

Banking Regulation in Theory and Practice (2)

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Outline

- 1 Foundations of Banking Regulation
 - Risk management and leverage cycles
 - Capital regulation

Disclaimer

(If they care about what I say,) the views expressed in this manuscript are those of the author's and should not be attributed to Norges Bank.

Risk management at work: model setup

- Consider an economy of 2 periods: agents invest in risky projects at $t = 0$, and will get paid at $t = 1$. No private information;
 - Assumption 1: There are a *fixed* number of identical risky projects. Each
 - Needs 1 unit of initial investment to start at $t = 0$, while the gross payoff R
 - Only gets revealed at $t = 1$, perfectly correlated across projects;
 - R is uniformly distributed over $[\bar{R} - z, \bar{R} + z]$, with $\bar{R} > 1$, $z > 0$. Therefore

$$E_0 [R] = \bar{R}, \text{ and } \text{var} [R] = \frac{z^2}{3}.$$

- Besides risky projects, agents may also hold cash which is risk free.

Risk management at work: model setup (cont'd)

- There are many *risk averse* consumers, each of them
 - Is endowed with wealth e at $t = 0$;
 - Can deposit the wealth in the bank *and* invest directly on risky projects;
 - Gets utility from consumption at $t = 1$, or, proceeds from investment. Her expected utility at $t = 0$ is

$$u(c) = E[c] - \frac{1}{2\tau} \text{var}[c].$$

Consumers are risk averse because they do not like volatility. Parameter τ is parameter for risk tolerance: the higher it is, the more risk consumers can tolerate. Assume τ is constant across consumers.

Risk management at work: model setup (cont'd)

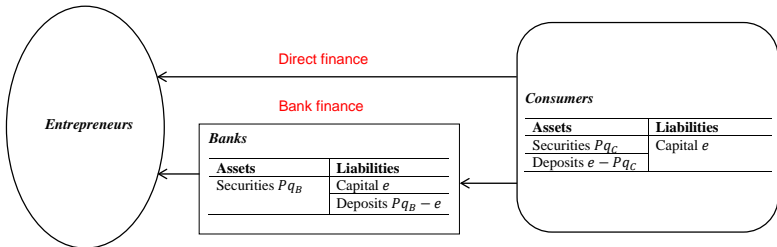
- There are many *risk neutral* banks, or *leveraged investors*, each of them
 - Invests only on risky projects, and can borrow from consumers (that's why banks are "*leveraged*");
 - Manages balance sheet using *VaR* ("**V**alue-**a**t-**R**isk");

Definition

The *VaR* of a portfolio at confidence level α means that the event that the realized loss L exceeds *VaR* happens at a probability no higher than $1 - \alpha$, i.e., $Prob(L > VaR) \leq 1 - \alpha$, or equivalently, $Prob(L < VaR) \geq \alpha$.

Market for security and asset price

- Entrepreneurs fund their projects via issuing securities;
 - Security market opens at $t = 0$, each unit sold at price P .



Financial intermediation emerges as a result of heterogeneity in preferences: those who are risk neutral become natural bankers, and those risk averse become depositors. In addition, $Pq_B - e$ is not required to be equal to $e - Pq_C$ here, since banks may raise funds from elsewhere.

Consumers' decision problem

- At $t = 0$, a consumer (“*non-leveraged investor*”) chooses how much to invest on risky securities to maximize expected utility, i.e.

$$\max_{q_C} u(c) = E[Rq_C + e - Pq_C] - \frac{1}{2\tau} \text{var}[Rq_C + e - Pq_C] = \bar{R}q_C + e - Pq_C - \frac{1}{2\tau} \frac{z^2}{3} q_C^2.$$

Remember for random variable x , if $\text{var}[x] = \sigma^2$, $\text{var}[Ax] = A^2\sigma^2$ given A is a constant number.

- First order condition leads to consumers' demand for security $q_C(P)$

$$\frac{\partial u}{\partial q_C} = \bar{R} - P - \frac{1}{\tau} \frac{z^2}{3} q_C = 0 \Rightarrow q_C(P) = \begin{cases} \frac{3\tau(\bar{R}-P)}{z^2}, & \bar{R} \geq P; \\ 0, & \text{otherwise.} \end{cases}$$

Banks' decision problem

- At $t = 0$, a bank (“*leveraged investor*”) chooses how much to invest on risky securities and how much to borrow (“*leverage ratio*”) to maximize expected return, i.e.

$$\max_{q_B} E [Rq_B - (Pq_B - e)] = (\bar{R} - P) q_B + e \quad (1);$$

- Assumption 2: Banks are subject to *VaR* requirement such that they should stay solvent even in the worst case, i.e., be able to repay depositors even when the payoff from risky assets is the lowest

$$e \geq VaR \Rightarrow (\bar{R} - z) q_B \geq Pq_B - e \Rightarrow e \geq (P - \bar{R} + z) q_B = VaR \quad (2).$$

Banks usually hold least possible equity (why?), or, $e = (P - \bar{R} + z) q_B$, implying banks' debt from deposits is $p q_B - e = (\bar{R} - z) q_B$.

Asset price in equilibrium

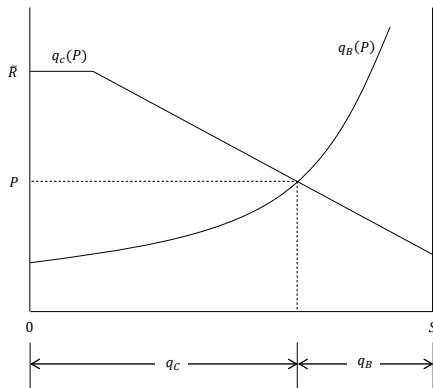
- Solving bank's problem defined by (1) and (2), we get bank's demand for security $q_B(P) = \frac{e}{P - \bar{R} + z}$;
- Remember consumers' demand for security $q_C(P)$ is

$$q_C(P) = \begin{cases} \frac{3\tau(\bar{R}-P)}{z^2}, & \bar{R} \geq P; \\ 0, & \text{otherwise;} \end{cases}$$

- Assumption 1 implies the aggregate supply of security is fixed, denote it by S . Depict $q_B(P)$ and $q_C(P)$ with fixed S , equilibrium q_B , q_C and P are determined simultaneously.

Asset price in equilibrium (cont'd)

- Equilibrium bank's demand for security q_B , consumers' demand for security q_C and security price P



Asset price and leverage cycle: boom

- To capture the *feedback mechanism* between asset price and leverage in boom-bust cycle, suppose there is a shock to security return at $t = 0.5$, so that both banks and consumers have the chance to adjust their balance sheets;
 - At $t = 0.5$, it turns out that the distribution of security return is $[\bar{R}' - z, \bar{R}' + z]$, $\bar{R}' > \bar{R}$, or, the economy is in a *boom*
 - *Unleveraged investors* (consumers) will immediately respond with higher demand for security $q_C(P)$, leading to higher $q_C(P)$ curve and positive impact on P ;

Asset price and leverage cycle: boom (cont'd)

- (cont'd)
 - Suppose security price is now $\tilde{P} > P$. The direct impact is higher equity level (“*net worth*”) in *leveraged investors*’ (banks) balance sheet, given the debt (deposits) level remains the same as before;
 - Bank’s *VaR* constraint is relaxed, too:
 $\tilde{e} = \tilde{P}q_B - (\bar{R} - z)q_B > e = VaR$, as shown in the figure

Assets	Liabilities		Assets	Liabilities
Securities Pq_B	Capital e	→	Securities $\tilde{P}q_B$	Capital \tilde{e}
	Deposits $(\bar{R} - z)q_B$			Deposits $(\bar{R} - z)q_B$

Asset price and leverage cycle: boom (cont'd)

- (cont'd)
 - The bank thus has incentive to take more debt, buy more security (increase q_B), expand balance sheet, and make VaR constraint binding again. This implies

$$\tilde{e} = \tilde{P}\tilde{q}_B - \underbrace{(\bar{R}' - z)}_{\text{new debt level}} \tilde{q}_B = \widetilde{VaR};$$

Assets	Liabilities		Assets	Liabilities
Securities $\tilde{P}q_B$	Capital \tilde{e}	→	Securities $\tilde{P}\tilde{q}_B$	Capital \tilde{e}
	Deposits $(\bar{R} - z)q_B$			Deposits $(\bar{R}' - z)\tilde{q}_B$

Asset price and leverage cycle: boom (cont'd)

- (cont'd)

- Express \tilde{q}_B with q_B by combining two expressions for \tilde{e} :

$$\tilde{q}_B = \frac{\tilde{P} + z - \bar{R}}{\bar{P} + z - \bar{R}'} q_B;$$

- The consumers' demand for security is now

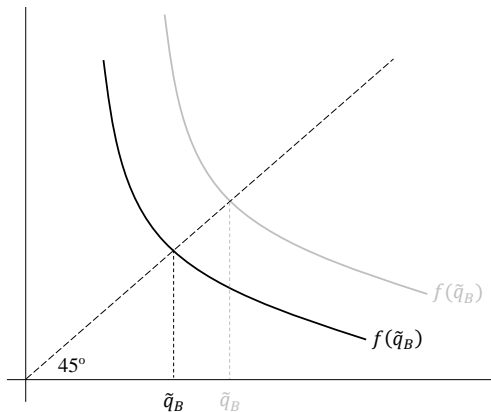
$$\tilde{q}_C = \frac{3\tau}{z^2} (\bar{R}' - \tilde{P}) = S - \tilde{q}_B. \text{ Analytical solution of } \tilde{q}_B \text{ is derived by eliminating } \tilde{P}$$

$$\tilde{q}_B = \left[1 + \frac{\bar{R}' - \bar{R}}{z + (\tilde{q}_B - S) \frac{z^2}{3\tau}} \right] q_B = f(\tilde{q}_B);$$

- Comparative statics: The impact of shocks to security return on \tilde{q}_B can be easily seen graphically.

Asset price and leverage cycle: boom (cont'd)

- Comparative statics (cont'd): Higher \bar{R}' shifts $f(\tilde{q}_B)$ to the right, leading to bank's higher demand for security

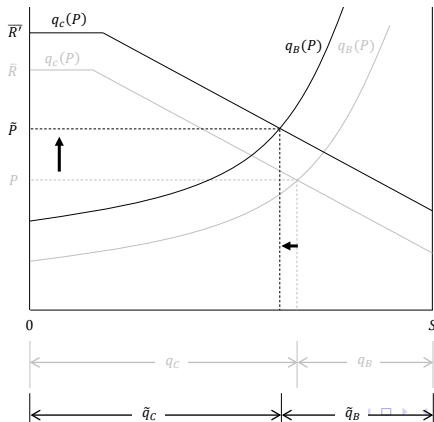


Asset price and leverage cycle: boom (cont'd)

- Comparative statics (cont'd): \tilde{q}_B is more *sensitive* to return shock when z is smaller
 - Smaller z implies lower risk in security return, therefore
 - Lower VaR , and lower capital ratio is needed. However
 - The bank is more leveraged, so that the impact of return shock is more amplified through leverage, leading to higher volatilities in demand for security and asset price.
 - To sum up: in the boom, positive shock to asset return eases VaR constraint, inducing banks to *lever up* and expand balance sheet, leading to higher asset price and demand, which feeds to further expansion through VaR ...

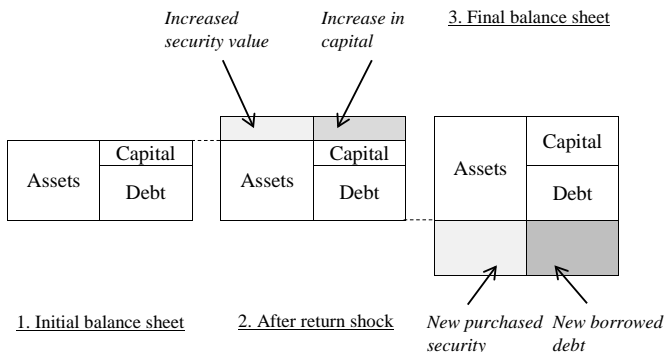
Asset price and leverage cycle: boom (cont'd)

We made the entire analysis in steps in order to better understand how economic boom gets amplified through leverage, while actually the equilibrium \tilde{q}_B , \tilde{q}_C and \tilde{P} can be simultaneously determined graphically following a positive shock in security return



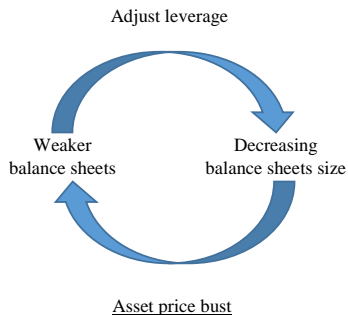
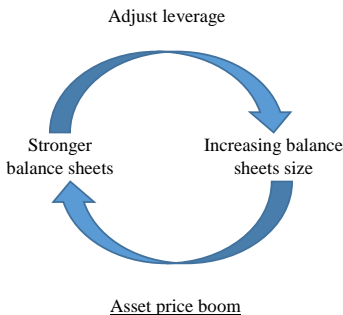
Asset price and leverage cycle: boom (cont'd)

- The **balance sheet channel** of propagating macro shocks in the boom is summarized in the figure



Feedback mechanism in leverage cycle

- Characterizing the **balance sheet channel** of propagating macro shocks in the bust is left as your exercise.
 - Initial macro shock triggers a *feedback loop* through *balance sheet adjustments*, amplifying initial shock: “*procyclicality*”



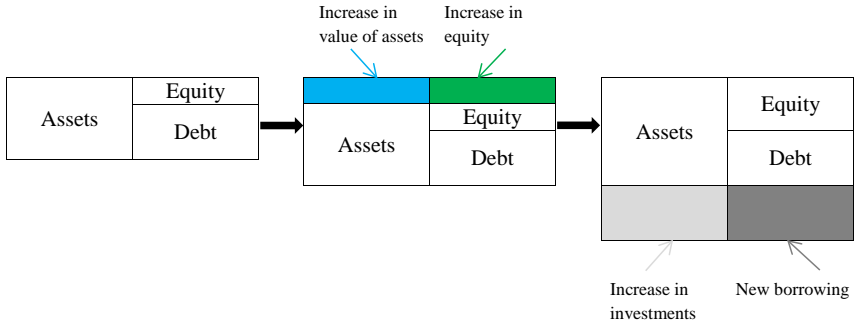
Capital adequacy requirement

- Capital requirement is one of the best examples on how to design proper rules in financial regulation;
- Capital requirement is a good instrument
 - Provides *cushion* to absorb losses and avoid contagious spillover to the rest of the system;
 - Align with incentives: more “*skin-in the game*”, encourage monitoring and avoid excess risk-taking;
 - Can reflect the risk in banks’ assets: more risk, higher capital ratio;
 - Easy to understand and implement.

Capital adequacy in design

- Capital requirement should be higher for *SIFIs*;
- Should be high enough to weather unanticipated systemic events;
- It should be waterproof for *regulatory arbitrage*
 - Should focus on *tier-1 capital* (common equity);
 - Should be less flexible in calculating *risk weights* of assets;
- Capital requirement rules should avoid **procyclicality**
 - Need to put a brake on banks' credit supply in the boom, while
 - Provide more room to cushion banks' losses in the bust.

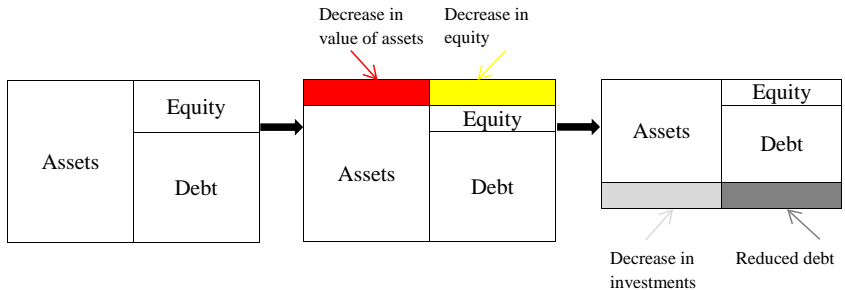
Procyclicality: in the boom



Procyclicality: in the boom (cont'd)

- Suppose capital ratio is required to be no less than 33%;
- In the boom, profit from each bank's assets makes equity (“*net worth*”) doubled – now capital ratio becomes 50%;
- The capital requirement allows every bank to take in *more* debt for *more* investments, expanding its balance sheet by 50%;
- Demand for assets \uparrow \rightarrow asset price \uparrow \rightarrow banks' profit \uparrow \rightarrow net worth \uparrow \rightarrow debt \uparrow & demand for assets \uparrow ...
- Making banking sector *expand more in the boom*.

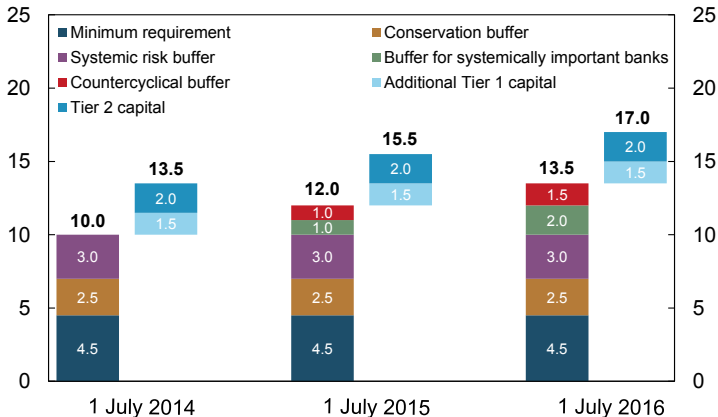
Procyclicality: in the bust



Procyclicality: in the bust (cont'd)

- Suppose capital ratio is required to be no less than 33%;
- In the bust, loss from each bank's assets makes equity halved – now capital ratio becomes 16.5%;
- The capital requirement forces every bank to cut off investments, contracting its balance sheet by 20%;
- Demand for assets \downarrow \rightarrow asset price \downarrow \rightarrow banks' loss \uparrow \rightarrow net worth \downarrow \rightarrow debt \downarrow & demand for assets \downarrow ...
- Making banking sector *contract more in the bust*.

Countercyclical capital buffer in design (Norway)



Countercyclical capital buffer in design (Norway)

- Minimum capital ratio increased to 4.5% from 2% (Basel II);
- Additional *conservation buffer* to cushion *idiosyncratic risks* and *systemic risk buffer* to weather *systemic events*;
- Addition buffer for identified *SIFIs*;
- Building up *countercyclical capital buffer* in the good time
 - To cool down booming credit supply, and
 - Allow banks to use the buffer for loss absorption during future downturn, subject to restrictions on executives' compensation.

Countercyclical capital buffer in practice

- Challenges in implementing countercyclical capital buffer
 - How to properly measure indicators such as credit-to-GDP gap?
 - How to properly evaluate benefit and cost?
 - How to properly design the path of buffer building?
- Questions on the design of countercyclical capital buffer
 - Interaction with other regulatory requirements and monetary policy?
 - Banks' reaction to such requirements?
 - Is it really a good policy?