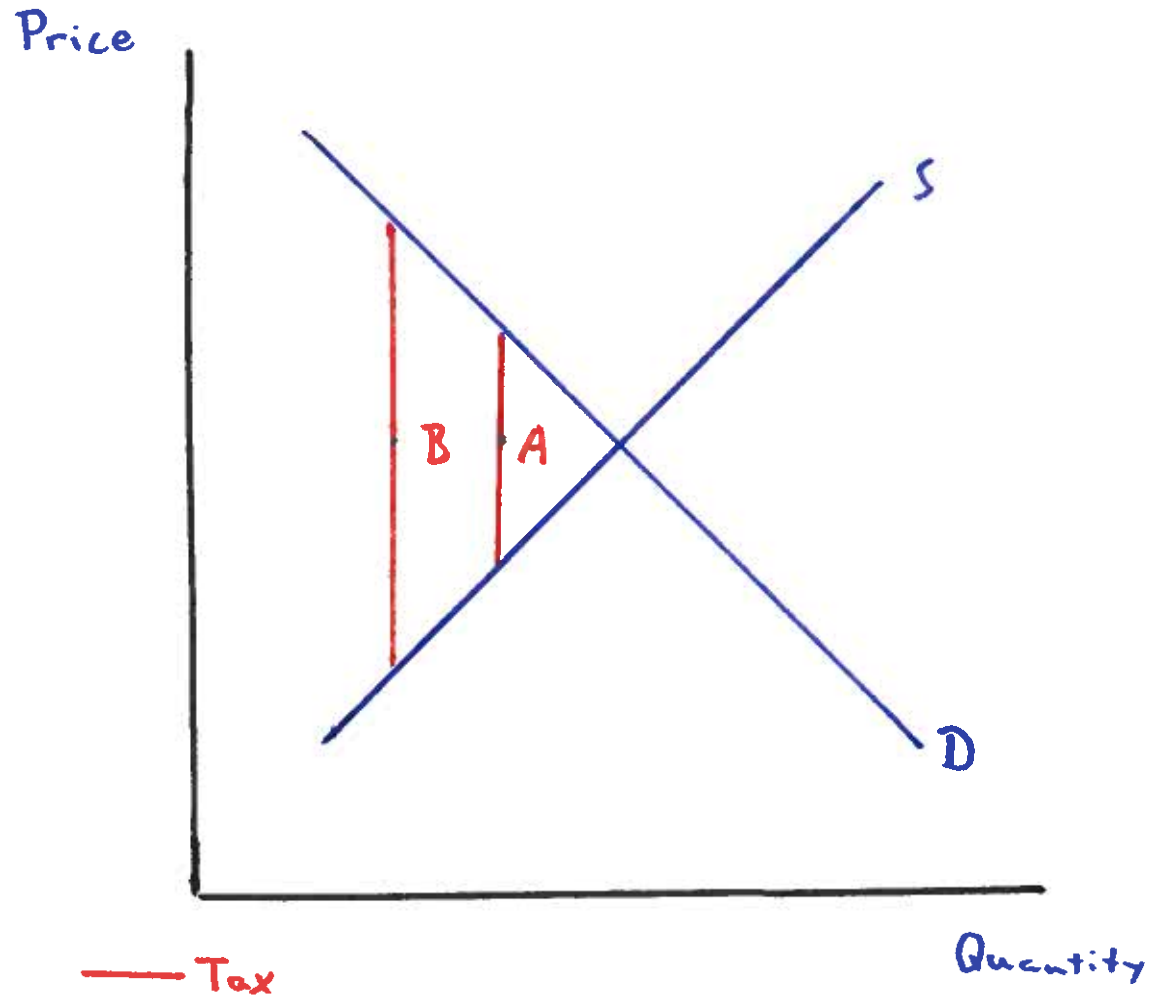
- Default may reduce the need for cuts now
- Default makes it more expensive to borrow in the future
- Default may create a general financial crisis, loss of output
- A defaulting country has to eliminate its primary deficit immediately

# Open economy issues

- Governments that have borrowed in their own currency can choose to reduce the debt through inflation rather than outright default
- Government debt problems may result in currency crises
- Governments that have borrowed from their own citizens can sustain more debt, since part of the interest comes back as taxes

## Saving oil revenues: Three reasons

- Intergenerational distribution
- Minimizing the costs of structural change
- Smoothing taxes and government consumption



A, B deadweight loss  $A + B > 2A$

## Fiscal rule 1: Keeping tax rates constant

$$a_{t+1}(1 + \gamma) = (1 + r)a_t + \tau - g$$

Condition for  $a_{t+1} = a_t$

$$g - \tau = (r - \gamma)a$$

Spend the part of the real return on wealth that exceeds the underlying growth rate

## Actual fiscal rule

$$g - \tau = ra_f$$

$a = a_f + a_g =$  oil revenues in *fund* plus in *ground*

- In fund: NOK 2 640 bn (1.1 GDP)
- In ground: NOK 4 090 bn (1.7GDP)



## The two rules compared

$$g - \tau = ra_f \text{ versus } g - \tau = (r - \gamma)(a_f + a_g)$$

Actual rule has

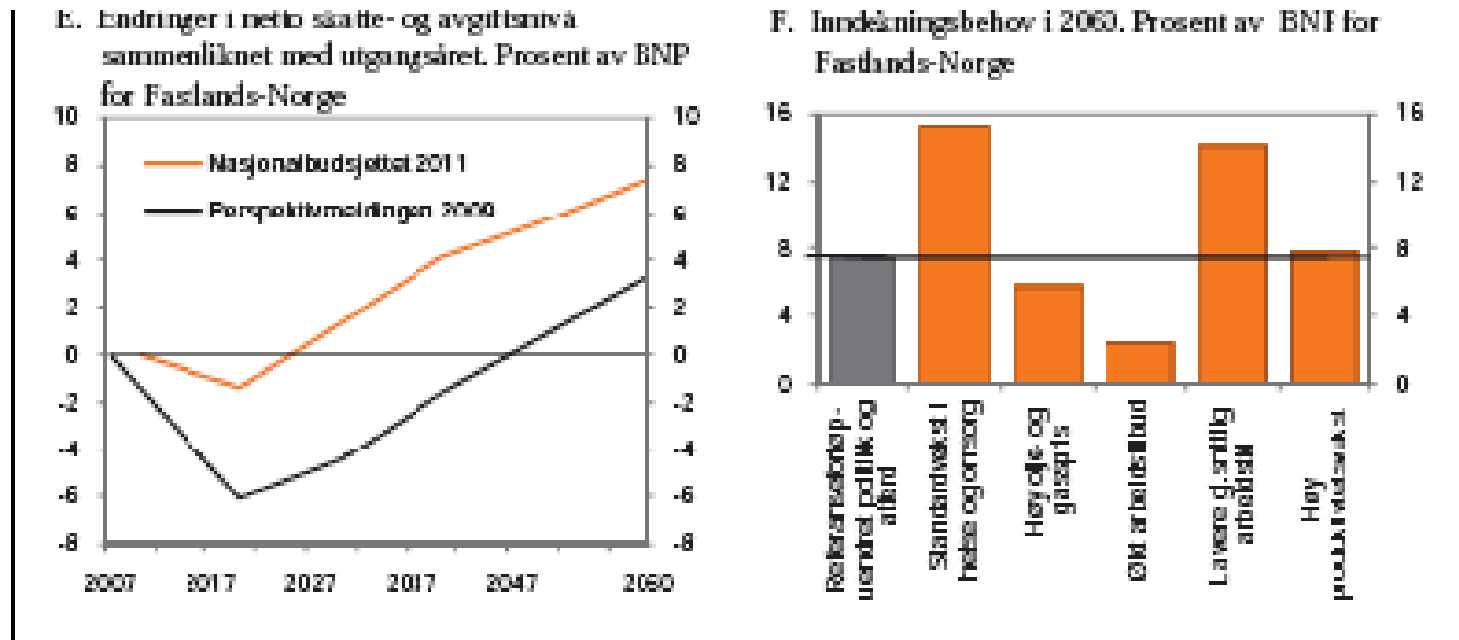
- less spending initially
- more spending in an intermediate period
- less spending in the long run
  
- constant expected value of fund after all oil and gas has been produced
- ratio of fund to GDP that approaches zero in the long-run

## Some further considerations

- Risks related to future oil revenues
- Aging, pension reforms
- Immigration
- Other reforms

Projections of future budget scenarios needed

# Budget projection 2010



Figur 3.1 Langsiktige utfordringer

Kilder: Statistisk sentralbyrå og Finansdepartementet.

# Intergenerational distribution

In projections:

- Private consumption per capita expected to grow
- Government consumption: Same standard more users
- Tax rates increasing

Some questions:

- Does the real interest rate justify the increasing consumption path?
- Can we count on positive real income growth forever?
- To what extent can the government actually influence the intergenerational distribution?
- Do future generations have rights in the resources?