

ECON 4921: Lecture 11

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Roadmap

1. Introduction
2. Institutions and Economic Performance
3. The Firm
4. Organized Interest and Ownership
5. Complementarity of Institutions
6. Institutions and Commitment
7. Agency problems: Voters- Politicians-Bureaucrats
- 8. Fiscal Federalism**
9. System Competition

Fiscal federalism

- Which functions are best centralized and which are best placed in the sphere of decentralized levels of government?
 - Traditional understanding: Oates decentralization theorem.
 - Trade-off: Spillovers vs. Preference matching
 - Important ass. : uniform level of spending (CEN)
 - Besley and Coate analyze a richer political economy setting at the center

Besley and Coate

- Another variant of common pool problem:
 - Public spending determined by the national legislature
 - Citizens of different jurisdictions have conflicting interests
 - Spending benefits primarily people living in one district. Costs borne collectively.

The model

- Two districts,
- # inhabitants normalized to 1 within each district
- Two local public goods: g_1, g_2
- One private good: x
- Production of one unit of either g requires p units of x

Preferences

- Public good preference parameter: λ

$$x + \lambda[(1 - \kappa) \ln g_i + \kappa \ln g_{-i}].$$

- λ varies across districts and across citizens within districts
 - Within each district: $[0, \bar{\lambda}]$
 - Mean and median type in district i : m_i , $m_1 \geq m_2$
- Degree of spillovers $\kappa \in [0, 1/2]$
 - Equal for all citizens
 - Citizens only care about own public good: $\kappa = 0$
 - Citizens care equally about both public goods: $\kappa = 1/2$

Alternative systems

- Decentralization:
 - Each g decided on locally
 - Financed by head tax on local citizens: pg_i
- Centralization:
 - Both g decided in national legislature
 - Financed by head tax on all citizens: $\frac{p(g_1 + g_2)}{2}$

Outline

- **Normative benchmark**
- Standard FGFF approach (Oates)
- Political economy SGFF approach (Besley and Coate)

Normative benchmark

- Aggregate public good surplus:

$$S(g_1, g_2) = [m_1(1 - \kappa) + m_2\kappa] \ln g_1 + [m_2(1 - \kappa) + m_1\kappa] \ln g_2 - p(g_1 + g_2)$$

- FOC gives:

$$(g_1, g_2) = \left(\frac{m_1(1 - \kappa) + m_2\kappa}{p}, \frac{m_2(1 - \kappa) + m_1\kappa}{p} \right)$$

- $m_1 > m_2 \rightarrow g_1 > g_2$ (for $\kappa < 1/2$)

Outline

- Normative benchmark
- **Standard FGFF approach (Oates)**
- Political economy SGFF approach (Besley and Coate)

The standard approach (Oates72)

- Decentralized solution:

$$g_i^d = \operatorname{argmax}_{g_i} \{m_i[(1 - \kappa) \ln g_i + \kappa \ln g_{-i}^d] - pg_i\}, \quad i \in \{1, 2\}.$$

- FOC gives:

$$(g_1^d, g_2^d) = \left(\frac{m_1(1 - \kappa)}{p}, \frac{m_2(1 - \kappa)}{p} \right)$$

- Similar to normative benchmark in the case that there are **no spillovers**.
- With spillovers: underprovision

The standard approach (Oates72)

- Centralized solution, uniform solution:

$$g^c = \arg \max_g \{ [m_1 + m_2] \ln g - 2pg \}$$

- FOC gives:

$$g^c = \frac{m_1 + m_2}{2p}$$

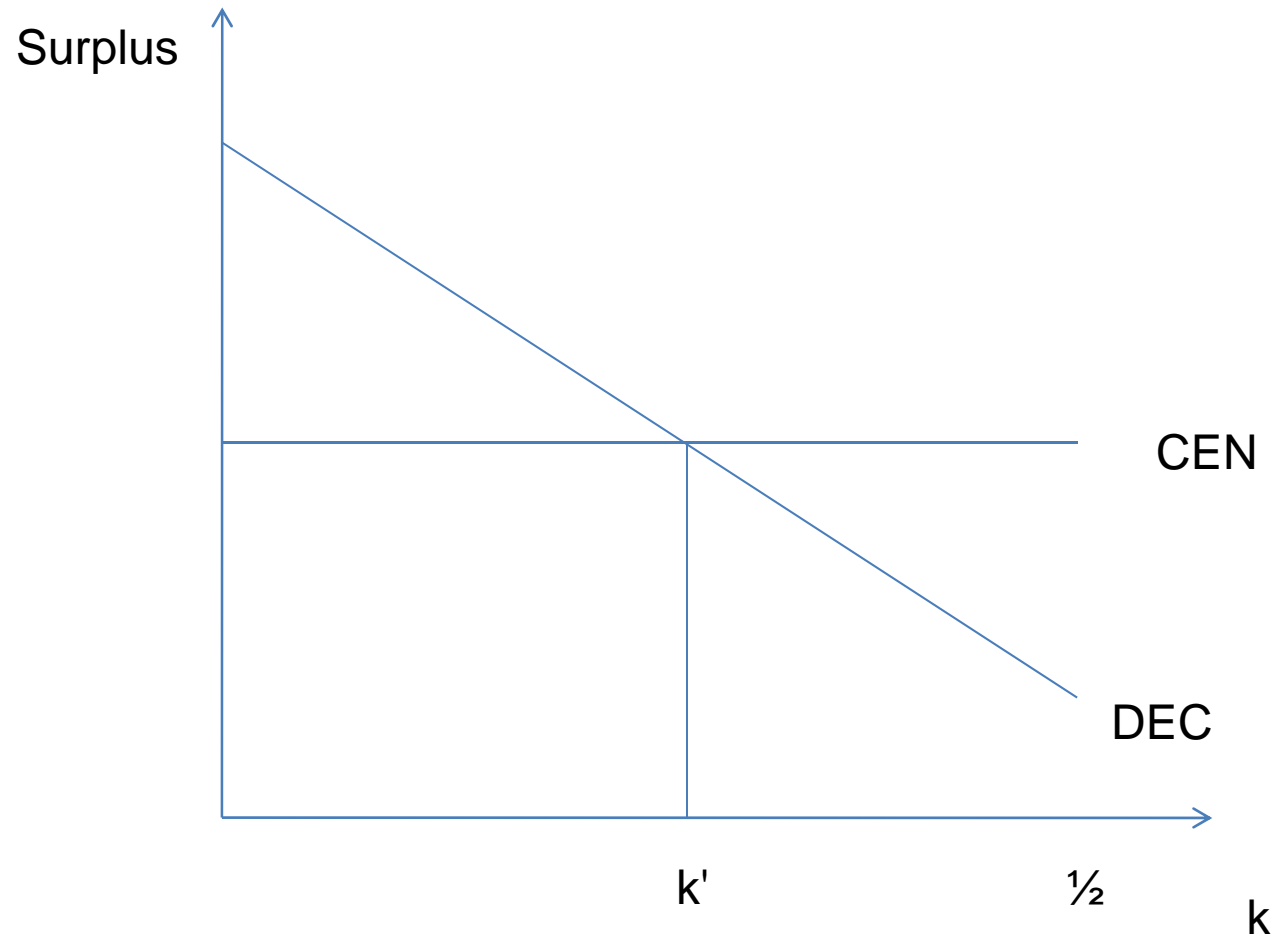
- Similar to normative benchmark in the case that there are **no preference heterogeneity**.
- With preference heterogeneity ($m_1 > m_2$):
 - Underprov. in 1, Overprov. in 2. (except when $k=1/2$)

Oates' decentralization theorem

	Externalities? ($k > 0$)	Diff regions? ($m_1 > m_2$)	Decentralized vs centralized provision?
1	NO	NO	Irrelevant
2	NO	YES	Decentralized
3	YES	NO	Centralized
4	YES	YES	Unclear

Concerning case 4

- Surplus under decentralization is decreasing in the extent of spillovers (k)
- There exists a critical level of k where
 - Below k' : decentralization dominates
 - Above k' : centralization dominates



Without uniform national solution

- If (benevolent) central government were permitted to choose different levels of g for the two districts.
 - Centralization would produce at least as much surplus as decentralization.
 - Always superior in the presence of spillovers.

Outline

- Normative benchmark
- Standard FGFF approach (Oates)
- **Political economy SGFF approach (Besley and Coate)**

Citizen-candidate model

- Each district choose a representative to send to national legislature.
 - We focus on the non-cooperative solution (section 4 in Besley and Coate).
- In national legislature candidates make choices in line with own preferences.

Timing in decentralized system

1. Elections
2. Elected citizen implement policy
(simultaneously in both districts)

Backward induction, stage 2

- Let λ_i denote representative from district i 's preferences:

$$g_i(\lambda_i) = \arg \max_{g_i} \{ \lambda_i [(1 - \kappa) \ln g_i + \kappa \ln g_{-i}(\lambda_{-i})] - pg_i \} \quad \text{for } i \in \{1, 2\}.$$

- FOC gives:

$$(g_1(\lambda_1), g_2(\lambda_2)) = \left(\frac{\lambda_1(1 - \kappa)}{p}, \frac{\lambda_2(1 - \kappa)}{p} \right)$$

Backward induction, stage 1

- Voter of type λ consider which citizen to vote for. This voter's public goods surplus level:

$$\lambda \left[(1 - \kappa) \ln \frac{\lambda_i(1 - \kappa)}{p} + \kappa \ln \frac{\lambda_{-i}(1 - \kappa)}{p} \right] - \lambda_i(1 - \kappa)$$

(first term: benefits. Second term: costs, when inserting for g from stage 2)

Maximization of this expression wrt to λ_i :

→ voters get max surplus when $\lambda = \lambda_i$

Outcome in decentralized solution

- Single peaked* preferences: $(\lambda_1^*, \lambda_2^*) = (m_1, m_2)$

$$\rightarrow (g_1, g_2) = \left(\frac{m_1(1 - \kappa)}{p}, \frac{m_2(1 - \kappa)}{p} \right)$$

* Given any two types λ_i and λ_i' such that $\lambda_i < \lambda_i' < \lambda$ or $\lambda < \lambda_i' < \lambda_i$, type λ citizens always prefer type λ_i'

Timing in centralized system

1. Elections to national legislature
2. National legislature choose g_1, g_2
 - Minimum winning coalition (MWC)
 - With prob. $\frac{1}{2}$: $(g_1^1(\lambda_1), g_2^1(\lambda_1))$
 - With prob. $\frac{1}{2}$: $(g_1^2(\lambda_2), g_2^2(\lambda_2))$

Backward induction, stage 2

$$(g_1^i(\lambda_i), g_2^i(\lambda_i)) = \arg \max_{(g_i, g_{-i})} \left\{ \lambda_i [(1 - \kappa) \ln g_i + \kappa \ln g_{-i}] - \frac{p}{2} (g_i + g_{-i}) \right\}$$

- FOC gives:

$$(g_i^i(\lambda_i), g_{-i}^i(\lambda_i)) = \left(\frac{2\lambda_i(1 - \kappa)}{p}, \frac{2\lambda_i\kappa}{p} \right), \quad i \in \{1, 2\}.$$

Backward induction, stage 1

- Voter of type λ consider which citizen to vote for. This voter's public goods surplus level:

$$\frac{1}{2} \left\{ \lambda \left[(1 - \kappa) \ln \frac{2\lambda_i(1 - \kappa)}{p} + \kappa \ln \frac{2\lambda_i\kappa}{p} \right] - \lambda_i \right. \\ \left. + \lambda \left[(1 - \kappa) \ln \frac{2\lambda_{-i}\kappa}{p} + \kappa \ln \frac{2\lambda_{-i}(1 - \kappa)}{p} \right] - \lambda_{-i} \right\}.$$

First term: benefits if in MWC

Second term: costs if in MWC

Third term: benefits if NOT in MWC

Fourth term: costs if NOT in MWC

Maximization of this expression wrt to λ_i :

→ voters get max surplus when $\lambda = \lambda_i$

Outcome in centralized solution

- With prob. $\frac{1}{2}$: $(2\lambda_1^*(1 - \kappa)/p, 2\lambda_1^*(\kappa)/p)$
- With prob. $\frac{1}{2}$: $(2\lambda_2^*\kappa/p, 2\lambda_2^*(1 - \kappa)/p)$
- And with single-peaked preferences: $(\lambda_1^*, \lambda_2^*) = (m_1, m_2)$

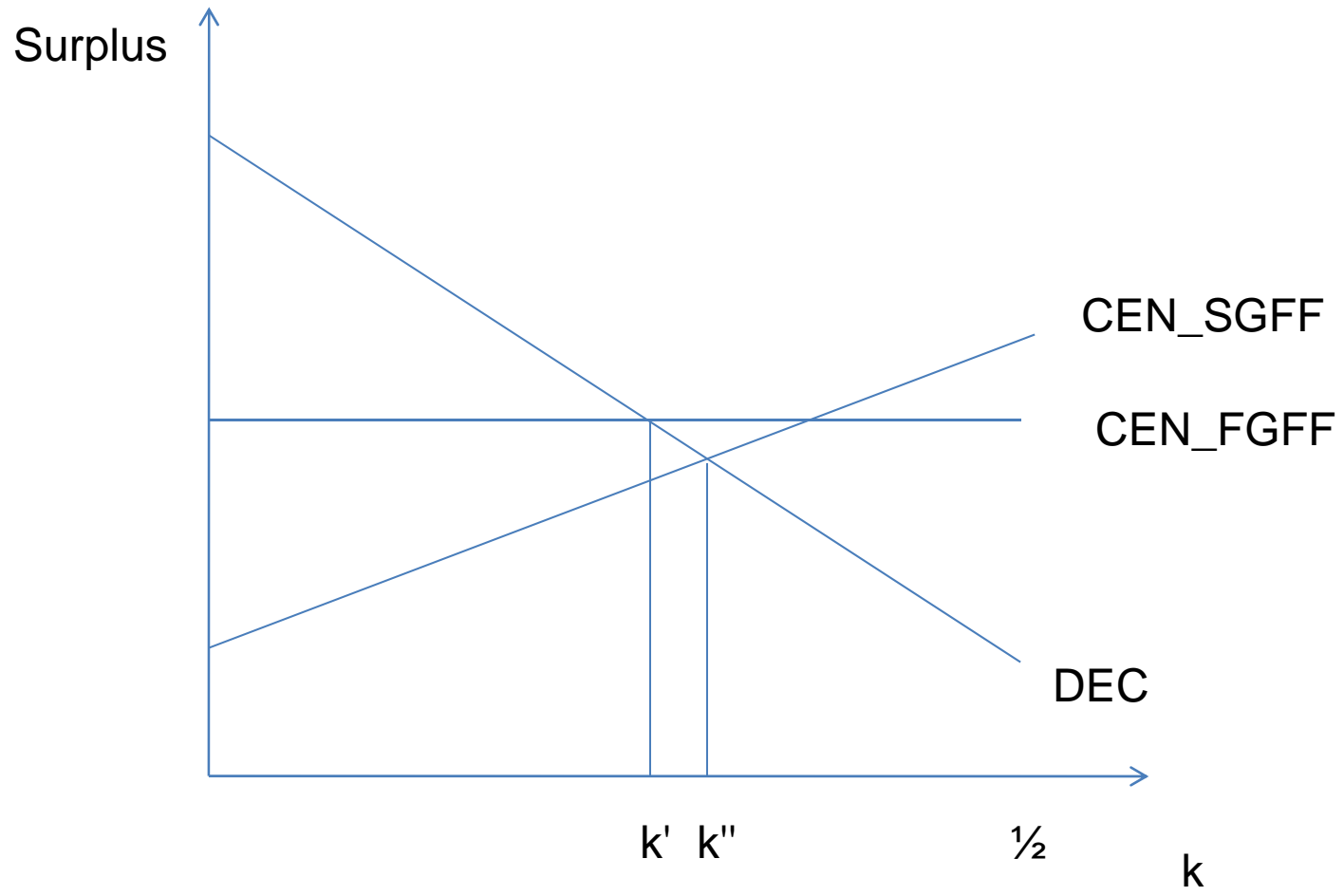
Outcome in centralized solution

This result highlights the two principal drawbacks of centralization with a non-cooperative legislature:

- *Uncertainty*: each district is unsure of the amount of public good that it will receive, reflecting the uncertainty in the identity of the minimum winning coalition.
- *Misallocation*: public spending across the districts is skewed towards those inside the winning coalition.

Outcome in centralized solution

- Misallocation problem worse when spillovers are low.
 - High spillovers alleviate selfishness of MWC
- Only when ...
 - $m_1=m_2=m$ (identical regions)
 - $k=1/2$ (complete spillovers)
- ... does the centralized solution provide efficient levels of local public services.
- In FGFF only one of the conditions are necessary.



Weaker case for centralization

- In SGFF centralization depends on k .
 - Intuition: service provision skewed towards MWC. Problem is less severe the larger the extent of spillovers.
- Weakens the case for centralization
 - $k'' > k'$