3 Ex 3. Goverment deficit

From the exercise, we have

- b = 0.6
- $\gamma = 0.02$
- r = i f = 0.055 0.025 = 0.03
- $\tau = 0.2$
- g = 0.25
- i = 0.055
- 1. To prevent the debt/GDP ratio to grow further, we need to have $b_{t+1} = 0.6$ as well, since

$$b_{t+1} = (b_t(1+r) - \tau + g)/(1+\gamma)$$

we have

$$0.6 = (b_t(1+r) - \tau + g)/(1+\gamma)$$

 \mathbf{SO}

$$g^* = 0.6(0.02 - 0.03) + 0.2 = 0.194$$

which means that the government spending can be no more than 19.4 percent of GDP.

2.¹ Real/nominal primary surplus is 20% - 19.4% = 0.6% of real/nominal Gdp. the total nominal deficits will be nominal interest payment on debt plus the nominal primary deficit (where GDP_N denotes nominal GDP)

$$0.006 * GDP_N - 0.6 * GDP_N * i$$

and the nominal deficits relative to GDP equals to

$$0.006 - 0.6 * 0.055 = -0.027 = 2.7\%$$

3. Although the GDP growth is greater than the real interest rate, the primary deficit is too big to be compensated, so the debt/GDP ratio will continue to increase.

$$b_{t+1} = (b_t(1+r) - \tau + g)/(1+\gamma)$$

= (0.6(1+0.03) - 0.2 + 0.25)/(1+0.04)
= 0.642

4. The constant interest rate assumption is not realastic. Running deficits means higher government spending and raises aggregate demand, which in turn may lead to increased interest rate.

¹For those who attended Monday's seminar: By mistake, I calculated the norminal debt instead of nominal deficits. Here you will find the corrected solution for question 2. I would also like to thank the student who pointed this out after the Monday Seminar.